Tutorial - 3

Name: HARSH RASTOGI Class Poll No-6 Section: F University Poll No-2016761

1. Write linear search pseudocode to search an element in a sorted array with minimum Comparisions.

tret for (i=0 ton)

if (acor[i] == value)

l'element forom d

3

2. Write pseudo code for iterative if recursive insertion sout is called Online sorting. Why? What about other sorting algorithms that has been discussed?

Aug.

Iterative

void insertion sort (int aru(], int n)

For (int i=1; i<n; i+t)

[= i-1;

x = aru [i];

```
while (j>-1 dd aver [j]>n)
    ann [j+1] = aeur[j];
  ann [j+1] = n;
Recursive;
  void insentionsout (int and (J, intn)
      if (n <=1)
       getwin;
      juscention sout (aur, n-1);
      int last = and [n-1];
      int j = n - 2;
      while (j>=0 & lawy (j]> last)
     e and Cj+1]= and Cj];
     and [j+1] = last;
```

Inecation sout is called 'Online Sout' because it does not used to know anything about what values it will sout and information is requested while algorithm is running.

Other sorting algorithms;

- 1) Bubble sont
- 2) Quick Sout
- 3) Menge Sout
- 4) Selection Sout
 - 5) Heap Sout

3. Complexity of all losting algorithms that has been discussed in lactures.

Mi

Souting Algorithm	Best	World	treerage.
Selection Lant	O(n2)	0(n2)	OCn2)
Bubble lort	O(n)	OCn2)	ome
Insention Sout	O(n)	O(n2)	0 Cm2)
Heap Sport	O (nlogn)	O Culogn)	O (nlogn)
Quick lost	O (n logn)	O(m²)	Och logn)
Menge sout	o Conlogn)	O(nlogn)	O Coologn)

4. Divide all sorting algorithms into inplace Istable/ onlive sorting. ford: Inplace southly 2) Buddle Sout 21 Selection lost 3) Insertion sout 4) Quick Sort S) Heap Sout Stable Souting 1) Meage Sout 2) Buleble sport 3) Insention Soud 4) Court Sout Online Soutily Insertion lost 5. Worke recursive / isterative poundois de for binary search. Whatis the time complexity of linear & binory search. My Iteratile int bseauch (int and [), int l, inter, inthey) vehile (lc-9) & int m=((l+9)/2). if (and [m] = = lkey) else if (key < arrs [m])

```
91=m-1;
else l=m+1;
seturn -1;
Recursive
int belearch (int aug C), intel, inth, int key)
  e vehile (l == 21) E
    int m=((l+9)/2).
    if ( bey = = ano(cm])
    else if ( bay < aver cm])
          geturn bleach (and, ly mid-1, bey);
     neturn brearch (att, mid+1, e, key);
  greturn-1;
```

Time complexity

1) Linear Search - O(n)

2) Binary learch - O(logn)

6. Write recurrence relation for binary recurrence search.

Are's

-p(n) = O(logn)

T(n)= T(1) + log(n)

7. Find 2 indexes such that A[i] + A[j] = le in minimum time complexity

Ansi for (i=0; i<n; i+t)

E for (int j=0; j<n; j+t).

if (aci) + acj] = = le)
pointf ("Y.d Y.d", i,j);

i

3

8. Which starting is best for practical uses? Explain.

Duick short is fastest general-purpose sont. In most practical situations, quicksepert is the method of choice as stability is important and space is also available, mergescent might be best.

9. What do you mean by inversions in an array?

Court the number of inversions in Array avril]=

E7, 21,31, 8, 191,20,6, 4,53 voing mergesont?

Are A Pair (ALC), ACC) is said to be inversion

if ACC) > ACC)

* ICI

* Total no. Of inversions in given array are 31 veing mengersont.

10. In which cases durick bout will give least built give least be a worst case time complexity

Any- Worst Case O(m2)-

The worst case occurs when the pivot element in an extrame (smallest / largest) element. This happens when input array is souted or graverely extended and either first or last alment is extend as pivot.

Best Case O (nlogn) The best case occurs when we will select prot element as a mean element in best and resort case, behat are similarities & difference between complexities of 2 algorithm that Merge Sout Best Case -> T(n) = 27 (n/2) +0(n) 6 Worst (ase -) T(n)= 27(n/2)+0(m) aurick sout Best Case - 7(m) = 27(m/2) + 0(m) + 0(mlogn) Worst Case - 7 (m) = 7 (m-1) + 0 (m2) In quickeont arrays of elements is divided into 2 parts repeatedly until it is not possible to divide it In meages deut, the element are split into 2 subnear (n/2) again of again writil only one element is left. 12. Selection Sout is not stable by default, but canyou write a stable version of selection sou for Cintico, Ben, itt int min=i'; for (int j=i+1; j<n', j++) e if (a (min] > a GiJ) int bey = a [min];
while (min > i)

E a [min] = a [min - j];
min --; a [i] = key;

13. bubble sont scare array even weren array is ported can you modify, the bubble sout so that those not scan the whole array once it is writed. A better version of bubble sout, benoven as mountable sout, includes aflag that is set of a exchange is made than it should be alled the array is already order because no 2 dements used to be surtched. (intail, [] report (int area [], intail e four Cinti=0) l'en; l'++) for Cintj = 0', j' \ n - 1'-j'; j'++) e of (aser [j], and (j+1)) int t = anor []; anor (j] = anor (j+1]; anor (j) = t; if (eneap==0) break;