## 2020-08-04-143949

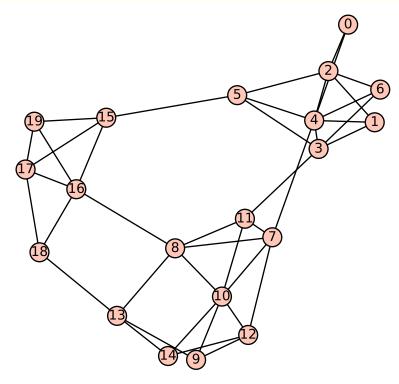
Ido Doron

8/6/2020

```
[0, 1, 0, 0, 1, 1, 1, 0, 0, 0, 0, 1, 0, 0, 0, 0, 0, 0, 0, 0, 0],
[0,0,1,1,1,0,0,0,0,0,0,0,0,0,1,0,0,0,0],
[0,0,0,0,0,0,0,1,1,1,0,1,1,0,0,0,0,0,0]
[0,0,0,0,0,0,0,1,0,1,1,0,0,0,0,0,0,0,0]
[0,0,0,0,0,0,0,0,1,1,0,0,0,0,1,0,0,0,1,0]
[0,0,0,0,0,0,1,0,0,0,0,0,0,0,0,0,1,1,0,1]
0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,1,1,1,1],
0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,1,1,0,1,1],
[0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0,0]
[0,0,0,0,0,0,0,0,0,0,0,0,0,0,1,1,1,0,0]
E = []
for i in range (20):
  for j in range (20):
     if i \leq j and M[i][j] == 1:
       E. append ((i, j))
G = Graph(E)
P = G. plot()
P. show()
s = "{}"
delimiter = ""
for (i,j) in G. edges (False, True):
  s += delimiter + "{" + str(i) + "," + str(j) + "}"
  delimiter = ","
```

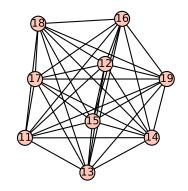
```
s += "}"
print(str(s))
len("number of edges: " + str(G.edges(False, True)))

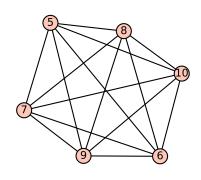
adjmat = str(G.adjacency_matrix())
adjmat = adjmat.replace('[', '')
adjmat = adjmat.replace(']', '')
print("\n20\n20\n" + adjmat)
```

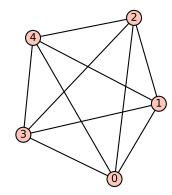


```
\{\{0,2\},\{0,4\},\{1,2\},\{1,3\},\{1,4\},\{2,4\},\{2,5\},\{2,6\},\{3,4\},\{3,5\},\{3,6\},\{3,11\},\{4,5\},\{4,6\},\{4,7\},\{4,6\},\{4,6\},\{4,7\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4,6\},\{4
  \{5,15\},\{7,8\},\{7,10\},\{7,11\},\{7,12\},\{8,10\},\{8,11\},\{8,13\},\{8,16\},\{9,10\},\{9,12\},\{9,13\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{10,10\},\{
 1, \{10,12\}, \{10,14\}, \{12,14\}, \{13,14\}, \{13,18\}, \{15,16\}, \{15,17\}, \{15,19\}, \{16,17\}, \{16,18\}, \{16,19\}
  ,{17,18},{17,19}}
 385
 20
 20
0\;0\;1\;1\;1\;0\;0\;0\;0\;0\;0\;0\;0\;0\;0\;0\;0\;0
 1\ 1\ 0\ 0\ 1\ 1\ 1\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0
0\; 1\; 0\; 0\; 1\; 1\; 1\; 0\; 0\; 0\; 0\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0
 1\; 1\; 1\; 1\; 0\; 1\; 1\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0
0\;0\;1\;1\;1\;0\;0\;0\;0\;0\;0\;0\;0\;0\;1\;0\;0\;0\;0
0\;0\;1\;1\;1\;0\;0\;0\;0\;0\;0\;0\;0\;0\;0\;0\;0\;0
0\; 0\; 0\; 0\; 1\; 0\; 0\; 0\; 1\; 0\; 1\; 1\; 1\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0
0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 0\; 0\; 1\; 1\; 0\; 1\; 0\; 0\; 1\; 0\; 0\; 0
0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 0\; 1\; 1\; 0\; 0\; 0\; 0\; 0\; 0
0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 1\; 1\; 0\; 1\; 1\; 0\; 1\; 0\; 0\; 0\; 0\; 0
```

```
G1 = graphs.CompleteGraph(5)
G2 = graphs.CompleteGraph(6)
G3 = graphs.CompleteGraph(9)
G1 = G1. disjoint_union (G2, labels='integers')
G1 = G1. disjoint union (G3, labels='integers')
P= G1. plot()
P. show()
s = "{} "
delimiter = ""
for (i,j) in G1. edges (False, True):
    s += delimiter + "{" + str(i) + "," + str(j) + "}"
    delimiter = ","
s += "}"
print(str(s))
len ("number of edges: " + str (G1. edges (False, True)))
adjmat = str (G1. adjacency_matrix())
adjmat = adjmat.replace('[', '')
adjmat = adjmat.replace(']',
print ("n20 n20 n" + adjmat)
```

