Counting Sort

- comparsion Algo has O(nlogn)
- but counting sort not comparison base sort but under some condition
  - count sort has → O(n)

For example

	1	2	3	4	5	6	7	8
A =	2	5	3	0	2	3	0	3
	j							

Value lie A between 0 and k

	1	2	3	4	5	6	7	8
output B :								

	1	2	3	4	5	
Auxiliary C :	0	0	0	0	0	→ k

C → | 1+1 | | 1+1 | 1+1+1 | | 1 | → C[A[j]] = C[A[j]] + 1

	0	1	2	3	4	5

C → | 2 | 0 | 2 | 3 | 0 | 1 |

	0	1	2	3	4	5	= k

Here we count Variable frequency in Array C

2	2	4	7	7	8	→ cumulative sum
0	1	2	3	4	5	

2 element ≤ 0

4 element ≤ 2

8 element ≤ 5

2	2	4	7	7	8
0	1	2	3	4	5

A :

1	2	3	4	5	6	7	8
2	5	3	0	2	3	0	3
							j

C :

0	1	2	3	4	5	6	7
2	2	4	7	7	8		

output Array

B :

1	2	3	4	5	6	7	8

B[C[A[j]]] = A[j]

A k last A[j] ko C index samaj kar C may save karna hai or C wali value decrease by one karna hai

B :

1	2	3	4	5	6	7	8
0	0	2	2	3	3	3	5

↓ Get sorted value

A[8] = 3 → C[3] = 7 → B[7] = A[8]

A[j] = X C[j] = X B[j] = A[j]

Counting: space and time complexity sort

```
count sort (A, B, k)
    let c[0...k] be new Array
for i = 0 to k                          } -> O(k)
    c[i] 0                              }
for j = 1 to A.lenght                   } -> O(n)
    c[A[j]] = c[A[j]] + 1               }
for i = 1 to k                          } O(k)
    c[i] = c[i] + c[i-1]                }
for j = A.lenght down onto 1            } -> O(n)
    B[c[A[j]]] = A[j]                   }
    c[A[j]] = c[A[j]] - 1               }
```

$O(n+k) \rightarrow O(n)$

↳ if k itself $O(k)$