

# Maulana Azad National Institute of Technology Bhopal



DEPARTMENT OF PHYSICS



---

## PHYSICS LABORATORY OBSERVATION BOOK

---



**Name of the Student :** .....

**Scholar Number :** .....

**Roll Number :** .....

**Year & Semester :** .....

**Section :** .....

**Subject & Code : Physics Laboratory (PHY-24122)**

**INDEX**

<b>S.No</b>	<b>Name of the Experiment</b>	<b>Page No</b>	<b>Date of the Experiment</b>	<b>Signature of the Faculty</b>
1				
2				
3				
4				
5				
6				
7				
8				
9				
10				
11				
12				
13				
14				

Exp No : .....

Date : .....

## EXPERIMENT: NEWTON'S RINGS

**Aim:** To determine the radius of curvature of a lens by Newton's Ring method

**Apparatus Required:** Newton's Ring apparatus; which consist of a plano-convex lens of large radius of curvature and a plane glass plate, traveling microscope, and Light reflecting unit, Reading lens and Sodium vapor lamp.

### Formula:

The radius of curvature of a lens is calculated from the formula,

$$R = \frac{D_{n+p}^2 - D_n^2}{4 p \lambda} \quad (\text{in cm})$$

Here,

$D_n$  is diameter of  $n^{th}$  bright fringe.

$D_{n+p}$  is diameter of  $(n + p)^{th}$  bright fringe.

R the radius of the curvature of the lens.

p is an integer numbers of the ring.

$\lambda$  is the wavelength of Sodium vapor lamp ( 5893 Å ).

### Diagram:

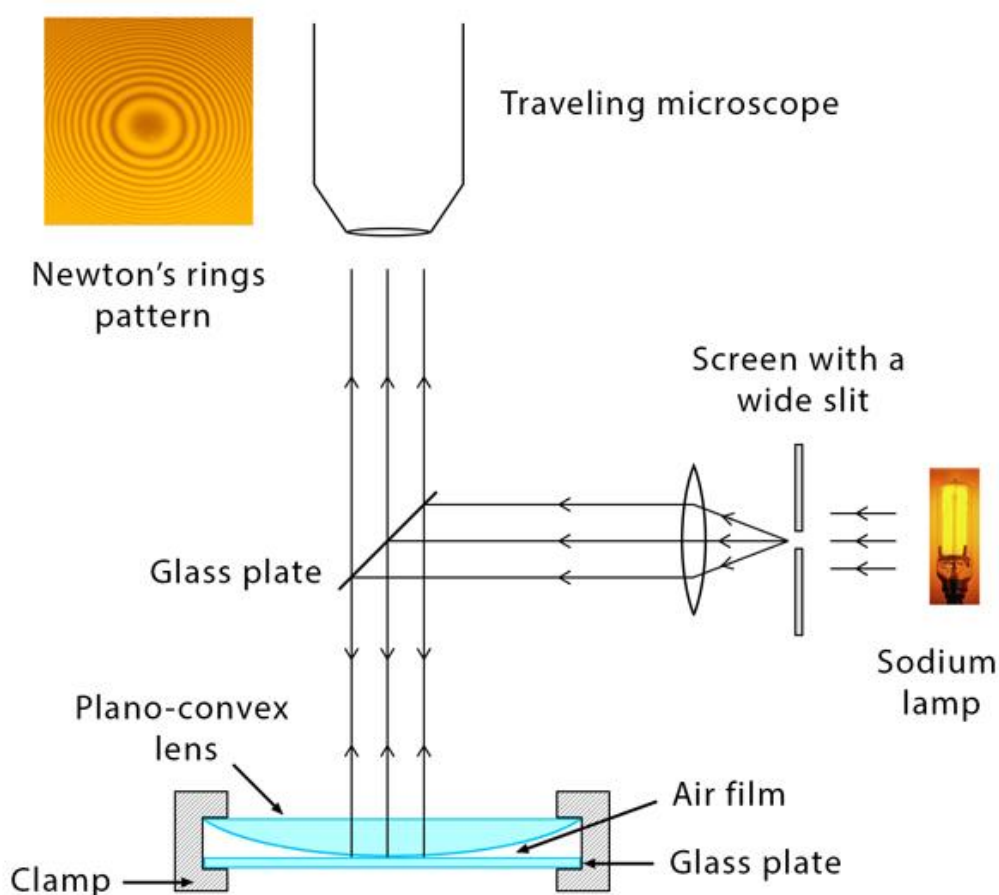


Fig : Newton's ring experimental setup

**Observation Table: Determination of  $[D_{n+p}^2 - D_n^2]$** 

Least count of the travelling microscope = 0.001cm

Ring Number	Microscope reading from Left-hand side of the center (cm) (a)			Microscope reading from Right-hand side of the center (cm) (b)			Diameter $D_n$ ( $a \sim b$ ) (cm)	$D_n^2$ ( $cm^2$ )	$D_{n+p}^2 - D_n^2$ ( $cm^2$ )
	Main Scale	Vernier Scale	Total (cm)	Main Scale	Vernier Scale	Total (cm)			
20									
18									
16									
14									
12									
10									
8									
6									
4									

**Calculation:****Result:**

The radius of curvature (R) of a lens is .....cm

Exp No : .....

Date : .....

## EXPERIMENT: MELDE'S EXPERIMENT

**Aim:** To determine the frequency of electrically maintained tuning fork

**Apparatus Required:** Electrically Maintained Tuning Fork, Battery Eliminator, Meter Scale, Pulley, Weight Box, Thread.

**Formula:**

1) The frequency in transverse arrangement

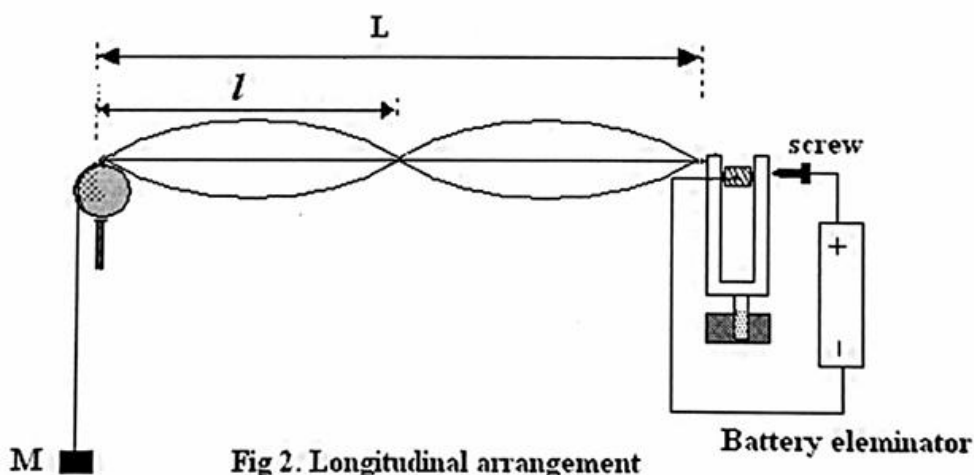
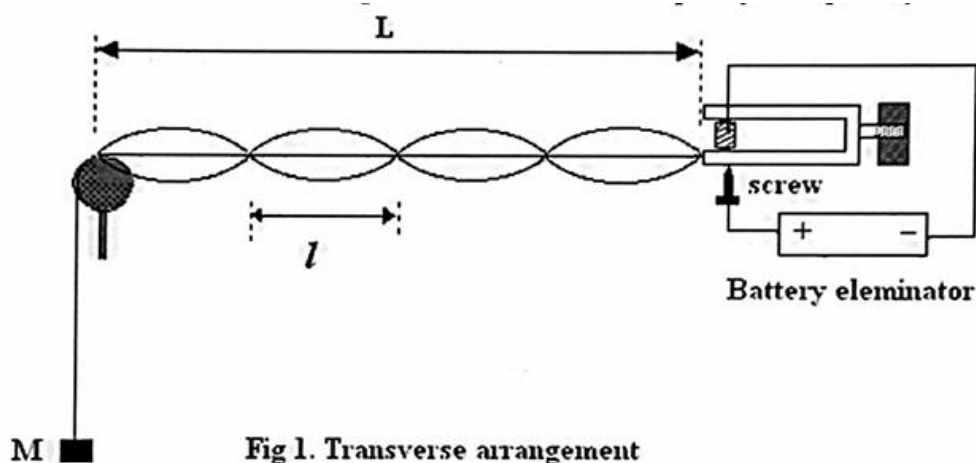
$$f = \frac{1}{2l} \sqrt{\frac{T}{m}} \text{ (in Hz)}$$

