## Queensland rainforest

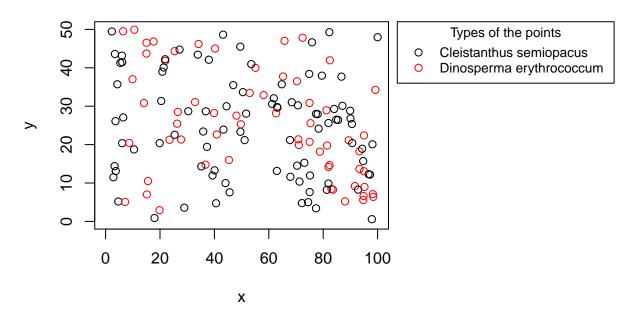
```
library(ppjsdm)
#> Registered S3 method overwritten by 'spatstat':
#> method
               from
#> print.boxx cli
library(spatstat)
#> Loading required package: spatstat.data
#> Loading required package: nlme
#> Loading required package: rpart
#>
#> spatstat 1.64-0
                         (nickname: 'Susana Distancia')
#> For an introduction to spatstat, type 'beginner'
library(plot.matrix)
remove(list = ls())
source("../R/get_qld.R")
set.seed(1)
```

This vignette explains how to use the ppjsdm package with the Queensland rainforest dataset from CSIRO. We begin by loading the data with the most prevalent species.

The point configuration is plotted below.

```
par(mar = c(5, 4, 4, 13) + 0.1)
plot(configuration, window = window)
```

#### Points in the configuration

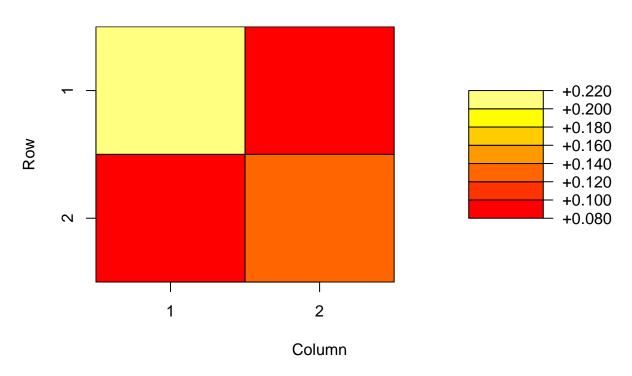


The function gibbsm fits a multivariate Gibbs point process to our dataset. For example,

```
short_range <- c(0, 10)</pre>
medium_range <- c(0, 10)</pre>
long_range <- c(0, 10)
fit <- ppjsdm::gibbsm(configuration,</pre>
                       short_range = short_range,
                       medium_range = medium_range,
                       long_range = long_range,
                       window = window,
                       use_glmnet = FALSE)
#> $beta0
#> [1] -5.495084 -7.458457
#>
#> $alpha
#>
               [,1]
                           [,2]
#> [1,] 0.21393339 0.08807536
#> [2,] 0.08807536 0.12277606
#>
#> $gamma
#>
              [,1]
                         [,2]
#> [1,] 0.4416140 0.5531471
#> [2,] 0.5531471 0.7312516
#>
#> $beta
#>
#> [1,]
#> [2,]
print(fit$coefficients)
```

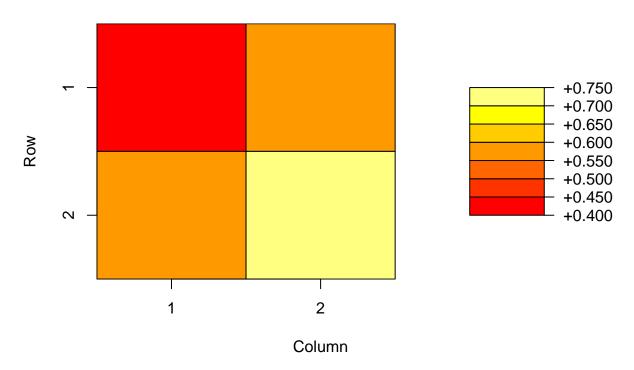
```
#> $beta0
#> [1] -5.495084 -7.458457
#>
#> $alpha
#> [,1] [,2]
#> [1,] 0.21393339 0.08807536
#> [2,] 0.08807536 0.12277606
#> $gamma
#> [,1] [,2]
#> [1,] 0.4416140 0.5531471
#> [2,] 0.5531471 0.7312516
#>
#> $beta
#>
#> [1,]
#> [2,]
#>
#> $short_range
#> [,1] [,2]
#> [1,] 1.305345 3.384901
#> [2,] 3.384901 3.915574
#>
#> $medium_range
#> [,1] [,2]
#> [1,] 7.460803 10.028878
#> [2,] 10.028878 5.100327
#>
#> $long_range
#> [,1] [,2]
#> [1,] 7.775195 13.83506
#> [2,] 13.835055 10.60002
par(mar = c(5.1, 5.1, 4.1, 4.1))
plot(fit$coefficients$alpha)
```

