

Effects of the body force on the evacuation dynamics

Abstract

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Pedestrian Dynamics, Social Force Model, Body Force

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1. Introduction

The Social Force Model (SFM) addresses two physical forces as *essential*: the “body force” and the “sliding friction”. Both are inspired by granular interactions and were claimed to be necessary for attaining the particular effects in panicking crowds [1]. The “sliding friction” actually proved to be an essential feature of the “faster-is-slower” effect, although the role of the “body force” appears, at a first instance, not so clear [2, 3, 4].

The existence of a “body force” in the context of highly dense crowds (say, 5 to 10 people/m²) is a commonsense matter [5, 6]. Researchers, however, question the numerical setting for this force in the SFM context [7]. As a matter of fact, the usual setting by Helbing prevents the overlapping among pedestrians, but it is known to accomplish artificially high force levels [1, 7, 8, 9]. The force estimates from the SFM appear to be remarkably higher with respect to the reported real life data (say, an order of magnitude). The crowd motion simulations, however, present quite realistic results [7, 8, 10]. The point seems to be that the SFM focuses on the “incoordination phenomenon” due to clogging, missing the “individualistic” perspective of single pedestrians or very small groups [1, 5, 11].

Many researchers realized that modifying the SFM may (partially) surpass the misleading parameter setting. It was proposed that the pedestrians’ psychological force (say, the “social force”) should be suppressed in the context of highly dense crowds [12, 13, 14, 15], or smoothly quenched according to the crowd density [16]. The authors in Refs. [17, 18] further

proposed a rigid body model in order to completely avoid the overlapping phenomenon. This perspective dismisses any connection to a “sliding friction”. Conversely, other authors tried to limit the pedestrians acceleration by introducing “static friction” between the pedestrians and the floor [19]. This kind of friction, however, reduces the effective willings of the pedestrians.

A meaningful (individualistic) numerical setting appears not available yet (to our knowledge). The reason is that different numerical settings can lead to the same crowd dynamics. Actually, only a small set of dimensionless “numbers” control the crowd dynamics [20]. These are similar to those encountered in other active matter systems (Péclet number, etc.) [21]. We may hypothesize that while the dimensionless “numbers” provide some kind of control on the “incoordination phenomenon” in crowds, only a few numerical settings can attain an “individualistic” meaning.

The numerical setting for the “faster is slower” effect presented by Helbing and co-workers is somewhat cumbersome Ref. [1, 10, 20]. Although a single parameter (say, the desired velocity v_d) is numerically varied to explain the phenomenon, the researcher loses sight of the dimensionless “numbers” that truly control the crowd dynamics. The setting in Ref. [1] also misses the “faster is faster” effect reported to occur at very high pedestrian densities [10, 22]. Alternatively, the empirical fundamental diagram raises as a point of reference for the SFM control parameters [23, 10].

The fundamental diagram exhibits the flux behavior for either low dense crowds (with seldom contacts between pedestrians) and highly dense crowds (dominated by body forces and sliding friction). The latter usually experiences a flux slowing down, but other behaviors are also possible [23, 24]. In light of our previous hypothesis, we may suspect that the modeling of the “flux slowing down” within the context of the SFM will require the proper setting of the (dimensionless) controlling parameters. We examined this working hypothesis in Ref. [20], but limiting the parameter exploration to the sliding friction, disregarding the body force.

We now widen the investigation on the parameter settings to include the one associated to the body force. We will focus on the complex interplay between the body force and the sliding friction among pedestrians. Recall that the interplay dynamics is not directly controlled by the numerical setting,

but through dimensionless “numbers”, where the model parameters appear mixed between each other. Thus, this step up offers a challenge to the “individualistic” meaning of the parameter’s setting.

The investigation is organized as follows. We first recall the available experimental values on the body force and the sliding friction (see Section 2). Secondly, we introduce the reduced-in-units SFM and the three dimensionless numbers that control the crowd dynamics (see Section 3). We present our numerical simulations in Section 4. For the sake of clarity, this Section is separated into two major parts: the bottleneck scenario and the corridor scenario in Sections 4.1 and 4.2, respectively. Section 5 opens a detailed discussion raising from of the results in Section 4. The last Section closes the investigation with our main conclusions.

