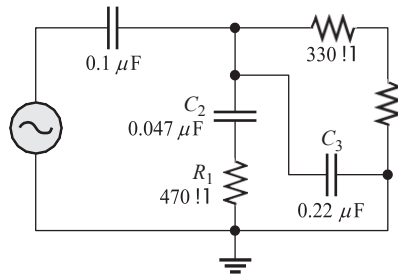


PARTE 3: CIRCUITOS EN SERIE-PARALELO

SECCIÓN 15-7 Análisis de circuitos RC en serie-paralelo

50. ¿Es el circuito de la figura 15-100 predominantemente resistivo o predominantemente capacitivo?

► FIGURA 15-100



$$R1 = 330\Omega + 180\Omega = 510\Omega$$

$$X_{C1} = \frac{1}{2\pi(15000\text{Hz})(0.1) \times 10^{-6}} = -j106.103\Omega$$

$$X_{C2} = \frac{1}{2\pi(15000\text{Hz})(0.047) \times 10^{-6}} = -j225.751\Omega$$

$$X_{C3} = \frac{1}{2\pi(15000\text{Hz})(0.22) \times 10^{-6}} = -j48.228\Omega$$

$$z1 = \frac{1}{\frac{1}{510} - \frac{1}{48.228j}} = 4.5202 - j47.80$$

$$z2 = 470 - j225.751$$

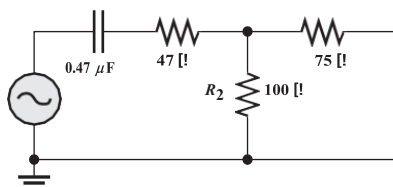
$$z3 = \frac{1}{\frac{1}{4.5202 - j47.80} + \frac{1}{470 - j225.751}} = 7.7078 - 45.051j$$

$$Z_{eq} = 7.7078 - 45.051j - 106.103j = 7.70 - 151.15j$$

Por lo tanto es un circuito RC.

52. Para el circuito de la figura 15-101, determine lo siguiente:

(a) (b) (c) (d) (e) (f)



$$Ra = \frac{1}{\frac{1}{75\Omega} + \frac{1}{100\Omega}} = 42.8471\Omega$$

$$Xc1 = \frac{1}{2\pi(1000\text{Hz})(0.47) * 10^{-6}} = -j338.627\Omega$$

$$z1 = 47 - j338.627 = 341.8731 \angle -82.098^\circ$$

$$Zeq = 42.841\Omega + 47 - j338.627 = 89.8471 - j338.27j = 350.3421 \angle -75.1411^\circ$$

$$IT = \frac{Vs}{Zeq} = \frac{15}{350.3421 \angle -75.1411^\circ} = 0.042815 \angle 75.1411^\circ (\text{A})$$

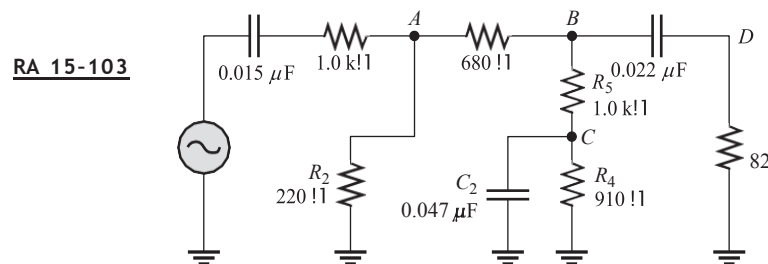
$$Vz1 = I * Z2 = 0.042815 \angle 75.1411^\circ * 341.8731 \angle -82.098^\circ = 14.63 \angle -6.95^\circ (\text{V})$$

$$Vra = I * Ra = 0.042815 \angle 75.1411^\circ * 42.8471\Omega = 1.8344 \angle 75.1411^\circ (\text{V})$$

$$Vc1 = I * C1 = 0.042815 \angle 75.1411^\circ * 338.627 \angle -90^\circ = 14.498 \angle -14.85^\circ (\text{V})$$

$$Vr1 = I * C1 = 0.042815 \angle 75.1411^\circ * 47 = 2.01 \angle 75.14^\circ (\text{V})$$