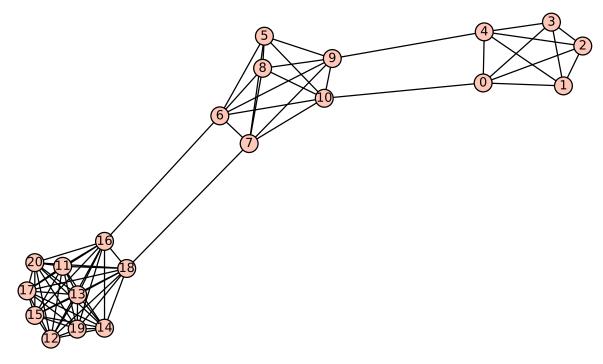






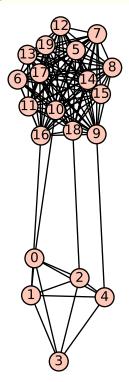
 $\{\{0,1\},\{0,2\},\{0,3\},\{0,4\},\{1,2\},\{1,3\},\{1,4\},\{2,3\},\{2,4\},\{3,4\},\{5,6\},\{5,7\},\{5,8\},\{5,9\},\{5,10\},\{6,7\},\{6,8\},\{6,9\},\{6,10\},\{7,8\},\{7,9\},\{7,10\},\{8,9\},\{8,10\},\{9,10\},\{11,12\},\{11,13\},\{11,14\},\{11,15\},\{11,16\},\{11,17\},\{11,18\},\{11,19\},\{12,13\},\{12,14\},\{12,15\},\{12,16\},\{12,17\},\{12,18\},\{12,19\},\{13,14\},\{13,15\},\{13,16\},\{13,17\},\{13,18\},\{13,19\},\{14,15\},\{14,16\},\{14,17\},\{14,18\},\{14,19\},\{15,16\},\{15,17\},\{15,18\},\{15,19\},\{16,17\},\{16,18\},\{16,19\},\{17,18\},\{17,19\},\{18,19\}\}$ 

```
20
20
0\ 1\ 1\ 1\ 1\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0
1\ 0\ 1\ 1\ 1\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0
1\ 1\ 0\ 1\ 1\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0
1\ 1\ 1\ 0\ 1\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0
0\ 0\ 0\ 0\ 0\ 0\ 1\ 1\ 1\ 1\ 1\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0
0\; 0\; 0\; 0\; 0\; 1\; 0\; 1\; 1\; 1\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0
0\; 0\; 0\; 0\; 0\; 1\; 1\; 0\; 1\; 1\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0
0\; 0\; 0\; 0\; 0\; 1\; 1\; 1\; 0\; 1\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0
0\; 0\; 0\; 0\; 0\; 1\; 1\; 1\; 1\; 0\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0
0\; 0\; 0\; 0\; 0\; 1\; 1\; 1\; 1\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0
0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 0\; 1\; 1\; 1\; 1\; 1\; 1\; 1
0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 1\; 0\; 1\; 1\; 1\; 1\; 1\; 1
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0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 1\; 1\; 1\; 0\; 1\; 1\; 1\; 1
0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 1\ 1\ 1\ 1\ 1\ 1\ 1\ 1\ 1\ 1
0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 0\; 1
0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 0
G1 = graphs.CompleteGraph(5)
G2 = graphs.CompleteGraph(6)
G3 = graphs.CompleteGraph(10)
G1 = G1.disjoint_union(G2, labels='integers')
G1 = G1.disjoint_union(G3, labels='integers')
G1.add\_edges([(6,16),(7,18),(4,9),(0,10)])
P= G1. plot ()
P. show()
s = "{} "
delimiter = ""
for (i,j) in G1. edges (False, True):
      s += delimiter + "{" + str(i) + "," + str(j) + "}"
      delimiter = ","
s += "}"
print(str(s))
len ("number of edges: " + str (G1. edges (False, True)))
adjmat = str(G1.adjacency_matrix())
adjmat = adjmat.replace('[', '')
adjmat = adjmat.replace(']', '')
print("\n20\n20\n" + adjmat)
```



