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Practical 12: Newton Backward Interpolation Formula

Objective: To find value of y corresponding given value of x using Newton Backward Interpolation Formula.

2. Algorithm:

1. Start
2. Input the matrix of equations in `arr[n][n+1]` where n is number of given variables in data.
3. Calculate the difference table using:
For (`j = 2; j < n+1; j++`)
{
 For (`i = 0; i < n-j+1; i++`)
 {
 `mat[i][j] = mat[i][j-1] - mat[i-1][j-1];`
 }
}
4. Enter the value of x
5. Set value of `p = x - mat[n-1][0];`
`p /= (mat[1][0] - mat[0][0])`
6. `p0 = p`
7. Find value of y using:
`sum = 0.0;`
`sum = sum + mat[n-1][1];`
`k = 1;`
for (`j = 2; j < n+1; j++`)
{
 `sum += (p * mat[n-1][j]) / k;`
 `k *= j;`
 `p *= (p0 + j - 1);`
}
8. `y = sum`
9. Print y
10. Stop

Code:

```
#include<iostream>

using namespace std;
int main(){
    int n;
    printf("Enter the number of known variables: ");
    cin>>n;

    // float mat[n][n+1]={0.0};
    static float mat[10][10]={0.0};
    for (int i = 0; i < n; i++)
    {
        /* code */
        printf("Enter x%d: ", i+1);
        cin>>mat[i][0];
        printf("Enter y%d: ", i+1);
        cin>>mat[i][1];
    }
    cout<<"x"<<"\t"<<"y"<<endl<<endl;

    for (int i = 0; i < n; i++)
    {
        /* code */
        cout<<mat[i][0]<<"\t"<<mat[i][1]<<endl;

    }
    // difference table
    for (int j = 2; j < n+1; j++)
    {
        /* code */
        for (int i = n-1; i > j-2; i--)
        {
            /* code */
            // mat[i+1][j]= mat[i+1][j-1]- mat[i][j-1];
            mat[i][j]= mat[i][j-1]- mat[i-1][j-1];
        }

    }

    // displaying the difference table
    cout<<"\nDisplaying the difference table: "<<endl<<endl;
```

```
cout<<"x"<<"\t"<<"y"<<"\t"<<"dy1"<<"\t"<<"dy2"<<"\t"<<"dy3"<<"\t"<<"dy4"<<"\t"<<"dy5";
cout<<endl<<endl;
```

```
int bVar = 2;
for (int i = 0; i < n; i++)
{
    /* code */
    // if(i<2)
    // for (int j = 0, j_dash=n; j_dash >= 0; j++, j_dash--)
    for (int j = 0; j<bVar; j++)
    {
        /* code */
        cout<<mat[i][j]<<"\t";
    }
    bVar++;
    // else
    cout<<endl;
}

// applying the Newton Backward formula
```

```
float x;
cout << "Enter the value of x at which you want to calculate the value of y: ";
scanf(" %f", &x);
```

```
float p = x - mat[n-1][0];
p /= (mat[1][0] - mat[0][0]);
float p0 = p;
float sum = 0.0;
sum = sum + mat[n-1][1];
int k = 1;
// for (int j = 2; j < n + 1; j++)
// {
//     /* code */
//     sum += (p * mat[0][j]) / k;
//     k *= j;
//     p *= (p0 - j + 1);
// }
for (int j = 2; j < n + 1; j++){
    /* code */
    // sum += (p * mat[0][j]) / k;
    sum += (p * mat[n-1][j]) / k;
```

```

    k *= j;
    p *= (p0 + j - 1);
}
printf("Value of y at x=%f is: %f\n\n", x, sum);
return 0;
}

```

Output:

```

PS E:\03 Semester\CBNST\Unit 03> cd "e:\03 Semester\CBNST\Unit 03\" ; if ($?) { g++
12_newtonBackwardInterpolation.cpp -o 12_newtonBackwardInterpolation } ; if ($?)
{ .\12_newtonBackwardInterpolation }

```

Enter the number of known variables: 5

Enter x1: 10

Enter y1: 600

Enter x2: 20

Enter y2: 512

Enter x3: 30

Enter y3: 439

Enter x4: 40

Enter y4: 346

Enter x5: 50

Enter y5: 243

x	y
---	---

10	600
----	-----

20	512
----	-----

30	439
----	-----

40	346
----	-----

50	243
----	-----

Displaying the difference table:

x	y	dy1	dy2	dy3	dy4	dy5
---	---	-----	-----	-----	-----	-----

10	600					
----	-----	--	--	--	--	--

20	512	-88				
----	-----	-----	--	--	--	--

30	439	-73	15			
----	-----	-----	----	--	--	--

40	346	-93	-20	-35		
----	-----	-----	-----	-----	--	--

50	243	-103	-10	10	45	
----	-----	------	-----	----	----	--

Enter the value of x at which you want to calculate the value of y: 35

Value of y at x=35.000000 is: 395.429688