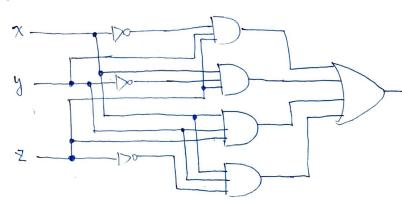
B 設 H W 2.

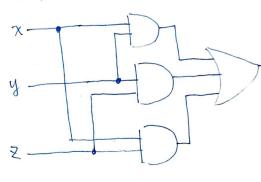
/.
$$(a)x'yz + xy'z + xyz + xyz'$$

= $x'yz + xy'z + xyz + xyz' + xyz + xyz$
= $(x'+x)yz + (y+y')xz + (z+z')xy$
= $xy + yz + xz$

original.



simplified



$$(b) (\chi y' + \chi w') (\chi' w + yz)$$

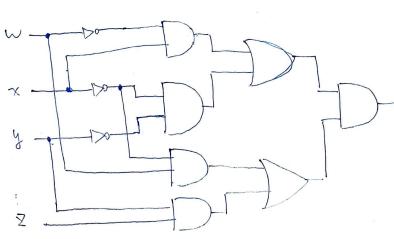
$$= \chi \cdot \chi \cdot w \cdot y' + \chi' y' \cdot y \cdot z + \chi \cdot \chi' \cdot w \cdot w' + w' \chi yz$$

$$= 0$$

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$$=wx'y'+w'xyz$$

briginal



<u>Simplified</u>