 $\{\{0,1\},\{0,2\},\{0,3\},\{0,4\},\{0,10\},\{1,2\},\{1,3\},\{1,4\},\{2,3\},\{2,4\},\{3,4\},\{4,9\},\{5,6\},\{5,7\},\{5,8\},\{6,1\},\{6$  $\{5,9\},\{5,10\},\{6,7\},\{6,8\},\{6,9\},\{6,10\},\{6,16\},\{7,8\},\{7,9\},\{7,10\},\{7,18\},\{8,9\},\{8,10\},\{9,1$ 0,  $\{11,12\}$ ,  $\{11,13\}$ ,  $\{11,14\}$ ,  $\{11,15\}$ ,  $\{11,16\}$ ,  $\{11,17\}$ ,  $\{11,18\}$ ,  $\{11,19\}$ ,  $\{11,20\}$ ,  $\{12,13\}$ ,  $\{12,14\}$  $, \{12,15\}, \{12,16\}, \{12,17\}, \{12,18\}, \{12,19\}, \{12,20\}, \{13,14\}, \{13,15\}, \{13,16\}, \{13,17\}, \{13,18\}, \{12,19\}, \{12,19\}, \{12,19\}, \{13,19\},$ 13,19,  $\{13,20$ ,  $\{14,15\}$ ,  $\{14,16\}$ ,  $\{14,17\}$ ,  $\{14,18\}$ ,  $\{14,19\}$ ,  $\{14,20\}$ ,  $\{15,16\}$ ,  $\{15,17\}$ ,  $\{15,18\}$ ,  $\{15,18\}$ ,19, ,15, ,20, ,16, ,17, ,16, ,18, ,16, ,19, ,16, ,20, ,17, ,18, ,17, ,19, ,17, ,20, ,18, ,19, ,18, ,20, ,19, ,200}} 707 20 20  $0\; 1\; 1\; 1\; 1\; 0\; 0\; 0\; 0\; 0\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0$  $1\ 1\ 1\ 1\ 0\ 0\ 0\ 0\ 1\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0$  $0\; 0\; 0\; 0\; 0\; 0\; 1\; 1\; 1\; 1\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0$  $0\; 0\; 0\; 0\; 0\; 1\; 0\; 1\; 1\; 1\; 1\; 1\; 0\; 0\; 0\; 0\; 0\; 1\; 0\; 0\; 0\; 0$  $0\; 0\; 0\; 0\; 0\; 1\; 1\; 0\; 1\; 1\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 0\; 0$  $0\; 0\; 0\; 0\; 0\; 1\; 1\; 1\; 0\; 1\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0$  $0\; 0\; 0\; 0\; 1\; 1\; 1\; 1\; 1\; 1\; 0\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0$  $1\ 0\ 0\ 0\ 0\ 1\ 1\ 1\ 1\ 1\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0$  $0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 0\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1$ 

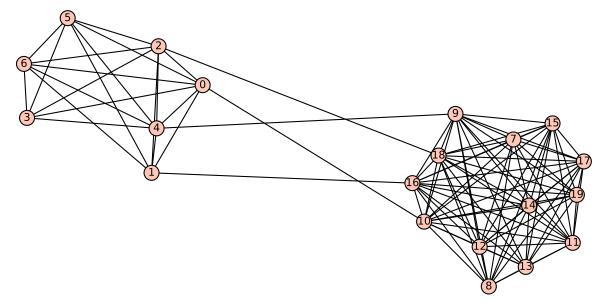
```
0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 0\; 0\; 0\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 0\; 1\; 1
0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 0\; 1
0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 0
G1 = graphs.CompleteGraph(5)
G2 = graphs.CompleteGraph(15)
G1 = G1. disjoint_union (G2, labels='integers')
G1.add\_edges([(1,16),(2,18),(4,9),(0,10)])
P= G1. plot()
P. show()
s = "{}(")
delimiter = ""
for (i,j) in G1.edges(False, True):
     s += delimiter + "{" + str(i) + "," + str(j) + "}"
     delimiter = ","
s += "}"
print(str(s))
len("number of edges: " + str(G1.edges(False, True)))
adjmat = str(G1.adjacency_matrix())
adjmat = adjmat.replace('[', '')
adjmat = adjmat.replace(']', '')
print("\n20\n20\n" + adjmat)
```



