Quipu Function

Time limit: 1000 ms Memory limit: 10 MB

Today is your first math class in Peru. Probably you know that Peruvian teachers include words in Quechua language in their classes.

In this context, your teacher defines a curious function q(n,d) for a pair of positive integers n and d. This function is called Quipu Function and it's defined as the number of divisors of n which are not divisible by d.

The math class about Quipu function was amazing. After class, some students try to challenge the teacher. They ask questions like the following: "Given the positive integers a, b and d (where d is a prime number), can you tell me the result of next expression:

 $\sum_{i=a}^{b} q(i,d)$ where q is the Quipu Function".

Unfortunately, the teacher got tired but he wants to answer all the questions by his students. Since he knows that you are the best programmer in class, he wants to know if you can help him by creating an application to compute the results for the student questions.

Standard input

In the first line there are three integers t $(1 \le t \le 5)$, a and b $(1 \le a \le b \le 10^{12}$ and $b - a \le 10^{5}$), where t represents the number of students (queries). In each one of the next t lines there is one prime integer d_i $(d_i < 10^{12})$.

Standard output

For each query you need to write the result of the target expression given a, b and d_i .

Constraints and notes

- 1 < t < 1
- $1 \le a \le b \le 10^1$

Input	Output	Explanation
2 3 6 3	8 10	In the sample input $t=2$, so you have to answer to two questions wher $a=3$ and $b=6$.
5		In the first question, $d=3$ so we need to sum the following:
		$\begin{array}{l} \bullet \ q(3,3)=1 \text{: the divisors are } \{1,3\} \text{, but } 3 \text{ is not counted becaus} \\ d 3 \\ \bullet \ q(4,3)=3 \text{: the divisors are } \{1,2,4\} \\ \bullet \ q(5,3)=2 \text{: the divisors are } \{1,5\} \\ \bullet \ q(6,3)=2 \text{: the divisors are } \{1,2,3,6\} \text{, but } 3 \text{ and } 6 \text{ are not counted becaus} \\ d 3 \text{ and } d 6. \end{array}$
		So the sum $1+3+2+2=8$.
		In the second question, $d=5$ so we need to sum the following:
		• $q(3,5) = 2$: the divisors are $\{1,3\}$ • $q(4,5) = 3$: the divisors are $\{1,2,4\}$

So the sum 2 + 3 + 1 + 4 = 10.

• q(6,5) = 4: the divisors are $\{1, 2, 3, 6\}$

Note about this notation x|y: the | sign means that x divides y, or that $\frac{y}{x}$ is an integer.

• q(5,5)=1: the divisors are $\{1,5\}$, but 5 is not counted because