

Bryan Arnold

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CSE 3300

Homework 4

1) Here is the distance entry table from node x:

From/Cost	Node u	Node v	Node x	Node y	Node z
Node v	1	0	3	3	5
Node y	2	3	3	0	5
Node z	7	5	2	5	0
Node x	4	3	0	3	2

Here is the distance entry table from node z:

From/Cost	Node u	Node v	Node x	Node y	Node z
Node v	1	0	3	3	5
Node x	4	3	0	3	2
Node z	6	5	2	5	0

2a) eBGP runs for routers that have different types of intra-AS routing protocols. Since networks AS3 and AS4 have different intra-AS routing protocols and 3c is connected to 4c, 3c learns about x from eBGP routing protocol.

b) iBGP runs for routers that have the same types of intra-AS routing protocols. Since 3a must go through 3c to learn about x, it must learn about x from iBGP routing protocol.

c) eBGP runs for routers that have different types of intra-AS routing protocols. Since networks AS3 and AS1 have different intra-AS routing protocols and 1c is connected to 3a to get to x, 1c learns about x from eBGP routing protocol.

d) iBGP runs for routers that have the same types of intra-AS routing protocols. Since 1d must go through 1a to learn about x, it must learn about x from iBGP routing protocol.

3a)  $I$  will be equal to  $I_1$  because the least cost path to 1c in order to learn about  $x$  is through 1a, not 1b, since it needs to get to router 1c.

b) Here  $I_1$  and  $I_2$  will have the same path cost to get to  $x$ , but the path from 1d-1b is closer to the next router over that leads into AS2, so  $I$  will be set to  $I_2$ .

c) Here  $I$  will be set to  $I_1$  because it only must go through AS3 and AS4 to learn about  $x$ , whereas it would have to go through AS2, AS5, and AS4 to learn about  $x$  if it was set to  $I_2$ .

4)  $R$  is equal to the remainder of  $D \cdot 2^r / G$ . We know  $D$  and  $G$ .  $r$  is equal to 4, since 0000 must be appended to  $D$  in order to do this problem. Now, divide  $10101010100000 / 10011 = 1011011100$ . We aren't interested in this though, we want the remainder of the problem. The remainder was 100. So,  $R = 100$ .

5a) In order for A to succeed in getting to slot 5, all other nodes must not transmit to 5. This is also the same probability as A not transmitting to 5 but every other node does, which can be written as  $p(1-p)^3$ , where 3 is the other nodes. Since this is slot 5 though, we need to also look at the probability of A transmitting to 5. This can be written as  $(1-p(1-p)^3)^4$ . Putting these two probabilities together, we get the probability that node A transmits to 5 first,  $(1-p(1-p)^3)^4 p(1-p)^3$ .

b) We already know the probability for each individual node succeeding in transmitting to slot 4,  $p(1-p)^3$ . Now, we need to know the probability that any of these can succeed in getting to slot 4. This is simply each nodes' probability when going to slot 4 which is written as,  $4 p(1-p)^3$ .

c) We now know the probability that any node succeeds in some slot,  $4 p(1-p)^3$ . Now, we need to find out the probability that no nodes succeed in transmitting to the first 2 slots before successfully transmitting to the 3<sup>rd</sup> slot. For no node to get to a slot,  $1 - 4 p(1-p)^3$  is the probability. So, all we need to do is account for this for only the first two slots and combine it with our previous probability,  $(1 - 4 p(1-p)^3)^2 4 p(1-p)^3$ .

d) The efficiency is any slot successfully getting some transmission from any node. We already found this probability earlier,  $4 p(1-p)^3$ .

6) For  $K = 100$ , we know that  $R = 10 \text{ Mbps}$ . So, to calculate waiting time, we use:

$$\text{Waiting time} = K * 512 \text{ bits} / (10 * 10^6) \text{ bits per second}$$

$$\text{Waiting time} = (100 * 512) / (10 * 10^6) \text{ bits per second}$$

$$\text{Waiting time} = 0.00512 \text{ seconds or } 5.12 \text{ milliseconds.}$$

For  $K = 100$  and  $R = 100 \text{ Mbps}$ , we do the same:

$$\text{Waiting time} = K * 512 \text{ bits} / (100 * 10^6) \text{ bits per second}$$

$$\text{Waiting time} = (100 * 512) / (100 * 10^6) \text{ bits per second}$$

$$\text{Waiting time} = 0.000512 \text{ seconds or } 0.512 \text{ milliseconds.}$$