# fit\$coefficients\$alpha



plot(fit\$coefficients\$gamma)

### fit\$coefficients\$gamma



```
print(fit$aic)
#> [1] 850.9574
print(fit$bic)
#> [1] 891.3445
```

It is then possible to draw from the model, as can be seen below.

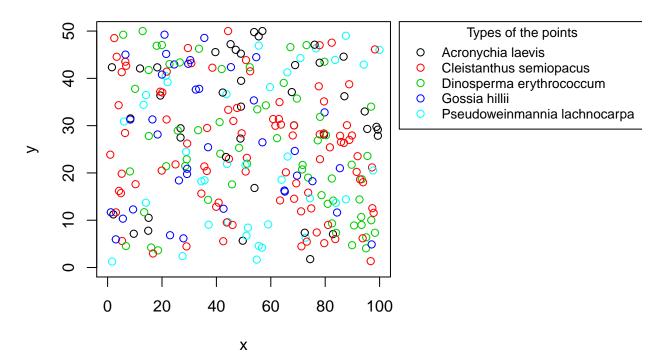
```
# parameters <- fit$coefficients</pre>
# draw <- ppjsdm::rgibbs(window = window,
#
                          alpha = parameters$alpha,
#
                          lambda = parameters \$ lambda,
#
                          gamma = parameters \$gamma,
#
                          short_range = parameters$short_range,
#
                          medium_range = parameters$medium_range,
#
                          long_range = parameters$long_range,
#
                          types = levels(types(configuration)))
# print(draw)
\# par(mar = c(5, 4, 4, 13) + 0.1)
# plot(draw, window = window)
```

Let us increase the number of species accounted for.

```
saturation <- 2
max_points <- 1000

index_of_plot <- 3 # Between 1 and 20
year <- 2011 # Year of census</pre>
```

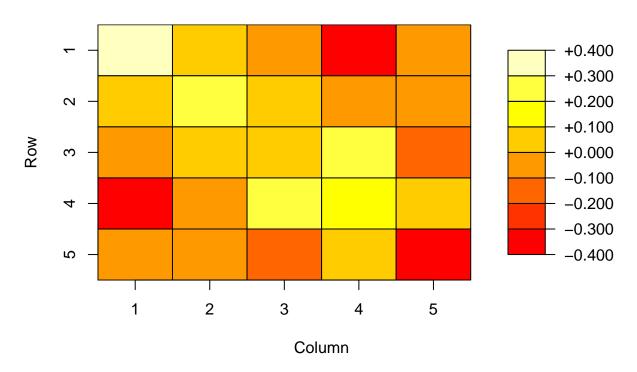
### Points in the configuration



```
use_glmnet = FALSE)
#> $beta0
#> [1] -4.447082 -5.400677 -7.009141 -5.509288 -3.150485
#> $alpha
                      [,2]
                                [,3]
#>
            [,1]
                                            [,4]
#> [1,] 0.32158228 0.05866608 -0.037897561 -0.3201649446 -0.0790902514
#> [2,] 0.05866608 0.23530055 0.067063810 -0.0787089981 -0.0374425354
#> [3,] -0.03789756  0.06706381  0.002565087  0.2382941391 -0.1675383387
#> [4,] -0.32016494 -0.07870900 0.238294139 0.1938443426 0.0008356026
#> [5,] -0.07909025 -0.03744254 -0.167538339 0.0008356026 -0.3085872031
#>
#> $gamma
           [,1]
#>
                    [,2]
                             [,3]
                                       [,4]
                                                 [.5]
#> [2,] 0.2653982 -0.1826036 0.4959855 -0.20444113 0.22963138
#> [3,] -0.1030516  0.4959855  0.7001943  0.13230223 -0.12107518
#> [4,] 0.1502247 -0.2044411 0.1323022 0.38074749 -0.06868716
#>
#> $beta
#>
#> [1,]
#> [2,]
#> [3,]
#> [4,]
#> [5,]
print(fit$coefficients)
#> $beta0
#> [1] -4.447082 -5.400677 -7.009141 -5.509288 -3.150485
#>
#> $alpha
#>
                                [,3]
                                            [,4]
            [,1]
                      [,2]
#> [1,] 0.32158228 0.05866608 -0.037897561 -0.3201649446 -0.0790902514
#> [2,] 0.05866608 0.23530055 0.067063810 -0.0787089981 -0.0374425354
#> [4,] -0.32016494 -0.07870900 0.238294139 0.1938443426 0.0008356026
#> [5,] -0.07909025 -0.03744254 -0.167538339 0.0008356026 -0.3085872031
#>
#> $qamma
                    [,2]
                             [,3]
#>
           [,1]
                                       [,4]
                                                 [,5]
#> [2,] 0.2653982 -0.1826036 0.4959855 -0.20444113 0.22963138
#> [3,] -0.1030516  0.4959855  0.7001943  0.13230223 -0.12107518
#> [4,] 0.1502247 -0.2044411 0.1323022 0.38074749 -0.06868716
#>
#> $beta
#>
#> [1,]
#> [2,]
#> [3,]
#> [4,]
```