 $\{\{0,1\},\{0,2\},\{0,3\},\{0,4\},\{0,10\},\{1,2\},\{1,3\},\{1,4\},\{1,16\},\{2,3\},\{2,4\},\{2,18\},\{3,4\},\{4,9\},\{5,6\},\{5,7\},\{5,8\},\{5,9\},\{5,10\},\{5,11\},\{5,12\},\{5,13\},\{5,14\},\{5,15\},\{5,16\},\{5,17\},\{5,18\},\{5,19\},$ 

```
\{6,7\},\{6,8\},\{6,9\},\{6,10\},\{6,11\},\{6,12\},\{6,13\},\{6,14\},\{6,15\},\{6,16\},\{6,17\},\{6,18\},\{6,19\},
\{0,10\},\{8,11\},\{8,12\},\{8,13\},\{8,14\},\{8,15\},\{8,16\},\{8,17\},\{8,18\},\{8,19\},\{9,10\},\{9,11\},\{9,12\},\{9,10\},\{9,11\},\{9,12\},\{9,10\},\{9,11\},\{9,12\},\{9,12\},\{9,12\},\{9,13\},\{9,12\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},\{9,13\},
9,13,\{9,14,\{9,15,\{9,16\},\{9,17\},\{9,18\},\{9,19\},\{10,11\},\{10,12\},\{10,13\},\{10,14\},\{10,15\},\{10,12\}
0,16, \{10,17\}, \{10,18\}, \{10,19\}, \{11,12\}, \{11,13\}, \{11,14\}, \{11,15\}, \{11,16\}, \{11,17\}, \{11,18\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{11,19\}, \{
 19, \{12,13\}, \{12,14\}, \{12,15\}, \{12,16\}, \{12,17\}, \{12,18\}, \{12,19\}, \{13,14\}, \{13,15\}, \{13,16\}, \{13,17\}
 },{13,18},{13,19},{14,15},{14,16},{14,17},{14,18},{14,19},{15,16},{15,17},{15,18},{15,19},
 \{16,17\},\{16,18\},\{16,19\},\{17,18\},\{17,19\},\{18,19\}\}
1112
20
20
0\ 1\ 1\ 1\ 1\ 0\ 0\ 0\ 0\ 0\ 1\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0
1\ 0\ 1\ 1\ 1\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0
1\ 1\ 1\ 0\ 1\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0
1\ 1\ 1\ 1\ 0\ 0\ 0\ 0\ 1\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0
0\; 0\; 0\; 0\; 0\; 1\; 1\; 1\; 1\; 1\; 1\; 0\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1
0\ 0\ 1\ 0\ 0\ 1\ 1\ 1\ 1\ 1\ 1\ 1\ 1\ 1\ 1\ 1\ 1\ 1
G1 = graphs. CompleteGraph (7)
G2 = graphs.CompleteGraph(13)
G1 = G1. disjoint_union (G2, labels='integers')
G1. add_edges ([(1,16),(2,18),(4,9),(0,10)])
G1. delete_edges ([(8,19), (7,13), (1,3)])
P= G1. plot ()
P. show()
 s = "{} "
 delimiter = ""
 for (i,j) in G1.edges(False, True):
                 s += delimiter + "{" + str(i) + "," + str(j) + "}"
                 delimiter = ","
 s += "}"
 print(str(s))
 len ("number of edges: " + str (G1. edges (False, True)))
```

```
adjmat = str(G1.adjacency_matrix())
adjmat = adjmat.replace('[', '')
adjmat = adjmat.replace(']', '')
print("\n20\n20\n" + adjmat)
```



