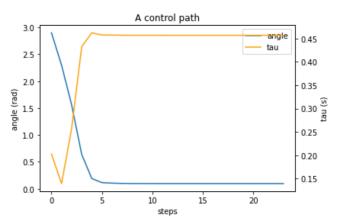
- Report on last week
  - I could improve policy on RL for optimal self-triggered control



There is no guarantee that this policy is the best policy ...

- Wide interval around origin and frequent otherwise
- Stabilize the system

- This week
  - Discuss the next step for master thesis
  - Check that
    - evaluation function for learned policy is larger than that for initial policy
    - approximation accuracy of value function  $V^{\pi}(s)$
    - learned policy's dependence for initial policy

- 1: Comparison of evaluation function
  - Policies

$$\pi_{init}(s) = \begin{bmatrix} lqr(s) \\ 0.2 \end{bmatrix}$$
 v.s.  $\pi_{RL}(s)$ : learned policy

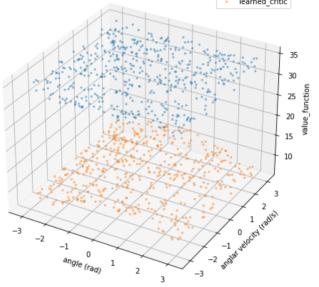
- Evaluation criteria:  $J(\pi) = \mathbb{E}_{s_0} [\sum_{i=0}^{\infty} \gamma^i r(s_i, \pi(s_i))]$
- Result

$$J(\pi_{init}) = -14.769 < J(\pi_{RL}) = 45.092$$

- 2: Approximation accuracy of value function  $V^{\pi}(s)$ 
  - $V^{\pi}(s) = Q^{\pi}(s, \pi(s))$
  - Agent fits  $Q(s, a|\omega)$  to approximate  $Q^{\pi}(s, a)$
  - Evaluation criteria

Does  $Q(s,\pi(s)|\omega)$  approximates  $\sum_{i=0}^{\infty} \gamma^i \, r(s_i,\pi(s_i))$  well?

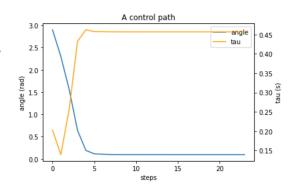
• acc\_reward learned\_critic definition of  $V^{\pi}(s)$ 



- 3: Learned policy's dependence for initial policy
  - Initial policies

$$\pi_{init}(s) : \frac{\begin{bmatrix} lqr(s) \\ 0.01 \end{bmatrix}}{\pi_1}, \frac{\begin{bmatrix} lqr(s) \\ 0.1 \end{bmatrix}}{\pi_2}, \frac{\begin{bmatrix} lqr(s) \\ 0.5 \end{bmatrix}}{\pi_3}, \frac{\begin{bmatrix} lqr(s) \\ 1.0 \end{bmatrix}}{\pi_4}$$

- 3 patterns of learning
  - adaptive interval and stabilizing:  $\pi_2$ ,  $\pi_3$ ,  $\pi_4$  %interval around origin point is different



- constant interval (minimum) and stabilizing
- constant interval (minimum) and unstabilizing  $\pi_1, \pi_2, \pi_4$