Reducir:
$$M = \frac{2^{16}.16^2}{8^8}$$
RESOLUCIÓN

RESOLUCION

Descomponer en forma canónica las bases

$$M = \frac{2^{16} \cdot 2^{4(2)}}{2^{3(8)}} = \frac{2^{16+8}}{2^{24}}$$

$$\therefore M = 1$$

Simplificar:
$$J = \int_{1}^{x-2}$$

$$J = \sqrt[x-2]{\frac{5^{x-2} + 3^{x-2}}{5^{2-x} + 3^{2-x}}}$$

RESOLUCIÓN

Aplicamos el siguiente teorema.

$$\frac{a^x + b^x}{a^{-x} + b^{-x}} = (a.b)^x$$

En el ejercicio

$$J = \sqrt[x-2]{(5.3)^{x-2}} \qquad J = 15$$

Calcular: "A + B + C"

Si:
$$A = \sqrt{9.\sqrt{9.\sqrt[3]{9...}}}$$
 $B = \sqrt{132 + \sqrt{132 + ...}}$ $C = \sqrt{132 + \sqrt{132 + ...}}$

$$B = \sqrt{132 + \sqrt{132 + \sqrt{132 + \dots}}}$$

$$C = \underbrace{\begin{array}{c} 64 \\ 5 \\ 64 \\ \hline \end{array}}_{5} \underbrace{\begin{array}{c} 64 \\ \hline \end{array}$$

RESOLUCIÓN

$$A = \sqrt[3]{9} = \sqrt{9}$$

$$A = 3$$

$$132 = (11).(12)$$
 mayor

$$B = 12$$

$$C = \sqrt[5]{64} = \sqrt[6]{64}$$

$$\therefore A + B + C = 17$$

Reducir:
$$E = \frac{15^{20}.35^{10}.10^{30}}{12^{20}.25^{15}.49^{5}.5^{30}}$$

RESOLUCIÓN

$$\mathsf{E} = \frac{15^{20}.35^{10}.10^{30}}{12^{20}.25^{15}.49^{5}.5^{30}}$$

Descomponer en forma canónica las bases

$$\mathsf{E} = \frac{3^{20}.5^{20}.5^{10}.7^{10}.2^{30}.5^{30}}{2^{2(20)}.3^{20}.5^{2(15)}.7^{2(5)}.5^{30}} = \frac{2^{30}}{2^{40}}$$

∴
$$E = 2^{-10}$$