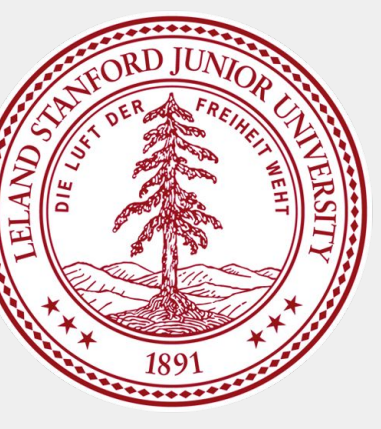




# Imitating Driving Behavior in an Urban Environment

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## Summary

### Introduction

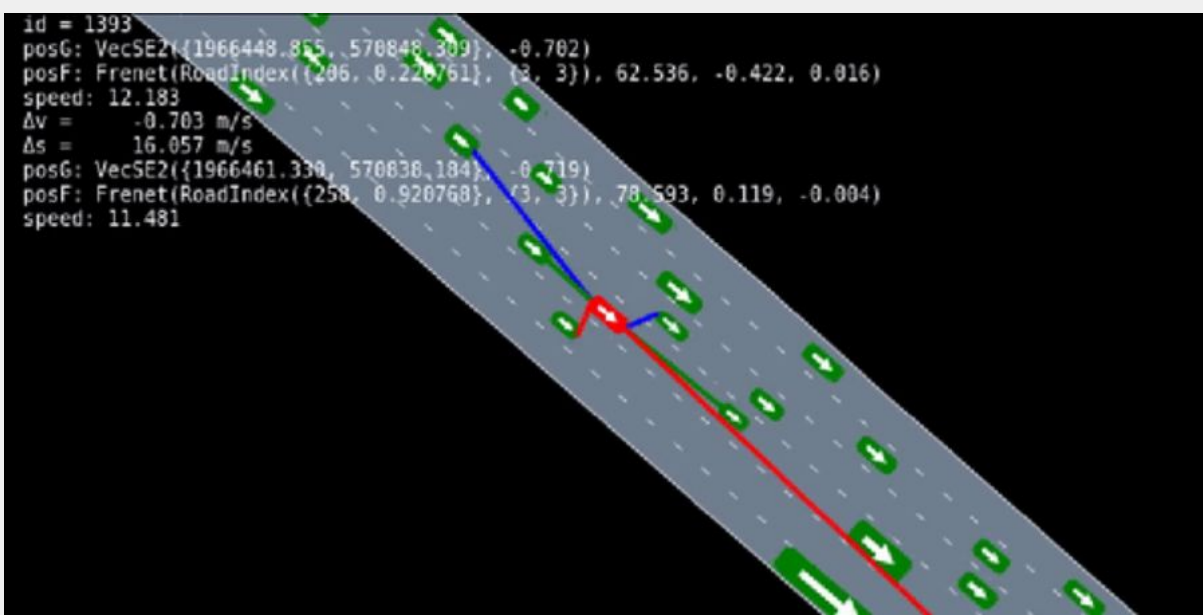
- Autonomous vehicles need to adapt to a wide range of situations, even unlikely
- Modern approaches imitate human drivers by fitting a control model using Behavioral Cloning or Reinforcement Learning
- They fail to generalize to unseen situations
- GAIL is a new framework that incorporates Imitation Learning into a Generative Adversarial model

### Contributions

- We tested GAIL's on an urban dataset (only tested on highways so far)
- We show we can obtain good performances with simpler policy architectures

## Background

- State  $\mathbf{s}$  = set of a vehicle's features
- Action  $\mathbf{a}$  = acceleration and turn rate
- Policy  $\pi$  = neural network with input  $\mathbf{s}$  and output distribution over  $\mathbf{a}$   
 $\mathbf{a} \sim \pi(\mathbf{a}|\mathbf{s}; \theta)$
- Rolled-out in a simulation environment to get next state



### Training process

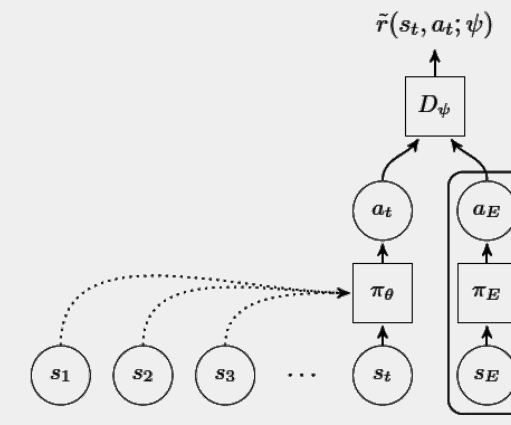
- Discriminator  $\psi$  = neural network trying to distinguish generated trajectories from expert trajectories
- $\theta$  and  $\psi$  are optimized in a GAN fashion:

$$\max_{\psi} \min_{\theta} V(\theta, \psi) = \mathbb{E}_{(s,a) \sim \mathcal{X}_E} [\log D_{\psi}(s, a)] + \mathbb{E}_{(s,a) \sim \mathcal{X}_{\theta}} [\log(1 - D_{\psi}(s, a))].$$