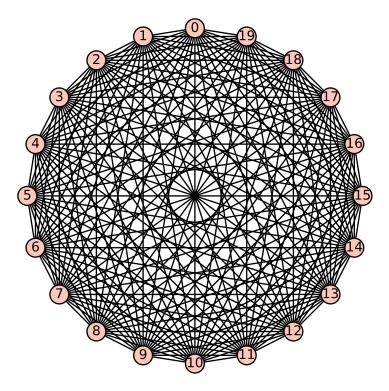
```
\{\{0,1\},\{0,2\},\{0,3\},\{0,4\},\{0,5\},\{0,6\},\{0,10\},\{1,2\},\{1,4\},\{1,5\},\{1,6\},\{1,16\},\{2,3\},\{2,4\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{2,6\},\{
 5},{2,6},{2,18},{3,4},{3,5},{3,6},{4,5},{4,6},{4,9},{5,6},{7,8},{7,9},{7,10},{7,11},{7,12}
 , \{7,14\}, \{7,15\}, \{7,16\}, \{7,17\}, \{7,18\}, \{7,19\}, \{8,9\}, \{8,10\}, \{8,11\}, \{8,12\}, \{8,13\}, \{8,14\}, \{8,15\}
  , \{8,16\}, \{8,17\}, \{8,18\}, \{9,10\}, \{9,11\}, \{9,12\}, \{9,13\}, \{9,14\}, \{9,15\}, \{9,16\}, \{9,17\}, \{9,18\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9,19\}, \{9
  },{10,11},{10,12},{10,13},{10,14},{10,15},{10,16},{10,17},{10,18},{10,19},{11,12},{11,13},
  \{11,14\},\{11,15\},\{11,16\},\{11,17\},\{11,18\},\{11,19\},\{12,13\},\{12,14\},\{12,15\},\{12,16\},\{12,17\},\{11,14\},\{11,15\},\{11,16\},\{11,17\},\{11,18\},\{11,19\},\{12,13\},\{12,14\},\{12,15\},\{12,16\},\{12,17\},\{11,18\},\{11,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,19\},\{12,
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  18, \{14,19\}, \{15,16\}, \{15,17\}, \{15,18\}, \{15,19\}, \{16,17\}, \{16,18\}, \{16,19\}, \{17,18\}, \{17,19\}, \{18,19\}
  }}
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0\; 1\; 1\; 1\; 1\; 1\; 1\; 0\; 0\; 0\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0
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 1\ 0\ 1\ 0\ 1\ 1\ 1\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0
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0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 1\; 1\; 1\; 1\; 0\; 1\; 1\; 1\; 1\; 1\; 1
0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 0\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 0
0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 1\; 1\; 1\; 0\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1
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0\; 0\; 1\; 0\; 0\; 0\; 0\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 0\; 1
0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 0\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 0
G1 = Graph()
for i in range (20):
    G1. add_vertices([i])
P= G1. plot()
P. show()
s = "{\{}"
delimiter = ""
for (i,j) in G1.edges(False, True):
    s += delimiter + "{" + str(i) + "," + str(j) + "}"
    delimiter = ","
s += "}"
print(str(s))
len ("number of edges: " + str (G1. edges (False, True)))
adjmat = str(G1.adjacency_matrix())
adjmat = adjmat.replace('[', '')
adjmat = adjmat.replace(']', '')
print("\n20\n20\n" + adjmat)
```



```
G1 = graphs.CompleteGraph(20)
P= G1. plot()
P. show()
s = "{}"
delimiter = ""
for (i,j) in G1.edges(False, True):
 s += delimiter + "{" + str(i) + "," + str(j) + "}"
 delimiter = ","
s += "}"
print(str(s))
len ("number of edges: " + str (G1.edges (False, True)))
```

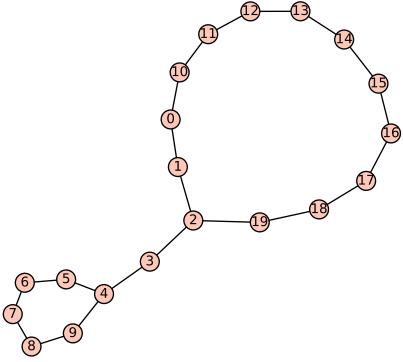
adjmat = str(G1.adjacency\_matrix())
adjmat = adjmat.replace('[', '')
adjmat = adjmat.replace(']', '')
print("\n20\n20\n" + adjmat)



