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Thesis

by

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Declaration of Authorship

I, Junjie Zhang, declare that this thesis titled, ‘Weather Classification’ and the work presented in it are my own. I confirm that:

- This work was done wholly or mainly while in candidature for a research degree at this University.
- Where any part of this thesis has previously been submitted for a degree or any other qualification at this University or any other institution, this has been clearly stated.
- Where I have consulted the published work of others, this is always clearly attributed.
- Where I have quoted from the work of others, the source is always given. With the exception of such quotations, this thesis is entirely my own work.
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Abstract

Scene classification is an important field in computer vision. For similar weather condition, there are some obstacles for extracting features from outdoor images. In this paper, we present a novel approach to classify cloudy and sunny weather. Inspired by recent study of deep multi-layer neural network and spatial pyramid pooling, generate a model based on imagenet dataset. Starting with parameters trained from more than 1 million images, we fine-tune the parameters. Experiment demonstrates that our classifier can achieve the state of the art accuracy.

Acknowledgements

The acknowledgements and the people to thank go here, don't forget to include your project advisor...

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Abbreviations

LAH List Abbreviations **Here**

Physical Constants

Speed of Light $c = 2.997\,924\,58 \times 10^8 \text{ ms}^{-\text{s}}$ (exact)

Symbols

a	distance	m
P	power	W (Js^{-1})
ω	angular frequency	rads^{-1}

For/Dedicated to/To my...

Weather Classification

Chapter 1

Introduction

1.1 Overview

Computer is one of the most significant inventions in history. It provides huge power in data processing field, like scientific computation. Also, computer system can aid human being in daily life, for example driverless vehicles. However, human brain still has compelling advantage in some fields, like identifying our keys in our pocket by feel. The complex processes of taking in raw data and taking action based on the pattern are regarded as pattern recognition. Pattern recognition has been important for people daily life for a long period and human brain has developed an advanced neural and cognitive system for such tasks.

Weather classification is one of the most important pattern recognition tasks which relates our work and lives. There are several major kinds of weather conditions, like sunny, cloudy, rainy. And people can classify them easily through eyes. However, it is not a easy job for machines, especially in computer vision literacy.

In this thesis, I describe an approach to this problem of weather classification based upon the new big trend in machine learning, and more precisely, deep learning. It differs with feature detectors method that extracts features manually and training a model to do classification.

Compared to shadow learning which includes decision trees, SVM and naive bayes, deep learning passes input data through several non-linearities functions to generate features and does classification based on the features. It generates a mapping and finds a optimist solution.

1.2 Statistical Pattern Recognition

In the statistical approach, the pattern is represented in terms of d dimensional feature vector and each element of the vector describes some subjects of the example. In brief, three components are essential to do statistical pattern recognition. First is a representation of the model. Second is an objective function used to evaluating the accuracy of the model. Third is an optimization method for learning a model with minimum errors.

1.3 Artificial Neural Networks

Artificial neural networks(ANNs) were proposed in the mid-20th century. The term is inspired by the structure of neural networks in the brain. It is one of the most successful statistical learning models used to approximate functions. Learning with ANNs yields an effective learning paradigm and has achieved cutting-edge performance in computer vision.

The single-layer perceptron has shown great success for a simple model. For increasing complex models and applications, multi-layer perceptron has exhibited the power of features learning. With hardware developing At the same time, the demanding of more efficient optimizing and model evolution methods is needed for BIG DATA.

Recent development in ANNs approaches have giantly advanced the performance of state-of-the-art visual recognition systems. With implementing deep convolutional neural networks, it achieves top accuracy in ImageNet Challenge. The model has been used in related fields and succeeds in competition.

1.4 Weather Classification

Weather classification is an important job in daily life. In this thesis, we are focused on two class weather conditions, sunny and cloudy.

There are some obstacles in front of weather classification. First, because inputting pixels are independent and high dimension, say a 500x500 RPG image means 750000 pixels, computation is huge. Second, some simple middle level image characters are difficult to machines, like light, shading, sun shine. It is still not easy to detect these characters with high accuracy. Thirdly, there are no decisive features, for example brightness and

lightness, to classify scene. For example, sun shine can be both found in sunny and cloudy weather. Last but not least, outdoor images are various background.

Chapter 2

Background

2.1 Single-Layer Networks

Artificial neurons were introduced as information processing devices more than fifty years ago[1]. Following the early work, perceptrons were deployed in layers to do pattern recognition job. A lot of resource was invested in researching capability of learning perceptrons theoretically and experimentally. As shown in Figure 2.1, a perceptron computes a weighted summation of its n inputs and then thresholds the result to give a binary output y . We can treat n input as an vector with n elements, and represent the vector as either class A(for output +1) or class B(for output -1).



FIGURE 2.1: Diagram of a perceptron.

Each output is updated according to the equation:

$$y_i = f(h_i) = f\left(\sum_j w_{ij}x_j\right) \quad (2.1)$$

where y_i is the i th output, h_i is the net input into node i , The weight w_{ij} connects the i th output and the j th input, and x_j is the j th input. The function $f(h)$ is the activation function and usually makes up the form

$$f(h) = \text{sign}(h) = \begin{cases} -1 & h < 0 \\ 1 & h \geq 0 \end{cases} \quad (2.2)$$

We can also represent 2.2 in vector notation, as in

$$y = f(h) = f(\mathbf{w} \cdot \mathbf{x}) \quad (2.3)$$

where \mathbf{w} and \mathbf{x} can be regarded as $n \times 1$ dimensional column vectors, and n is the number of input data. The term $w \cdot x$ in 2.3 constructs a $(n - 1)$ -dimension hyperplane which passes the origin. The hyperplane can be shifted by adding an parameter to 2.1, for example

$$y = f(h) = f(\mathbf{w} \cdot \mathbf{x} + \mathbf{b}) \quad (2.4)$$

We can have the same effect by putting a constant value 1 and increase the size of x and w by one. The extra weight w with fixed value 1 is called *bias weight*; it is adaptive like other weights and provides flexibility to hyperplane. Then we get:

$$y = f(h) = f\left(\sum_{i=0}^n w_i x_i\right) \quad (2.5)$$

The aim of learning is to find a set of weights w_i so that:

$$\begin{aligned} y = f\left(\sum_{i=0}^n w_i x_i\right) &= 1 & x \in \text{ClassA} \\ y = f\left(\sum_{i=0}^n w_i x_i\right) &= 0 & x \in \text{ClassB} \end{aligned}$$

2.2 Multi-Layer Networks

Single-layer networks have some important limitation in terms of the representing range of functions. We are seeking to learn the nonlinearity as the linear discriminant. To improve the representation capability, we can stack layers networks. This is the approach of multilayer neural networks. Multilayer neural networks implement linear discriminants via mapping input data to a nonlinear space. They can use fairly simple algorithms to learn form of the nonlinearity from training data.