54. Determine el voltaje y su ángulo de fase en cada punto rotulado en la figura 15-103.



$$Xc1 = \frac{1}{2\pi(2500\text{Hz})(0.015) * 10^{-6}} = -j4244.1318\Omega = -j4.244k\Omega$$

$$Xc2 = \frac{1}{2\pi(2500\text{Hz})(0.047) * 10^{-6}} = -j1354.5101\Omega = -j1.3545k\Omega$$

$$Xc3 = \frac{1}{2\pi(2500\text{Hz})(0.022) * 10^{-6}} = -j2893.7262\Omega = -j2.8937k\Omega$$

$$z4 = 1.0 - 4.244j$$

$$z2 = \frac{1}{\frac{1}{0.91} + \frac{1}{-j1.3545}} = 0.626 - 0.4212j$$

$$z1 = 0.82 - 2.893j$$

$$z3 = z2 + 1.0k\Omega = 0.626 - 0.4212j + 1.0 = 1.626 - 0.4212j$$

$$z5 = \frac{1}{\frac{1}{1.626 - 0.4212j} + \frac{1}{0.82 - 2.893j}} = 1.0028 - 0.7055j$$

$$z6 = z5 + 0.68k\Omega = 1.6828 - 0.7055j$$

$$z7 = \frac{1}{\frac{1}{1.6828 - 0.7055j} + \frac{1}{0.22k\Omega}} = 0.1976 - 8.2911j * 10^{-3}$$

$$z_{eq} = z7 + z4 = 0.1976 - 8.2911j * 10^{-3} + 1.0 - 4.244j = 1.1976 - 4.2522j = 8.775 \angle -75.497$$

$$IT = IA = \frac{10 \angle 0}{8.775 \angle -75.497} = 1.1394 \angle 75.4978 \text{ (ma)}$$

$$Vz7 = VA = IA * Z7 = 1.1394 \angle 75.4978 * 0.1977 \angle -2.4026 = 0.2253 \angle 73.095 \text{ (v)}$$

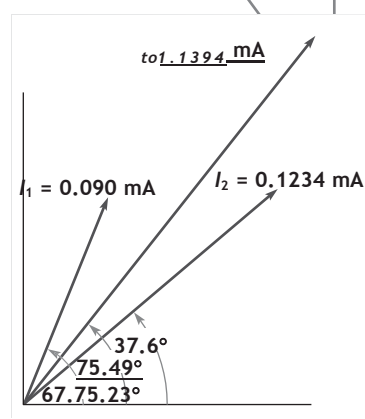
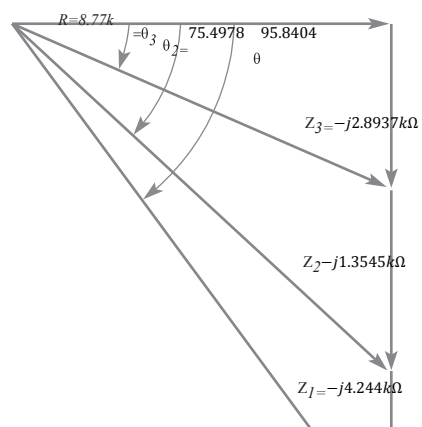
$$Iz6 = \frac{vz7}{z6} = \frac{0.2253 \angle 73.095}{1.8247 \angle -22.745} = 0.1234 \angle 95.8404 \text{ (ma)}$$

$$Vz5 = vB = VD = Iz6 * Z5 = 0.1234 \angle 95.8404 * 1.2261 \angle -35.127 = 0.1513 \angle 60.71 \text{ (v)}$$

$$Iz3 = \frac{Vz5}{z3} = \frac{0.1513 \angle 60.71}{1.6796 \angle -14.522} = 0.090 \angle 75.2327 \text{ (ma)}$$

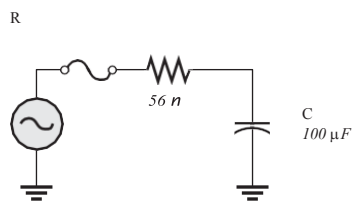
$$Vz2 = Vc = Iz3 * Z2 = 0.090 \angle 75.2327 * 0.7545 \angle -33.934 = 0.0679 \angle 41.2983 \text{ (v)}$$

