Concolic Execution (Lecture 5 part 2)

Prof. Mathy Vanhoef

DistriNet – KU Leuven – Belgium



Concolic (concrete + symbolic) execution

Execute the program normally but still gather path constraints

- > That is, do concrete and symbolic execution in parallel
- > Explore one path at a time, from beginning to end
- > The concrete input "defines" which path is taken

After an execution, negate a branch decision, and re-execute with new input that triggers the other branch decision

- > This new concrete input will follow a different path
- Also called dynamic symbolic execution

```
int double(int n) {
 return 2 * n;
void f(int x, int y){
  int z = double(y);
  if (z == x) {
    if (x > y + 10) {
      assert(0);
```

Concrete execution	Symbolic execution	
Concrete state	Symbolic state	Path constraint
x = 22	$x = \alpha_1$	
y = 7	$y = \alpha_2$	

```
int double(int n) {
 return 2 * n;
void f(int x, int y){
  int z = double(y);
  if (z == x) {
    if (x > y + 10) {
      assert(0);
```

Concrete execution	Symbolic execution	
Concrete state	Symbolic state	Path constraint
x = 22	$x = \alpha_1$	
y = 7	$y = \alpha_2$	
z = 14	$z = 2 * \alpha_2$	

```
int double(int n) {
  return 2 * n;
void f(int x, int y){
  int z = double(y);
  if (z == x) {
    if (x > y + 10) {
      assert(0);
```

Concrete execution	Symbolic execution	
Concrete state	Symbolic state	Path constraint
x = 22	$x = \alpha_1$	$2 * \alpha_2 \neq \alpha_1$
y = 7	$y = \alpha_2$	
z = 14	$z = 2 * \alpha_2$	

- Take the path constraint and negate a branch decision: $2 * \alpha_2 = \alpha_1$
- Solution: $\alpha_1 = 2$, $\alpha_2 = 1$

```
int double(int n) {
 return 2 * n;
void f(int x, int y){
 int z = double(y);
  if (z == x) {
    if (x > y + 10) {
     assert(0);
```

Concrete execution	Symbolic execution	
Concrete state	Symbolic state	Path constraint
x = 2	$x = \alpha_1$	
y = 1	$y = \alpha_2$	

```
int double(int n) {
 return 2 * n;
void f(int x, int y){
  int z = double(y);
  if (z == x) {
    if (x > y + 10) {
      assert(0);
```

Concrete execution	Symbolic execution	
Concrete state	Symbolic state	Path constraint
x = 2	$x = \alpha_1$	
y = 1	$y = \alpha_2$	
z = 2	$z = 2 * \alpha_2$	

```
int double(int n) {
 return 2 * n;
void f(int x, int y){
  int z = double(y);
  if (z == x) {
    if (x > y + 10) {
      assert(0);
```

Concrete execution	Symbolic execution	
Concrete state	Symbolic state	Path constraint
x = 2	$x = \alpha_1$	$2*\alpha_2=\alpha_1$
y = 1	$y = \alpha_2$	
z = 2	$z = 2 * \alpha_2$	

```
int double(int n) {
  return 2 * n;
void f(int x, int y){
  int z = double(y);
  if (z == x) {
    if (x > y + 10) {
      assert(0);
```

Concrete execution	Symbolic execution	
Concrete state	Symbolic state	Path constraint
x = 2	$x = \alpha_1$	$2*\alpha_2=\alpha_1$
y = 1	$y = \alpha_2$	$\alpha_1 \le \alpha_2 + 10$
z = 2	$z = 2 * \alpha_2$	

- Take the path constraint & negate a branch decision: $2 * \alpha_2 = \alpha_1 \land \alpha_1 > \alpha_2 + 10$
- Solution: $\alpha_1 = 30$, $\alpha_2 = 15$

```
int double(int n) {
  return 2 * n;
void f(int x, int y){
  int z = double(y);
  if (z == x) {
    if (x > y + 10) {
      assert(0);
```

Concrete execution	Symbolic execution	
Concrete state	Symbolic state	Path constraint
x = 30	$x = \alpha_1$	
y = 15	$y = \alpha_2$	

```
int double(int n) {
 return 2 * n;
void f(int x, int y){
  int z = double(y);
  if (z == x) {
    if (x > y + 10) {
      assert(0);
```

Concrete execution	Symbolic execution	
Concrete state	Symbolic state	Path constraint
x = 30	$x = \alpha_1$	
y = 15	$y = \alpha_2$	
z = 30	$x = 2 * \alpha_2$	

```
int double(int n) {
 return 2 * n;
void f(int x, int y){
  int z = double(y);
  if (z == x) {
    if (x > y + 10) {
      assert(0);
```