In the thesis, we limit multi-layer networks in subset of feedforward networks. As feed-forward networks can provide a general mechanism for representing nonlinear functional mapping between a set of input data and a set of labels. The 2.2 is a feedforward network having two layers of adaptive weights.



FIGURE 2.2: Diagram of a feedford neural networks.

In the example, the middle column perceptrons act as hidden units. The network has n inputs, 4 hidden units and m output units. The network diagram represents the function in the form

$$y_m = \hat{f} \left(\sum_{j=0}^m w_{j4}^{(2)} f \left(\sum_{i=0}^n w_{4i}^{(1)} x_i \right) \right) \quad (2.6)$$

In the 4.2, outer activation function could be different with the inner one.

There are some choices for activation functions, sigmoid and tanh are related and can provide high capability with continuous input data. Logistic activation function sigmoid can be represented as

$$f(x) = \frac{1}{1 + e^{-x}} \quad (2.7)$$

Its outputs lies in range $(0, 1)$. We can do a linear transformation $hatx = x/2$ on input data and a linear transformation $haty = 2y - 1$ on the output. Then we can get an equivalent activation function tanh which can be represented as

$$f(x) = \tanh(x) = \frac{e^x - e^{-x}}{e^x + e^{-x}} \quad (2.8)$$

The three layer neural network is capable of approximating any function with enough hidden units which means the networks with two layers of weights and sigmoid nonlinearities can provide any accuracy in classification problems.

2.3 Backpropagation

Multi-layer neural networks can represent mapping from input data to output classes. How to learn a suitable mapping from training dataset? And there is no explicit mapping between output and hidden units. This will be resolved by a popular learning algorithm—backpropagation.

Because networks have differentiable activation functions, the activation of output units can be propagated to hidden units with regard to weights and bias. If we have an error function, we can evaluate derivatives of the error and update the weights to minimize the error function via some optimization methods.

Backpropagation can be applied to find the derivatives of an error function related to the weights and biases in the network via two stages. First, the derivatives of the error functions, for instance sum-of-squares and Jacobian, with respect to the weights must be evaluated. Second, a variety of optimization schemes can be implemented to compute the adjustment of weights based on derivatives. After putting data forward propagation through the network, we can get the output result. It updates weight changes based on gradient descent. Suppose the network has i inputs, h hidden units and k outputs. The update equation can be represented as

$$w(j+1) = w(j) + \Delta w(j) \quad (2.9)$$

where $\Delta w(j)$ defined as

$$\Delta w(j) = -\eta \frac{\partial E}{\partial w} \quad (2.10)$$

For the hidden to output layer weights

$$\Delta w(jk) = -\eta \frac{\partial E}{\partial w_{jk}} = -\eta \delta_k y_j \quad (2.11)$$

where

$$\delta_k = \frac{\partial E}{\partial a_k} = (y_k - t_k) y_k (1 - y_k)$$

For the hidden layer weights

$$\Delta w(ij) = -\eta \frac{\partial E}{\partial w_{ij}} = -\eta \delta_j y_i \quad (2.12)$$

where

$$\delta_j = \frac{\partial E}{\partial a_j} = \sum_k \delta_k w_{jk} y_j (1 - y_j)$$

The δ_j of a hidden unit is based on the δ_k s of output units to which it links. To minimise the error function E with gradient descent, it needs the propagation of errors backwards.

2.4 Training protocols

In supervised learning, we have training dataset which is data with labels. We can use the neural networks to find the output of the training data and adjust the weights to optimal values. There are mainly three types of training protocols, stochastic, batch and online training. In stochastic training, we randomly choose samples from training dataset and update weights every time depending on output of neural networks. In batch training, we use some samples and pass them through network, then update weights. In online training method, each sample of training dataset is used once and weights are updated each time. We usually call one time of passing all training dataset through neural networks one epoch.

2.5 Stochastic Gradient Descent

Because weights space in neural networks is continuous, training can reach the optimal weights value through optimization algorithms, which means minimizing loss value of function

$$L(f_w) = \sum L(y, f_w(x)) \quad (2.13)$$

Gradient descent is a method which starts from a random point, then moves to a nearby point that is downhill repeatedly. It converges on a minimum possible loss.

Stochastic gradient descent is a subtype of gradient descent. It only considers a single training point and move to nearby point based on

$$w = w - \eta \Delta L(w) = w - \eta \sum_{i=1}^n \Delta L_i(w) \quad (2.14)$$

where η is the learning rate and $L_i(w)$ is the value of the loss function at the i^{th} sample. Although stochastic gradient descent does not guarantee convergence, it is fast.

2.6 Convolutional Neural Networks

Convolutional Neural Networks[2] are widely applied in image data and they achieved top rank in image classification competition[3]. Convolutional neural networks have

three types of layers, convolutional layer, pooling layer and fully connected layer. At the output of the network, a softmax layer is used to do classification job. Convolutional layer is used to detect invariants in local receptive fields. Pooling layer is downsampling feature maps. Fully connected layer makes the output of each unit an activation of dot product of all inputs.

