

# advanced programming seminar 1

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# preliminary planning

date	lecture
9/10/18	recap FP
9/17/18	generic programming cons kind
9/24/18	generic programming Clean style
10/1/18	iTask intro
10/8/18	iTask combinators
10/15/18	iTask advanced
10/22/18	<i>Break</i>
10/29/18	<i>Break</i>
11/5/18	state in FP
11/12/18	DSL deep embedding
11/19/18	DSL shallow embedding
11/26/18	DSL with GADT
12/3/18	tagless DSL
12/10/18	Model Based Testing
12/17/18	dependent types
12/24/18	<i>Break</i>

Planning is subject to change

Teachers:

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Talk, mail or visit us in case of problems/questions  
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# assignments

- the only way to master programming is by doing it
  - reading examples is great
  - but, there is a big difference between understanding a programming technique and being able to apply it
  - to pass the exam you have to be able to apply the techniques introduced
  - **you'd better practice !**
- weekly assignment to master topic of the week
  - make them together with partner: you learn more by discussing, collaboration is less work for you, collaboration is less work for us
- 2 larger assignments to use techniques introduced
  - these can increase your final result for the course if the exam result  $\geq 5$

# seminars

- help you to make the assignment
  - raise questions
  - be sure that you know the assignment
- discuss the previous assignment
  - tell us if you want more or less details
  - tell us if there are things unclear

# Programming language used in this course

- Clean
  - <http://clean.cs.ru.nl/>
    - download the version from <https://ftp.cs.ru.nl/Clean/builds/>
    - there is a new version (almost) every day, the basis should be rock stable
    - later we will need a new version, but that is not 100% stable
  - available for Windows, Mac OS X, Linux
    - only the Windows version has a simple IDE, much better than nothing
- Haskell ?
  - Clean and Haskell are similar
  - we will use libraries that are not available in Haskell
  - the digital exam will provide help for Clean, not for Haskell
  - you better should get used to Clean

# Clean initial expression

- any Clean program starts evaluating `Start`
- the result is printed on the console
  - unless you specify something else
- e.g. file `prog.icl`

```
module prog
```

module name must match file name

```
import StdEnv
```

standard library

```
fac :: Int -> Int
```

it is encouraged to specify types

```
fac 0 = 1
```

```
fac n = n * fac (n-1)
```

your definitions

```
Start :: Int
```

```
Start = fac 7
```

program evaluates and prints this

# modules

```
implementation module Bin
import StdEnv

ins :: a (Bin a) -> Bin a | < a
ins a Leaf = Bin Leaf a Leaf
ins a (Bin l b r) | a < b
    = Bin (ins a l) b r
    = Bin l b (ins a r)

inorder :: (Bin a) -> [a]
inorder Leaf = []
inorder (Bin l a r) = inorder l ++ [a:
inorder r]
```

```
definition module Bin
import StdEnv
:: Bin a = Leaf | Bin (Bin a) a (Bin a)
ins :: a (Bin a) -> Bin a | < a
inorder :: (Bin a) -> [a]
```

defined in StdEnv

definition of Bin  
is not repeated  
here

```
module BinDemo
import Bin
```

StdEnv imported by  
Bin

```
mysort :: [a] -> [a] | < a
mysort l = inorder (foldr ins Leaf l)

Start = mysort ['u','o'..'a']
```

## clean files

- prog.icl      implementation module, the actual function definitions
  - prog.dcl      definition module, the exported definitions (data types + functions)
    - list only the type of functions
  - prog.prj      project file of main module, project settings, paths, ...
  - prog.abc      generated abstract machine code
  - prog.o        object code, generated machine code
  - prog.exe      windows executable
- 
- the main module does not need a .dcl file
    - the first line is: `module filename`
    - not implementation module `filename`



# infix operators

- infix operators are just binary functions

```
(o) infixr 9 :: (a -> b) (c -> a) -> c -> b
```

```
(o) f g = \ x . f (g x)
```

```
twice f = f o f
```

argument count is reflected in the type  
Haskell: (a -> b) -> (c -> a) -> (c -> b)

- you can add your own operators
  - specify binding direction and priority

Currying is fine

- many infix operators are classes
  - e.g. ==, +, -, \*, ..
  - you can define your own instances

```
class (+) infixl 6 a :: !a !a -> a
```

```
class (*) infixl 7 a :: !a !a -> a
```

arguments are strict,  
compiler uses eager  
evaluation for efficiency

# macro

- a macro is a definition expanded at compile time

- function types are not allowed here

(o) infixr 9 //:: (a -> b) (c -> a) -> c -> b

(o) f g ::= \ x . f (g x)