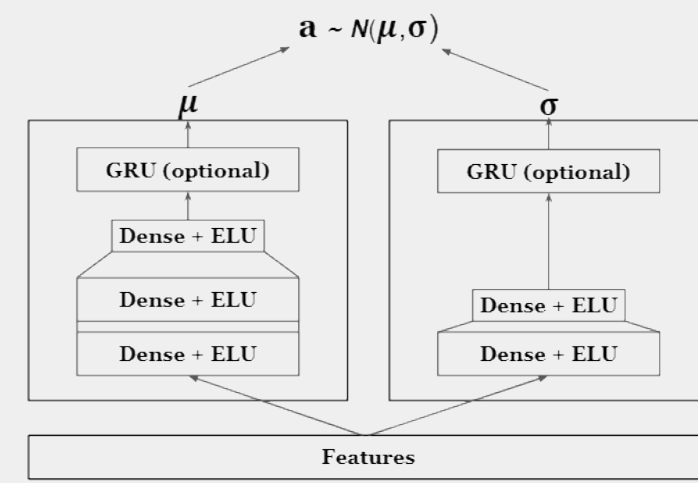
## Model

### Overall Architecture

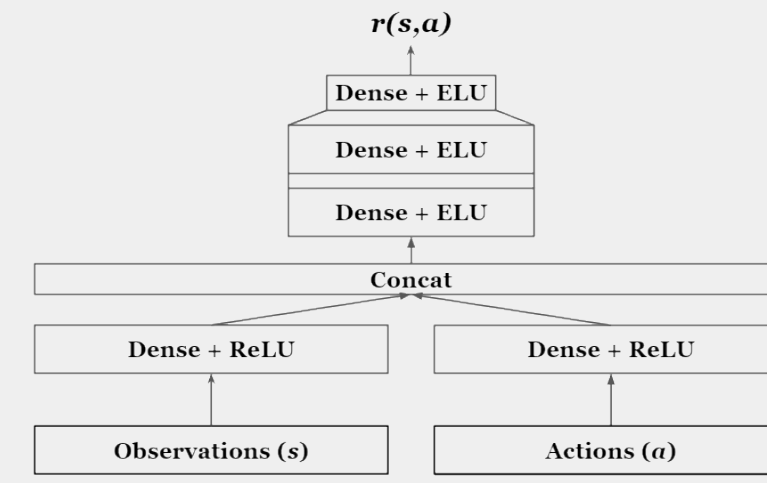
- $\pi_{\theta}$  and  $D_{\psi}$  competing
- $\pi_{\theta}$  can be **recurrent**



### Policy Network $\pi_{\theta}$



### Discriminator $D_{\psi}$



### GAIL Algorithm

**Algorithm 1** Generative adversarial imitation learning

- Input:** Expert trajectories  $\tau_E \sim \pi_E$ , initial policy and discriminator parameters  $\theta_0, w_0$
- for**  $i = 0, 1, 2, \dots$  **do**
- Sample trajectories  $\tau_i \sim \pi_{\theta_i}$
- Update the discriminator parameters from  $w_i$  to  $w_{i+1}$  with the gradient

$$\hat{\mathbb{E}}_{\tau_i} [\nabla_w \log(D_w(s, a))] + \hat{\mathbb{E}}_{\tau_E} [\nabla_w \log(1 - D_w(s, a))] \quad (17)$$

- Take a policy step from  $\theta_i$  to  $\theta_{i+1}$ , using the TRPO rule with cost function  $\log(D_{w_{i+1}}(s, a))$ . Specifically, take a KL-constrained natural gradient step with