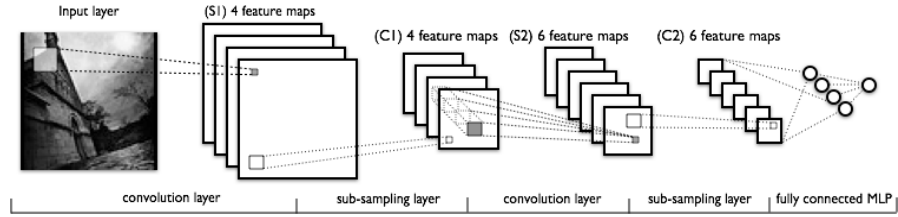


FIGURE 2.3: Diagram of LeNet.

2.7 Spatial Pyramid Match

Spatial pyramid match[4] is used to classify high-level semantic attributes, based on low-level features. The method subdivides a image in several different levels of resolution and counts features falling in each spatial bin. It extends bags of features and derives spatial information from images.

Spatial Pyramid Matching (SPM)



FIGURE 2.4: Diagram of Spatial Pyramid Match.

2.8 Transfer Learning

In machine learning literature, transfer learning[5] focuses on storing knowledge from one domain and applying it to a related problem. It has two benefits. One is saving

time to build a model from scratch up. Another is saving effort to collect training data.

A domain with two components, a feature space and a marginal probability distribution, can be represented

$$D = \{\chi, P(X)\} \quad (2.15)$$

where χ is feature space and $P(X)$ is the marginal probability distribution.



FIGURE 2.5: Diagram of Transfer Learning.

Chapter 3

Methodology

3.1 Dataset

There are over 15 million labeled images in ImageNet database belonging to about 22,000 categories. The images were collected from the Internet and labeled manually. From 2010, an annual competition named the ImageNet Large-Scale Visual REcognition Challenge (ILSVRC) has been held. The competition uses a subset of dataset which is 1000 images in 1000 categories. Totally, there are over 1 million training images and 50,000 validation images and 150,000 images for testing.



FIGURE 3.1: 2 Figures from ImageNet

For weather dataset, it contains 10,000 images for two categories evenly, cloudy and sunny. They are from three sources, Sun Dataset[6], Labelme Dataset[7] and Flickr. They were classified manually and similar images are removed. There are no unambiguous images.



FIGURE 3.2: 2 Figures from Weather Dataset

The two datasets are different. ImageNet dataset is for object classification and weather dataset is for scenes classification. Because the two datasets consists of different resolution images, we have to resize them to a fixed resolution of 256×256 for constant dimension input for neural networks. To train the model with ImageNet images, we resize shorter side of images to length 256 and then cropped out a 256×256 image from center.

3.2 Data Argument

The model has about 60 million neurons, and it is essential to avoid overfitting. One of methods is to do data argument. Dataset is artificially enlarged via image transformations and horizontal reflections. For each 256×256 image, the network extracts five 224×224 patches from four corners and center and reflects them horizontally. Hence, there are 10 patches for 1 image in total.

3.3 Spatial Pyramid Pooling

To improve the capability of generalization, a spatial pyramid pooling layer is deployed behind the fifth convolutional layer. A set of bin sizes are set to discern different size local information from output of the fifth convolutional layer. A sliding window pooling is implemented on the feature maps after the fifth convolutional layer. Assuming dimension of feature map is $a \times a$ and bin size is n , each window size is $\lceil a/n \rceil$ and stride size is $\lfloor a/n \rfloor$ where $\lceil \cdot \rceil$ and $\lfloor \cdot \rfloor$ denote ceiling and flooring operations. For l level pyramid, there are l spatial pyramid pooling layers, The the l layers will be concatenated into a fully connected layer. The bin sizes are 1, 2, 3 and 6.

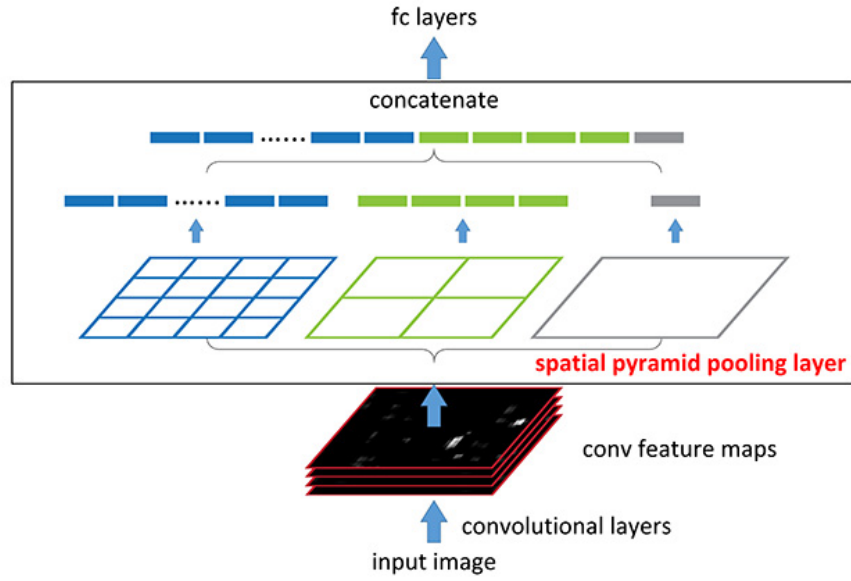


FIGURE 3.3: Diagram of Spatial Pyramid Pooling layer

With implementing spatial pyramid pooling layers in convolutional neural networks, all contribution of different scales are considered.

3.4 Convolutional Neural Networks Architecture

Due to the significant performance of AlexNet [3] deep convolutional neural networks, we train a model based on it. The architecture of the network has seven hidden adaptive layers-five convolutional and two fully connected layers. The network is very deep and

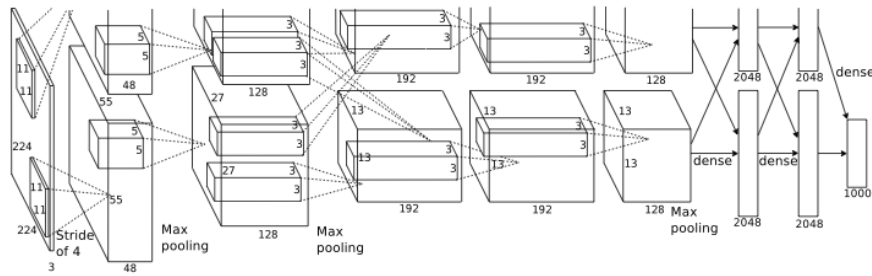


FIGURE 3.4: Architecture of AlexNet

the early layers are split over on two GPUs. It is able to give 62.5% accuracy rates with one prediction and 83% accuracy rates with five predictions.

