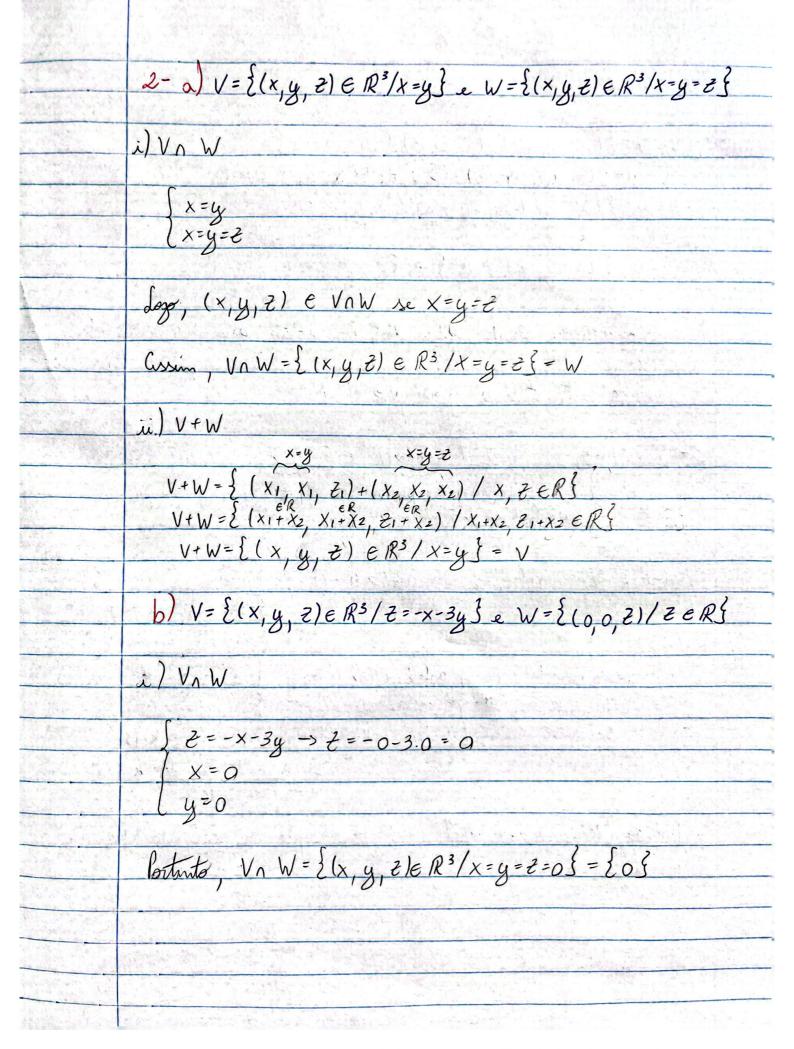
Atividade 3 - Algebra Linear RA: 23/012471 Iga dos leis Games 1- a) V= R3 e U= {(x,y,z) \in R3/x < y < z } (0,0,0) € U pous x≤y≤2=0≤0≤0, ii) sym u=(x1, y1, 21) e N=(x2, y2, 22) em U entos : X1 ≤ y1 ≤ ₹1 e X2 ≤ y2 ≤ ₹2 logo, u+ ~= (x1+x2, y1+y2, ≥1+≥2) ∈ U- pois: X1+ X2 = 41+42 = 21+22 iii) dym & ER e u=(x,y,Z) EU entso, X < y < 2 logo, & u = (xx, xy, xz) & U pois $(\angle x, \angle y, \angle z) = \angle (x, y, \overline{z}) = \angle u$ Portanto, «u € U pois «i = «(x, y, Z) e assim, se «<0, x > y > Z, não satisfizando a condução de x ≤ y ≤ Z

b) $V = M_2(R)$ & $U = \begin{cases} a & b \\ c & d \end{cases} \in M_2(R/a+2b) = c-d=0 \end{cases}$ i) $0 \ge EU$ par $0 + 20 = 0 - 0 = 0$. ii) ryam $A \ge \begin{cases} a_1 & b_1 \\ c_1 & d_1 \end{cases} = B \ge \begin{cases} a_2 & b_2 \\ c_2 & d_2 \end{cases} = mU$ unto : $a_1 + 2b_1 = c_1 - d_1 = 0$ & $a_2 + 2b_2 = c_2 - d_2 = 0$ legs: $A + B = \begin{cases} a_1 + a_2 & b_1 + b_2 \\ c_1 + c_2 & d_1 + d_2 \end{cases} = U$ pais: $(a_1 + a_2) + 2(b_1 + b_2) = (c_1 + c_2) - (d_1 + d_2) = 0$ iii) degram $A \in R$ & $A = \begin{cases} a & b \\ c & d \end{cases} \in U$ per liption, $a + 2b = c - d = 0$ leg, $A = \begin{cases} a & a & b \\ a & a & d \end{cases} \in U$ pais $A = \begin{cases} a & a & b \\ a & a & d \end{cases} \in U$ $A = \begin{cases} a & a & b \\ a & a & d \end{cases} \in U$ $A = \begin{cases} a & b \\ a & d \end{cases} \in U$ $A = \begin{cases} a & b \\ a & d \end{cases} \in U$ $A = \begin{cases} a & b \\ a & d \end{cases} \in U$ $A = \begin{cases} a & b \\ a & d \end{cases} \in U$ $A = \begin{cases} a & b \\ a & d \end{cases} \in U$ $A = \begin{cases} a & b \\ a & d \end{cases} \in U$ $A = \begin{cases} a & b \\ a & d \end{cases} \in U$ $A = \begin{cases} a & b \\ a & d \end{cases} \in U$ $A = \begin{cases} a & b \\ a & d \end{cases} \in U$ $A = \begin{cases} a & b \\ a & d \end{cases} \in U$ $A = \begin{cases} a & b \\ a & d \end{cases} \in U$ $A = \begin{cases} a & b \\ a & d \end{cases} \in U$ $A = \begin{cases} a & b \\ a & d \end{cases} \in U$ $A = \begin{cases} a & b \\ a & d \end{cases} \in U$ $A = \begin{cases} a & b \\ a & d \end{cases} \in U$		and the state of t
i) $02 \in U$ par $0+20=0-0=0$. ii) sym $A_2 = \begin{pmatrix} a_1 & b_1 \\ c_1 & d_1 \end{pmatrix}$ $e^{-b_2} = \begin{pmatrix} a_2 & b_2 \\ c_2 & d_2 \end{pmatrix}$ em U ento: $a_1 + 2b_1 = c_1 - d_1 = 0$ $e^{-b_1 + b_2} = c_2 - d_2 = 0$ $logo: A + B = \begin{pmatrix} a_1 + a_2 & b_1 + b_2 \\ c_1 \cdot c_2 & d_1 \cdot d_2 \end{pmatrix} = U$ pais: $(a_1 + a_2) + 2(b_1 + b_2) = (c_1 + c_2) - (d_1 + d_2) = 0$. iii) dym $ext{det} = A = \begin{pmatrix} a & b \\ c & d \end{pmatrix} e U$ por liptus, $ext{det} = A = \begin{pmatrix} a & b \\ c & d \end{pmatrix} e U$ $ext{pos} = c - d = 0$ $ext{log} = a_1 + a_2 + a_3 + a_4 + a_4 + a_5 + a$	2 15	b) V = M2(R) e U = { ab EM2(R/a+2b = c-d=0}
ii) syam $A_2 = \begin{pmatrix} a_1 & b_1 \\ c_1 & d_1 \end{pmatrix}$, $B_3 = \begin{pmatrix} a_2 & b_2 \\ c_2 & d_2 \end{pmatrix}$ and U ention: $a_1 + 2b_1 = c_1 - d_1 = 0$ a $a_2 + 2b_2 = c_3 - d_2 = 0$ $log_3 : A + B = \begin{pmatrix} a_1 + a_2 & b_1 + b_2 \\ c_1 + c_2 & d_1 + d_2 \end{pmatrix} \in U$ $\begin{pmatrix} a_1 + a_2 \end{pmatrix} + 2(b_1 + b_2) = \begin{pmatrix} c_1 + c_2 \end{pmatrix} - \left[d_1 + d_2 \right] = 0$ iii) sym $A \in \mathbb{R}$ e $A = \begin{pmatrix} a & b \\ c & d \end{pmatrix} \in U$ por hipston, $a + 2b = c - d = 0$ $log_3 : A = \begin{pmatrix} a & a & b \\ c & d & d \end{pmatrix} \in U$ $a_1 + a_2 + a_3 + a_4 + a_5 + $		L(cd)