56. Trace el diagrama fasorial de voltaje y corriente para la figura 15-103.



SECCIÓN 15-8 Potencia en circuitos RC

58. En la figura 15-88, ¿cuáles son la potencia real y la potencia reactiva?



$$x_{c1} = \frac{-j}{2\pi(20\text{Hz})(100) \times 10^{-6}} = -j79.577\Omega$$

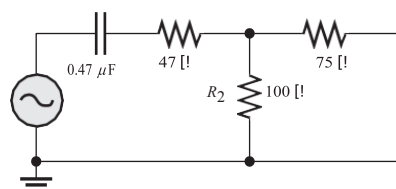
$$z_1 = 56 - 79.577j = 137.392 \angle -35.394^\circ$$

$$I_T = \frac{V}{Z_1} = \frac{10 \angle 0^\circ}{137.392 \angle -35.394^\circ} = 0.0727 \angle 35.394^\circ$$

$$P_{\text{real}} = I^2 R = (0.0727 \angle 35.394^\circ)^2 \times 56 = 0.2959 \angle 70.788^\circ \text{ W}$$

$$Q_c = I^2 x_c = (0.0727 \angle 35.394^\circ)^2 \times 79.577 \angle -90^\circ = 0.4205 \angle -19.212^\circ \text{ var}$$

60. Determine P_{real} , P_r , P_a , y FP para el circuito de la figura 15-101. Trace el triángulo de potencia.



$$I_T = \frac{V_s}{Z_{eq}} = \frac{15}{350.3421 \angle -75.1411} = 0.042815 \angle 75.1411 (A)$$

$$P_r = I_T^2 * R = (0.042815 \angle 75.1411)^2 * 89.8471 = 0.1647 \angle 150.28 (W)$$

$$Q_c = I_T^2 * x_c = (0.042815 \angle 75.1411)^2 * (-338.27) = 0.620 \angle -29.7178 (W)$$

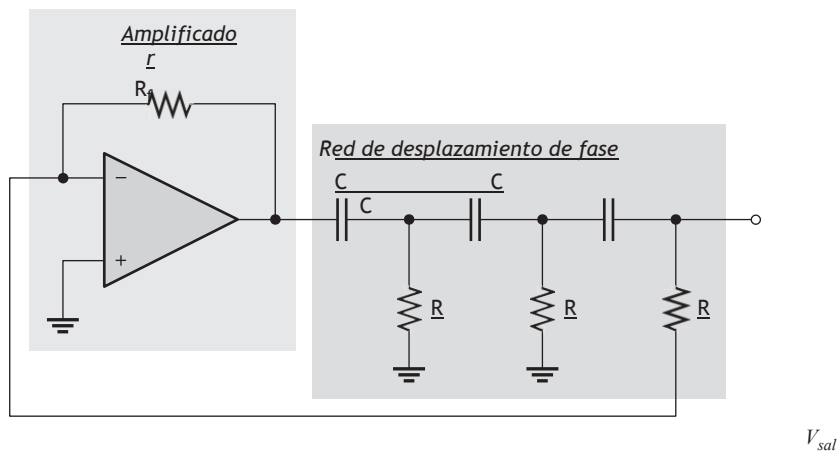
$$Q_c = I_T * V_T = (0.042815 \angle 75.1411) * 15V = 0.6422 \angle 75.1411$$

$$F_p = \cos(75.1411) = 0.2564$$

SECCIÓN 15-9 Aplicaciones básicas

62. Calcule la frecuencia de oscilación para el circuito de la figura 15-62 si todos los capacitores son de

0.0022 mF y todos los resistores de 10 kΩ.

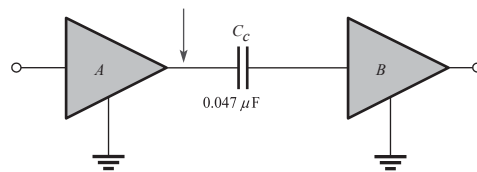


$$f_r = \frac{1}{2\pi\sqrt{16} * RC} = \frac{1}{2\pi\sqrt{16} * 10k\Omega * 0.0022\mu f} = 1.80kHz$$

64. El valor rms del voltaje de señal que sale del amplificador A en la figura 15-105 es de 50 mV. Si la resistencia

de entrada al amplificador B es de 10 kΩ, ¿qué tanto de la señal se pierde debido al capacitor

de acoplamiento cuando la frecuencia es de 3 kHz?

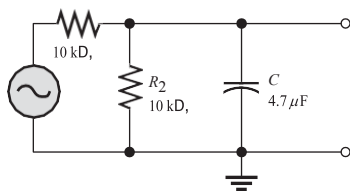


$$f_r = \frac{1}{2\pi\sqrt{16} * RC} = \frac{x}{2\pi\sqrt{16} * 10k\Omega * 0.0022\mu f} = 3kHz$$

SECCIÓN 15-10 Localización de fallas

*66. Los capacitores de la figura 15-107 han desarrollado un resistencia de fuga de 2 k Ω . Determine los voltajes

de salida en esta condición para cada circuito.