The network replaces each neuron's outputs nonlinearity function f from $f(x) = \tanh(x)$ or $f(x) = (1 + e^{-x})^{-1}$ to Rectified Linear Units (RELU) [8] which can accelerate learning speed several times faster than \tanh function.

In the network, there are three types of layers and they play different roles in the model. The input data dimension is $224 \times 224 \times 3$ which means the raw pixel value stored in a width 224, height 224 and with three color channels R,G,B matrix. In the first convolutional layer, there are 96 kernel of size $11 \times 11 \times 3$ with stride size 4 and outputs are 96 neurons. A max pooling layer downsamples the spatial dimensions. The second convolutional layer filters output of previous pooling layer with kernel size $5 \times 5 \times 48$. The third convolutional layer owns 384 kernels of $3 \times 3 \times 256$ and receives outputs of the second convolutional layer. The fourth convolutional layer has 384 kernels of size $3 \times 3 \times 192$ and the last convolutional layer has 256 kernels of size $3 \times 3 \times 192$. Each fully connected layers have 4096 units. At the end of network, there is a softmax layer with 1000 outputs.

Layer Name	Layer Description
Input	224 x 224 RGB image
CONV1	11 x 11 conv, 96 ReLU units, stride 4
POOL1	3 x 3 max pooling, stride 2
CONV2	5 x 5 conv 256 ReLU units, stride 1
POOL2	3 x 3 max pooling, stride 2
CONV3	3 x 3 conv 384 ReLU units, stride 1
CONV4	3 x 3 conv 384 ReLU units, stride 1
CONV5	3 x 3 conv 256 ReLU units, stride 1
POOL5	3 x 3 max pooling, stride 2
SPP	bin size 1,2,3,6
FC6	fully connect, ReLU 4096 units
FC7	fully connect, ReLU 4096 units
FC8	fully connect, ReLU 1000 units
SOFTMAX	1000 way softmax

TABLE 3.1: Parameters of model

Chapter 4

Experiment

We set up experiment environment on a desktop which has hardware i7 CPU, 8G RAM and a GeForce GTX 770 and software operation system Ubuntu Linux 14.04. We train models in Caffe[9] which is a open source framework and develop spatial pyramid pooling layer in the architecture.

4.1 Training Neural Network

We trained model with the 1000-category ImageNet2012 on deep learning framework CaffeNet [9] on a We use the base network architecture of fast(smaller) model [10] which achieved an excellent result in 2013 ImageNet Competition. We implement SPP with CUDA C language and deploy them before the first fully-connected layer.

In experiment, a subset of ImageNet dataset, which contains 1.2 million labelled high-resolution images depicting 1000 object categories for training and 50,000 validation images, is used as training dataset. ImageNet contains of multi-scale and some grey images which are converted to a constant input dimensionality. Then images are resized to 256×256 . And for grey images, they are combined it triple to mimic a RGB image. Model is trained on the raw RGB values of pixels. Activation function is chosen Rectified Linear Units(ReLU), which allows for faster and effective training of deep neural networks.

$$f(x) = \max(0, x) \quad (4.1)$$

The network model ?? is trained with stochastic gradient descent as backpropagation learning rule, with a batch size of 128, and momentum of 0.9. The weights are initialized

from a 0 mean Gaussian distribution with standard deviation 0.01 in each layer. The neuron biases, in the *Conv*₂, *Conv*₄, *Conv*₅ and fully connected layers, are initialized with the constant 1, while biases in other layers are initialized with constant 0.

The learning rates are set equally for all layers. It was initialized at 0.01 and decreases with stepdown policy which means that it would drop by a factor of 10 after 100000 iteration. In total, the learning rate drops 3 times and accuracy stops after 370K iterations.

The training was regularised by dropout and weight decay. Dropout regularisation is implemented in the first two fully-connected layers and dropout ratio is set to 0.5. The neurons which are dropped out output zero and do not participate in backpropagation. Therefore, the neural network samples a different architecture each time. It greatly decreases complex co-adaptations of neurons because a neuron cannot depend on the existence of distinct other neurons. For weight decay ϵ , it is set to 0.0005 which means , after each weight update, the new weight is shrunk according to

$$w^{new} = w^{old}(1 - \epsilon) \quad (4.2)$$

4.2 Fine-tuning Model

As mentioned previously, the CNN network is pre-trained with aim of classifying objects in images. However, the target task is to classify weather scene and the pre-trained model contains more than 60 million parameters which are too high for training target model from scratch up, because the target dataset has only 10000 images in total. With the excellent accuracy achieved from previous works about transfer learning, it is a good approach to fine-tune previous model. The previous model does a job to classify 1000 categories and the target model does for two class classification.

Fine-tuning transfers weights of each layers in previous model to new one except the last fully connected layer. The last layer is taken over by a new one which contains the same amount of neurons as class number in the dataset, say two, and is initialized with random weights. One advantage of fine-tune is that it highly reduces the probability of overfitting while training with small dataset. The other advantage is the existing weights are close to optimal values and the gradient descent algorithm can converge quickly.

In the problem, we want to classify sunny and cloudy images, then the last layer of the previous architecture, *fc8*, is taken place by a layer with two neurons, one for sunny and one for cloudy. The model, trained using ILSVRC2012 dataset, is used to initialize most weights in the neural network for the fine-tuning experiment. At the same time,

1000 images are used to evaluate model. The model is fine-tuned in 10000 iterations which means that total training images are fed into CNN $\frac{128 \times 10000}{9000} = 142$ times. The initial base learning rate is 0.001 and the rate is divided by 10 every 10 epochs. Because the weights in *fc8* are randomly initialized which means they are not close to final optimization value, the learning rate of *fc8* is 10 times of the base learning rate in order to converge faster.

