

Evaluating Chronological Hypotheses by Simulating Radiocarbon Datasets

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Problem

- Evaluating precise chronological hypotheses with ^{14}C datasets can be challenging¹.
- Measurement error², uncertainty in the ^{14}C calibration curve³, mismatches between the event dated and the event of interest (old wood issues)^{4,5}, inter- and intra-annual ^{14}C variability⁶, and variability between labs^{7,8} can impact measurements.
- Good chronometric hygiene is a potential solution, but is incompatible with many legacy datasets.

Solution

- Simulate ^{14}C datasets under a specific chronological hypothesis to develop **expectations** of a dataset if the hypothesis were correct.
- Compare the results of the simulation to the **observed** datasets.

Applications

- Known synchronous event – Laacher See volcanic eruption ~ 12.9 kya⁹.
- Hypothesized synchronous event - extraterrestrial impact at the onset of the Younger Dryas ~ 12.8 kya^{10, 11}.

Results

- Simulations generate variability **consistent** with the observed Laacher See Tephra (LST) dataset.
- Simulations generate **significantly less variability** than observed Younger Dryas Boundary impact hypothesis (YDB) dataset; assuming a synchronous event, the observed YDB dataset is extremely improbable.

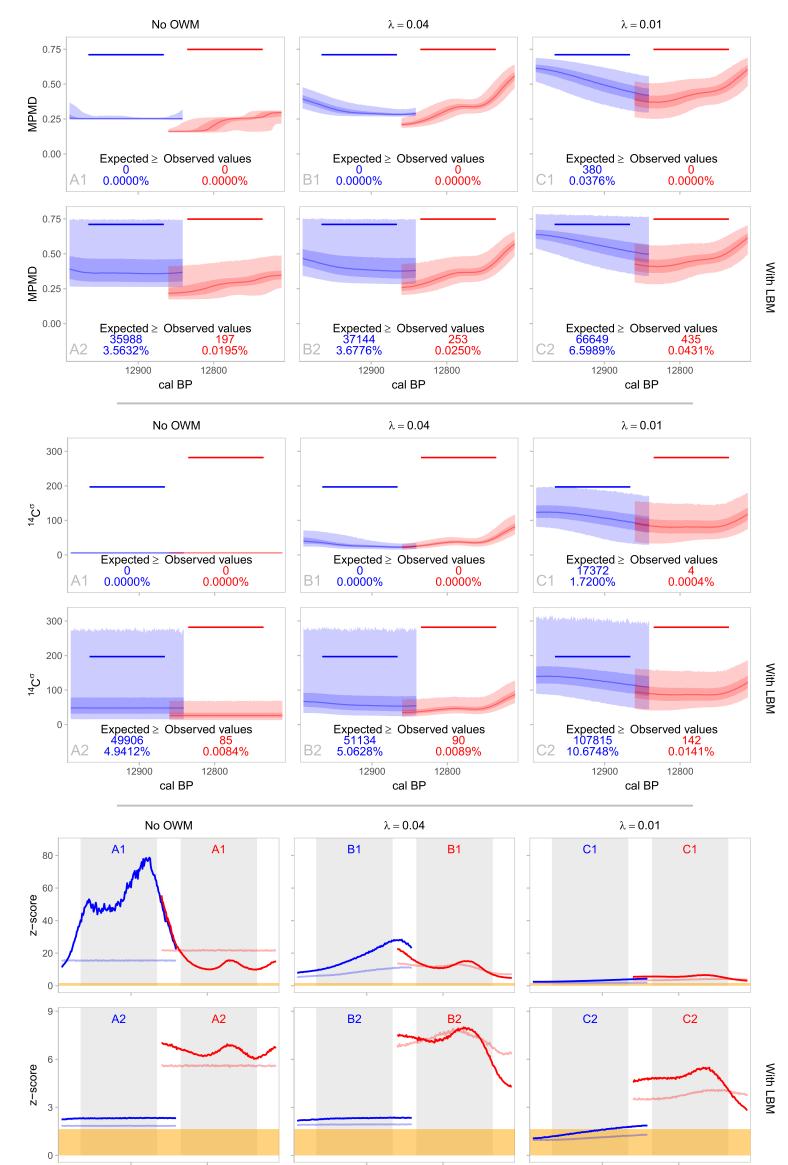


Figure 1. Mean Pairwise Manhattan Distance (MPMD) distributions for simulated LST (blue) and YDB (red) datasets. Bands represent 50% and 95% highest density intervals and thin lines represent the mode of the distribution. Solid horizontal lines represent MPMD calculated from the observed LST and YDB datasets. Higher MPMD values indicate more variability within a given set of ^{14}C measurements. Simulations incorporating a lab bias and repeatability model (bottom row) are consistent with the observed LST dataset. No model is consistent with the observed YDB dataset.

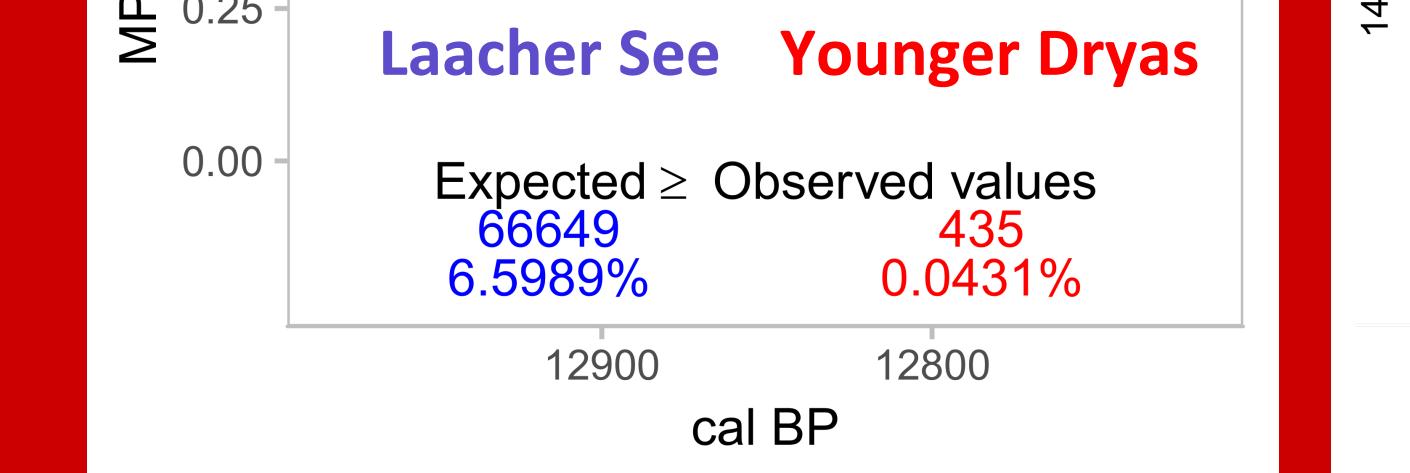


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