



CMPS327 IMAGE PROCESSING

Revision Session



IMAGE PROCESSING

- *This lab is a review, going over **some** examples from all previous labs. full whereas all lab content is required for the final.*

LIBRARIES AND BASICS

1. Import OpenCV, Pillow and NumPy

Which Library Allows for opening, manipulating, and saving various image file formats? _____

1. Open the image 02.jpeg located in Images file in local disk C and transform it into grayscale and then display under the title “Lena Image”:

LIBRARIES AND BASICS

- Import OpenCV, Pillow and NumPy

```
import cv2  
from PIL import Image  
import numpy as np
```

- Which Library Allows for opening, manipulating, and saving various image file formats? **OpenCV, Pillow**
- Open the image 02.jpeg located in Images file in local disk C and transform it into grayscale and then display under the title “Lena Image”:

```
image = Image.open('c:/Images/02.jpeg').convert('L')  
display(image, "Lena Image")
```

TRANSFORMATION

1. Complete the following function of Normalization given by the expression:

$$s = 255 * \frac{r - \min}{\max - \min}$$

```
def linear(x,maxi,mini):
```

```
    return x
```


TRANSFORMATION

1. Complete the following function of Normalization given by the expression:

$$s = 255 * \frac{r - \min}{\max - \min}$$

```
def linear(x,maxi,mini):
```

```
    x1 = x-mini
```

```
    x1 = 255*x1
```

```
    d = maxi-mini
```

```
    x = x1/d
```

```
    return x
```

TRANSFORMATION

1. Write the following function of Power – Law transformations given by the expression:

$$s = cr^\gamma$$

TRANSFORMATION

1. Write the following function of Power – Law transformations given by the expression:

$$s = cr^\gamma$$

```
def power(c,gamma,r):  
    return c*r**gamma
```


FILTERING

- Apply the Arithmetic mean filtering,
- Let Sab be a rectangular window of size a=3 * b=3. The arithmetic mean filter computes the average value of the pixels in g(m,n) over the window Sab.

$$\hat{f}(m, n) = \frac{1}{ab} \sum_{S_{ab}} g(s, t)$$

```
data = np.array(image)
```

```
n=_____
```

```
_____
```

```
for i in range(_____, _____):
```

```
    for j in range(_____, _____):
```

```
        value = 0
```

```
        for l in range(_____, _____):
```

```
            for w in range(_____, _____):
```

```
                _____
```

```
            _____
```

```
        data_result[i][j]= value
```

1. Create Pillow Image after arithmetic mean:

```
image2 = _____
```

FILTERING

- Apply the Arithmetic mean filtering,
- Let S_{ab} be a rectangular window of size $a=3 * b=3$. The arithmetic mean filter computes the average value of the pixels in $g(m,n)$ over the window S_{ab} .

$$\hat{f}(m, n) = \frac{1}{ab} \sum_{S_{ab}} g(s, t)$$

```
data = np.array(image)
n= 3
n2=pow(n,2)
for i in range(int(n/2), row-int(n/2)):
    for j in range(int(n/2), col-int(n/2)):
        value = 0
        for l in range(-1*int(n/2),int(n/2)+1):
            for w in range(-1*int(n/2),int(n/2)+1):
                value += int(data[i+l][j+w])
        value = int(value/n2)
        data_result[i][j]= value
```

1. Create Pillow Image after arithmetic mean:
`image2 = image.fromarray(data_result)`

IMAGE RESTORATION IN PRESENCE OF NOISE ONLY

1. Given the Contra-Harmonic Mean Filter:

It is well suited for reducing the effects of salt-and-pepper noise, if $Q > 0$ then it is used for elimination of pepper noise and if $Q < 0$ then for elimination of salt noise

Define **Value1** and **Value2** in terms of:

```
data = np.array(image)
```

```
n= 5
```

```
Q=-1
```

```
for i in range....
```

```
    for j in range....
```

```
        Value1 = 0
```

```
        Value2 = 0
```

```
        for l in range....
```

```
            for w in range...
```

```
                Value1 _____
```

```
                Value2 _____
```

$$\hat{f}(x, y) = \frac{\sum_{(s,t) \in S_{x,y}} g(s, t)^{Q+1}}{\sum_{(s,t) \in S_{x,y}} g(s, t)^Q}$$

IMAGE RESTORATION IN PRESENCE OF NOISE ONLY

1. Given the Contra-Harmonic Mean Filter:

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Define **Value1** and **Value2** in terms of:

```
data = np.array(image)
n= 5
Q=-1
for i in range (int(n/2), row-int(n/2)):
    for j in range(int(n/2), col-int(n/2)):
        Value1 = 0
        Value2 = 0
        for l in range(-1*int(n/2),int(n/2)+1):
            for w in range(-1*int(n/2),int(n/2)+1):
                Value1 += int(data[i+l,j+w])**Q
                Value2 +=int(data[i+l,j+w])**Q
```

$$\hat{f}(x, y) = \frac{\sum_{(s,t) \in S_{x,y}} g(s, t)^{Q+1}}{\sum_{(s,t) \in S_{x,y}} g(s, t)^Q}$$