To minimise risk of overfitting, data augmentation is introduced in to experiment. Different version of patches are generated from each image via simple transformations, for example flipping and cropping. Some practical methods have been implemented and increase accuracy [3]. We do this job by increasing the spatial generalization capability of the model by cropping 5 different patches from four corners and center of images, and flipping them. Totally, we generate 10 different images with the same label.

4.3 Companion Experimental

To compare the performance of fine-tuned model, we do some a experiment with other method. We use a pre-trained model with AlexNet architecture and extract features from *fc7*. Then we apply SVM on the features and learn a classifier to do weather classification.

4.4 Experimental Result

The results in table 4.1 shows that supervised pre-training model have excellent generalization capability.

Methods	CNN+SVM	SPP+SVM	Finetune on CNN	Finetune on SPP
Accuracy	84.8%	82.1%	93.1%	93.98%

TABLE 4.1: CNN means with original trained model, SPP means model deployed with spatial pyramid pooling layer

The fine-tuning process is very quick, and accuracy rate convergences to over 90%. After 12 epoch, the accuracy rate exceeds 90%.

No single image dataset can totally capture variation in natural images, so even ImageNet is biased in some fields. Then pre-training may be make the CNN to overfit and then damage model generalization capability. To learning the process of ImageNet pre-training, we look into the effect of pre-training period on generalization performance



FIGURE 4.1: Finetune Process

with and without fine-tuning. In figure 4.1, we can find that longer pre-training improves performance.

To have a more detailed information of fine-tuning process, we can have a closer look at training loss. We plot the curve of first 200 iterations and loss value.



FIGURE 4.2: Finetune Process

From figure 4.2, we can find that the fine-tuning procedure produces a more smooth loss function curve and ceases with a better loss. In the left figure, the loss value of fine tune procedure is higher than no fine tune process at the beginning, then it shrinks sharply and keeps lower. In the other figure, we can find that starting loss value are both less than in the left figure. And the loss values of fine tune are less than no fine tune process. We can conclude that generally fine tune is a effective approach to reduce loss value and fine tune on SPP model can achieve a better result than CNN model.

4.5 Architecture Analysis

Although CNNs have excellent performance in computer vision field, there is still a long way to understand insight working mechanism. In order to have more insight about the reason why deep layers can increase performance of visual sentiment classification, we will do some analysis on fine-tuned network.

The outputs of each layers have been treated as visual descriptors [11], while the vectors are composed by outputs of neurons in previous layer. While the lower layers encode low-level features, top layers have been used to capture high-level information. In other words, we can train classifiers basing on features extracted from each layer.

In fully-connected layer, units can be represented as d dimensional vectors, and no further manipulation is needed. The layer takes all outputs of previous layer ,for example CONV, POOL, NORM,whose feature maps are multidimensional, and flats the feature maps into d dimensional vectors. The outputs of fully connected layer are feed into a classifier. Two types of linear classifiers are used. They are linear Support Vector Machine and Softmax.

We have a look for the feature maps of each convolutional layers a cloudy image.



FIGURE 4.3: A cloudy image and outputs of convolutional layers

In Figure 4.3, a cloudy image is fed into CNN and b-d are outputs of different convolutional layers. For the sake of image size, there are only parts of filters are plotted in images b-d.

Compared to the previous cloudy image, we can have a look for similar outputs of a sunny image.



FIGURE 4.4: A sunny image and outputs of convolutional layers

The convolutional layers output the same number filters as Figure 4.3. Neural activations in fully connected layers can act as d -dimensional vectors, where d is the number of neurons. Not like the earlier layers, for instance CONV and POOLING whose feature maps are multidimensional. In figure 3.4, we can get that the feature maps of CONV1 are $96 \times 55 \times 55$ dimension and the feature maps of CONV5 are $256 \times 13 \times 13$ dimension. The feature maps of CONV5 are downsampled by POOL5 and flatten into d -dimensional vectors and used as features for classifier. We can use two types of classifiers. One is linear support vector machine and the other is SoftMax.

4.6 Transfer Learning

Because we do not have sufficient size of dataset, comparing to ImangNet, we use a pretrained model based on ImageNet dataset and then use the CNN either as a fixed feature extractor or an initialization for our task. After fine tuning, weights have been updated for fitting new functions. Accordingly, the feature maps have some difference.

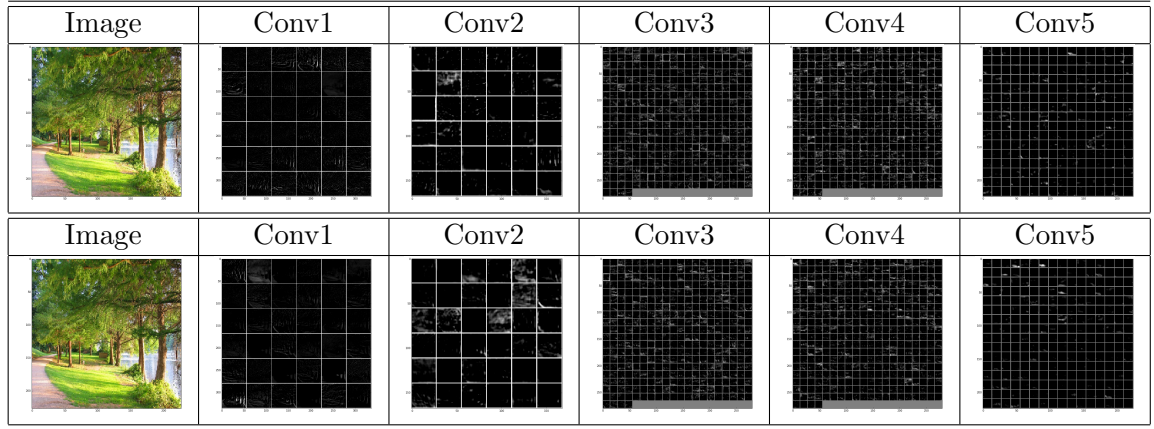


FIGURE 4.5: Visualization of feature maps outputs between original CNN model and CNN-SPP model. The upper images are from original model and the lower images are from fine tuned model



FIGURE 4.6: Histogram distribution of vectors from FC7. Left one is from CNN model and right one is from finetuned model

From the feature maps and histogram distribution maps, We can find that the outputs are slightly different. The fine tuned model generates smoother histogram distribution.

