# Course Review

Week 12

#### Announcements

- **Drop-in Sessions:** Please bring your assignment/exam questions to the following locations
  - 09:00-10:30 Friday **24 May**, Melville Hall (Dylan)
  - 15:00-17:00 Friday **24 May**, 1.23 Hanna Neumann (Yiran)



#### Semester 1 SELT is live!



Join us for free food and prizes 21 - 24 May 11.00am - 2.00pm

**CSIT Lab entrance or lawn** 

(weather dependent)



20 May - Survey opens

Check your email or Wattle



16 June - Survey closes IR team perform screening of comments for welfare concerns

8 July SELT feedback is made available to teachers and course convenors to improve future course delivery



Australian National University

Survey runs for 4 weeks

Please provide constructive and respectful feedback (your teacher can't identify you)



### Semester 1 SELT - survey journey

The Student Experience of Learning & Teaching survey allows students to give feedback on their courses and teachers. It is **voluntary** and **confidential**, and run by the Institutional Research (IR) team.

#### 20 May - Survey opens

Check your email or Wattle page for available surveys





IR team perform screening of comments for welfare concerns



#### 27 June

Grades are released to students

#### 8 July

SELT feedback is made available to teachers and course convenors to improve future course delivery





Please provide constructive and respectful feedback (your teacher can't identify you)



#### Find out more on the *Info for Students* webpage:

https://services.anu.edu.au/learning-teaching/education-data/student-experience-of-learning-teaching-selt/information-for



### SELT - Frequently asked questions

#### What kind of feedback is helpful?

Think about your experience of the course and teaching, and what worked or didn't work for you.

When writing feedback, focus on respectful and constructive language – if you were a teacher, what type of feedback would help you improve the class?

#### Can teachers see who left specific feedback?

SELT is confidential, and teachers cannot see, or ask to see, the identity of a respondent. Unless you selfidentify, for example by using names or describing specific events, teachers cannot identify you.



#### Find out more on the *Info for Students* webpage:

https://services.anu.edu.au/learning-teaching/education-data/student-experience-of-learning-teaching-selt/information-for



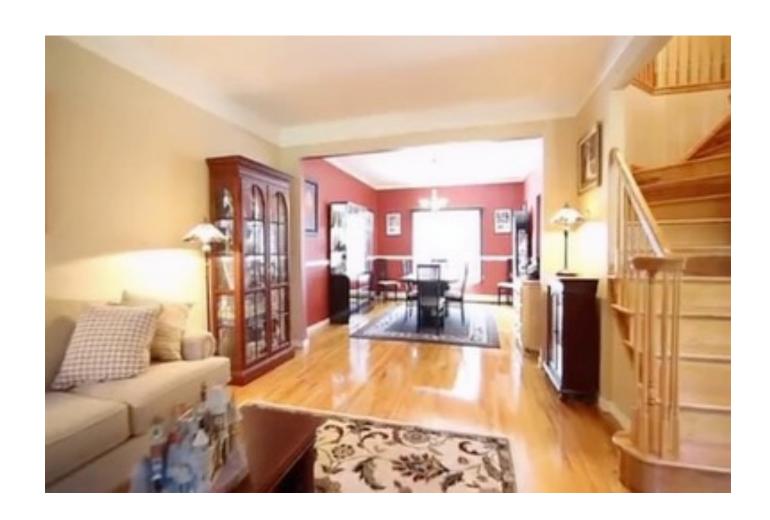
## Weekly Study Plan: Overview

	Wk	Starting	Lecture	Lab	Assessment
Ī	1	19 Feb	Introduction	X	
	2	26 Feb	Low-level Vision 1	1	
	3	4 Mar	Low-level Vision 2	1	
	4	11 14	Mid-level Vision 1	-1	
	4	11 Mar	Mid-level Vision 2	1	CLab1 report due Friday
	_	10.14	High-level Vision 1	0	
	5	18 Mar	High-level Vision 2	2	
	6	25 Mar	High-level Vision 3 <sup>1</sup>	2	
		1 Apr	Teaching break	X	
		8 Apr	Teaching break	X	
	7	15 Apr	3D Vision 1	2	CLab2 report due Friday
	8	22 Apr	3D Vision 2	3	
	9	29 Apr	3D Vision 3	3	
	10	6 May	3D Vision 4	3	
			Mid-level Vision 3		
	11	13 May	High-level Vision 4	Х	CLab3 report due Friday
	12	20 May	Course Review	Х	