EDGE DETECTION

Prewitt operator

a discrete differentiation operator, computing an approximation of the gradient of the image intensity function. At each point in the image, the result of the Prewitt operator is either the corresponding gradient vector or the normal of this vector. The Prewitt operator is based on convolving the image with a small, separable, and integer valued filter in horizontal and vertical direction and is therefore relatively inexpensive in terms of computations.

$$M_x_{3 \times 3} = \begin{pmatrix} -1 & -1 & -1 \\ 0 & 0 & 0 \\ 1 & 1 & 1 \end{pmatrix}$$

$$M_y_{3 \times 3} = \begin{pmatrix} -1 & 0 & 1 \\ -1 & 0 & 1 \\ -1 & 0 & 1 \end{pmatrix}$$

EDGE DETECTION

Prewitt operator

In each edge detection the kernels can be applied separately to the input image, to produce separate measurements of the gradient component in each orientation (G_x and G_y). These can then be combined together to find the absolute magnitude of the gradient at each point. The gradient magnitude is given by:

$$|G(x, y)| = \sqrt{G_x^2 + G_y^2}$$

After computing the gradient magnitude, the threshold can be applied as follows:

$$g(x, y) = \begin{cases} 255, & \text{for } ||G(x, y)|| \geq T \\ 0, & \text{for } ||G(x, y)|| < T \end{cases}$$

EDGE DETECTION

Prewitt operator

Complete the edge_detection method to compute the **prewitt** operator taking into consideration the threshold:

```
def edge_detection(img,mask,threshold,withSharp):
```

```
    maskX = _____
```

```
    maskY = _____
```

```
    # load the image
```

```
    n=np.shape(mask)[0]
```

```
    # convert image to numpy array
```

```
    data = np.array(image)
```

```
    data_result = np.array(image)
```

```
    row,col = _____
```

```
    for i in range.....
```

```
        for j in range....
```

```
            valueX = 0
```

```
            valueY = 0
```

```
            for l in range....
```

```
                for w in range....
```

```
                    valueX += _____
```

```
                    valueY += _____
```

```
                value = _____
```

```
        #put threshold condition
```

```
        _____
```

```
        _____
```

```
        _____
```

```
        _____
```

```
        if withSharp==True:
```

```
            data_result[i,j] = _____
```

```
        else:
```

```
            data_result[i,j] = value
```

```
    # create Pillow image..
```

Write Main Method of image 11.jpeg in images folder in local disk C with 100 threshold and sharp is False

```
    #define prewitt matrix:
```

```
    _____
```

```
    #call function edge_detection:
```

```
    _____
```

EDGE DETECTION

Prewitt operator

Complete the edge_detection method to compute the **prewitt** operator taking into consideration the threshold:

```
def edge_detection(img,mask,threshold,withSharp):
```

```
    maskX = mask
```

```
    maskY = np.transpose(mask)
```

```
    # load the image
```

```
    n=np.shape(mask)[0]
```

```
    # convert image to numpy array
```

```
    data = np.array(image)
```

```
    data_result = np.array(image)
```

```
    row,col = data.shape
```

```
    for i in range(int(n/2), row-int(n/2)):
```

```
        for j in range(int(n/2), col-int(n/2)):
```

```
            valueX = 0
```

```
            valueY = 0
```

```
            for l in range(-1*int(n/2),int(n/2)+1):
```

```
                for w in range(-1*int(n/2),int(n/2)+1):
```

```
                    valueX +=int(data[i+l,j+w])*maskX[l+int(n/2)][w+int(n/2)]
```

```
                    valueY += int(data[i+l,j+w])*maskY[l+int(n/2)][w+int(n/2)]
```

```
            value == int(np.sqrt(valueX**2+valueY**2))
```

```
        #put threshold condition
```

```
        if value<threshold:
```

```
            value = 0
```

```
        else:
```

```
            value = 255
```

```
        if withSharp==True:
```

```
            data_result[i,j] = value +data_result[i,j]
```

```
        else:
```

```
            data_result[i,j] = value
```

```
# create Pillow image..
```

Write Main Method of image 11.jpeg in images folder in local disk C with 100 threshold and sharp is False

```
#define prewitt matrix:
```

```
prewitt3 = [[-1,-1,-1],[0,0,0],[1,1,1]]
```

```
#call function edge_detection:
```

```
edge_detection('C:/Images/11.jpg',prewitt3,100,False)
```

IMAGE SEGMENTATION

We consider an image $f(x, y)$ and we want to apply some application in order to produce a segmented image.