Chapter 5

Introduction

5.1 Overview

In machine learning literature, multi-label classification is a variant of the classification problem in which each instance has several labels. In general, the task of multi-label learning is to find a model that can map inputs \mathbf{x} to binary vector \mathbf{y} . While it is different with multi-class classification in terms of the later one scalar outputs in classification problem.



FIGURE 5.1: Example Image

The difference between single-label classification and multi-label classification is the outputs of datasets. In Figure 5.1, we can classify it as a picture of a beach in classification literature $\in \{Yes, No\}$. In multi-label literature, we can tag sea, beach, chairs, sky, cloud for the picture $\in \{beach, sea, chairs, sand\}$.

X_1	X_2	X_3	X_4	X_5	Y_1	Y_2	Y_3	Y_4
1	0.4	0.2	0	1	0	1	1	0
0	0.2	0.6	1	1	1	0	1	0
0	0.5	0.8	1	1	0	0	1	0
1	0.1	0.4	0	1	1	1	1	0
1	0.8	0.2	0	1	0	1	1	0
0	0.5	0.3	1	1	?	?	?	?

TABLE 5.1: Multilabel $Y_1, \dots, Y_L \in 2^L$
??

In general, there exists two main approaches of tackling the multi-label classification problem. One transfers a multi-label problem into a set of binary classification problems which can be handled by a set of binary classifiers. The other one applies algorithms to complete multi-label classification.

Several problem transformation methods can be applied to multi-label classification. A baseline method, named the binary relevance method[12], trains one binary classifier for each label independently. Depending on the results of the classifiers, the combined model predicts all labels for an unseen sample. The method divides the problem into multiple binary works which has something in common with the one-vs-all method for multi-class classification. Problem transformation benefits from scalability and flexibility because single-label classifier can be implemented to job. Support Vector Machine, Naive Bayes, k Nearest Neighbor have been used in the method[12].

There are some other transformation methods, for instance label powerset transformation. The method builds up one binary classifier for each label combination verified in the training dataset[13]. The random k -labelsets algorithm[14] utilizes multiple label powerset classifier which is trained on a random sub dataset of the labels. A voting scheme is used to predict unseen samples via a ensemble method.

Multilayer neural network can be trained to learn a model from multi-label examples. We will generate a 3 labels dataset and use a 2 layer network to do classification.

5.2 Multi-Label Learning

Let $X = R^d$ represent the domain of dataset and let $Y = 1, 2, \dots, L$ be the finite set of labels. Given that we have a set of training dataset $T = (x_1, Y_1), (x_2, Y_2), \dots, (x_l, Y_l) (x_i \in X, Y_i \subset Y)$ which are extracted from an unknown distribution D . Our target of task is to learn a multi-label classifier $h : X \rightarrow 2^Y$ via optimizing specific evaluation metric. However, instead of learning a multi-label classifier, we will learn a function f while $f(X) \rightarrow R^d$. Supposing that a high performance classifier can output a closer subset for

labels in Y_i than those missing or exceeding in Y_i , which means $f(x_i, y_1) > f(x_i, y_2)$ if $y_1 \in Y_i$ and $y_2 \notin Y_i$. We can transfer real valued function $f(\cdot, \cdot)$ to a ranking function $r(\cdot, \cdot)$ that maps the outputs of $f(x_i, y_1)$ to any $y \in Y$ if $f(x_i, y_1) > f(x_i, y_2)$. It is worth noting that the multi-label classifier $h(\cdot)$ can be derived from the function $f(\cdot, \cdot)$ where $h(x_i) = y | f(x_i, y) > t(x_i), y \in Y$, and $t(\cdot)$ is a threshold function.

Single-label and multi-class classification can be regarded as two degenerated variants of multi-label learning problem if each sample has only one single label. However, multi-label problem is much more difficult than traditional single-label problems because of high dimensional output space. For example, the number of label sets increases exponentially with increasing number of class labels. If there are 10 class labels for dataset, there are 2^{10} possible label sets maximum.

The challenge of huge combination of output labels is hard to overcome. One of methods is to investigate dependency among labels. For example, if an image labelled with *castle*, it would be highly labelled with *brick* and *mountain*. A movie which is labelled with *comedy* is unlikely related to a *documentary*. Therefore, successful exploitation of the label correlations is regarded as an effective approach to high accuracy multi-label learning process. There are three categories, based on the order of correlation of labels, for existing strategies to find the relation between labels. They are first order strategy, second order strategy and high-order strategy.

The first order strategy treats label by label independently and ignores correlation between labels. It can be regarded as decomposing a multi-label learning problem into a set of binary classification problems based on each label. The method benefits from simple computation and high efficiency. However, accuracy could be suboptimal because of ignoring the correlations of labels.

The second order strategy considers pairwise relations between labels, for example, interaction between any pair of labels, or the ranking between related labels and unrelated labels. The method can help to achieve good generalization performance because the label correlations are investigated in some extent. In real world, there are higher order correlations than second order assumption in many applications.

The high order strategy investigates more than 2 order correlations among labels which can be the influences on each label or addressing connections among sub space of output labels. It is obvious that high order strategy has the strongest model capabilities than previous two strategies on the cost of complexity and intensive computation.

5.3 Evaluation Metrics

In supervised learning settings, different metrics, like accuracy and area under the ROC curve, are used to evaluate the generalization performance of learning system. In multi-label learning, evaluating performance is more complicated than single-label problems with the increasing number of labels simultaneously. Therefore, two main types of evaluation methods are implemented in multi-label learning, say example-based metrics[15] and label-metrics[14].

The two types of metrics evaluate the outputs of classifier from different perspective. Given that $S = (x_i, Y_i)$ is the test instance and $h(\cdot)$ is the learned multi-label classifier. Example-based metrics achieve all class labels of each test example, and then compute the mean value of test set to evaluate generalization performance. Compared to considering all class labels simultaneously, label-based metrics evaluate performance by treating each class label separately and computing macro/micro-averaged value of all class labels.