Here      f= Frequency of tuning fork  
              l=Distance between two nodes  
              T=Tension Applied  
              m= Mass per unit length of thread

2) The frequency in longitudinal arrangement

$$f = \frac{1}{l} \sqrt{\frac{T}{m}} \text{ (in Hz)} \quad \text{With same meaning of symbols.}$$

**Diagram:**



**Observation Table:**

- 1) Mass of the pan= ..... gm.  
 2) Mass of thread per unit length  $m = 0.004215 \text{ gm/cm}$   
 3) Acceleration due to gravity  $g = 980 \text{ cm/sec}^2$

**Table 1 For Transverse arrangement**

S.No	Mass of Pan + Weight suspended M(gm.)	Tension T=Mg (dynes)	No. of Loops n	Length of Vibrating Thread L (cm)	Length of one Loop $l = L/n$ (cm)	$f = \frac{1}{2l} \sqrt{\frac{T}{m}}$ (Hz)
1						
2						
3						
4						
5						

Mean  $f_{\text{Transverse}} =$  Hz

**Table 2 For Longitudinal arrangement**

S.No	Mass of Pan + Weight suspended M(gm.)	Tension T = Mg (dynes)	No. of Loops n	Length of Vibrating Thread L (cm)	Length of one Loop $l = L/n$ (cm)	$f = \frac{1}{l} \sqrt{\frac{T}{m}}$ (Hz)
1						
2						
3						
4						
5						

Mean  $f_{\text{Longitudinal}} =$  Hz

**Calculations:**

Frequency of tuning fork  $f = \frac{f_{\text{Transverse}} + f_{\text{Longitudinal}}}{2}$

**Result:**

The frequency of fork is found to be  $f =$  .....Hz.

Exp No : .....

Date : .....

## EXPERIMENT: FREQUENCY OF A.C MAINS

**Aim:** To determine the frequency of A.C mains using electrical vibrator.

**Apparatus Required:** Electrical vibrator, Lamp, Meter Scale, Pulley, Weight Box, Thread.

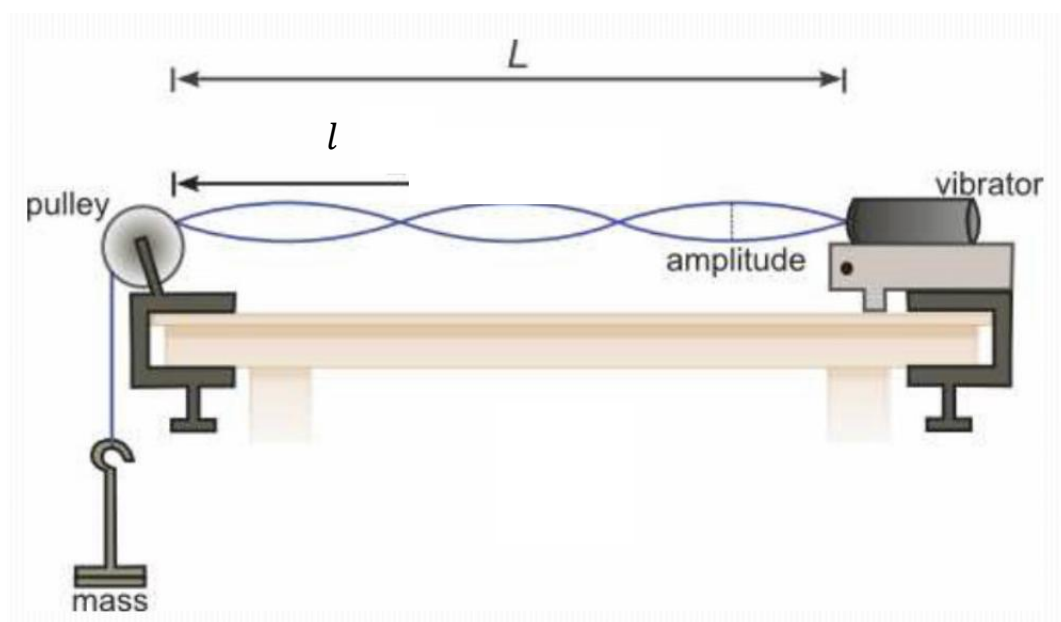
**Formula:**

The frequency of A.C mains

$$f = \frac{1}{2l} \sqrt{\frac{T}{m}} \quad (\text{in Hz})$$

Here      f= Frequency of rod (ac mains)  
              l=Distance between two nodes  
              T=Tension Applied  
              m= Mass per unit length of thread

**Diagram:**



**Fig: A.C Mains Transverse arrangement**

**Observation Table:**

- 1) Mass of the pan = ..... gm.  
 2) Mass of thread per unit length  $m = 0.004215 \text{ gm/cm}$   
 3) Acceleration due to gravity  $g = 980 \text{ cm/sec}^2$

**Transverse arrangement:**

S.No	Mass of Pan + Weight suspended M(gm.)	Tension $T=Mg$ (dynes)	No. of Loops n	Length of Vibrating Thread L (cm)	Length of one Loop $l = L/n$ (cm)	$f = \frac{1}{2l} \sqrt{\frac{T}{m}}$ (Hz)
1						
2						
3						
4						
5						

Mean  $f_{\text{Transverse}} =$                       Hz

**Calculations:****Result:**

The frequency A.C main is found to be  $f =$  .....Hz.



Exp No : .....

Date : .....

## EXPERIMENT: NODAL SLIDE ASSEMBLY

**Aim:** To verify the formula for the combination of lenses and to determine the cardinal points of the combination using Nodal Slide assembly.