Thresholding:

- ✓ *Thresholding* separates an image $f(x, y)$ into two meaningful regions: background and object, using optimal threshold value t_0 .

$$\text{Thresholded image } g(x, y) = \begin{cases} 255 & \text{if } f(x, y) \geq t_0 \\ 0 & \text{if } f(x, y) < t_0 \end{cases}$$

Let $h(i)$ be the image histogram.

i is the gray-level between $[0...255]$.

For the bimodal thresholding, image pixels will be divided into two classes:

$C_1 \{0, 1, \dots, t\}$, and $C_2 \{t, \dots, 255\}$, where t is the threshold value.

C_1 that represents the class of dark pixels (Background)

C_2 that represents the class of bright pixels (Object)

The mean of the Classes C_1 , and C_2 if we want segmented the image belong two classes only is:

$$m_1 = \frac{\sum_{i=0}^{t_0} h(i) * i}{\sum_{i=0}^{t_0} h(i)} \quad m_2 = \frac{\sum_{i=t_0}^{255} h(i) * i}{\sum_{i=t_0}^{255} h(i)} \quad t_{new} = (m_1 + m_2) / 2$$

HISTOGRAM

1. Write a method called **histogram** that compute the histogram of an image.

```
// define function
```

```
hist = np.zeros(256)
row,col = data.shape
for i in range(0, row):
    for j in range(0, col):
```

```
return hist
```

HISTOGRAM

1. Write a method called **histogram** that compute the histogram of an image.

```
def histogram(data): // define function
```

```
    hist = np.zeros(256)
```

```
    row,col = data.shape
```

```
    for i in range(0, row):
```

```
        for j in range(0, col):
```

```
            hist[int(data[i,j])]+=1
```

```
    return hist
```

BIMODEL-THRESHOLDING

1. Write a method called **bimodelthreshold** to compute the optimal threshold of bimodal histogram.

```
def bimodelthreshold(data):  
    row,col = _____  
    hist = _____  
    mini = 255  
    maxi = 0  
    for i in range(0, row):  
        for j in range(0, col):  
            value = int(data[i,j])  
            mini = min(mini,value)  
            maxi = _____  
    prevT= _____  
    t=1
```

```
    while abs(_____)>1:  
        avg1 = 0  
        count1 = 0  
        for i in range(_____) :  
            avg1 += hist[i]*i  
            count1 += hist[i]  
        avg1 /= count1  
        #compute value for avg2  
        _____  
        _____  
        _____  
        _____  
        # compute the optimal threshold of bimodal histogram.  
        prevT= _____  
        t= _____  
    return t
```


BIMODEL-THRESHOLDING

1. Write a method called **bimodelthreshold** to compute the optimal threshold of bimodal histogram.

```
def bimodelthreshold(data):  
    row,col = data.shape  
    hist = histogram(data)  
    mini = 255  
    maxi = 0  
    for i in range(0, row):  
        for j in range(0, col):  
            value = int(data[i,j])  
            mini = min(mini,value)  
            maxi = max(maxi,value)  
    prevT=(mini + maxi)/2  
    t=1
```

```
    while abs(prevT- t)>1:  
        avg1 = 0  
        count1 = 0  
        for i in range(0, prevT):  
            avg1 += hist[i]*i  
            count1 += hist[i]  
        avg1 /= count1  
        #compute value for avg2  
        avg2 = 0  
        count2 = 0  
        for i in range(prevT,256):  
            avg2 += hist[i]*i  
            count2 += hist[i]  
        avg2 /= count2  
  
        # compute the optimal threshold of bimodal histogram.  
        prevT= t  
        t= (avg1+avg2)/2
```

IMAGE SEGMENTATION WITH CLUSTERING



Original Image



Segmented image after Clustering

IMAGE SEGMENTATION WITH CLUSTERING

How Many Clusters were applied in the segmentation ? _____

Which below line is responsible for disabling (turning the pixels into black) the pixels belonging to a cluster?

- a) `masked_image_1 = np.copy(image)`
- b) `masked_image_1 = masked_image_1.reshape((-1, 3))`
 `cluster = 0`
- a) `masked_image_1[labels == cluster] = [0, 0, 0]`
- b) `masked_image_1 = masked_image_1.reshape(image.shape)`

Answer ==>> Line number (____)

IMAGE SEGMENTATION WITH CLUSTERING

How Many Clusters were applied in the segmentation ? *We have 3 colors, so we have 3 clusters*

Which below line is responsible for disabling (turning the pixels into black) the pixels belonging to a cluster?

- a) `masked_image_1 = np.copy(image)`
- b) `masked_image_1 = masked_image_1.reshape((-1, 3))`
- c) *`cluster = 0`*
`masked_image_1[labels == cluster] = [0, 0, 0]`
- d) `masked_image_1 = masked_image_1.reshape(image.shape)`

Answer ==>> Line number (c)

