

R-solution: Exercises Day 1

PSY8003

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Exercise 2: Simple regression

Interpret the Intercept as the level where the predictor is zero, i.e., a person with no work experience earned about 198.8 thousand NOK. The slope is the increase with the predictor, i.e., for each year of work experience, someone will earn 0.88 thousand NOK more.

```
loenn <- haven::read_dta("../data/loenn.dta")
summary(lm(loenn ~ erfaring, data=loenn))
```

Call:

```
lm(formula = loenn ~ erfaring, data = loenn)
```

Residuals:

Min	1Q	Median	3Q	Max
-140.27	-79.80	-26.30	49.55	779.36

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	198.7606	9.2682	21.445	<2e-16 ***
erfaring	0.8807	0.4310	2.043	0.0416 *

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 110.3 on 462 degrees of freedom

(7 observations deleted due to missingness)

Multiple R-squared: 0.008957, Adjusted R-squared: 0.006812

F-statistic: 4.176 on 1 and 462 DF, p-value: 0.04157

```
summary(lm(loenn ~ kvinne, data=loenn))
```

Call:

```
lm(formula = loenn ~ kvinne, data = loenn)
```

Residuals:

Min	1Q	Median	3Q	Max
-142.84	-80.14	-25.30	46.06	788.70

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	234.136	6.694	34.975	< 2e-16 ***
kvinne	-43.832	10.074	-4.351	1.66e-05 ***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 108.6 on 469 degrees of freedom

Multiple R-squared: 0.0388, Adjusted R-squared: 0.03675

F-statistic: 18.93 on 1 and 469 DF, p-value: 1.663e-05

Exercise 3: Multiple regression

When interpreting, it is important to include the “keeping constant” qualifier for all included variables. I.e., For each year in work experience, someone would earn 2400 NOK more **controlling for gender and education**.

```
loenn <- haven::read_dta("../data/loenn.dta")
summary(lm(loenn ~ erfaring + kvinne + utdann, data=loenn))
```

Call:

```
lm(formula = loenn ~ erfaring + kvinne + utdann, data = loenn)
```

Residuals:

Min	1Q	Median	3Q	Max
-212.47	-55.40	-12.92	38.44	818.33

Coefficients:

```

              Estimate Std. Error t value Pr(>|t|)
(Intercept) -58.8169    28.7160  -2.048   0.0411 *
erfaring      2.4172     0.4131   5.851 9.41e-09 ***
kvinne       -50.1182     9.2419  -5.423 9.58e-08 ***
utdann       19.0848     1.8722  10.194 < 2e-16 ***
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 97.68 on 451 degrees of freedom
(16 observations deleted due to missingness)
Multiple R-squared:  0.2294,    Adjusted R-squared:  0.2243
F-statistic: 44.75 on 3 and 451 DF,  p-value: < 2.2e-16

```

```

mod <- lm(loenn ~ kvinne + alder + fagfor + gift, data=loenn)

predict(mod, newdata=data.frame(kvinne=0, alder=40, fagfor=1, gift=1))

```

```

1
256.9429

```

Exercise 4: Brain weight and total sleep across species

The two “weight” variables are highly correlated (collinear). Individually, they are both related to the total sleep. However, when inputting them simultaneously, the effect disappears.

```

sleep <- haven::read_dta("../data/total_sleep.dta")
cor(sleep[2:4])

```

```

              brainwt      bodywt totalsleep
brainwt      1.0000000  0.9558487 -0.3370815
bodywt       0.9558487  1.0000000 -0.3428373
totalsleep   -0.3370815 -0.3428373  1.0000000

```

```

lm(totalsleep ~ brainwt, data=sleep)

```

```
Call:
lm(formula = totalsleep ~ brainwt, data = sleep)
```

```
Coefficients:
(Intercept)      brainwt
  11.116558    -0.002166
```

```
lm(totalsleep ~ bodywt, data=sleep)
```

```
Call:
lm(formula = totalsleep ~ bodywt, data = sleep)
```

```
Coefficients:
(Intercept)      bodywt
  11.047676    -0.004016
```

Exercise 5: Random data

When running enough of the regressions, some will be significant (approximately 5% when using the alpha-level of 0.05). The correlation matrix has some pretty large correlations. This is because of the low number of observations (N=20).

```
randomdata <- haven::read_dta("../data/random_data.dta")
lm(x1 ~ x43+x21, data=randomdata)
```

```
Call:
lm(formula = x1 ~ x43 + x21, data = randomdata)
```

```
Coefficients:
(Intercept)      x43      x21
 -0.05434    0.49716    0.30401
```

```
cor(randomdata[,1:10])
```

	x1	x2	x3	x4	x5	x6
x1	1.000000000	0.11695293	-0.07624683	0.04819686	-0.339109954	-0.09408270
x2	0.116952932	1.00000000	0.25331670	-0.29523441	-0.457247484	-0.06376500
x3	-0.076246825	0.25331670	1.00000000	0.01284676	-0.420154967	-0.01864681
x4	0.048196864	-0.29523441	0.01284676	1.00000000	-0.114017442	0.12023231
x5	-0.339109954	-0.45724748	-0.42015497	-0.11401744	1.000000000	0.29563117
x6	-0.094082703	-0.06376500	-0.01864681	0.12023231	0.295631170	1.00000000
x7	-0.152702852	0.09020149	-0.10225600	-0.23092627	0.132059502	0.06113374
x8	0.030415870	-0.31572654	0.10557823	0.15043456	-0.090024403	0.13995050
x9	0.019132528	0.13002219	0.27760513	0.29558188	0.001988955	0.13341252
x10	0.009460436	0.02845329	-0.04259574	0.25292105	0.137002912	0.06930351
	x7	x8	x9	x10		
x1	-0.15270285	0.03041587	0.019132528	0.009460436		
x2	0.09020149	-0.31572654	0.130022193	0.028453286		
x3	-0.10225600	0.10557823	0.277605126	-0.042595739		
x4	-0.23092627	0.15043456	0.295581877	0.252921046		
x5	0.13205950	-0.09002440	0.001988955	0.137002912		
x6	0.06113374	0.13995050	0.133412520	0.069303512		
x7	1.00000000	-0.53114608	-0.081560057	0.333877580		
x8	-0.53114608	1.00000000	0.184580080	-0.102162005		
x9	-0.08156006	0.18458008	1.000000000	0.204044226		
x10	0.33387758	-0.10216200	0.204044226	1.000000000		