# Weekly Study Plan: Part B

Wk	Starting	Lecture	Ву
7	15 Apr	3D vision: introduction, camera model, single-view	Dylan
8	22 Apr	geometry 3D vision: camera calibration, two-view geometry (homography)	Dylan
9	29 Apr	3D vision: two-view geometry (epipolar geometry, triangulation, stereo)	Dylan
10	6 May	3D vision: multiple-view geometry	Weijian
		Mid-level vision: optical flow, shape-from-X	Dylan
11	13 May	High-level vision: self-supervised learning, detection,	Dylan
		segmentation	
12	20 May	Course review	Dylan

### Monocular Scene Reconstruction @ 10FPS



### Outline

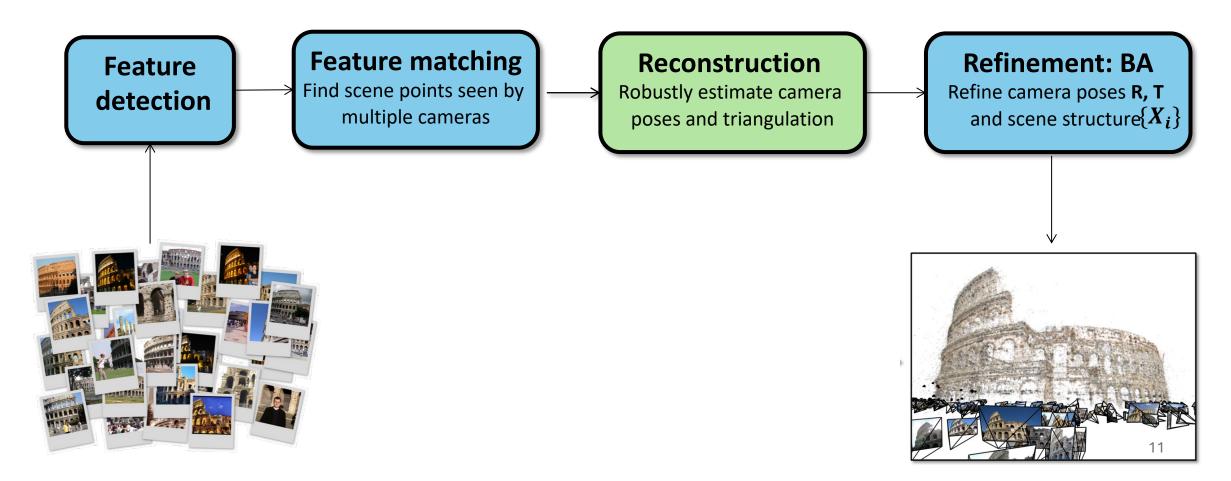
- 1. Course Review (cont'd)
- 2. Practice exam questions
- 3. Q&A
- 4. Drop-in session

# Course Review

Continued

#### Structure From Motion

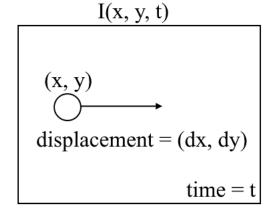
Core Steps of SfM



### **Optical Flow**

• **Problem:** Compute a flow field that takes pixels in the first image to their location in the second image.

$$(dx, dy) = f(I(t), I(t+dt))_{(x,y)}$$



$$I(x + dx, y + dy, t + dt)$$

$$(x + dx, y + dy)$$

$$time = t + dt$$

### Brightness/Colour Constancy Assumption

$$I_{x}u + I_{y}v = -I_{t} \leftrightarrow \frac{\partial I}{\partial x}\frac{\mathrm{d}x}{\mathrm{d}t} + \frac{\partial I}{\partial y}\frac{\mathrm{d}y}{\mathrm{d}t} = -\frac{\partial I}{\partial t}\frac{\mathrm{d}t}{\mathrm{d}t}$$

- From first-order Taylor expansion of I(x, y, t) = I(x + dx, y + dy, t + dt)
  - Note that all partial derivatives are evaluated at (x, y, t), e.g.,  $I_x(x, y, t)$
- We have one equation and two unknowns (u, v): the optical flow
- Assumes a smooth visual gradient over the area of motion

### Lucas-Kanade Optical Flow Algorithm

$$\begin{bmatrix} I_x & I_y \end{bmatrix} \begin{bmatrix} u \\ v \end{bmatrix} = -I_t$$

• Least squares solution:  $\boldsymbol{u}^* = \operatorname{argmin}_{\boldsymbol{u}} \|A\boldsymbol{u} - \boldsymbol{b}\|^2 = (A^{\mathsf{T}}A)^{-1}A^{\mathsf{T}}\boldsymbol{b}$ 

