

Huffman Coding:-

- Data Compression Algorithm.
- Reduce the size of the data.
- Real life example compressed the file to reduce the size of the file.
- Every message you sent and each message type go in the form of ASCII codes and ASCII convert to binary of individual character.

• Example:-
A — 65 — 01000001 = 8 bits
 ↓ ↓ ↓ ↓
message ASCII Binary size

- In the transfer of simple message no compressed every character takes 8 bits. so your message consists of 20 characters the total space

$$20 \times 8 = 160 \text{ bits.}$$

- This is known as fixed length coding in which each character take 8 bits of a memory.
- After Applying compression technique we can reduce the size of the message depends on the message may be it comes to 100, 110, 90, etc.
- If we move sometimes back, we learn binary tables we know $2^2 = 4$ (combinations to store different character).
 $2^3 = 8$ (Combination " " " " "
 $2^8 = 256$ (" " " " " " " ")

My message is ABBCCDBCCDAABBEEFBEAB = 20.

- In my message 5 different characters (A, B, C, D, E), no need to go on 256 combinations.
- $2^3 = 8$ combinations (use 3 bits).

- Rather than taking 8-bits we use 3-bits combination to represent character.

0	0	0	- A
0	0	1	- B
0	1	0	- C
0	1	1	- D
0	0	0	- E
0	0	1	[unused.
0	1	0	
0	1	1	

- We use 000 instead of A and same for B, C, D and E.

- Total bits are $20 \times 3 = 60$ bits.

- In this message the user don't know what is the meaning of 000. so, for this we sent the table with the message.

- So, the table also take memory in this we have 8 rows and in 5 rows we have some character. The character take 8 bits.

$$8 \times 5 = 40 \text{ bits.}$$

Remaining. the binary of these 5 character take 3 bits.

$$5 \times 3 = 15 \text{ bits.}$$

Total no. of bits to send this message is

$$60 + 55 = 115 \text{ bits.}$$

- This is also known as fixed ~~length~~ length coding.

- Huffman coding is known as variable length coding.
- In Huffman we declare the variables like 1, 2, 3 that in not fixed.

9n Huffman coding design a tree

char	Frequency / count	
A	4	01
B	7	11
C	3	101
D	2	100
E	4	00

- Draw with the increase of count. (Priority)

²D ³C ⁴E ⁴A ⁷B

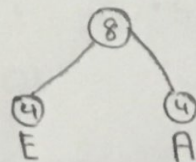
- Take first two character in the priority queue and merge the count.



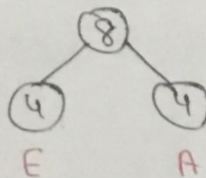
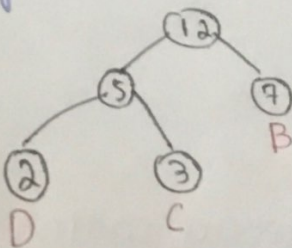
- Now draw the again with increase of count.

⁴E ⁴A ⁵DC ⁷B

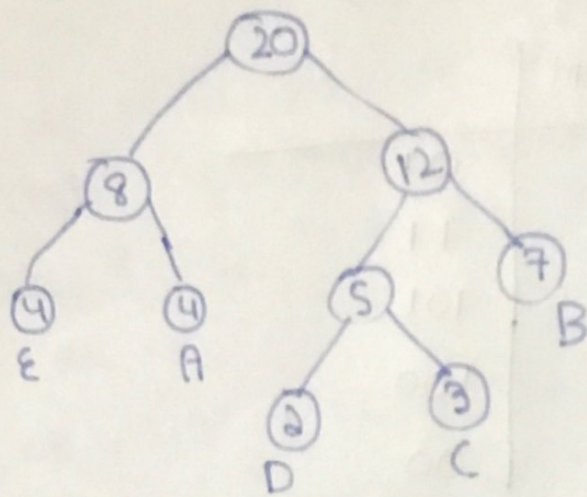
- Now again least two in priority queue.



- Again do the same step.

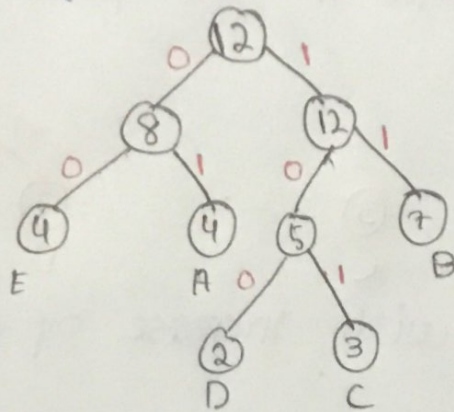


- Now we have only 8 and 12 minimum frequency always on the left side and greater on right. So, the tree become.



→ Final Tree.
→ Character always on leaf.

- Now in step 2 we assign variables to each edge
left = 0, right = 1.



- Now calculate the Huffman coding of each character from root node to that node.

A = 01

B = 11

C = 101

D = 100

E = 00

→ To calculate total no. of bits in Huffman coding is multiply the frequency/count with the no. of binary.

$$= 4 \times 2 + 7 \times 2 + 3 \times 3 + 2 \times 3 + 4 \times 2$$

$$= 45 \text{ bits.}$$

- same problem the receiver can't understand what is ③

01, 11.

- so, for this we send table or may be tree.
- The table consists of five characters and each character take 8-bits. and the binary of character the sum of all.

$$5 \times 8 = 40 + 12 = 52.$$

$$\text{Total} = 52 + 45 = \boxed{97 \text{ bits.}}$$

- Receiver Decode the tree using traversal technique.

Time Complexity:

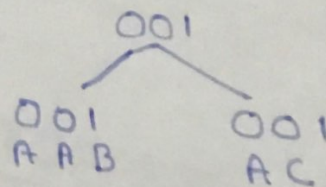
$$\Theta(n \log n)$$

Note:-

NO code is prefix of another code.

Example:-

A	-	0
B	-	1
C	-	01



- Two possibilities receiver can't understand which one is correct.
- Huffman coding follow the prefix Rule.

Huffman Coding:-

- David Huffman in 1951
- encoding follow the prefix Rule
- Most generated char. will get the small code & least generated char. will get the large code.
- Time complexity $\Theta(n \log n)$