2. Experimental background

The complex behavior of pedestrians feature either his (her) feelings and the environmental conditions. The former is expressed, for example, by his (her) moving “attitude” (say, self-assuredness). The latter brings out the observed separation between pedestrians. Also, the “contacts” between individuals address some kind of “unwanted” slowing down. All these observed patterns are commonly quantified in the literature into a a set of characteristic parameters. The experimental meaning of these parameters is as follows.

- (i) The walking attitude of a pedestrian may appear somewhat “assertive” if he (she) reacts actively to unexpected behaviors [7?]. The smaller the reaction time, the more assertive or aggressive observed posture. The associated parameter to this behavior is the relaxation or characteristic time τ [? 1].
- (ii) Despite the reactive attitude τ , the pedestrian addresses a “free” (undisturbed) walking speed v_0 . This speed expresses his (her) motivation or intention to reach a certain destination (as comfortable as possible). Observations commonly associate 0.6 m/s, 1 m/s or 1.5 m/s to relaxed, normal or nervous walking speeds, respectively [? 1?].
- (iii) The walking speed of pedestrians appears to be lower in a crowded walkway with respect to their usually expected “free” walking speeds [?

τ [s]	m [kg]	v_d [m/s]	B [m]	k [kg/s ²]	Refs.
0.61	—	1.24	$0.36 + 1.06 v$	—	[?]
0.50*	80*	1.34	0.50	—	[? 7]
—	67.5	1.39	—	$96.1 + 12694.1 x$	[16]
—	67.0	1.39	—	$97.0 + 29378.9 x$	[16]

Table 1: The experimental data for the pedestrian parameters, as explained in Section 2. The magnitude v means de pedestrian velocity (m/s). The magnitude x means the compression length (m). The upper row for Ref. [16] corresponds data acquired in winter and the lower row to datas acquiured in summer. The asterisk (*) corresponds to reasonable estimates.

7]. Pedestrians tend to reduce their speed within crowded environments because they perceive not enough space for taking a step [?]. This (perceived) step distance is therefore an influential parameter on the pedestrians behavior. It is known as the characteristic length B .

- (iv) Physical interactions occur in very crowded environments. The “body force” and “sliding friction” can be introduced straight forward. This will be done in Section 3. But it is worth noting that both are associated to the moving difficulties (say, slowing down and obstructions) observed in contacting pedestrians.

Table 1 shows a few empirical figures for the most common parameters. More data is available throughout the literature (see, for example, Refs. [? ? ? ? ? ? ?]). We intentionally omitted data that assumes a specific mathematical model. The exhibited values should also be considered as a general purpose approach, since no distinction has been made on age, gender or cultural habits.

A first examination of the figures in Table 1 shows that the choise $\tau \simeq 0.6$ s seems to be a reasonable estimation for the relaxation time, although this may vary with respect to gender or culture [?]. Additionally, we confirm that normal pedestrians attain desired velocities around 1.3 m/s.

No body contacts were reported in Refs. [? ?] since these experiments correspond to the low density regime. At this instance, the pedestrian does not feel to be too close to the others....

3. Theoretical background

3.1. The Social Force Model

4. Results

4.1. Bottleneck

In this section, we present the results corresponding to the bottleneck geometry. We show how the overall dynamic of the system changes depending on the k value associated to the body force in the original SFM.

Fig. 1 shows the evacuation time as a function of the pedestrian's desired velocity. The evacuation time was defined as the time until 70% of the pedestrians left the room. The different markers correspond to different k values (*i.e* different body "stiffness"). The crosses correspond to the Helbing original SFM parameter, the up-triangles correspond to the value measured in Ref ..., squares correspond to an absent body force and circles correspond to an extreme value of stiffness (one order of magnitude higher than the original SFM). The down triangles correspond to an intermediate value between the empirical value presented in Ref... and the chosen by Helbing in Ref...

There is a noticeable difference in the evacuation time depending on the k value of the body force. The higher the k the smaller the evacuation time, meaning that if pedestrians are stiffer, the overall speed increases (hence the evacuation time decreases).

