```
function [Q, Qq1, Qq2, Qq3, tha, th2a, thb, th2b] = MariK(px,py,pz)
tic
syms q1 q2 q3
A(:,:,1) = [\cos(q1), 0, \sin(q1), 0; \sin(q1), 0, -\cos(q1), 0; 0, 1,
                  0,0,
        0, 27/2;
                                 0, 1]
m1 = A(:,:,1)
A(:,:,2) = [\cos(q^2 + pi/2), -\sin(q^2 + pi/2), 0, 15*\cos(q^2 + pi/2); \sin(q^2 + pi/2)]
pi/2), cos(q2 + pi/2), 0, 15*sin(q2 + pi/2); 0,
                  0,0,
m2 = A(:,:,2)
A(:,:,3) = [\cos(q3), -\sin(q3), 0, 20*\cos(q3); \sin(q3), \cos(q3), 0,
                      0, 1,
                                                                           1]
20*sin(q3);
                0,
                                          0; 0,
m3 = A(:,:,3)
T = simplify(simplify(m1*m2)*m3);
    ia = inv(A(:, :, 1));
    ter2 = A(:, :, 2) * A(:, :, 3);
    eq1 = ter2(3,4) == ia(3,1)*px + <math>ia(3,2)*py;
    %q1 = solve(eq1,q1, 'real',true);
    ib = inv(A(:, :, 2))*ia;
    ter1 = A(:, :, 3);
    eq2 = ter1(2,4) = ib(2,1)*px + ib(2,2)*py + ib(2,3)*pz + ib(2,4)*1;
    eq3 = ter1(1,4) == ib(1,1)*px + ib(1,2)*py + ib(1,3)*pz + ib(1,4)*1;
    assume(q2>0 \& q3>0)
    [q2,q3] = solve([eq2,eq3],[q2 q3], 'real', true);
    q1 = atan2(-py,-px); %ajustado a mano para dar órdenes de valores
 negativos
    q2a = eval(q2(1));
    q3a = eval(q3(1));
    q2b = eval(q2(2));
    q3b = eval(q3(2));
     tha = [q1, q2a, q3a];
     thb = [q1,q2b,q3b];
     th2a = rad2deg(tha);
     th2a = wrapTo180(th2a);
     th2b = rad2deg(thb);
```

```
th2b = wrapTo180(th2b);
    toc
    %q2
    %q3
A =
[\cos(q1), 0, \sin(q1), 0]
[\sin(q1), 0, -\cos(q1), 0]
[ 0, 1, 0, 27/2]
[ 0, 0, 0, 1]
m1 =
[\cos(q1), 0, \sin(q1), 0]
[\sin(q1), 0, -\cos(q1), 0]
[ 0, 1, 0, 27/2]
[ 0, 0, 0, 1]
A(:,:,1) =
[\cos(q1), 0, \sin(q1), 0]
[\sin(q1), 0, -\cos(q1), 0]
[ 0, 1, 0, 27/2]
[ 0, 0, 0, 1]
A(:,:,2) =
[\cos(q2 + pi/2), -\sin(q2 + pi/2), 0, 15*\cos(q2 + pi/2)]
[\sin(q2 + pi/2), \cos(q2 + pi/2), 0, 15*\sin(q2 + pi/2)]
                           0, 1,
     0,
[
                                                       0]
[
              0,
                              0,0,
                                                       1]
m2 =
[\cos(q2 + pi/2), -\sin(q2 + pi/2), 0, 15*\cos(q2 + pi/2)]
[\sin(q2 + pi/2), \cos(q2 + pi/2), 0, 15*\sin(q2 + pi/2)]
[ 0, 0, 1,
                                                       0]
              0,
                              0,0,
                                                       1]
[
A(:,:,1) =
[\cos(q1), 0, \sin(q1), 0]
[\sin(q1), 0, -\cos(q1), 0]
[ 0, 1, 0, 27/2]
[ 0, 0, 0, 1]
```

```
A(:,:,2) =
[\cos(q2 + pi/2), -\sin(q2 + pi/2), 0, 15*\cos(q2 + pi/2)]
[\sin(q2 + pi/2), \cos(q2 + pi/2), 0, 15*\sin(q2 + pi/2)]
                              0, 1,
              0,
                                                     0]
[
                                                     1]
[
              0,
                               0,0,
A(:,:,3) =
[\cos(q3), -\sin(q3), 0, 20*\cos(q3)]
[\sin(q3), \cos(q3), 0, 20*\sin(q3)]
             0, 1,
                             01
    0,
[
     0,
               0,0,
                               1]
m3 =
[\cos(q3), -\sin(q3), 0, 20*\cos(q3)]
[\sin(q3), \cos(q3), 0, 20*\sin(q3)]
     0, 0,1,
                          0]
Γ
      0,
                 0,0,
                               1]
Not enough input arguments.
Error in Marik (line 22)
    eq1 = ter2(3,4) == ia(3,1)*px + <math>ia(3,2)*py;
    Q = [];
    Rot = T(1:3, 1:3);
    Tra = T(1:3, 4);
    EqX = px == (Tra(1));
    EqY = py == (Tra(2));
    EqZ = pz == (Tra(3));
    Eqs = [EqX; EqY; EqZ];
    jointVar = symvar(T);
    assume(q1<0 \mid q1\sim=0) %%
    Q = solve([EqX EqY EqZ], jointVar, "Real",true);%, "PrincipalValue",false)
    Qq1 = rad2deg(double(Q.q1));
    Qq2 = rad2deg(double(Q.q2));
    Qq3 = rad2deg(double(Q.q3));
     [Q, tha, th2a, thb, th2b] = MariK(5,5,5)
```

Published with MATLAB® R2022b