• 
$$A^{\top}A = \begin{bmatrix} \sum_{p \in \mathcal{P}} I_x I_x & \sum_{p \in \mathcal{P}} I_x I_y \\ \sum_{p \in \mathcal{P}} I_y I_x & \sum_{p \in \mathcal{P}} I_y I_y \end{bmatrix} \in \mathbb{R}^{2 \times 2}$$
 (autocorrelation matrix)

$$\bullet \ A^{\top} \boldsymbol{b} = - \begin{bmatrix} \sum_{\boldsymbol{p} \in \mathcal{P}} I_{x} I_{t} \\ \sum_{\boldsymbol{p} \in \mathcal{P}} I_{y} I_{t} \end{bmatrix} \in \mathbb{R}^{2 \times 1}$$

where the sum is over pixels  $m{p}$  in patch  ${\mathcal P}$ 

You saw this in Harris corner detector!

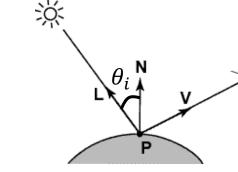
### Lucas-Kanade Optical Flow Algorithm

- When is  $A^{\mathsf{T}}A\boldsymbol{u} = A^{\mathsf{T}}\boldsymbol{b}$  solvable?
  - $A^{\mathsf{T}}A$  invertible:
    - Determinant non-zero
  - $A^{\mathsf{T}}A$  not too small, otherwise estimate is sensitive to noise:
    - Eigenvalues  $\lambda_1$  and  $\lambda_2$  of  $A^TA$  should not be too small
  - $A^{\mathsf{T}}A$  well-conditioned:
    - $\lambda_1/\lambda_2$  should not be too large ( $\lambda_1$ : larger eigenvalue)
- Implications:
  - Harris corners are where  $\lambda_1$  and  $\lambda_2$  are both big; this is also when Lucas–Kanade optical flow estimation works best
    - Corners are good places to compute optical flow

### Visual Cues: Shape-from-

- Shading
- Texture
- Focus
- Motion
- Perspective distortion
- Colour
- Size
- Occlusion

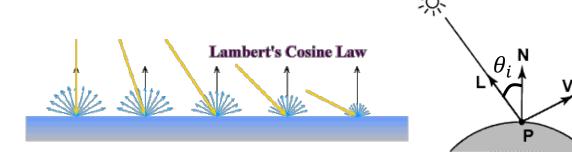
- Stereo
- Specular highlights
- Inter-reflections
- Symmetry
- Light Polarisation
- Structured light (active)
- Time-of-flight (active)
- Shadow
- Silhouette

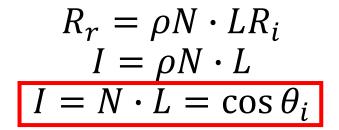


# Shape-from-Shading

- Lambertian reflectance assumption gives us  $I = N^T L = \cos \theta$
- Not enough information to compute normal: 1 equation, 2 DoF
- Add additional information: e.g., smoothness
  - Variational shape-from-shading
- Then, convert normal maps to depth maps via integration

#### Lambertian Reflection





- $R_i$ : incident light intensity
- $R_r$ : observed light intensity
- L: unit illuminant direction
- N: unit normal direction
- *I*: image intensity at point **P**
- $\rho$ : material albedo

- Simplifying assumptions
  - $I = R_r$ : camera response function f is the identity function
    - Can also assume linearly proportional
    - (If required, can perform radiometric calibration)
  - $R_i = 1$ : light source intensity is 1
    - Can achieve this by dividing each pixel in the image by  $R_i$
  - $\rho = 1$ : material albedo is 1

#### Photometric Stereo

$$\begin{bmatrix} I_1 & I_2 & I_3 \end{bmatrix} = \rho N^{\mathsf{T}} \begin{bmatrix} L_1 & L_2 & L_3 \end{bmatrix}$$
 Light source matrix I is known 
$$\begin{bmatrix} I_1 & I_2 & I_3 \end{bmatrix} = \rho N^{\mathsf{T}} \begin{bmatrix} L_1 & L_2 & L_3 \end{bmatrix}$$
 Light source matrix L is known

$$G = IL^{-1}$$

- $\rho$  and N are unknowns ( $\rho$  may differ across surface)
- Surface normal:  $N = \frac{G}{\|G\|}$
- Albedo:  $\rho = ||G||$
- When is L invertible? >= 3 light directions are linearly independent
- More than 3 lights? Solve using least squares

# Practice Exam Questions

# Q&A + Drop-In Session

# Thank you for taking the Computer Vision course!

What next?

Advanced Topics in Deep Learning for Computer Vision (COMP8536)

Advanced Topics in Computer Vision (COMP8539) [S2 2025]



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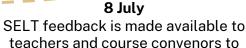
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improve future course delivery



Australian National University