**Apparatus Required:** Nodal slide assembly, Light source and convex lenses.

**Formula:**

The focal length of the combination of lenses

$$\frac{1}{F} = \frac{1}{f_1} + \frac{1}{f_2} - \frac{x}{f_1 f_2}$$

Here

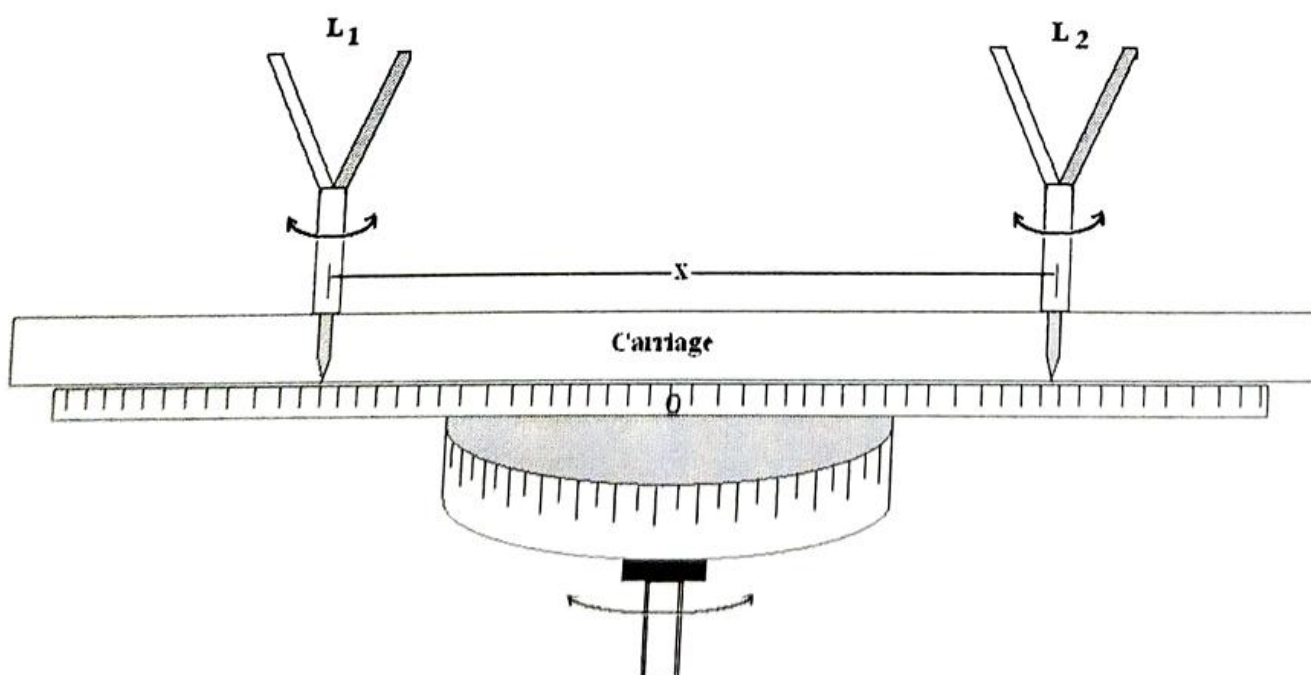
F is the focal length of the combination of lenses (in cm)

$f_1$  is the focal length of the lens 1

$f_2$  is the focal length of the lens 2

$x$  is the distance between two lenses in combination.

**Diagram**



**Fig: Nodal slide assembly**

**Observation Table:**

Least count of the scale = .....cm

**Table 1 Finding focal length of the individual lens**

Set	Light falls on	Position of cross slit $R_1$ (cm)	Position of lens on the Nodal slide assembly $R_2$ (cm)	Focal length of the lens $f = R_2 - R_1$ (cm)	Mean focal length (cm)
Lens-1	One Face				$f_1 =$
	Other Face				
Lens-2	One Face				$f_2 =$
	Other Face				

**Table 2 Finding focal length of the combination of lens**

Set	Light falls on	Position of cross slit $A$ (cm)	Position of axis of Nodal slide assembly $B$ (cm)	Focal length of the combination of lenses $F = B - A$ (cm)	Experimental Mean focal length $F$ (cm)
Combination of lenses	One Face				$F =$
	Other Face				

**Calculations:****Results:**

- 1) Focal length of lens 1  $f_1 =$ ..... cm
- 2) Focal length of lens 2  $f_2 =$ ..... cm
- 3) Experimental value of focal length of combination  $F =$ ..... cm
- 4) Calculated value of focal length of combination  $F =$ ..... cm
- 5) Percentage error between calculated and experimental value of combination of lenses = .....

**Fig. 3** Experimental setup for grating element

**Observation Table:**

Least count of the screw gauge main scale = 0.5 mm

Least count of the screw gauge circular scale = 0.01mm

Wavelength of the He-Ne laser  $\lambda = 6328 \text{ \AA}$

**Table for measuring the fringe width  $x$** 

Distance between slit and screen L (mm)	Fringes	Position of Fringes on screen			Fringe width x (mm)
		Main scale (mm)	Circular Scale (mm)	Total (mm)	
300 mm	1			A=	$A \sim B =$
	2			B=	
350 mm	1			A=	$A \sim B =$
	2			B=	
400 mm	1			A=	$A \sim B =$
	2			B=	

**Calculations:****Result:**

The grating element of given slit is ..... mm.

Exp No : .....

Date : .....

## EXPERIMENT: HALL EFFECT

**Aim:** To determine the Hall voltage and Hall Coefficient of Germanium crystal.

**Apparatus Required:** Hall Probe (Ge Crystal); Hall Effect Set-up , Electromagnet, Constant Current Power Supply, Digital Gaussmeter.

### Formula:

Hall Coefficient of Germanium crystal (R)

$$R = \frac{V_h}{I_x} \frac{z}{H} \text{ (in V cm A}^{-1} \text{ G}^{-1}\text{)}$$

Here,

$V_h$  is the measured Hall voltage

$I_x$  is the applied Hall current

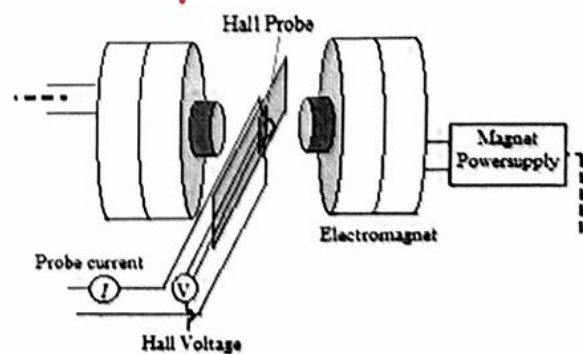
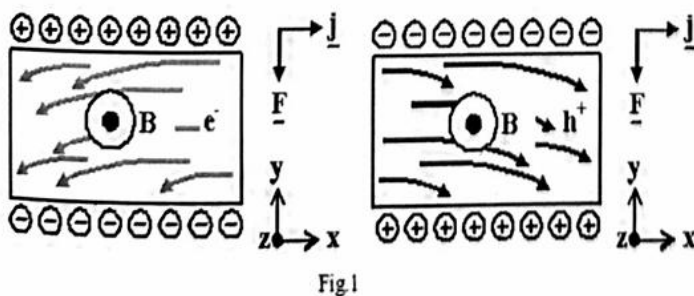
$z$  Thickness of the Germanium crystal

$H$  is the applied magnetic field

$R$  is the Hall Coefficient of Germanium crystal

For calculation we need to find the slope from graph.  $\text{Slope} = \frac{\Delta V_h}{\Delta I_x}$

### Diagram:



### Model Graph:

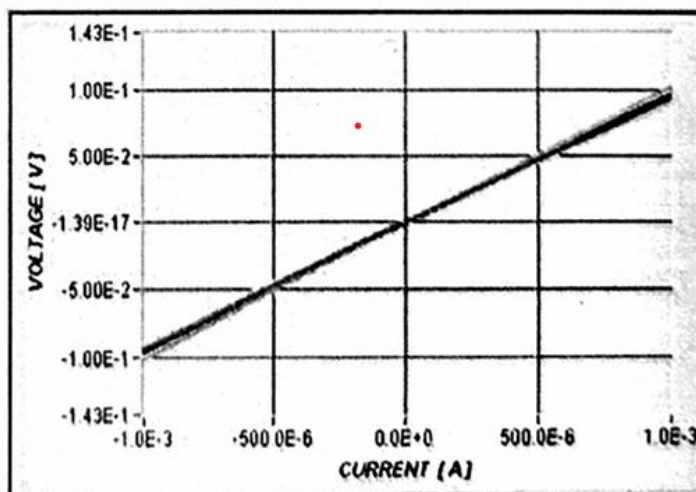


Fig 3: Expected I-V curve

**Observation Table:**

Thickness of the Germanium Crystal  $z = 5 \times 10^{-2}$  cm

**Table for measuring Hall voltage  $V_h$** 

SET-1 Electromagnet power supply $H_1 = 1000$ Gauss ( $I_{EM} = \dots\dots\dots$ A)			SET-2 Electromagnet power supply $H_2 = 1300$ Gauss ( $I_{EM} = \dots\dots\dots$ A)			SET-3 Electromagnet power supply $H_3 = 1600$ Gauss ( $I_{EM} = \dots\dots\dots$ A)		
S.No	$I_x$ (mA)	$V_h$ (mV)	S.No	$I_x$ (mA)	$V_h$ (mV)	S.No	$I_x$ (mA)	$V_h$ (mV)
1			1			1		
2			2			2		
3			3			3		
4			4			4		
5			5			5		
6			6			6		

**Calculations:**

Plot  $V_h$  vs  $I_x$  graph and compute slope  $\left(\frac{\Delta V_h}{\Delta I_x}\right)$  for all the three sets. Calculate R for each set.

