Example: https://codeforces.com/contest/750/problem/E

With this trick you can use an automata/graph as a node of your segment tree, and merge two nodes using the floyd warshall algorithm, the main idea is:

To merge the segments [I,mid) and [mid,r) into a segment [I,r) I can look at all paths:

- -> I to **J** in [l,mid)
- -> **J** to **K** in [mid,r)

and find a new path from ${\bf I}$ to ${\bf K}$ in [I,r), this is similar to the floyd warshall algorithm, so i can maintain a matrix with the minimum cost from ${\bf I}$ to ${\bf J}$

```
struct nd{
  int mat[5][5];
nd(int c){
  FOR(i,5){
    FOR(j,5){
      mat[i][j]=INT_MAX;
    }
    mat[i][i]=0;
}
```

merge two matrices to get a new matrix

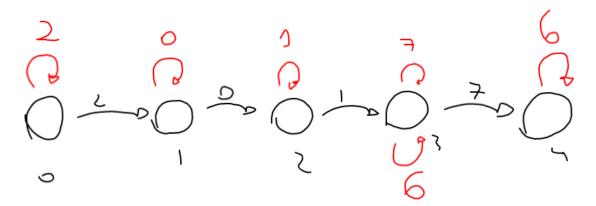
```
nd merge(nd a,nd b) {
    nd NOVO;
    for(int i=0;i<5;i++) {
        for(int j=i;j<5;j++) {
            for(int k=i;k<=j;k++) {
                NOVO.mat[i][j]=min(NOVO.mat[i][j],a.mat[i][k]+b.mat[k][j]);
            }
        }
    }
    return NOVO;
}</pre>
```

And it makes a lot of sense, because all paths [l,r) can be decomposed into a path [l,mid) and a path [mid,r)

In this problem, we are given a string (with digits from '0' to '9') and queries

Each query is a range from L to R, in which we have to find the minimum number of deletions such that "2017" occurs as a subsequence in the substring[I,r] and "2016" does not occur.

We can model the cost with a graph (Nondeterministic Finite Automata)



The edges with red color means that it has a cost of 1, and black color have a cost of 0 (we also have implicit edges from **X** to **X** with cost 0 for all other digits),

- 1. The red edge means that we are deleting this digit with a cost of 1,
- 2. The black edge means we are getting this digit and trying to form a string with it.
- 3. The implicit edges means we are doing nothing

A path in this automata means a string we are getting, in the first case if we get a '2' we can either try to form something or delete it if we already formed a "2017" and get a '6' we have to delete it etc.

Now we have to find the minimum cost from 0 to 4.