In a supervised classification problem, there have a ground truth output and a predicted output of test instance. So the results of each test instance can be assigned to one of the four categories:

- True Positive (TP) - label is positive and prediction is also positive
- True Negative (TN) - label is negative and prediction is also negative
- False Positive (FP) - label is negative but prediction is positive
- False Negative (FN) - label is positive but prediction is negative

Here we define a set D of N instances and Y_i to be a family of ground truth label sets and $P_i = h(x_i)$ to be a family of predicted label set. The set of all unique labels is

$$L = \bigcup_{i=0}^{N-1} L_i \quad (5.1)$$

While the definition of indicator function I_A on a set A is presented as

$$I_A(x) = \begin{cases} 1 & \text{if } x \in A \\ 0 & \text{otherwise} \end{cases} \quad (5.2)$$

5.3.1 Example-based Metrics

Hamming Loss evaluates performance via counting the number of misclassification labels. The smaller value of hamming loss, the better performance.

$$\frac{1}{N \cdot |L|} \sum_{i=0}^{N-1} |L_i| + |P_i| - 2|L_i \cap P_i| \quad (5.3)$$

Subset Accuracy evaluates the fraction of correctly predicted instance while the predicted label set is identical to the ground truth label set. It is equivalent to traditional accuracy metric.

$$\frac{1}{N} \sum_{i=0}^{N-1} I_{\{L_i\}}(P_i) \quad (5.4)$$

Precision is defined as

$$\frac{1}{N} \sum_{i=0}^{N-1} \frac{|L_i \cap P_i|}{|P_i|} \quad (5.5)$$

Recall is defined as

$$\frac{1}{N} \sum_{i=0}^{N-1} \frac{|L_i \cap P_i|}{|L_i|} \quad (5.6)$$

Accuracy is defined as

$$\frac{1}{N} \sum_{i=0}^{N-1} \frac{|L_i \cap P_i|}{|L_i| + |P_i| - |L_i \cap P_i|} \quad (5.7)$$

F1 Measure is an integrated version combined by harmonic mean of **Precision** and **Recall**.

$$\frac{1}{N} \sum_{i=0}^{N-1} 2 \frac{|P_i \cap L_i|}{|P_i| \cdot |L_i|} \quad (5.8)$$

5.3.2 Label-based Metrics

Macro Precision (precision averaged across all labels) is defined as

$$PPV(\ell) = \frac{TP}{TP + FP} = \frac{\sum_{i=0}^{N-1} I_{P_i}(\ell) \cdot I_{L_i}(\ell)}{\sum_{i=0}^{N-1} I_{P_i}(\ell)} \quad (5.9)$$

Macro Recall (recall averaged across all labels) is defined as

$$TPR(\ell) = \frac{TP}{P} = \frac{\sum_{i=0}^{N-1} I_{P_i}(\ell) \cdot I_{L_i}(\ell)}{\sum_{i=0}^{N-1} I_{L_i}(\ell)} \quad (5.10)$$

F1 Measure by label is the harmonic mean between **Precision** and **Recall**.

$$F1(\ell) = 2 \cdot \left(\frac{PPV(\ell) \cdot TPR(\ell)}{PPV(\ell) + TPR(\ell)} \right) \quad (5.11)$$

Micro Precision (precision averaged over all the example/label pairs) is defined as

$$\frac{TP}{TP + FP} = \frac{\sum_{i=0}^{N-1} |P_i \cap L_i|}{\sum_{i=0}^{N-1} |P_i \cap L_i| + \sum_{i=0}^{N-1} |P_i - L_i|} \quad (5.12)$$

Micro Recall (recall averaged over all the example/label pairs) is defined as

$$\frac{TP}{TP + FN} = \frac{\sum_{i=0}^{N-1} |P_i \cap L_i|}{\sum_{i=0}^{N-1} |P_i \cap L_i| + \sum_{i=0}^{N-1} |L_i - P_i|} \quad (5.13)$$

Micro F1 Measure by label is the harmonic mean between **Micro Precision** and **Micro Recall**.

$$2 \cdot \frac{TP}{2 \cdot TP + FP + FN} = 2 \cdot \frac{\sum_{i=0}^{N-1} |P_i \cap L_i|}{2 \cdot \sum_{i=0}^{N-1} |P_i \cap L_i| + \sum_{i=0}^{N-1} |L_i - P_i| + \sum_{i=0}^{N-1} |P_i - L_i|} \quad (5.14)$$

For the label-based metrics, the larger the metrics value means the higher generalization performance.

With the previous metrics, there are diverse methods to evaluate model generalization performance. In most multi-label training, learning algorithms optimize one of the metrics. To make evaluation fair and precise, the learning algorithms should be tested on different metrics to evaluate performance to avoid bias.

Most multi-label metrics are non-convex and discrete, most algorithms turn to optimize alternative multi-label metrics. Recently, some researcher study the consistency of multi-label learning[16]. For example, it is ad hot to figure out if the loss of classifier converges to the Bayes loss while increasing training set size.

5.4 Learning Algorithms

Algorithms play key role in the literature of machine learning, so there is no exception in multi-label learning. The capability of representation is an important criterion to evaluate the performance of a algorithm. Otherwise, there are some related criteria to be consider. Firstly, broad spectrum is considered. If the algorithm can cover an range of algorithmic design strategies with unique characteristics. Secondly, it is reasonable to

evaluate the impact which the algorithm poses on the multi-label learning settings. Last, the algorithm complexity is a critical factor if the algorithm can be used in practice.

5.4.1 Problem Transformation Methods

5.4.1.1 Binary Relevance

Binary Relevance is a elementary algorithm which decomposes multi-label learning problem into a set of independent binary classification problems in which each problem harmonizes a label of the q labels in the set $L = y_1, y_2, \dots, y_q$. The approach initially transforms multi-label dataset into q binary datasets $D_{y_i} (i = 1, 2, \dots, q)$, where each D_{y_i} includes all samples of the multi-label dataset and has a single binary label to instruct if the dataset has or has no attribute to relevant label. For example, if a sample has a positive value means that the sample owns the correlation label, otherwise, it does not own it. After transforming dataset, a set of q binary classifiers, say $H_i(E) (i = 1, 2, \dots, q)$, has been built up using the respective training dataset D_{y_i} .

$$H = \{C_{y_i}(x, y_i) \rightarrow y'_i \in \{0, 1\} | y \in L, i = 1, 2, \dots, q\} \quad (5.15)$$

To classify a new multi-label sample, Binary Relevance outputs the collection of labels which are predicted with positive value by the independent binary classifiers.