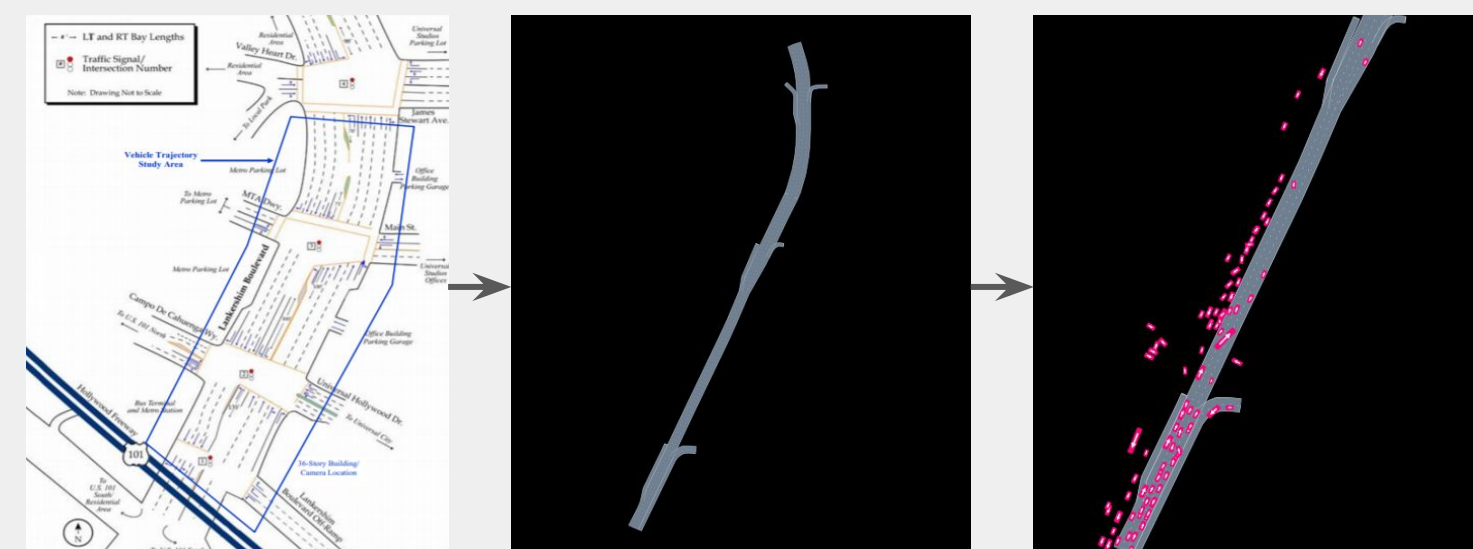
$$\hat{\mathbb{E}}_{\tau_i} [\nabla_{\theta} \log \pi_{\theta}(a|s) Q(s, a)] - \nabla_{\theta} H(\pi_{\theta}), \quad \text{where } Q(\bar{s}, \bar{a}) = \hat{\mathbb{E}}_{\tau_i} [\log(D_{w_{i+1}}(s, a)) | s_0 = \bar{s}, a_0 = \bar{a}] \quad (18)$$

**6: end for**

- Modified to use **Wasserstein-GAN** instead of GAN
- Discriminator**  $\rightarrow$  **Critic**: outputs trajectories rewards instead of probability

## Data

- Data downloaded from the NGSIM database
- Lankershim Blvd, LA: intersections + traffic lights
- Processed using AutoCAD  $\rightarrow$  roadway model + traj



## Experiments & Results

### Input: features extracted from trajectories:

- Core features: speed, veh. length/width, lane offset/rel. heading/curvature, dist. to left/right markings
- Simulated lidar features + Indicator features (collision, off-road, reverse)

### Output: Trained policy $\pi_{\theta} : \mathbf{s} \rightarrow \mu, \sigma$ . Action sampled from: $\mathbf{a} \sim N(\mu, \sigma)$

### Different architectures implemented

Model	$\pi_{\theta}$		$D_{\psi}$
	$\mu_{\theta}$	$\Sigma_{\theta}$	
Baseline	(32,32)	(32,32)	
GAIL MLP	(128,128,64)	(128,64)	(128,128,64)
GAIL GRU	(128,128,64) + (64)	(128,64) + (64)	(128,128,64)
BC MLP	(256,128,64,64,32)		
BC GRU	(256,128,64,64,32) + (32)		

### Training

- Different models trained for **1000 iterations** (~4 days)

### Evaluation

- Generate **10s trajectories** in environment
- Compute **RMSE** of position, lane offset and speed
- Compute **KL divergence**  $KL(p_{\theta}(v) || p_{data}(v))$  for several variables  $v$