 $\{\{0,1\},\{0,2\},\{0,3\},\{0,4\},\{0,5\},\{0,6\},\{0,7\},\{0,8\},\{0,9\},\{0,10\},\{0,11\},\{0,12\},\{0,13\},\{0,14\},$  $\{0.15\},\{0.16\},\{0.17\},\{0.18\},\{0.19\},\{1.2\},\{1.3\},\{1.4\},\{1.5\},\{1.6\},\{1.7\},\{1.8\},\{1.9\},\{1.10\},$  $\{1,11\},\{1,12\},\{1,13\},\{1,14\},\{1,15\},\{1,16\},\{1,17\},\{1,18\},\{1,19\},\{2,3\},\{2,4\},\{2,5\},\{2,6\},\{$ 7,  $\{2,8\}$ ,  $\{2,9\}$ ,  $\{2,10\}$ ,  $\{2,11\}$ ,  $\{2,12\}$ ,  $\{2,13\}$ ,  $\{2,14\}$ ,  $\{2,15\}$ ,  $\{2,16\}$ ,  $\{2,17\}$ ,  $\{2,18\}$ ,  $\{2,19\}$ ,  $\{3,4\}$  $, \{3,5\}, \{3,6\}, \{3,7\}, \{3,8\}, \{3,9\}, \{3,10\}, \{3,11\}, \{3,12\}, \{3,13\}, \{3,14\}, \{3,15\}, \{3,16\}, \{3,17\}, \{3,16\}, \{3,17\}, \{3,18\},$ 18\,\{3,19\,\{4,5\},\{4,6\},\{4,7\},\{4,8\},\{4,9\},\{4,10\},\{4,11\},\{4,12\},\{4,13\},\{4,14\},\{4,15\},\{4,16\},  $\{4,17\},\{4,18\},\{4,19\},\{5,6\},\{5,7\},\{5,8\},\{5,9\},\{5,10\},\{5,11\},\{5,12\},\{5,13\},\{5,14\},\{5,15\},\{5,12\},\{5,13\},\{5,14\},\{5,15\},\{5,14\},\{5,15\},\{5,14\},\{5,15\},\{5,14\},\{5,15\},\{5,14\},\{5,15\},\{5,14\},\{5,15\},\{5,14\},\{5,15\},\{5,14\},\{5,15\},\{5,14\},\{5,15\},\{5,14\},\{5,15\},\{5,14\},\{5,15\},\{5,14\},\{5,15\},\{5,14\},\{5,15\},\{5,14\},\{5,15\},\{5,1$ 16},{5,17},{5,18},{5,19},{6,7},{6,8},{6,9},{6,10},{6,11},{6,12},{6,13},{6,14},{6,15},{6,16}  $\{6,17\},\{6,18\},\{6,19\},\{7,8\},\{7,9\},\{7,10\},\{7,11\},\{7,12\},\{7,13\},\{7,14\},\{7,15\},\{7,16\},\{7,17\}$  $,\{7,18\},\{7,19\},\{8,9\},\{8,10\},\{8,11\},\{8,12\},\{8,13\},\{8,14\},\{8,15\},\{8,16\},\{8,17\},\{8,18\},\{8,19\}$  $,\{9,10\},\{9,11\},\{9,12\},\{9,13\},\{9,14\},\{9,15\},\{9,16\},\{9,17\},\{9,18\},\{9,19\},\{10,11\},\{10,12\},\{10,11\},\{10,12\},\{10,1$ ,13,  $\{10,14\}$ ,  $\{10,15\}$ ,  $\{10,16\}$ ,  $\{10,17\}$ ,  $\{10,18\}$ ,  $\{10,19\}$ ,  $\{11,12\}$ ,  $\{11,13\}$ ,  $\{11,14\}$ ,  $\{11,15\}$ ,  $\{11,15\}$ 6,  $\{11,17\}$ ,  $\{11,18\}$ ,  $\{11,19\}$ ,  $\{12,13\}$ ,  $\{12,14\}$ ,  $\{12,15\}$ ,  $\{12,16\}$ ,  $\{12,17\}$ ,  $\{12,18\}$ ,  $\{12,19\}$ ,  $\{13,14\}$  $, \{13,15\}, \{13,16\}, \{13,17\}, \{13,18\}, \{13,19\}, \{14,15\}, \{14,16\}, \{14,17\}, \{14,18\}, \{14,19\}, \{15,16\}, \{14,19\},$ 15,17,  $\{15,18\}$ ,  $\{15,19\}$ ,  $\{16,17\}$ ,  $\{16,18\}$ ,  $\{16,19\}$ ,  $\{17,18\}$ ,  $\{17,19\}$ ,  $\{18,19\}$ 1727

