

SEARCHING

Searching is the process of finding the location of given element in the linear array. The search is said to be successful if ^{the} given element is found i.e. the element does exist in the array otherwise unsuccessful.

There are two approaches to search operation:

- (1) Linear Search
- (2) Binary Search.

The algorithm that one chooses generally depends on organization of the array elements. If the elements are in random order, then one has to use linear search technique,

and if the elements are already sorted, then it is preferable to use binary search technique. These two search techniques are:

(1) LINEAR SEARCH

Given the array a , the only way to search for given element $item$ is to compare $item$ with each element of a one by one. This method, which traverses a sequentially to locate $item$ is called linear search or sequential search.

Algo: $LinearSearch(a, n, item, loc)$

Begin

for $i = 0$ to $(n-1)$ by 1 do

if ($a[i] == item$) then

Set $loc = i$

Exit

endif

endfor

Set $loc = -1$

End.

insia
lements

Analysis of Linear Search

In the best possible case, the item may occur at first position. In this case, the search operation terminates in success with just one comparison. However, the worst case occurs when either the item is present at last position or missing from the array. In the former case, the search terminates in success with n comparisons. In worst case the linear search is $O(n)$ operations.

BINARY SEARCH

Suppose the elements of the array A are sorted in ascending order (if the elements are numbers) or dictionary order (if the elements are strings). The best searching algorithm, called binary search, is used to find the location of the given element.
Complexity = $O(\log_2 n)$

Consider the following sorted array A with 7 elements

3, 10, 15, 20, 35, 40, 60

and we want to search element 15.

Solⁿ

a[0]	a[1]	a[2]	a[3]	a[4]	a[5]	a[6]
3	10	15	20	35	40	60

Here, $beg = 0$, $end = 6$ and compute the location of the middle element as

$$mid = (beg + end) / 2 = (0 + 6) / 2 = 3$$

Since $a[mid]$, i.e. $a[3] \neq 15$ and $beg < end$, we start next iteration,

as $a[mid] = 20 > 15$, therefore we take $end = mid - 1 = 3 - 1 = 2$, where as beg remains unchanged.

Thus,

$$mid = (beg + end) / 2 = (0 + 2) / 2 = 1$$

Since $a[mid]$, i.e. $a[1] \neq 15$, and $beg < end$, we start next iteration,

As $a[mid] = 10 < 15$, therefore, we take $beg = mid + 1 = 1 + 1 = 2$, where as end remains unchanged,

Since $beg = end$, again compute location of middle element as

$$mid = (beg + end) / 2 = (2 + 2) / 2 = 2$$

Since $a[mid]$ i.e. $a[2] = 15$, the search terminates on success.

The element 15 is found at index 2.

Algo

Algo: BinarySearch($a, n, \text{item}, \text{loc}$)

Here a is an linear array of size n . The algorithm finds the location of the element item in sorted linear array a . If search ends in success it sets loc to the index of the element; otherwise, it sets loc to -1 .

Here, variables beg and end to keep track of the first element and last element of the array to be searched, and variable mid is used to as index of the middle element of the array.

Begin

Set $\text{beg} = 0$

Set $\text{end} = n - 1$

Set $\text{mid} = (\text{beg} + \text{end}) / 2$

while ($\text{beg} \leq \text{end}$) and ($a[\text{mid}] \neq \text{item}$)
do

if ($\text{item} < a[\text{mid}]$) then

Set $\text{end} = \text{mid} - 1$

else

Set $\text{beg} = \text{mid} + 1$

endif

Set $\text{mid} = (\text{beg} + \text{end}) / 2$

endwhile

if ($\text{beg} > \text{end}$) then

Set $\text{loc} = -1$

else

Set $\text{loc} = \text{mid}$

endif

End