ii) sym $A_2 = \begin{pmatrix} a_1 & b_1 \\ c_1 & d_1 \end{pmatrix}$, $B_3 = \begin{pmatrix} a_2 & b_2 \\ c_2 & d_2 \end{pmatrix}$ and U entropy: $A + B_1 = c_1 - d_1 = 0$ a $a_2 + 2b_2 = c_3 - d_2 = 0$ $log_2 : A + B_1 = \begin{pmatrix} a_1 + a_2 & b_1 + b_2 \\ c_1 + c_2 & d_1 + d_2 \end{pmatrix} \in U$ $\begin{pmatrix} a_1 + a_2 \end{pmatrix} + 2(b_1 + b_2) = (c_1 + c_2) - (d_1 + d_2) = 0$ iii) sym $A \in \mathbb{R}$ e $A = \begin{pmatrix} a_1 & b_1 \end{pmatrix} \in U$ $\begin{pmatrix} c_1 & c_2 & d_1 \end{pmatrix} = \begin{pmatrix} c_1 & c_2 & d_1 \end{pmatrix} = \begin{pmatrix} c_1 & d_1 & d_2 \end{pmatrix} = 0$ $log_1 & A_1 = \begin{pmatrix} a_1 & a_2 & b_1 & d_1 & d_2 \end{pmatrix} = \begin{pmatrix} c_1 & d_1 & d_2 & d_1 & d_2 \end{pmatrix}$ $A = \begin{pmatrix} a_1 & a_2 & b_1 & d_1 & d_2 & d_2 & d_1 & d_2 & d_1 & d_2 & d_2 & d_1 & d_2 & d_2 & d_2 & d_1 & d_2 & d$		Secretary of the second of the
ento: $a_1 + 2b_1 = c_1 - d_1 = 0$ e $a_2 + 2b_2 = c_2 - d_2 = 0$ $logo: A + B = \begin{vmatrix} a_1 + a_2 & b_1 + b_2 \\ c_1 + c_2 & d_1 + d_2 \end{vmatrix} \in U \text{ pis.}$ $(a_1 + a_2) + 2(b_1 + b_2) = (c_1 + c_2) - (d_1 + d_2) = 0.$ iii) degrae $A \in R$ e $A = \begin{vmatrix} a & b \\ c & d \end{vmatrix} \in U$ por hipties, $a + 2b = c - d = 0$ $logo: A + B = \begin{vmatrix} a & a & b \\ a & a & d \end{vmatrix} \in U \text{ pis.}$ $A = \begin{vmatrix} a & a & b \\ a & a & d \end{vmatrix} \in U \text{ pis.}$ $A = \begin{vmatrix} a & a & b \\ a & a & d \end{vmatrix} \in U \text{ pis.}$ $A = \begin{vmatrix} a & a & b \\ a & c & d \end{vmatrix} = A = a + 2a $		i) $02 \in U$ pais $0 + 20 = 0 - 0 = 0$.
