

) One - Dimensional Array :

By the previous definition of 1-Dimensional array, we can say that the compiler limits the storage region to storing set of element, and the first location is individual element of array, and this called the **Base Address**.

For example :

let's be as 500. Base Address (500) and like for the all elements and used the index I, by its value are range $1 \leq I \Rightarrow N$ according to Base Index (500), by using this relation:

$$\text{Location (X[I])} = \text{Base Address} + (I-1)$$

For example :

When the requirement is to bound the forth element, $I = 4$:

$$\begin{aligned}\text{Location(X[4])} &= 500 + (4-1) \\ &= 500 + 3 \\ &= 503\end{aligned}$$

So the address of forth element is 503 because the first element in 500.

When the program indicate or dealing with element of array in any instruction like (write (X [I]), read (X [I])), the compiler depend on going relation to bounding the requirement address.

2) Two - Dimensional Array :

A two dimensional Array A is the collection of 'm X n' elements. Programming language stores the two dimensional array in one dimensional memory in either of two ways -

1) Row Major Order:

First row of the array occupies the first set of memory locations reserved for the array; Second row occupies the next set, and so forth.

To determine element address A[i,j]:

$$\text{Location (A[i,j])} = \text{Base Address} + (N \times (I - 1)) + (j - 1)$$

For example :

Given an array [1...5,1...7] of integers. Calculate address of element T[4,6], where BA=900.

Solution:- $I = 4$, $J = 6$, $M = 5$, $N = 7$

$$\begin{aligned}\text{Location (T [4,6])} &= \text{BA} + (7 \times (4-1)) + (6-1) \\ &= 900 + (7 \times 3) + 5 \\ &= 900 + 21 + 5 \\ &= 926\end{aligned}$$

2) Column Major Order:

Order elements of first column stored linearly and then comes elements of next column.

To determine element address A[i,j]:

$$\text{Location (A[i,j])} = \text{Base Address} + (M \times (j - 1)) + (i - 1)$$

For example :

Given an array [1...6,1...8] of integers. Calculate address element T[5,7], where BA=300.

Solution:- I = 5 , J = 7, M= 6 , N= 8

$$\begin{aligned}\text{Location (T [4,6])} &= \text{BA} + (6 \times (7-1)) + (5-1) \\ &= 300 + (6 \times 6) + 4 \\ &= 300 + 36 + 4 \\ &= 340\end{aligned}$$

2) Three - Dimensional Array :

In three - dimensional array also address is calculated through two methods i.e; row-major order and column-major method.

To calculate address of element X[i,j,k] using row-major order :

$$\text{Location (X[i,j,k])} = \text{BA} + \text{MN (k-1)} + \text{N (i-1)} + (\text{j-1})$$

To calculate address of element X[i,j,k] using column-major order

$$\text{Location (X[i,j,k])} = \text{BA} + \text{MN (k-1)} + \text{M (j-1)} + (\text{i-1})$$

For example :

Given an array [1..8, 1..5, 1..7] of integers. Calculate address of element A[5,3,6], by using rows and columns methods, if BA=900?

Solution:- The dimensions of A are :

$$\text{M}=8, \text{N}=5, \text{R}=7, \text{i}=5, \text{j}=3, \text{k}=6$$

Rows - wise :

$$\text{Location (A[i,j,k])} = \text{BA} + \text{MN(k-1)} + \text{N(i-1)} + (\text{j-1})$$

$$\begin{aligned}\text{Location(A[5,3,6])} &= 900 + 8 \times 5(6-1) + 5(5-1) + (3-1) \\ &= 900 + 40 \times 5 + 5 \times 4 + 2 \\ &= 900 + 200 + 20 + 2 \\ &= 1122\end{aligned}$$

Columns - wise :

$$\text{Location (A[i,j,k])} = \text{BA} + \text{MN(k-1)} + \text{M(j-1)} + (\text{i-1})$$

$$\begin{aligned}\text{Location (A[5,3,6])} &= 900 + 8 \times 5(6-1) + 8(3-1) + (5-1) \\ &= 900 + 40 \times 5 + 8 \times 2 + 4 \\ &= 900 + 200 + 16 + 4 \\ &= 1120\end{aligned}$$