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Practical 14: Integration

Objective: To integrate a given function over given limit using:

- 1. Trapezoidal Rule
- 2. Simpson's 1/3 Rule
- 3. Simpson's 3/8 Rule

2. Algorithm:

- 1. Start
- 2. Define the function f(x)
- 3. Input II, ul corresponding to lower limit and upper limits.
- 4. Input n, number of intervals
- 5. Calculate h=(ul-ll)/n
- 6. Make Table:

```
Define mat[n][2]
Set z= 11, lower limit
```

7. Print Table.

8. Trapezoidal Rule:

```
sum= mat[0][1]+ mat[n][1]
  for (int i = 1; i < n; i++)
   {
     sum+= 2*mat[i][1]
  }
  sum*=(h/2)</pre>
```

9. Simpson's 1/3 Rule:

```
if(n%2 !=0){
    Print("Can't apply Simpson's 1/3 Rule !!!!\n\n");
    return -1;
```

```
}
               else{
                     sum = mat[0][1] + mat[n][1]
                     sumEven=0.0, sumOdd=0.0
                     for (int i = 1 to n-1)
                           if (i\%2 == 0)
                                 sumEven+= 2*mat[i][1]
                           else
                                 sumOdd += 4 * mat[i][1]
               sum+=sumEven+sumOdd
               sum*=(h/3);
10. Simpson's 3/8 Rule:
        if (n \% 3 != 0)
               Print("Can't apply Simpson's 3/8 Rule !!!!\n\n");
               return -1;
         }
        else
               sum = mat[0][1] + mat[n][1]
               sum3X = 0.0, sumOthers = 0.0
               for (int i = 1 to n-1)
                     if (i \% 3 == 0)
                           sum3X += 2 * mat[i][1]
                     else
                     sumOthers += 3 * mat[i][1]; // 3*y[i]
        sum += sum3X + sumOthers;
        sum *= ((3*h) / 8);
```

```
11. Do {
             Input choice
             Switch(choice){
                   case 1: trapezoidalRule(h, n);
                          break;
                    case 2: simpson1By3(h, n);
                          break;
                   case 3: simpson3By8(h, n);
                          break;
                   default:
                          EXIT
      }While(true)
   12. Print Sum.
   13.Stop.
Code:
#include<iostream>
#define f(x) 1/(1+(x*x))
float ll; // lower limit
float ul; // upper limit
int n; // number of intervals
static float mat[10][2] = \{0.0\};
float trapezoidalRule(float h, int n){
  float sum= mat[0][1]+ mat[n][1]; // y[0]+y[n]
  for (int i = 1; i < n; i++)
     /* code */
     sum += 2*mat[i][1]; // 2*y[i]
  sum*=(h/2);
  printf("The integration of the given function over the limit %f to %f using Trapezoidal
Rule is %f\n\n", ll, ul, sum);
  return sum;
float simpson1By3(float h, int n){
  if(n\%2 !=0){
```