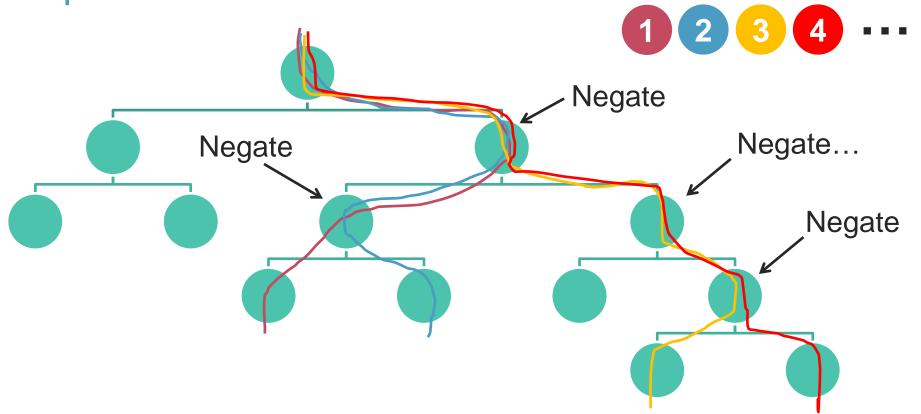
Concrete execution	Symbolic execution	
Concrete state	Symbolic state	Path constraint
x = 30	$x = \alpha_1$	$2*\alpha_2=\alpha_1$
y = 15	$y = \alpha_2$	
z = 30	$x = 2 * \alpha_2$	

```
int double(int n) {
 return 2 * n;
void f(int x, int y){
  int z = double(y);
  if (z == x) {
    if (x > y + 10)
      assert(0);
```

Concrete execution	Symbolic execution	
Concrete state	Symbolic state	Path constraint
x = 30	$x = \alpha_1$	$2*\alpha_2=\alpha_1$
y = 15	$y = \alpha_2$	$\alpha_1 > \alpha_2 + 10$
z = 30	$x = 2 * \alpha_2$	

→ Program crashes, vulnerability has been detected!

Exploration of the execution tree



High-level DSE Algorithm

Repeat until all paths are covered:

- 1. Run program with concrete input i & collect path constraints C
- 2. Negate any branch condition in the path constraint to take another branch $b' \rightarrow$ constraints C'
- 3. Call SMT solver to find solution for C': new concrete input i'
- 4. Execute program with new input i' to take branch b'
- 5. Check that b' is indeed taken (i.e., detect non-determinism)

Advantage and disadvantages of DSE

When the SMT solver can't handle the constraints (they are too complex) we can easily fall back to concrete values

- Can also use to handle operations not supported by the solver (e.g., floating point operations)
- And can concretize when calling native/system/OS functions

Downside of concretization: analysis is no longer complete

That is, not all possible paths might get explored

Dynamic symbolic execution engines

SAGE (symbolic execution for x86)

- Internal Microsoft tool. A huge cluster is continuously running the SAGE engine.
- > 1/3rd of Windows 7 security were bugs found by SAGE!

Recent and open-source DSE tools:

- > <u>SymCC</u>: compiles program with build-in DSE
- > <u>SYMSAN</u>: based on Data-Floow Sanitizer (DFSan)
- <u>Driller</u>: augmenting AFL with symbolic execution

Discussion

Symbolic execution is slowly getting more practical

- 1976: A system to generate test data and symbolically execute programs (Lori Clarke)
- > 1976: Symbolic execution and program testing (James King)
- > 2005-present: practical symbolic execution
 - >> Moore's Law
 - » Better theorem provers (SAT / SMT solvers)
 - >> Heuristics to control exponential path explosion
 - >> Improved heap and environment modeling techniques
 - **>>**

Smart fuzzers vs symbolic: why not both?

Winner of DARPA's Cyber Grand Challenge (CGC)

- Goal was to automatically find and exploit vulnerabilities
- > They combine both (see presentations from Shellphish)

American Fuzzy Lop + angr



AFL

- state-of-the-art instrumented fuzzer
- path uniqueness tracking
- genetic mutations
- open source

angr

- binary analysis platform
- implements symbolic execution engine
- works on binary code
- available on github

Example: the sendmail crackaddr Bug

- Discovered 2003 by Mark Dowd Buffer: overflow in an email address parsing function of Sendmail. Consists of a parsing loop using a state machine (~500 LOC).
- Bounty for Static Analyzers since 2011 by Halvar Flake: Halvar extracted a smaller version of the bug as an example of a hard problem for static analyzers (~50 LOC).
- Found automatically in CGC by ShellPhish via smart fuzzing and symbolic execution (driller and angr).

Sources:

^{• &}lt;a href="http://2015.hackitoergosum.org/slides/HES2015-10-29%20Cracking%20Sendmail%20crackaddr.pdf">http://2015.hackitoergosum.org/slides/HES2015-10-29%20Cracking%20Sendmail%20crackaddr.pdf

https://thefengs.com/wuchang/courses/cs492/Slides/07 Fuzzing SymbolicExecution.pptx

Practical use cases of symbolic execution

- Analysis of course code
- Assure safety / analysis of code
- Reserve engineering and deobfuscation
 - » Deobfuscation: recovering an OLLVM-protected program
 - » <u>Miasm</u>: free and open-source reverse engineering framework
- Many more...

Summary

Symbolic execution is a bug finding technique based on automated theorem proving:

- > Evaluates the program on symbolic inputs, and a solver finds concrete values for those inputs that lead to errors.
- Many success stories in the open-source community and industry.
- Can produce concrete test cases. But cannot, in general, prove the absence of errors