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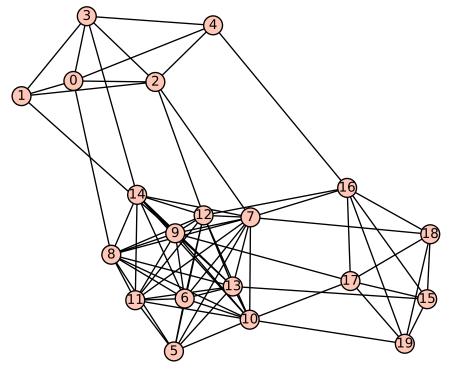
```
G1 = graphs.PathGraph(10)
G2 = graphs.PathGraph(10)
G1 = G1.disjoint_union(G2, labels='integers')
G1. add_edges([(2,19), (4,9), (0,10)])
P= G1. plot()
P. show()
s = "{}"
delimiter = ""
for (i,j) in G1.edges(False, True):
  s += delimiter + "{" + str(i) + "," + str(j) + "}"
  delimiter = ","
s += "}"
print(str(s))
len ("number of edges: " + str (G1.edges (False, True)))
adjmat = str(G1.adjacency_matrix())
adjmat = adjmat.replace('[', ''])
adjmat = adjmat.replace(']', '')
print("\n20\n20\n" + adjmat)
```



```
\{\{0,1\},\{0,10\},\{1,2\},\{2,3\},\{2,19\},\{3,4\},\{4,5\},\{4,9\},\{5,6\},\{6,7\},\{7,8\},\{8,9\},\{10,11\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{11,12\},\{
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20
0\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0
0\; 0\; 0\; 1\; 0\; 1\; 0\; 0\; 0\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0
0\; 0\; 0\; 0\; 1\; 0\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0
0\; 0\; 0\; 0\; 0\; 1\; 0\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0
0\; 0\; 0\; 0\; 0\; 0\; 1\; 0\; 1\; 0\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0
0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 0\; 1\; 0\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0
0\; 0\; 0\; 0\; 1\; 0\; 0\; 0\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0
0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 0\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0
0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 0\; 1\; 0\; 0\; 0\; 0\; 0\; 0
0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 0\; 1\; 0\; 0\; 0\; 0\; 0
```

```
[1.0 \ ,0.0 \ ,1.0 \ ,1.0 \ ,0.0 \ ,0.0 \ ,0.0 \ ,0.0 \ ,1.0 \ ,0.0 \ ,0.0 \ ]
      ,0.0 ,0.0 ,0.0 ,0.0 ,0.0 ,0.0 ],
[0.0, 0.0, 0.0, 0.0, 0.0, 0.0, 0.0]
,0.0 ,0.0 \
      ,0.0 ,1.0 ,0.0 ,0.0 ,0.0 ,0.0 ,0.0 ],
,0.0,0.0
                                                                                          ,0.0 ,0.0 \
      ,0.0 ,0.0 ,0.0 ,1.0 ,0.0 ,0.0 ,0.0 ],
,0.0 ,1.0
                                                                                         ,1.0 ,1.0 \
      ,1.0 ,0.0 ,0.0 ,0.0 ,0.0 ,0.0 ,0.0 ],
\begin{bmatrix} 0.0 & , 0.0 & , 0.0 & , 0.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.
      ,1.0 ,1.0 ,0.0 ,0.0 ,0.0 ,0.0 ,0.0 ],
[0.0, 1.0, 0.0, 1.0, 0.0, 1.0, 0.0]
[1.0 \ ,0.0 \ ,0.0 \ ,0.0 \ ,0.0 \ ,1.0 \ ,1.0 \ ,0.0 \ ,1.0 \ ,1.0 \ ,1.0 \ ,1.0 \ ]
      ,1.0 ,1.0 ,0.0 ,0.0 ,0.0 ,0.0 ,0.0 ],
,1.0 ,1.0 ,0.0 ,0.0 ,1.0 ,0.0 ,0.0 ],
\begin{bmatrix} 0.0 & , 0.0 & , 0.0 & , 0.0 & , 0.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 1.0 & , 0.0 \end{bmatrix}
                                                                                          ,1.0 ,1.0 \
      ,1.0 ,1.0 ,0.0 ,0.0 ,1.0 ,0.0 ,1.0 ],
,1.0 ,1.0 ,0.0 ,0.0 ,0.0 ,0.0 ,0.0 ],
[0.0 \ ,0.0 \ ,1.0 \ ,0.0 \ ,0.0 \ ,1.0 \ ,1.0 \ ,1.0 \ ,1.0 \ ,1.0 \ ,1.0 \ ,0.0 \ \setminus
      [1.0, 1.0, 0.0, 1.0, 0.0, 0.0, 0.0, 0.0]
[0.0 \ ,0.0 \ ,0.0 \ ,0.0 \ ,0.0 \ ,1.0 \ ,1.0 \ ,1.0 \ ,1.0 \ ,1.0 \ ,1.0 \ ,1.0 \ ,1.0 \ ,1.0 \ )
      [0.0, 1.0, 1.0, 0.0, 0.0, 0.0, 0.0]
,1.0 ,1.0 ,1.0 ,1.0 \
      \begin{bmatrix} 0.0 & , 0.0 & , 0.0 & , 0.0 & , 0.0 & , 0.0 & , 0.0 & , 0.0 \end{bmatrix}
                                                                          ,0.0,0.0
                                                                                          ,0.0 ,0.0 \
      ,1.0 ,0.0 ,0.0 ,1.0 ,1.0 ,1.0 ,1.0 ],
,0.0 ,1.0 \
      ,0.0 ,0.0 ,1.0 ,0.0 ,1.0 ,1.0 ,1.0 ],
[0.0, 0.0, 1.0, 1.0, 0.0, 1.0, 1.0]
,0.0 ,0.0 ,1.0 ,1.0 ,1.0 ,0.0 ,1.0 ],
[0.0, 0.0, 1.0, 1.0, 1.0, 1.0, 0.0]
E = []
for i in range (20):
       for j in range (20):
             if i < j and M[i][j] == 1:
                   E.append((i,j))
```

```
G = Graph(E)
P = G.plot()
P.show()
s = "{"
    delimiter = ""
    for (i,j) in G.edges(False, True):
        s += delimiter + "{" + str(i) + "," + str(j) + "}"
        delimiter = ","
s += "}"
print(str(s))
len("number of edges: " + str(G.edges(False, True)))
adjmat = str(G.adjacency_matrix())
adjmat = adjmat.replace('[', '')
adjmat = adjmat.replace('[', '')
print("\n20\n20\n" + adjmat)
```