Binary Relevance combines computational efficiency and simple implementation. With a constant number of samples, the algorithm scales with size q of label set L . Supposing that each classifier has complexity $f(|X|, |D|)$, Binary Relevance has complexity $O(qxf(|X|, |D|))$. With limit number of q , Binary Relevance can be regarded as a simple and effective method.

One of the disadvantages of Binary Relevance is the limitation of label relationship information. Given that all labels are independent, Binary Relevance discards the information among labels.

5.4.1.2 Classifier Chains

To improve the performance of Binary Relevance, classifier chains has been introduced in multi-label classification literature[12]. The algorithm transform multi-label learning problems into a chain of binary classifiers based on label dependence.

For a set of q labels L , Classifier Chains model learns q classifiers as Binary Relevance does. However, it links all classifiers through feature space. Given that there are a set of samples $D(x, y_i)(i = 1, 2, \dots, q)$ where y_i is a subset of labels L and x is domain of dataset. We transform the dataset into q datasets in which the j -th sample is based on datasets and previous labels

$$H = \{C_{y_i}(x, y_1, y_2, \dots, y_{i-1}) \rightarrow y'_i \in \{0, 1\} | y \in L, i = 1, 2, \dots, q\} \quad (5.16)$$

Thus it forms a train of binary classifier C_1, C_2, \dots, C_q . Each classifier C_i learns and predicts the binary association of label y_i based on the dataset x and all prior binary relevance predictions $y_j, j = 1, 2, \dots, i - 1$. The learning process starts from C_1 and follows the chain step by step. Therefore, C_1 determines $p(y_1|x)$ and each classifier, say C_2, \dots, C_q , determines $p(y_i|x_i, y_1, \dots, y_{i-1})$.

The Classifier Chains method propagates label information through classifiers, and post classifier takes into account previous predictions. This can overcome issues of ignorant label correlation in some degree. At the same time, the method keep benefits of Binary Relevance including computation efficiency and memory efficiency. The computational complexity of Classifier Chains can be close to Binary Relevance depending on the size of labels and complexity of elemental classifiers C_i . As stated in previous, the complexity of Binary Relevance is $O(qxf(|X|, |D|))$ where $f(|X|, |D|)$ is the complexity of elemental classifier. With extra computation introduced by previous labels, the complexity of Classifier Chains is $O(qxf(|X| + q, |D|))$, while the complexity will be worse in case $q \gg |X|$.

5.4.2 Algorithm Adaptation Methods

5.4.2.1 Multi-label k-Nearest Neighbor(ML-kNN)

The algorithm adapts k-nearest neighbor techniques to propose multi-label data and utilize maximum a posteriori (MAP) to make prediction through reasoning embodied labelling information among neighbour [?].

Given dataset X and its label set Y , y represents output vector for x where i -th element $y(i)$ is positive if $i \in Y$, otherwise it is negative. Suppose that $N(x)$ is the set of neighbour of x in training set, we can compute a membership counting vector which represents the number of neighbours of x owning l -th label.

$$C_x(i) = \sum_{a \in N(x)} y_a(i), i \in Y \quad (5.17)$$

To test a new sample t , the algorithm sorts out its category in training dataset by kNN $N(t)$. Let H_1^l denote that t has label l and H_0^l denote that t do not have label l . There are j samples have label l , say $E_j^l(j \in 0, 1, \dots, k)$. Then the category vector y_t is determined via the MAP principle:

$$y_t(l) = \arg \max_{b \in \{0,1\}} P(H_b^l | E_{C_t(i)}^l) l \in Y \quad (5.18)$$

With the Bayesian rule, 5.18 can be represented as

$$y_t(l) = \arg \max_{b \in \{0,1\}} P(H_b^l) P(E_{C_t(i)}^l | H_b^l) l \in Y \quad (5.19)$$

As stated in 5.19, the output of test sample t is $y_t(l)$. It can be computed via prior probability $P(H_b^l) l \in Y, b \in \{0, 1\}$ and the posterior probability $P(E_j^l | H_b^l) (j \in \{0, 1, \dots, k\})$.

5.4.2.2 Collective Multi-label Classifier(CML)

Supposed that labels are highly interdependent in some scenarios, CML explores multi-label conditional random field (CRF) classification models which learn parameters for each pair of labels directly[15].

In dataset (x, Y) , each sample has a corresponding random variables representation (x, y) in which $y = (y_1, y_2, \dots, y_q) y_i \in \{-1, 1\}$ is binary label vector. If the sample contains j -th label, the j -th element of y is 1, otherwise -1 . Then the aim of multi-label learning is to learn the joint probability distribution $p(x, y)$.

The entropy of (x, y) is represented as $H_p(x, y)$ and gives the distribution $p(\cdot, \cdot)$ of (x, y) . The principle of maximum entropy can be achieved by maximizing $H_p(x, y)$. The fact is expressed with constrains on expectation of function $f(x, y)$. The expected value can be estimated from training dataset

$$F_k = \frac{1}{m} \sum_{(x,y) \in D} f_k(x, y) \quad (5.20)$$

According to normalization constraint on $p(\cdot, \cdot)$, the optimal solution can be represented as:

$$p(y|x) = \frac{1}{Z(x)} \exp\left(\sum_{k \in K} \lambda_k \cdot f_k(x, y)\right) \quad (5.21)$$

Yielding to Gaussian distribution, parameters can be found in a convex log-posterior probability function. For a test sample x , the predicted label set follows to:

$$y_x = \arg \max_y p(y|x) \quad (5.22)$$

Appendix A

Appendix Title Here

Write your Appendix content here.

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