Here  $R = slope \times \frac{z}{H}$

**Result:**

The Hall Coefficient of Germanium crystal (R) =  $\dots\dots\dots$  V cm A<sup>-1</sup> G<sup>-1</sup>

Exp No : .....

Date : .....

## EXPERIMENT: MICHELSON INTERFEROMETER

**Aim:** To determine the wavelength of He-Ne laser with the help of Michelson interferometer

**Apparatus Required:** Michelson interferometer, laser source, screen etc

**Formula:**

The wavelength of the given source

$$\lambda = \frac{2d}{N} \text{ (in } \text{\AA}^{\circ})$$

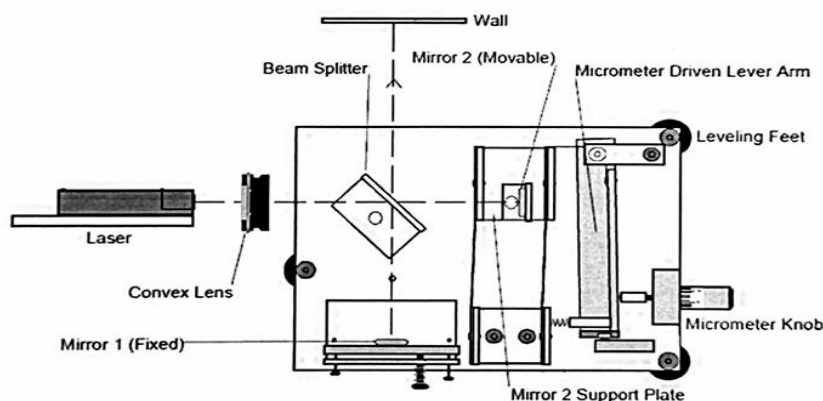
Here

d is the distance measured with a micrometre screw

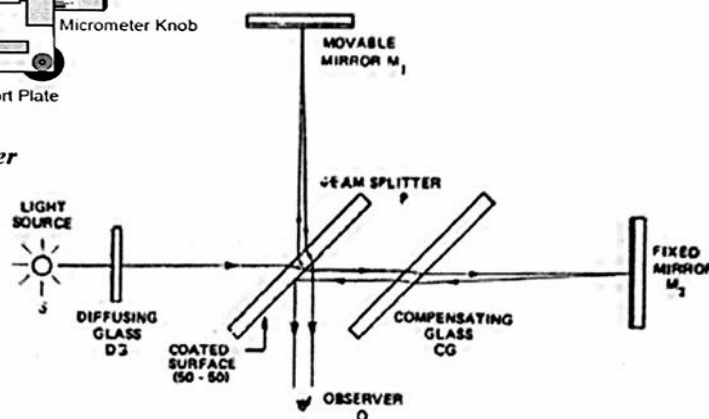
N is the number of fringes collapsing

$\lambda$  wavelength of the source

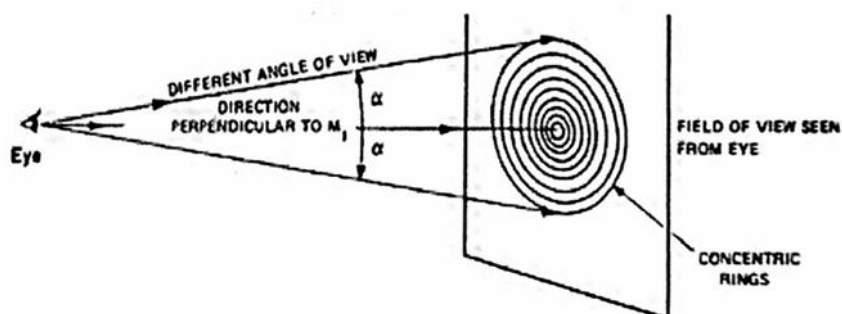
**Diagram:**



*Fig.1 A typical Michelson interferometer*



*Fig.2 Optical arrangement and light path in Michelson interferometer*



*Fig. 3 Circular fringes (equal inclination) seen in Michelson interferometer*

**Observation Table:**

Least count of interferometer Main scale = 1 mm

Least count of the circular scale  $V_1 = 0.01\text{mm}$

Least count of vernier scale  $V_2 = 0.0001\text{mm}$

**Table for measuring separation  $d$  for  $N$  fringes**

No of the fringes collapsed	Main scale (mm)	Circular scale $V_1$ (mm)	Vernier scale $V_2$ (mm)	Total (mm)	Separation $d$ for $N = 25$ (mm)
0					
25					
50					
75					
100					
125					
150					

The mean value of  $d$  = mm

**Calculations:****Result:**

The wavelength of the given He-Ne laser is ..... $\text{\AA}$



Exp No : .....

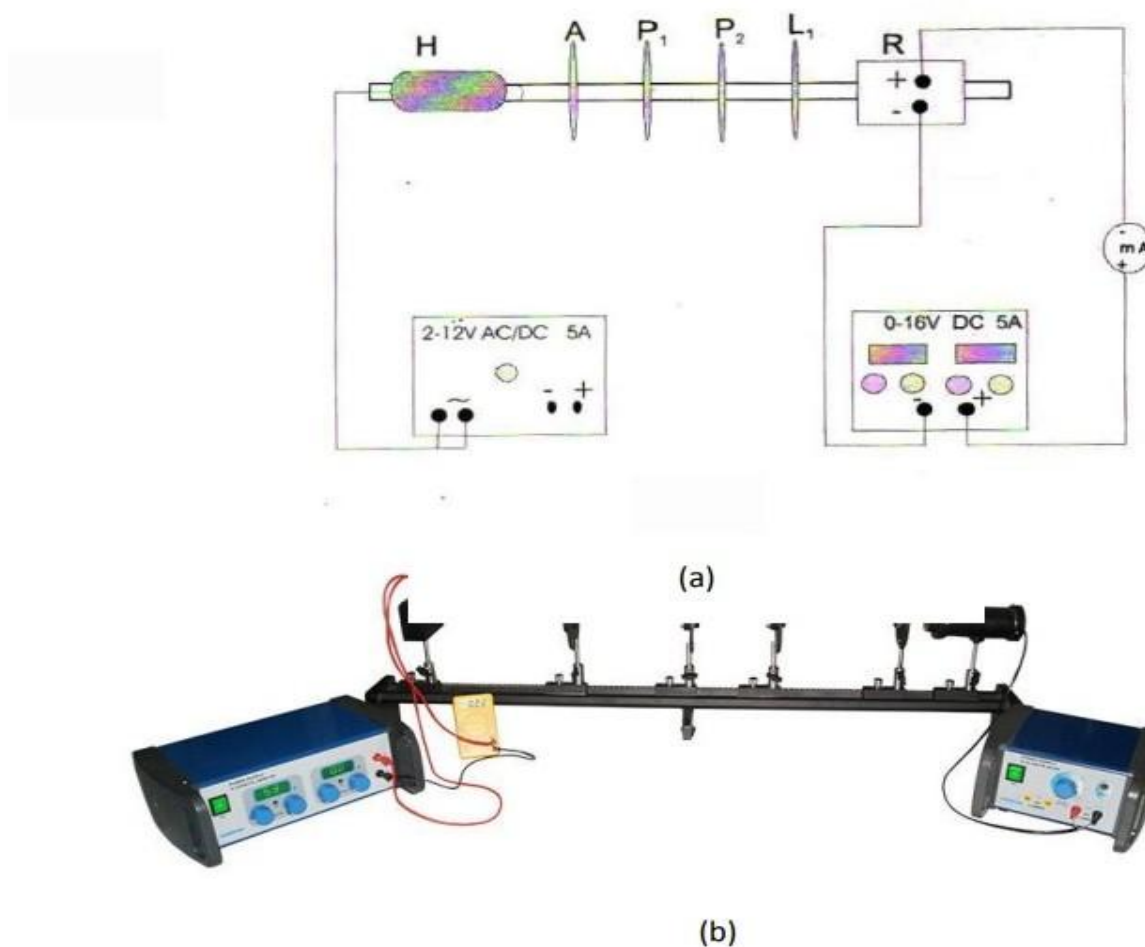
Date : .....