 $\{\{0,1\},\{0,2\},\{0,3\},\{0,4\},\{0,8\},\{1,2\},\{1,3\},\{1,9\},\{2,3\},\{2,4\},\{2,7\},\{2,12\},\{3,4\},\{3,14\},\{4,16\},\{5,6\},\{5,7\},\{5,8\},\{5,10\},\{5,11\},\{5,12\},\{5,13\},\{6,7\},\{6,8\},\{6,9\},\{6,10\},\{6,11\},\{6,12\},\{6,13\},\{6,14\},\{7,8\},\{7,9\},\{7,10\},\{7,11\},\{7,12\},\{7,13\},\{7,14\},\{7,16\},\{7,18\},\{8,9\},\{8,10\},\{8,11\},\{8,12\},\{8,13\},\{8,14\},\{9,10\},\{9,11\},\{9,12\},\{9,13\},\{9,14\},\{9,17\},\{10,11\},\{10,12\},\{10,13\},\{10,14\},\{10,17\},\{10,19\},\{11,12\},\{11,13\},\{11,14\},\{12,13\},\{12,14\},\{12,16\},\{13,14\},\{13,15\},\{15,16\},\{15,17\},\{15,18\},\{15,19\},\{16,17\},\{16,18\},\{16,19\},\{17,18\},\{17,19\},\{18,19\}\}$ 

15

 $1\ 0\ 1\ 1\ 0\ 0\ 0\ 0\ 0\ 1\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0$  $1\; 1\; 0\; 1\; 1\; 0\; 0\; 1\; 0\; 0\; 0\; 0\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 0$  $1\ 1\ 1\ 0\ 1\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 0\ 1\ 0\ 0\ 0\ 0$  $0\; 0\; 0\; 0\; 0\; 0\; 1\; 1\; 1\; 0\; 1\; 1\; 1\; 1\; 0\; 0\; 0\; 0\; 0\; 0$  $0\; 0\; 0\; 0\; 0\; 1\; 0\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 0\; 0\; 0\; 0\; 0$  $0\; 0\; 1\; 0\; 0\; 1\; 1\; 0\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 0\; 1\; 0\; 1\; 0$  $1\; 0\; 0\; 0\; 0\; 1\; 1\; 1\; 0\; 1\; 1\; 1\; 1\; 1\; 1\; 0\; 0\; 0\; 0\; 0$  $0\; 1\; 0\; 0\; 0\; 0\; 1\; 1\; 1\; 0\; 1\; 1\; 1\; 1\; 1\; 0\; 0\; 1\; 0\; 0$  $0\; 0\; 0\; 0\; 0\; 1\; 1\; 1\; 1\; 1\; 0\; 1\; 1\; 1\; 1\; 0\; 0\; 1\; 0\; 1$  $0\; 0\; 0\; 0\; 0\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 0\; 1\; 1\; 1\; 0\; 0\; 0\; 0\; 0$  $0\; 0\; 1\; 0\; 0\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 0\; 1\; 1\; 0\; 1\; 0\; 0\; 0$  $0\; 0\; 0\; 0\; 0\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 0\; 1\; 1\; 0\; 0\; 0\; 0$  $0\; 0\; 0\; 1\; 0\; 0\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 1\; 0\; 0\; 0\; 0\; 0\; 0$  $0\; 0\; 0\; 0\; 1\; 0\; 0\; 1\; 0\; 0\; 0\; 0\; 1\; 0\; 0\; 1\; 0\; 1\; 1\; 1\; 1$  $0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 1\; 0\; 0\; 0\; 0\; 1\; 1\; 0\; 1\; 1$  $0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 1\; 1\; 0\; 1$  $0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 0\; 1\; 0\; 0\; 0\; 0\; 1\; 1\; 1\; 1\; 0$