The Faster-is-Faster (FIF) is the phenomenon in which under certain conditions, increasing the desired velocity yields to a reduction of the evacuation time. The Faster-is-Faster is the opposite effect (the higher v_d the lower the evacuation time). Notice that the presence of the Faster-is-Faster (FIF) effect and the Faster-is-Slower are dependent on the value of k . In Fig. 1 we can see that $k = 1.2 \text{ E}5$ only exhibits FIS effect for $v_d > 2 \text{ m/s}$. When $k = 1.2 \text{ E}6$, the evacuation time reduces as v_d increases, meaning that only FIF is reported. The explored values of k that satisfy $k \leq 6 \text{ E}4$ exhibit both the FIS and the FIF effect depending on the range of desired velocities. Notice that the behavior of the case in which $k = 0$ is very similar to the case in which $k = 1.2 \text{ E}4$.

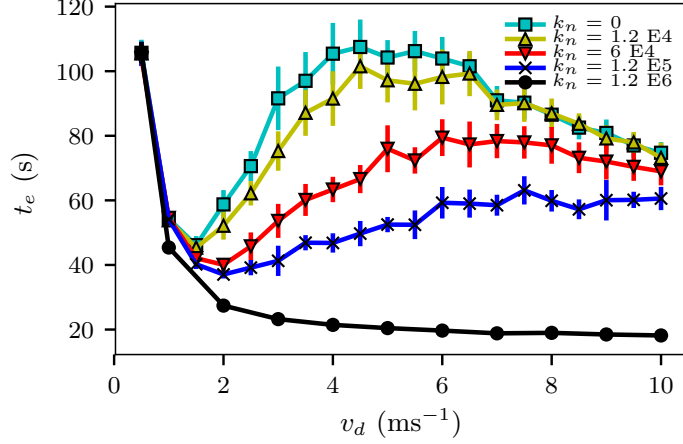


Figure 1: Mean evacuation time (s) vs. the pedestrians desired velocity (m/s) for a bottleneck. The room was 20 m x 20 m size. The door was 0.92 m width. Mean values were computed from 10 evacuation processes. 225 pedestrians were initially placed in a square lattice with a random initial velocity. Each process was finished when 158 pedestrians left the room. The different symbols indicate the k value corresponding to the body force (see the label).

Network analysis is a set of techniques that characterize the structures in a graph. We defined the graph of contacts among individuals. In this graph, each node represents a pedestrian and the link between a pair of nodes is settled if the pedestrians are in physical contact (*i.e.* $r_{ij} < d_{ij}$).

Fig. 2a shows the mean degree of the contact graph as a function of the desired velocity. The degree of a node is defined as the amount of edges assigned to the node. This means, the number of pedestrians that are in physical contact with a given pedestrian. The mean degree is the average of the degree over all the nodes (pedestrians) and over the whole sampled time (from the time the system reaches the stationary state to the end of the simulation).

Increasing v_d increases the mean degree in all the cases. This happens because increasing v_d produces higher densities that force individuals to touch each other. For a given v_d the mean degree reduces as the k value increases. In other words, the stiffer the pedestrians the less they touch each other. We will later discuss that this phenomenon is restricted to the bottleneck

geometry that cannot be extrapolated to the corridor geometry.

Fig. 2b shows the overlap as a function of v_d . The overlap is defined as $d_{ij} - r_{ij}$ where d_{ij} is the sum of radius of particle i and particle j and r_{ij} is the distance between both particles. In the range $v_d \geq 2$ m/s we can see that increasing v_d increases the overlap (for all the k values studied). For a given v_d , the overlap increases as the k value decreases. Reducing k means reducing the normal body force which allows a greater invasion of the personal space of the individuals.