## EXPERIMENT: PHOTOCONDUCTIVITY

**Aim:** To measure the I-V characteristic of CdS as a function of irradiance and applied voltage, respectively

**Apparatus Required:** light source (yellow light bulb), lamp housing, adjustable slit, polarizer, analyser, voltage source 1) 2-12V AC/DC 5A 2) 0-16 V, focusing lens, optical bench.

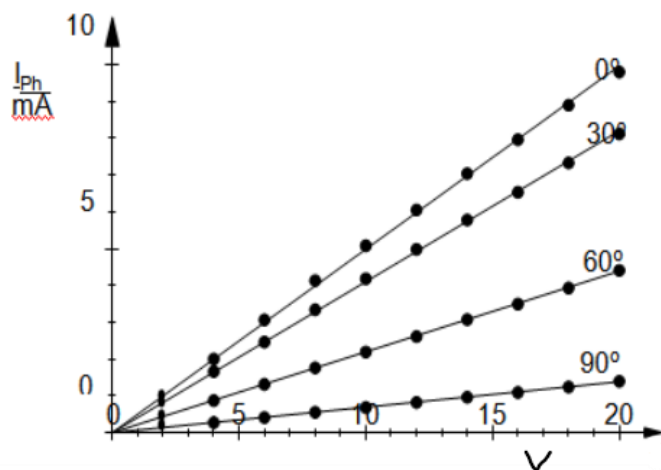
**Diagram:**



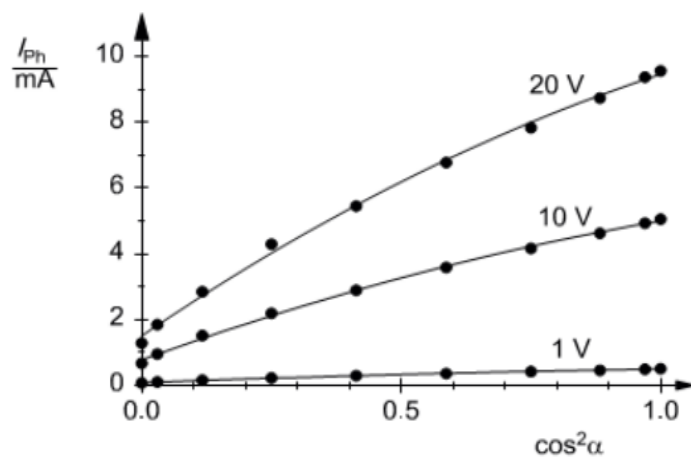
**Fig.** Experimental setup for recording the current-voltage characteristics of a CdS photoresistor.

Here

Mount the lamp housing (H), adjustable slit self-centering (A), polarizer (P<sub>1</sub>), analyzer (P<sub>2</sub>), lens (L<sub>1</sub>), and photo-resistor (R) on the optical bench as shown in Fig.

**Model Graph:**

Current–Voltage characteristics of the CdS photoresistor



Current-irradiance characteristics of the CdS photoresistor

**Observation Table1**

S.No	Irradiance ( $\alpha$ )	$\cos^2 \alpha$	Photocurrent for varying voltage $I_{ph}$ (mA)		
			2 V	6 V	12 V
1	90°				
2	60°				
3	45°				
4	30°				
5	15°				
6	0°				

**Table 2**

S.No	DC Voltage applied to the CdS Crystal (V)	Photocurrent for varying irradiance $I_{ph}$ (mA)			
		90°	60°	30°	0°
1	2 V				
2	4 V				
3	6 V				
4	8 V				
5	10 V				
6	12 V				

**Result:**

The photoconductive CdS Photoresistor behaves like an ohmic resistance that depends on the irradiance.

Exp No : .....

Date : .....

## EXPERIMENT: LUMMER-BRODHUN PHOTOMETER

**Aim:** To determine the percentage of light transmission for a semi-transparent film using a Lummer-Brodhun photometer.

**Apparatus Required:** Two given light sources, Lummer-Brodhum Photometer, Semi-transparent film, and optical bench.

**Formula:**

The percentage of light transmission for a semi-transparent film

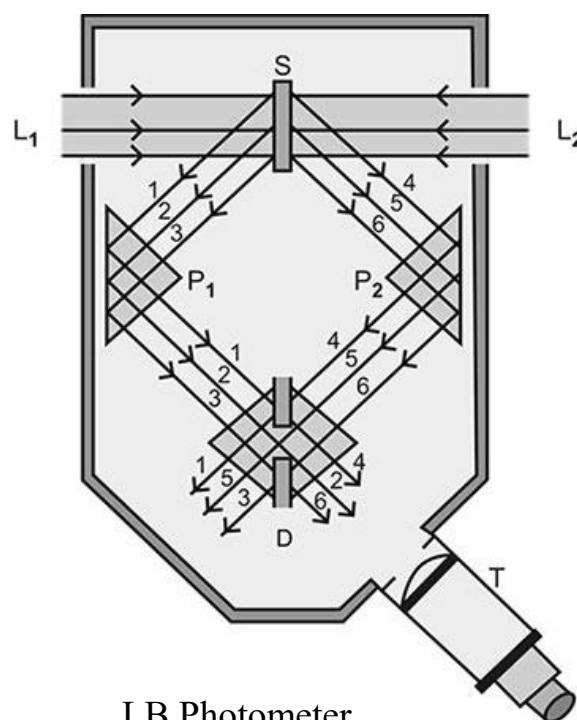
$$t = \frac{r_1^2}{r_2^2} \times 100 \text{ (\%)}$$

Here,

$r_1$  is the distance between source 2 to the LB Photometer without transparent film

$r_2$  is the distance between source 2 and the LB Photometer with transparent film

**Diagram:**



LB Photometer experiment setup

**Observation Table**

S.No	Position of Fixed Source $P_1$ (cm)	Position of LB Photometer $a$ (cm)	Position of Second Source $P_2$ (cm)		$r_1 = b_1 \sim a$ (cm)	$r_2 = b_2 \sim a$ (cm)	Transmittance percentage $t = \frac{r_1^2}{r_2^2} \times 100$
			Without Plate $b_1$ (cm)	With Plate $b_2$ (cm)			
1							
2							
3							
4							
5							

**Calculations:****Result:**

The percentage of transmittance of a given semi-transparent film is .....%

Exp No : .....