}

```
printf("Can't apply Simpson's 1/3 Rule !!!!\n\n");
    return -1;
  }
  else{
     float sum = mat[0][1] + mat[n][1]; // y[0]+y[n]
     float sumEven=0.0, sumOdd=0.0;
     for (int i = 1; i < n; i++)
       /* code */
       if (i\%2==0)
          /* code */
         sumEven+= 2*mat[i][1]; // 2*y[i]
       }
       else
          sumOdd += 4 * mat[i][1]; // 4*y[i]
     sum+=sumEven+sumOdd;
     sum*=(h/3);
    printf("The integration of the given function over the limit %f to %f using Simpson's
1/3 Rule is %f\n\n", 11, u1, sum);
     return sum;
}
float simpson3By8(float h, int n){
  if (n \% 3 != 0)
    printf("Can't apply Simpson's 3/8 Rule !!!!\n\n");
     return -1;
  else
     float sum = mat[0][1] + mat[n][1]; // y[0]+y[n]
     float sum3X = 0.0, sumOthers = 0.0; // sum3X---> multiples of 3, sumOthers---->
others
     for (int i = 1; i < n; i++)
       /* code */
```

```
if (i \% 3 == 0)
          /* code */
          sum3X += 2 * mat[i][1]; // 2*y[i]
       else
          sumOthers += 3 * mat[i][1]; // 3*y[i]
     sum += sum3X + sumOthers;
     sum *= ((3*h) / 8);
     printf("The integration of the given function over the limit %f to %f using Simpson's
3/8 Rule is %f\n\n", ll, ul, sum);
     return sum;
}
using namespace std;
int main(){
  cout << "Enter the lower limit: ";
  cin>>ll:
  cout << "Enter the upper limit: ";
  cin>>ul;
  cout<<"Enter the number of intervals: ";</pre>
  cin>>n;
  float h=(ul-ll)/n;
  float z=11;
  for (int i = 0; i \le n; i++)
     /* code */
    mat[i][0]=(z); // x[i]
     mat[i][1]=f(z); // y[i]
     z+=h;
  cout << endl << endl;
  // printing the table
  cout << "x: ";
  for (int i = 0; i < n; i++)
     /* code */
     printf("%.6f\t", mat[i][0]);
```

```
cout << endl;
cout << "y: ";
for (int i = 0; i < n; i++)
  /* code */
  printf("%.6f\t", mat[i][1]);
  // cout << mat[i][1] << "\t";
}
cout << endl << endl;
do
  /* code */
  int choice=0;
  cout << "(1). Trapezoidal Rule "<< endl;
  cout<<"(2). Simpson's 1/3 Rule"<<endl;
  cout << "(3). Simpson's 3/8 Rule" << endl;
  cout << "(4). Exit" << endl;
  cout<<"Using which rule would you like to integrate? : ";
  scanf(" %d", &choice);
  switch (choice)
  case 1: trapezoidalRule(h, n);
     /* code */
     break;
  case 2: simpson1By3(h, n);
     /* code */
     break;
  case 3: simpson3By8(h, n);
     /* code */
     break;
  default:
     cout << "EXIT" << endl;
     goto x;
  }
} while (1);
x:return 0;
```

Output:

Windows PowerShell

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PS E:\03 Semester\CBNST\Unit 04> cd "e:\03 Semester\CBNST\Unit 04\"; if (\$?) { g++

14 Integration.cpp -o 14 Integration }; if (\$?) { .\14 Integration }

Enter the lower limit: 0 Enter the upper limit: 1

Enter the number of intervals: 6

x: 0.000000	0.166667	0.333333	0.500000	0.666667	0.833333
y: 1.000000	0.972973	0.900000	0.800000	0.692308	0.590164

- (1). Trapezoidal Rule
- (2). Simpson's 1/3 Rule
- (3). Simpson's 3/8 Rule
- (4). Exit

Using which rule would you like to integrate? : 1

The integration of the given function over the limit 0.000000 to 1.000000 using Trapezoidal Rule is 0.784241

- (1). Trapezoidal Rule
- (2). Simpson's 1/3 Rule
- (3). Simpson's 3/8 Rule
- (4). Exit

Using which rule would you like to integrate? : 2

The integration of the given function over the limit 0.000000 to 1.000000 using Simpson's 1/3 Rule is 0.785398

- (1). Trapezoidal Rule
- (2). Simpson's 1/3 Rule
- (3). Simpson's 3/8 Rule
- (4). Exit

Using which rule would you like to integrate? : 3

The integration of the given function over the limit 0.000000 to 1.000000 using Simpson's 3/8 Rule is 0.785396

- (1). Trapezoidal Rule
- (2). Simpson's 1/3 Rule
- (3). Simpson's 3/8 Rule
- (4). Exit

Using which rule would you like to integrate? : 4

EXIT