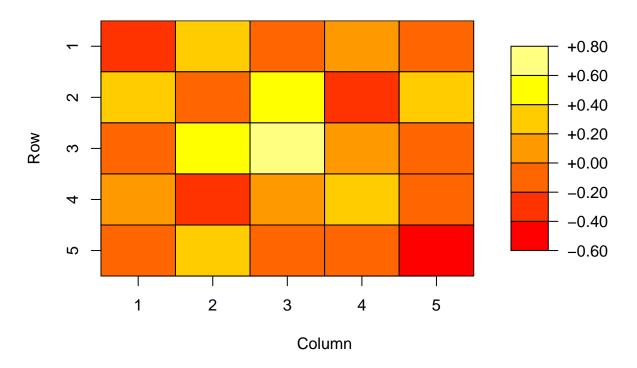
```
#> [5,]
#>
#> $short_range
#> [,1] [,2] [,3] [,4] [,5]
#> [1,] 4.345604 5.508050 5.508050 5.508050 5.508050
#> [2,] 5.508050 4.814746 5.508050 5.508050 5.508050
#> [3,] 5.508050 5.508050 2.699721 5.508050 5.508050
#> [4,] 5.508050 5.508050 5.508050 1.939803 5.508050
#> [5,] 5.508050 5.508050 5.508050 5.508050 6.107433
#> $medium_range
#>
           [,1] [,2] [,3]
                                    [,4]
#> [1,] 10.761297 8.602712 8.602712 8.602712 8.602712
#> [2,] 8.602712 7.071343 8.602712 8.602712 8.602712
#> [3,] 8.602712 8.602712 6.091297 8.602712 8.602712
#> [4,] 8.602712 8.602712 8.602712 6.787958 8.602712
#> [5,] 8.602712 8.602712 8.602712 8.602712 11.617277
#>
#> $long_range
          [,1]
#>
                [,2] [,3] [,4]
#> [1,] 17.77479 12.89652 12.89652 12.89652 12.89652
#> [2,] 12.89652 11.71936 12.89652 12.89652 12.89652
#> [3,] 12.89652 12.89652 11.33403 12.89652 12.89652
#> [4,] 12.89652 12.89652 12.89652 13.47600 12.89652
#> [5,] 12.89652 12.89652 12.89652 12.89652 15.75529
par(mar = c(5.1, 5.1, 4.1, 4.1))
plot(fit$coefficients$alpha)
```

# fit\$coefficients\$alpha



plot(fit\$coefficients\$gamma)

## fit\$coefficients\$gamma



```
print(fit$aic)
#> [1] 1707.063
print(fit$bic)
#> [1] 1914.457
```

We may then plot the corresponding Papangelou conditional intensity.

```
parameters <- fit$coefficients</pre>
# plot_papangelou(window = window,
                   configuration = configuration,
#
#
                   type = 2,
#
                   model = model,
#
                   medium_range_model = medium_range_model,
#
                   alpha = parameters \$alpha,
#
                   lambda = parameters \$ lambda,
#
                   beta = matrix(0, number_of_species, 0),
#
                   gamma = parameters \$gamma,
#
                   covariates = list(),
#
                   short_range = parameters$short_range,
#
                   medium_range = parameters$medium_range,
#
                   long_range = parameters$long_range,
#
                   saturation = saturation,
                   max\_points = max\_points)
```