Date : .....

## EXPERIMENT: CHARACTERISTICS CURVE OF A TRANSISTOR

**Aim:** To study and plot the transistor input and output characteristics for common emitter configuration.

**Apparatus Required:** A prepared kit of transistor with connecting wires.

### Formula:

The current gain in the common-emitter circuit

$$\beta = \frac{\Delta I_C}{\Delta I_B}$$

The resistance gain of the common emitter

$$R = \frac{R_{out}}{R_{in}}$$

Here,

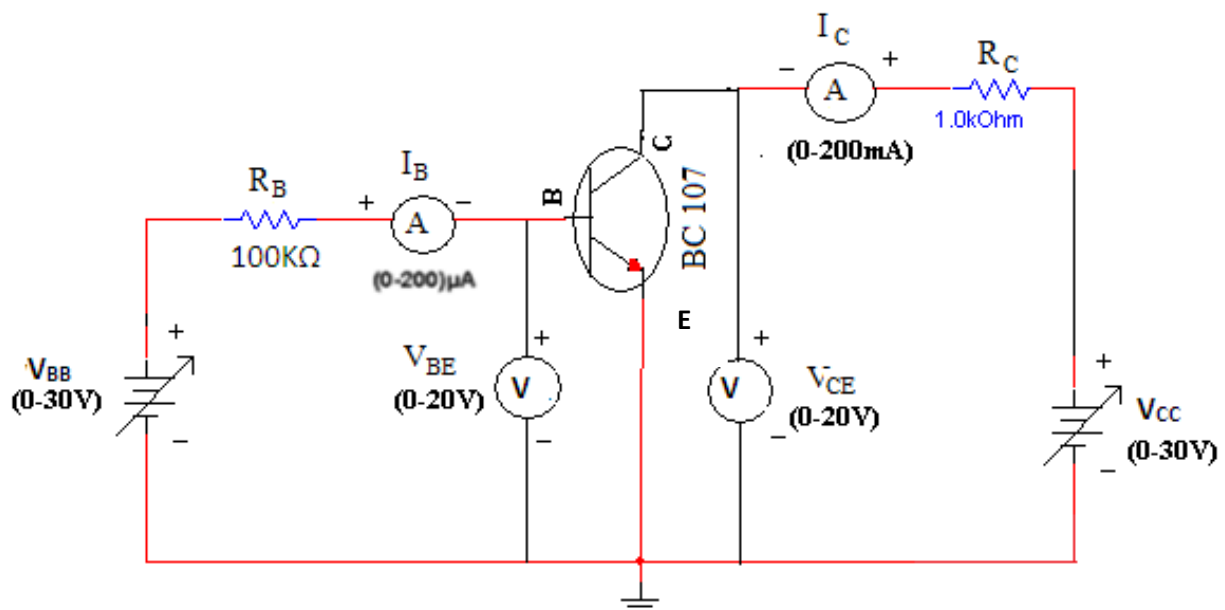
$I_C$  collector current (output current)

$I_B$  base current (input current).

$R_{in} = \frac{V_{BE}}{I_B}$  Resistance(input)

$R_{out} = \frac{V_{CE}}{I_C}$  Resistance(output)

### Circuit Diagram:



[illegible]

**Table for Output Characteristics:**

$V_{BE} = \dots\dots\dots V$			$V_{BE} = \dots\dots\dots V$		
$V_{CE} (V)$	$I_C (mA)$	$R_{out} = \frac{V_{CE}}{I_C} \Omega$	$V_{CE} (V)$	$I_C (mA)$	$R_{out} = \frac{V_{CE}}{I_C} \Omega$

$V_{BE} = \dots\dots\dots V$		
$V_{CE} (V)$	$I_C (mA)$	$R_{out} = \frac{V_{CE}}{I_C} \Omega$

**Result:**

The characteristics curves for the common emitter mode of given PNP/NPN transistor, are shown in the graphs.

Exp No : .....

Date : .....

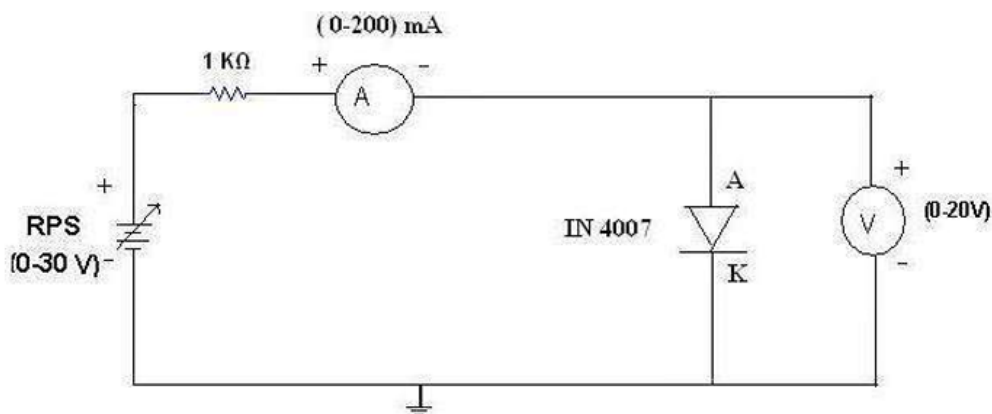
## EXPERIMENT: STUDY OF DIODE

**Aim:** To study forward and reverse characteristics of Si and Ge junction diode.

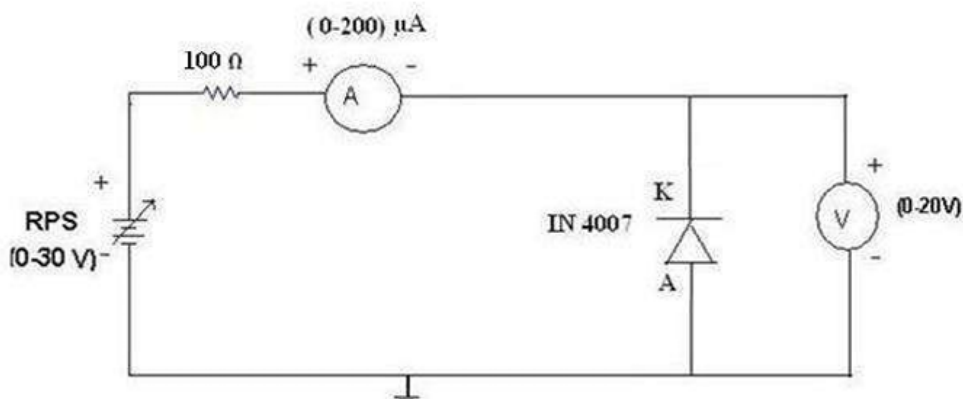
**Apparatus Required:** A prepared kit of PN junction diode with connecting wires.