logo: $A + B = \begin{pmatrix} a_1 + a_2 & b_1 + b_2 \end{pmatrix} \in U$ pois: $ \begin{pmatrix} a_1 + a_2 \end{pmatrix} + 2 \begin{pmatrix} b_1 + b_2 \end{pmatrix} = \begin{pmatrix} c_1 + c_2 \end{pmatrix} - \begin{pmatrix} d_1 + d_2 \end{pmatrix} = 0. $ $ iii) degrad & & & & & & & & & & & & & & & & & & &$		ii) sejam $A_2 = \begin{pmatrix} a_1 & b_1 \\ c_1 & d_1 \end{pmatrix}$ e $B_2 = \begin{pmatrix} a_2 & b_2 \\ c_2 & d_2 \end{pmatrix}$ em U
$(a_1+a_2)+2(b_1+b_2)=(c_1+c_2)-(d_1+d_2)=0.$ iii) degra $d \in \mathbb{R}$ e $A = \begin{pmatrix} a & b \end{pmatrix} \in U$ $c & d \end{pmatrix}$ per liptus, $a+2b=c-d=0$ $log_1 d A = \begin{pmatrix} a & a & b \end{pmatrix} \in U \text{ pais}$ $d c & d d \end{pmatrix} \in U \text{ pais}$ $d a + 2db = dc - dd = 0 \stackrel{\text{Hip}}{=} d(a+2b) = d(c-d) = 0$		entro: a+2b= c-d=0 e a=+2b==cz-d=0
$(a_1+a_2)+2(b_1+b_2)=(c_1+c_2)-(d_1+d_2)=0.$ iii) degra $d \in \mathbb{R}$ e $A = \begin{pmatrix} a & b \end{pmatrix} \in U$ $c & d \end{pmatrix}$ per liptus, $a+2b=c-d=0$ $log_1 d A = \begin{pmatrix} a & a & b \end{pmatrix} \in U \text{ pais}$ $d c & d d \end{pmatrix} \in U \text{ pais}$ $d a + 2db = dc - dd = 0 \stackrel{\text{Hip}}{=} d(a+2b) = d(c-d) = 0$		lose: A+B=/a1+a2 b1+b2/e U pois:
$(a_1+a_2)+2(b_1+b_2)=(c_1+c_2)-(d_1+d_2)=0.$ iii) degra $d \in \mathbb{R}$ e $A=\begin{pmatrix} a & b \end{pmatrix} \in U$ $c & d \end{pmatrix}$ per liptur, $a+2b=c-d=0$ $\log_{1} \mathcal{L}A=\begin{pmatrix} \alpha & \alpha & \beta \end{pmatrix} \in U$ $\alpha & \alpha & \beta \end{pmatrix} \in U$ $\alpha & \alpha & \beta \in U$ $\alpha & \beta & \beta \in U$ $\alpha & \beta & $	5-y2	(c1+c2 d1+d2)
iii) Sym $\alpha \in \mathbb{R}$ e $A = \begin{pmatrix} a & b \end{pmatrix} \in U$ per hipture, $a + 2b = c - d = 0$ log_{1} , $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} \in U$ pais $\alpha = \begin{pmatrix} \alpha & \alpha & \alpha & b \end{pmatrix} = \alpha \begin{pmatrix} \alpha & \alpha$		
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por hipátise, $a+2b=c-d=0$ $logo, \ $		iii) dym $d \in \mathbb{R}$ e $A = \begin{pmatrix} a & b \end{pmatrix} \in U$
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Logg, U C M2(R).		
		Logy, UC M2(R).
그는 그들은 그들은 가장 아름다면서 그 그는 요즘 아름답다면서 가장 사람들이 다른 사람들이 되었다. 그들은 그들은 그들은 그들은 그를 다 다 나를		



= 2(x,y, 2) @ 12 1x = y & w - 2(x,y, 2) W+Vx (jie) $V+W=\left\{ (x_1,y_1,z_1)+(0,0,z_2)/z_1=-x-3y\right\}$ $V+W=\left\{ (x_1,y_1,-x_1-3y_1)+(0,0,z_2)/x,y,z\in R\right\}$ $V+W=\left\{ (x_1,y_1,(-x_1-3y_1)+z_2/x,y,z\in R\right\}$ RV+W={(x, y, 2) e R3} = R3 Ce soma direta é da atternativa b vista que Vn W= EOS, fo endo V+W ser soma direta. Os unicos espaços suplementares sa Le W da atternativa b, pois VOW=R3. K=? W=(-1, K, -7)(-1, x, -7)= a1(1, -3,2)+a2(2,4,-1) => Poetsito K deve ser iguel a 13 pro que W sija combinseso