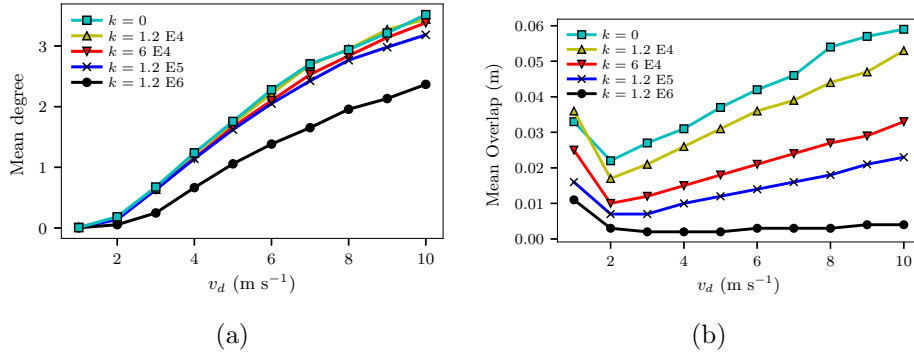


Figure 2: (a) Mean degree as a function of the pedestrians desired velocity (m/s). (b) Mean overlap as a function of the pedestrians desired velocity (m/s). Each symbol indicates the k value corresponding to the body force (see the labels). The data corresponds to a bottleneck with periodic boundary conditions (re-injecting pedestrians). The average was taken every two seconds once the crowd reaches the stationary state ($t=20$ s) until the end of the simulation ($t=110$ s).

4.2. Corridor

4.3. Reduced-in-units equation of motion

5. Discussion

6. Conclusions

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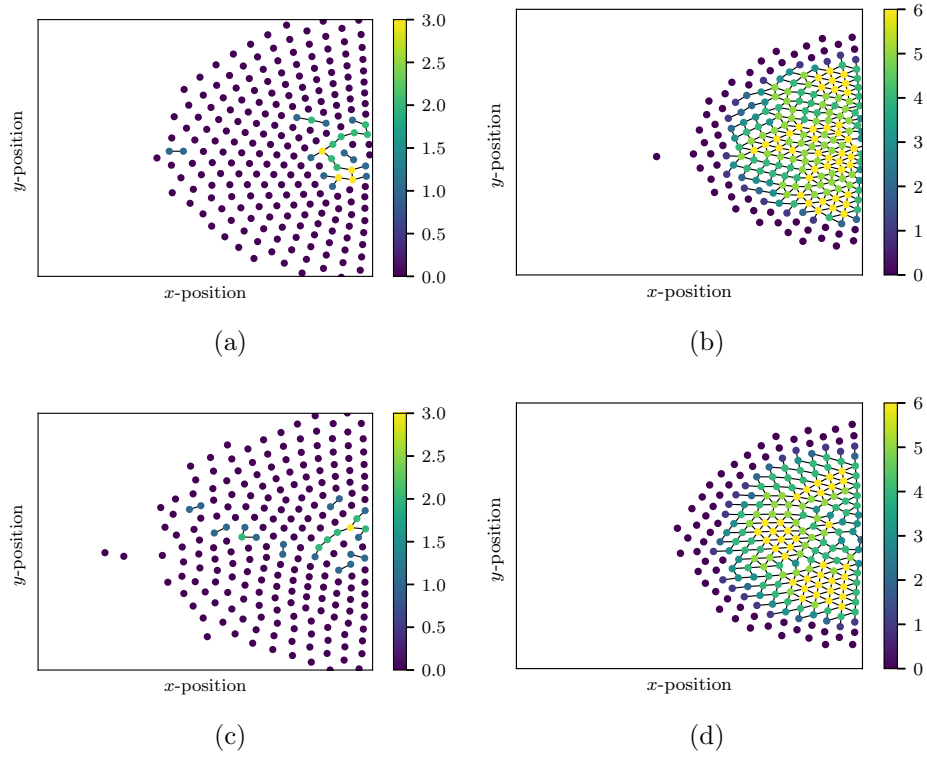


Figure 3:

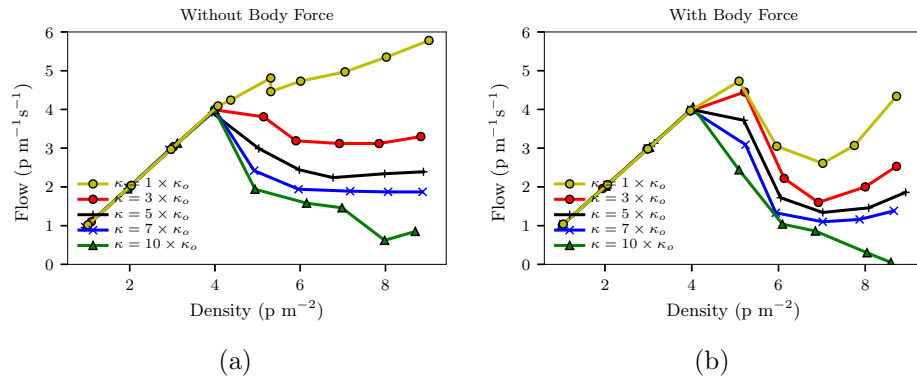


Figure 4:

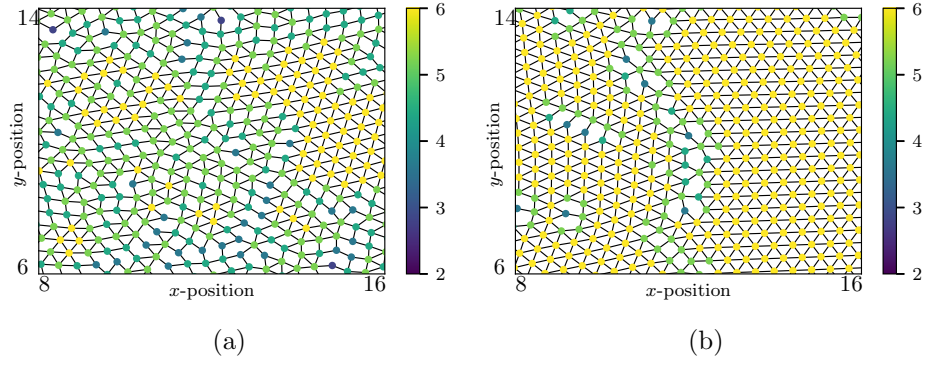


Figure 5:

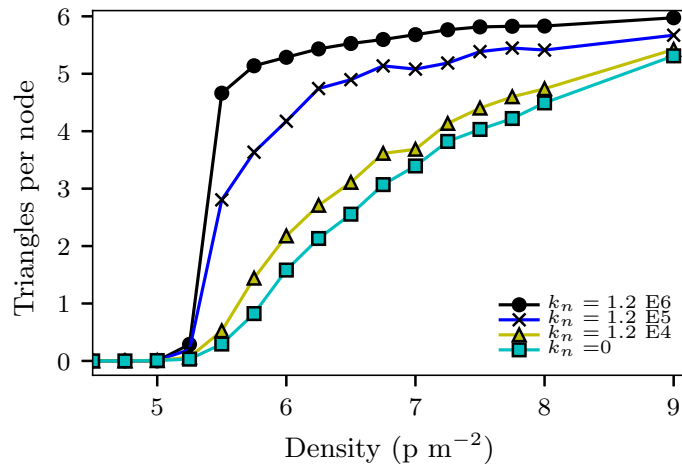


Figure 6:

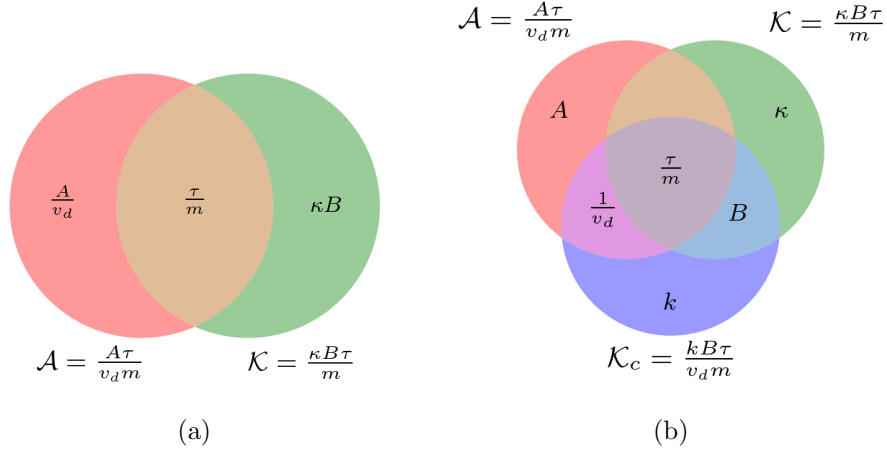


Figure 7:

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