### Circuit Diagram:

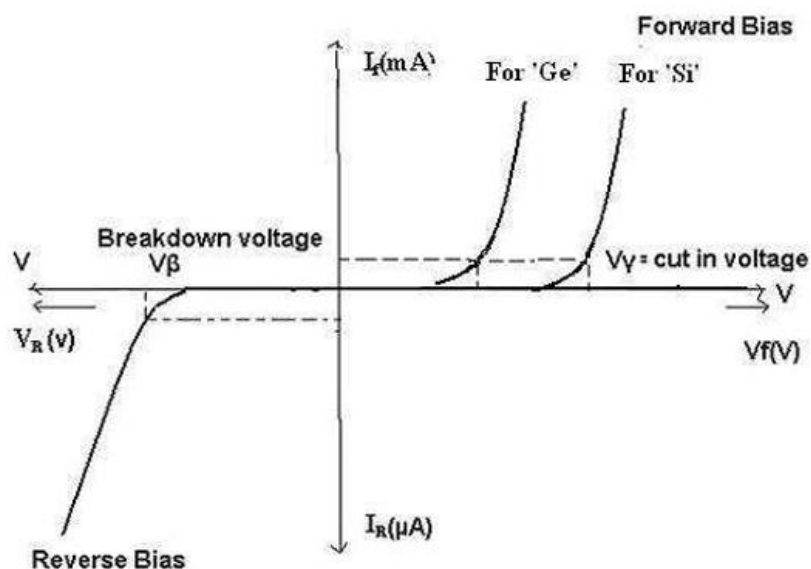
#### (i) FORWARD BIAS:



#### (ii) REVERSE BIAS:



### Model Graph:





**Observation Table:**

Least Count of Ammeters = .....mA & ..... $\mu A$ .

Least Count of Voltmeters = .....V

**Table for Forward & Reverse Bias Characteristics:**

Forward Bias			Reverse Bias		
S.No	$V_F$ (V)	$I_F$ (mA)	S.No	$V_R$ (V)	$I_R$ ( $\mu A$ )
1					
2					
3					
4					
5					
6					
7					
8					
9					
10					
11					
12					

**Result:**

The I-V characteristics curves for the Forward and Reverse bias of the PN junction Diode are studied.

i) The measured breakdown Voltage (Reverse Bias) is .....V

ii) The measured Cut-in Voltage (Forward Bias) is .....V

Exp No : .....

Date : .....

## EXPERIMENT: REFRACTIVE INDEX

**Aim:** To determine the refractive index of the material of prism using a spectrometer.

**Apparatus Required:** Prism, Source of mercury light, Spirit level, and Spectrometer.

### Formula:

The Refractive index of the material of the prism is

$$\mu = \frac{\sin\left(\frac{A + \delta_m}{2}\right)}{\sin\left(\frac{A}{2}\right)}$$

Here,

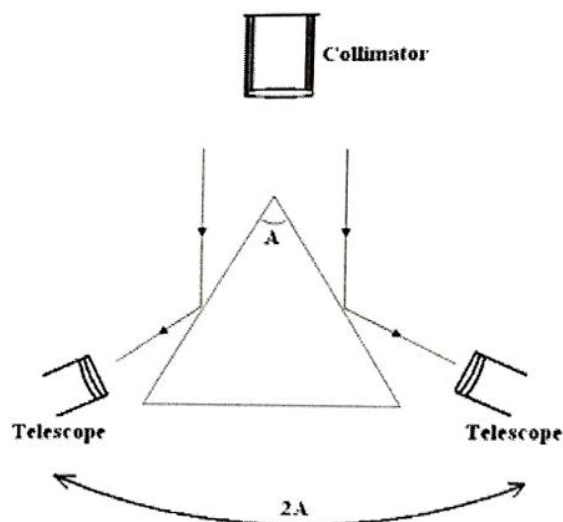
$A$  is the angle of a prism

$\mu$  is the refractive index of the material of the prism

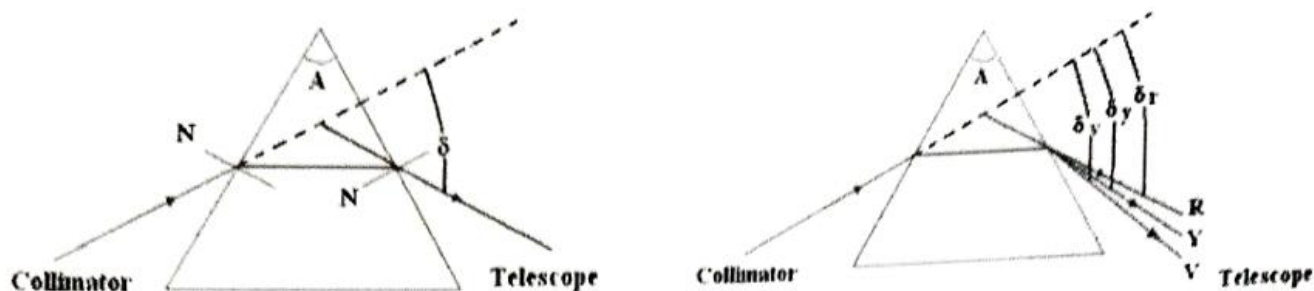
$\delta_m$  is the minimum angle of deviation.

### Diagram:

#### Angle of Prism



#### The angle of minimum deviation



**Observation Table:**Least Count of the main scale =  $0.5^\circ$  (degree)Least Count of vernier scale =  $1'$  (minute)**Table for Angle of Prism:**

Window Vernier	Reflection on Left face (L)			Reflection on Right face (R)			Difference 2A ( $V_{1L} \sim V_{1R}$ ) ( $V_{2L} \sim V_{2R}$ )	Mean 2A	Angle of Prism A
	MSR	VSR	Total	MSR	VSR	Total			
V <sub>1</sub>			V <sub>1L</sub>			V <sub>1R</sub>			
V <sub>2</sub>			V <sub>2L</sub>			V <sub>2R</sub>			

**Table for Minimum deviation of angle:**

Colors	Window Vernier	Dispersed angle			Direct Angle			Difference 2A ( $V_1 \sim V_{1D}$ ) ( $V_2 \sim V_{2D}$ )	The angle of minimum deviation $\delta_m$
		MSR	VSR	Total	MSR	VSR	Total		
Red	V <sub>1</sub>			V <sub>1</sub>	V <sub>1D</sub>			$\delta_r$	
	V <sub>2</sub>			V <sub>2</sub>				$\delta_r$	
Yellow	V <sub>1</sub>			V <sub>1</sub>				$\delta_y$	
	V <sub>2</sub>			V <sub>2</sub>				$\delta_y$	
Violet	V <sub>1</sub>			V <sub>1</sub>	V <sub>2D</sub>			$\delta_v$	
	V <sub>2</sub>			V <sub>2</sub>				$\delta_v$	

**Calculation:**

For Red

For Yellow

For Violet

$$\mu_r = \frac{\sin\left(\frac{A+\delta_r}{2}\right)}{\sin\left(\frac{A}{2}\right)}$$

$$\mu_y = \frac{\sin\left(\frac{A+\delta_y}{2}\right)}{\sin\left(\frac{A}{2}\right)}$$

$$\mu_v = \frac{\sin\left(\frac{A+\delta_v}{2}\right)}{\sin\left(\frac{A}{2}\right)}$$

**Result:**

i) Angle of Prism .....

ii) Refractive index of different colors

1) Red  $\mu_r = \dots\dots\dots$ 2) Yellow  $\mu_y = \dots\dots\dots$ 3) Violet  $\mu_v = \dots\dots\dots$

Exp No : .....

Date : .....