One ::= 1

- more efficient code
  - compile time evaluation: no recursion
- also for types

:: Pair x y ::= (x, y)

# uniqueness

- in order to safely update a value (file, window, array, ..) you must be the only one having access to that object
  - the type system is used to ensure that
  - a \* indicates uniqueness

```
(-<<) infixl 0 :: *File x -> *File | toString x
```

```
(-<<) file x = file <<< toString x <<< "\n"
```

```
Start :: *World -> *World
```

```
Start w1 = snd (fclose f3 w2)
```

```
where (f1, w2) = stdio w1
```

```
    f2 = f1 -<< 7 -<< "hello world"
```

```
    f3 = f2 -<< 42
```

uniqueness information  
is needed for files and  
array manipulations

# let definitions

- using let definitions and special scope rules this can be written more elegantly

➤ use # as the keyword **let**

```
Start :: *World -> *World
```

```
Start w
```

```
# (f, w) = stdio w
```

here the previous f is the last definition

```
# f      = f -<< 7 -<< "hello world"
```

```
# f      = f -<< 42
```

```
# w      = snd (fclose f w)
```

```
= w
```

always use the last definition

assignment 1

# OVERLOADING

# class

- a class is a set of different functions with the same name
- types are used to distinguish those functions

**class** nat a **where**

```
add  :: a a -> a
null :: a
```

multi-parameter  
type classes are fine

- adding an instance to the class

**instance** nat Int **where**

```
add x y = x + y
null = 0
```

- special syntax if class has only one function

**class** (+) infixl 6 a :: !a !a -> a

**instance** nat N **where**

```
add Z y = y
add (S n) m = S (add n m)
null = Z
:: N = Z | S N
```

# type constructor class

- class variables can have any kind

**class** stack s **where**

push :: a (s a) -> s a

pop :: (s a) -> s a

top :: (s a) -> a

empty :: (s a) -> Bool

**instance** stack [] **where**

push e stack = [e: stack]

pop [e: rest] = rest

top [e: rest] = e

empty stack = isEmpty stack

s gets an argument: s has kind \* -> \*  
hence stack is a type constructor  
class

[a] has kind \*  
[ ] has kind \* -> \*  
\*

# using classes

- a single function can work form many types

- e.g. sum works for any type a with:

- an operator +, and
- a constant zero

works for any type  
a with + and zero

```
sum :: [a] -> a | +, zero a
```

```
sum [] = zero
```

```
sum [a:x] = a + sum x
```

- definitions needed for rational numbers

```
:: Rat = {q :: !Int, n :: !Int}
```

```
instance zero Rat where zero = {q = 0, n = 1}
```

```
instance + Rat where (+) x y =
```

```
    norm {q = x.q * y.n + y.q * x.n, n = x.n * y.n}
```

```
norm :: !Rat -> Rat
```

```
norm {q, n} = {q = q / x, n = n / x}
```

```
where x = gcd q n
```

a record



pass an argument that tells to do next

# CONTINUATIONS

# continuations

- functions have an additional argument(s) that tells what to do next

1. more control
2. efficiency

```
divide :: Int Int -> Int
devide x 0 = abort "devide by 0"
devide x y = x / y
```

exceptions would solve the problem, but they do not mix well with lazy evaluation

```
divide :: Int Int (Int -> x) x ->
devide x 0 succ fail = fail
devide x y succ fail = succ (x / y)
```

later we will show how to hide these arguments

## continuations

`:: Bin a = Leaf | Bin (Bin a) a (Bin a)`

`inorder :: (Bin a) -> [a]`

`inorder Leaf = []`

`inorder (Bin l a r) = inorder l ++ [a:inorder r]`

`++` is  $O(N)$   $\square$   
hence `inorder` is  $O(N^2)$

`inorder :: (Bin a) -> [a]`

`inorder tree = scan tree []`

**where**

`scan :: (Bin a) [a] -> [a]`

`scan Leaf c = c`

`scan (Bin l a r) c = scan l [a: scan r c]`

no  $O(N)$  `++` operator  $\square$   
hence `inorder` is  $O(N)$

## continuations 2

`:: Bin a = Leaf | Bin (Bin a) a (Bin a)`

- how do we make preorder and postorder?

`preorder :: (Bin a) -> [a]`

`preorder t = scan t []`

**where**

`scan Leaf c = c`

`scan (Bin l a r) c = [a: scan l (scan r c)]`

`postorder :: (Bin a -> [a]`

`postorder t = scan t []`

**where**

`scan (Bin l a r) c = scan l (scan r [a:c])`

`scan Leaf c = c`