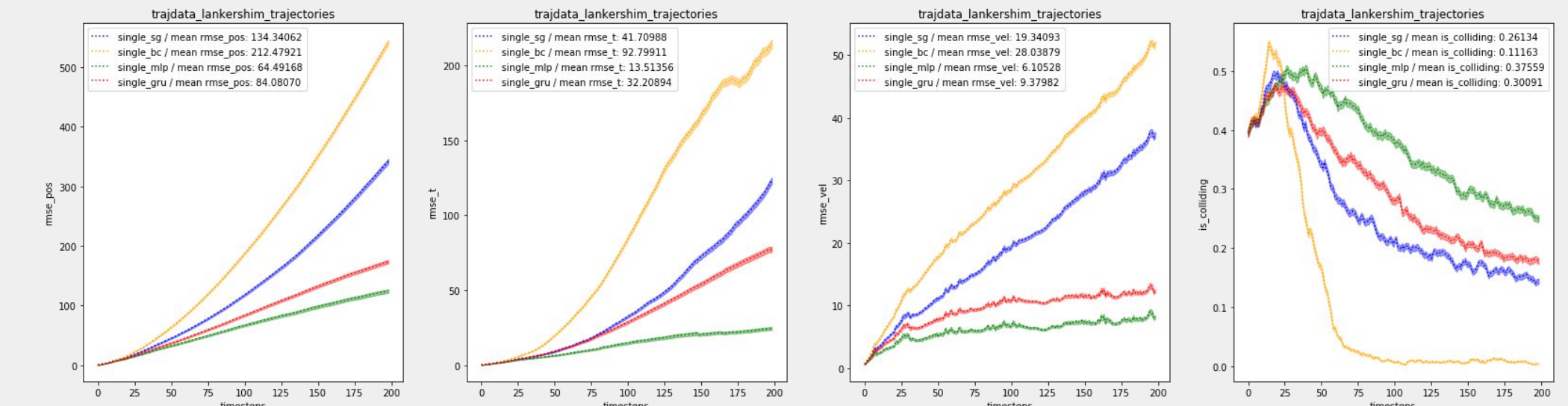
### RMSE

$$RMSE(t) = \sqrt{\frac{1}{mn} \sum_{i=1}^m \sum_{j=1}^n (v_t^{(i)} - \hat{v}_t^{(i,j)})^2}$$

$v$  : variable from expert traj

$\hat{v}$  : variable from generated traj

$i, j$  : indices of traj



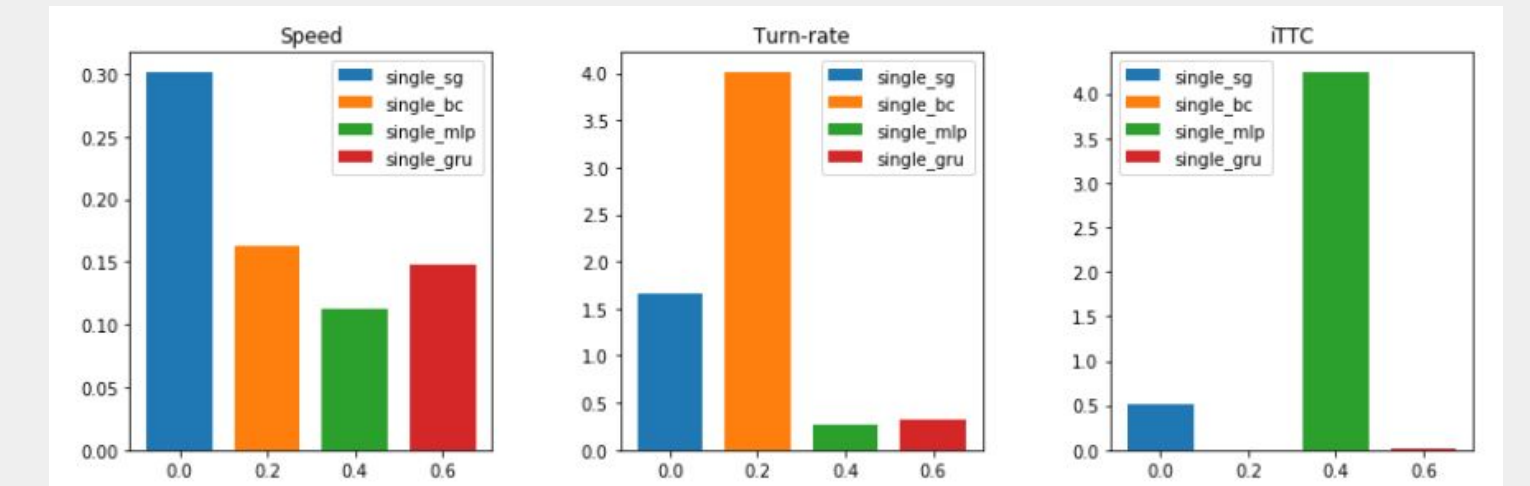
### KL divergence

Sample variable  $v$  and assume  $p_{data}(v)$

and  $p_{model}(v)$  are piecewise uniform (using

$B$  bins for both distributions)

$$D_{KL}(p_{data} || p_{model}) = \sum_{b=1}^B p_{b,data} \log\left(\frac{p_{b,data}}{p_{b,model}}\right)$$



## Discussion

- GAIL improves realism of generated trajectories
- Deeper policies  $\pi_{\theta}$  don't necessarily result in better performance
  - Initial paper :  $\pi_{\theta}$  (256,128,64,64,32)
  - Baseline way simpler than BC MLP but works better
- In reality, other drivers are influenced by our behavior  $\rightarrow$  multi-agent
- Train models for longer (GAIL + GRU only trained for 50 it.)