## EXPERIMENT: DISPERSIVE POWER OF MATERIAL OF PRISM

**Aim:** To determine the dispersive power of the material of the prism using a spectrometer.

**Apparatus Required:** Prism, Source of mercury light, Spirit level, and Spectrometer.

### Formula:

The Refractive index of the material of the prism is

$$\mu = \frac{\sin\left(\frac{A + \delta_m}{2}\right)}{\sin\left(\frac{A}{2}\right)}$$

The dispersive power of the prism is

$$\omega = \frac{\delta_v - \delta_r}{\delta_y} = \frac{\mu_v - \mu_r}{\mu_y - 1}$$

Here,

$A$  is the angle of a prism

$\mu$  is the refractive index of the material of the prism

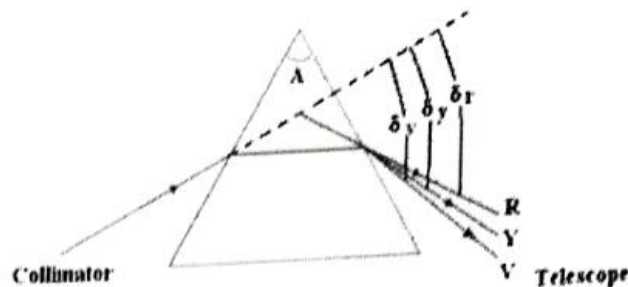
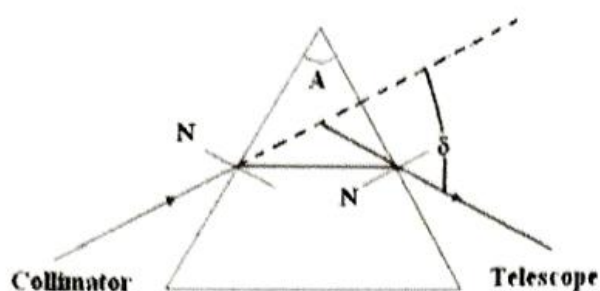
$\delta_m$  is the minimum angle of deviation.

$\delta_r, \delta_y, \delta_v$  is the minimum angle of deviation of red, yellow, and violet.

$\omega$  is the dispersive power of the prism.

### Diagram:

#### The angle of minimum deviation



**Observation Table:**Angle of prism =  $60^\circ$ Least Count of the main scale =  $0.5^\circ$  (degree)Least Count of vernier scale =  $1'$  (minute)**Table for Minimum deviation of angle:**

Colors	Window Vernier	Dispersed angle			Direct Angle			Difference 2A ( $V_1 \sim V_{1D}$ ) ( $V_2 \sim V_{2D}$ )	The angle of minimum deviation $\delta_m$
		MSR	VSR	Total	MSR	VSR	Total		
Red	V <sub>1</sub>			V <sub>1</sub>	V <sub>1D</sub>			$\delta_r$	
	V <sub>2</sub>			V <sub>2</sub>				$\delta_r$	
Yellow	V <sub>1</sub>			V <sub>1</sub>				$\delta_y$	
	V <sub>2</sub>			V <sub>2</sub>				$\delta_y$	
Violet	V <sub>1</sub>			V <sub>1</sub>	V <sub>2D</sub>			$\delta_v$	
	V <sub>2</sub>			V <sub>2</sub>				$\delta_v$	

**Calculation:**

For Red

For Yellow

For Violet

$$\mu_r = \frac{\sin\left(\frac{A+\delta_r}{2}\right)}{\sin\left(\frac{A}{2}\right)}$$

$$\mu_y = \frac{\sin\left(\frac{A+\delta_y}{2}\right)}{\sin\left(\frac{A}{2}\right)}$$

$$\mu_v = \frac{\sin\left(\frac{A+\delta_v}{2}\right)}{\sin\left(\frac{A}{2}\right)}$$

**Result:**

i) Refractive index of different colors

1) Red  $\mu_r = \dots\dots\dots$ 2) Yellow  $\mu_y = \dots\dots\dots$ 3) Violet  $\mu_v = \dots\dots\dots$ ii) Dispersive power of material  $\omega = \dots\dots\dots$

Exp No : .....

Date : .....

## EXPERIMENT: PLANE TRANSMISSION GRATING

**Aim:** To determine wavelength of different colors of mercury light using a plane transmission grating.

**Apparatus Required:** Plane transmission grating, Source of mercury light, Spirit level, and Spectrometer.

**Formula:**

The wavelength of given colour by grating diffraction is

$$\lambda = \frac{(e + d)}{n} \sin \theta \quad (\text{in } A^\circ)$$

Here,

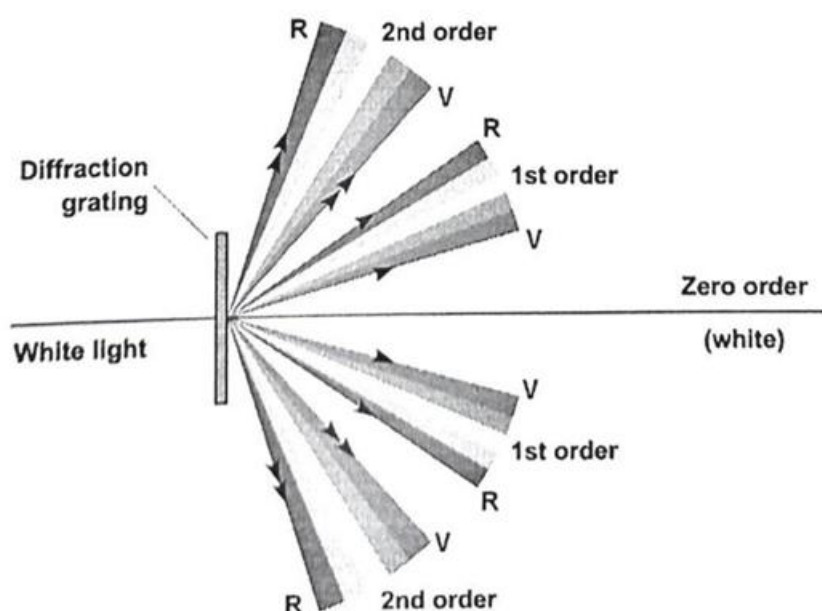
$(e + d)$  is the grating element

$\lambda$  is the wavelength of colour of mercury spectral lines

$\theta$  is the angle of the given colour of light.

$n$  is the order of diffraction.

**Diagram:**



**Fig 1: Diffraction pattern from grating**



**Observation Table:**

Lines per inch on grating = 15000

Grating element  $(e + d) = \frac{2.54}{15000}$  cm/lines

Least Count of the main scale =  $0.5^\circ$  (degree)

Least Count of vernier scale =  $0.5'$  (minute)

**Table for diffraction angle:**

Colour	Window Vernier	Spectrum left of direct image (L)			Spectrum right of direct image (R)			Difference $2\theta$ $(V_{1L} \sim V_{1R})$ $(V_{2L} \sim V_{2R})$	Mean $2\theta$	Diffraction Angle $\theta$
		MSR	VSR	Total	MSR	VSR	Total			
Violet	V <sub>1</sub>									
	V <sub>2</sub>									
Green	V <sub>1</sub>									
	V <sub>2</sub>									
Yellow	V <sub>1</sub>									
	V <sub>2</sub>									

**Calculation:**

For Violet

$$\lambda_v = \frac{(e+d)}{n} \sin \theta_v$$

For Green

$$\lambda_g = \frac{(e+d)}{n} \sin \theta_g$$

For Yellow

$$\lambda_y = \frac{(e+d)}{n} \sin \theta_y$$

**Result:**

The wavelength of different colours of the mercury spectrum

1) Violet  $\lambda_v = \dots\dots\dots A^\circ$

2) Green  $\lambda_g = \dots\dots\dots A^\circ$

3) Yellow  $\lambda_y = \dots\dots\dots A^\circ$

## Instructions

- i) All group members must verify their calculations and results by faculties on the same day of the experiment in this observation book.
- ii) After verifying your results in the Observation book, enter these readings in your Record notebook.
- iii) The Record notebook must contain all these observations with the Theory of the experiment, Procedure, and Source of Errors & Precautions.
- iv) The Blanck page of the Record notebook must contain a Diagram/Circuit diagram, Model graph diagram, Observation tables, and Calculations.
- v) The Ruled page may contain all other writings including the Theory of experiment, Procedure, and Source of Errors & Precautions.
- vi) Record Notebook must be submitted to get a signature every week before starting the next allotted experiment.

