

## 6.101 Recitation 1: Week 0 Wednesday – Audio Processing Midpoint 2/7/24

### R1 Participation Credit

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*Hand this sheet in at the end of recitation to get participation credit for today.*

There are many ways to represent polynomials in Python. For today, we will represent polynomials in Python with lists, where the index represents the power and the element at that index represents the coefficient value. We will also assume all of our polynomials use the same single variable.

For example, the polynomial  $3x^3 + x + 2$  would be represented in Python as `[2, 1, 0, 3]`

**Question 1: Given the code below, complete the `test_poly_add` function. Will the provided `poly_add` pass this test case? Why or why not? :**

```
def poly_add(p1, p2):
    """
    Takes two polynomials as input and returns a
    new polynomial representing their sum. Does not modify inputs.
    """
    out = p1.copy()

    for i in range(len(p1)):
        out[i] += p2[i]

    return out


def test_poly_add():
    """
    Test case checking that poly_add can add
    x^2 + 3x to 4x^3 + 7x - 8 and get 4x^3 + x^2 + 10x - 8
    """
```

**Question 2: Complete the body of poly\_mul below.**

```
def poly_mul(p1, p2):  
    """  
    Takes two single variable polynomials as input and returns a  
    new polynomial representing their product. Does not modify inputs.  
  
    Ex: multiplying  $6x^7 + 2x^4 + 5x^3$  by  $4x^2 + 3x$  should result in the  
    polynomial equivalent to  $24x^9 + 18x^8 + 8x^6 + 26x^5 + 15x^4$   
    """
```

**Question 3: Complete the body of poly\_subtract below.**

```
def poly_subtract(p1, p2):  
    """  
    Takes two single variable polynomials as input and returns a  
    new polynomial representing their  $p1 - p2$ . Does not modify inputs.  
  
    Ex:  $(4x^3 + 7x - 8) - (x^2 + 3x)$  should result in a polynomial equivalent  
        To  $4x^3 - x^2 + 4x - 8$   
    """
```