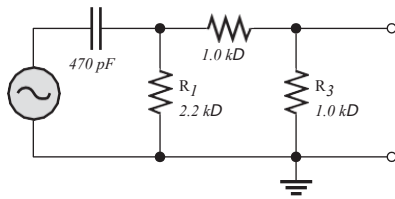
$$x_{c1} = \frac{-j}{2\pi(10\text{Hz})(4.7) * 10^{-6}} = -j3.38627k\Omega$$

$$z_1 = \frac{1}{\frac{1}{-j3.38627k\Omega} + \frac{1}{10k\Omega}} = 1.0287 - 3.0379j = 3.20736 \angle -71.2925$$

$$Z_{eq} = z_1 + 10k = 3.20736 \angle -71.2925 + 10 = 11.4394 \angle -15.400$$

$$I_T = \frac{V}{Z} = \frac{1 \angle 0}{11.4394 \angle -15.400} = 0.08741 \angle 15.400 \text{ (ma)}$$

$$V_{sl} = I * Z_1 = 0.08741 \angle 15.400 \text{ (ma)} * 3.20736 \angle -71.2925 = 0.2803 \angle -55.8925 \text{ (v)}$$



$$x_{c1} = \frac{-j}{2\pi(100\text{Hz})(470) \times 10^{-10}} = -j33.8627\text{k}\Omega$$

$$R_a = 2.0\text{k}\Omega + 2.0\text{k}\Omega = 4.0\text{k}\Omega$$

$$R_b = \frac{1}{\frac{1}{4.0\text{k}\Omega} + \frac{1}{2\text{k}\Omega}} = 1.33\text{k}\Omega$$

$$z_1 = 1.33\text{k}\Omega - j33.8627 = 33.88 \angle -87.750$$

$$I_T = \frac{V}{Z_1} = \frac{5 \angle 0}{33.88 \angle -87.750} = 0.1475 \angle 87.750(\text{mA})$$

$$V_{rb} = I_T \cdot r_b = 0.1475 \angle 87.750(\text{mA}) \cdot 1.33\text{k}\Omega = 0.1962 \angle 87.750(\text{V})$$

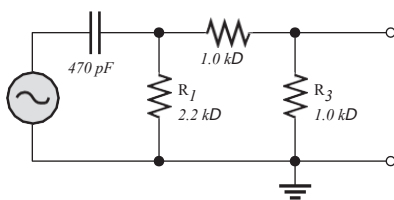
$$I_{ra} = \frac{V_{rb}}{r_a} = \frac{0.1962 \angle 87.750}{4} = 0.0490 \angle 87.750(\text{mA})$$

$$V_{r1} = V_{s1} = I_{ra} \cdot r_1 = 0.0490 \angle 87.750 \cdot 2.0\text{k}\Omega = 0.098114 \angle 87.750(\text{V})$$

68. Determine el voltaje de salida para el circuito de la figura 15-107(b) para cada uno de los siguientes

modos de falla, y compárelo con la salida correcta:

(a) C abierto (b) C en cortocircuito (c) abierto (d) abierto (e) abierto



A) Nos da 0V en la salida ya que no se energiza la fase.

B)

$$R_a = 1 + 1 = 2\text{k}\Omega$$

$$Rb = Req = \frac{1}{\frac{1}{2} + \frac{1}{2.2}} = 1.0476k\Omega$$

$$It = \frac{Vt}{Rt} = \frac{5}{1.0476} = 4.7728(ma)$$

$$I = \frac{V}{R} = \frac{5}{2} = 2.5(ma)$$

$$Vsalida = I * 1 = 2.5(v)$$

C)

$$xc1 = \frac{-j}{2\pi(100Hz)(470) * 10 - 10} = -j33.8627k\Omega$$

$$Zeq = 2 - 33.8627j$$

$$It = \frac{Vt}{Rt} = \frac{5 < 0}{33.9217 < -86.6199} = 0.1473 < 86.61(ma)$$

$$Vsalida = I * 1 = 0.1473 < 86.61 * 1 = 0.1473(v)$$

D)

Nos da ov en la salida ya que no se energiza la fase.

E)

$$xc1 = \frac{-j}{2\pi(100Hz)(470) * 10 - 10} = -j33.8627k\Omega$$

$$Zeq = 3.2 - 33.8627j$$

$$It = \frac{Vt}{zt} = \frac{5 < 0}{3.2 - 33.8627j} = 0.1470 < 84.601(ma)$$

$$Vsl = 5(v)$$