Topics in Reinforcement Learning

Deep RL Project: Fetch Reach and Push

Team 7

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Environment

- A block is to be moved to a target position on top of a table by pushing it.
- ▶ The manipulator used for this movement has 7-DoF, with a two-fingered parallel gripper.
- ► The robot is controlled by small displacements of the gripper in Cartesian coordinates. The inverse kinematics are computed internally by the MuJoCo framework.
- ▶ The task is also continuing which means that the robot has to maintain the block in the target position for an indefinite period of time.
- The control frequency of the robot is of 25 Hz. The same action is applied in 20 subsequent simulator steps (with a time step of dt = 0.002s) before returning the control to the robot.

Environment

Fetch



FetchReach-v0: Fetch has to move its end-effector to the desired goal position.



FetchSlide-v0: Fetch has to hit a puck across a long table such that it slides and comes to rest on the desired goal.



FetchPush-v0: Fetch has to move a box by pushing it until it reaches a desired goal position.



FetchPickAndPlace-v0: Fetch has to pick up a box from a table using its gripper and move it to a desired goal above the table.

Figure: The Fetch environment (source: cnblogs).

Action Space

- An action represents the Cartesian displacement dx, dy, and dz of the end effector.
- For some tasks, there is also a last action that controls closing and opening of the gripper.

Action	Control Min	Control Max	Unit
Displacement of the end effector in the \times direction	-1	1	position (m)
Displacement of the end effector in the y direction	-1	1	position (m)
Displacement of the end effector in the z direction	-1	1	position (m)

State Space (FetchReach)

- ▶ The observation space consists of information about the robot's end effector state and goal.
- ightharpoonup Unlike the actions, the observations can take any value in \mathbb{R} .

Observation	Unit	
Position of the end effector	position (m)	
Joint displacement of the left and right gripper finger	position (m)	
Linear velocity of the end effector	velocity (m/s)	
Linear velocity of the left and right gripper finger	velocity (m/s)	
Final goal position of the end effector	position (m)	

State Space (FetchPush)

Observation	Unit	
Position of the end effector	position (m)	
Joint displacement of the left and right gripper finger	position (m)	
Linear velocity of the end effector	velocity (m/s)	
Linear velocity of the left and right gripper finger	velocity (m/s)	
Position of the block	position (m)	
Relative block position with respect to the gripper	position (m)	
Global rotation of the block in a XYZ Euler frame rotation	angle (rad)	
Relative block linear velocity with respect to the gripper	velocity (m/s)	
Angular velocity of the block	angular velocity (rad/s)	
Final goal position of the block	position (m)	

Other Details of the Environment

- ► The goal is reached if the Euclidean distance between the desired goal and achieved position is lower than 0.05 m.
- ► The reward can be 'sparse' (0 or -1) or 'dense' (negative Euclidean distance between the achieved position and the desired goal).
- The initial position of the gripper and the base of the robot fixed at (x, y, z) = [1.34, 0.75, 0.56]m and (x, y, z) = [0.40, 0.48, 0]m respectively.
- The orientation (in quaternions) of the gripper and the block is initialized to (w, x, y, z) = [1.0, 0.0, 1.0, 0.0].
- The initial and the target position of the block is set at an offset to the gripper's initial position. The offset is sampled from a uniform distribution with a range of [-0.15, 0.15]m.

Hindsight Experience Replay (HER)

Algorithm Hindsight Experience Replay

17: end for

```
Require: Off-policy RL algorithm \mathcal{A} (e.g., DDPG, TD3).
Require: Reward function r: \mathcal{S} \times \mathcal{A} \times \mathcal{G} \rightarrow \mathbb{R}.
Require: Strategy S for sampling hindsight goals.
Require: Hindsight-to-original goal ratio k.
 1: Initialize algorithm A, replay buffer R.
 2: for episode = 1 to M do
 3:
         Sample initial state s_0 and goal g. Store episode trajectory \tau = (s_0, a_0, \dots, s_T).
 4:
         for t = 0 to T - 1 do
 5:
             Compute reward r_t = r(s_t, a_t, g).
             Store original transition (s_t||g, a_t, r_t, s_{t+1}||g) in \mathcal{R}. {Store with original goal}
 6:
             Sample set of additional goals G' = S(episode \tau).
 8:
             for \sigma' \in G' do
 9:
                 Compute hindsight reward r'_{t} = r(s_{t}, a_{t}, g').
                 Store hindsight transition (s_t||g',a_t,r_t',s_{t+1}||g') in \mathcal{R}. {Store with hindsight goal}
10:
11:
             end for
12:
         end for
13:
         for optimization step = 1 to N do
14:
             Sample mini-batch B from R.
15:
             Perform optimization step using A on B.
16:
         end for
```

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Deep Deterministic Policy Gradient (DDPG)

Algorithm Deep Deterministic Policy Gradient

- 1: Initialize replay buffer \mathcal{D} , critic Q(s, u, w) and actor $\mu_{\theta}(s)$ with random weights w, θ .
- 2: Initialize target networks Q' and μ' with weights $w' \leftarrow w$, $\theta' \leftarrow \theta$.
- 3: for episode = 1, M do
- 4: Initialize noise process \mathcal{N} . Receive initial state s_1 .
- 5: for t = 1, T do
- 6: Select action $u_t = \mu(s_t, \theta) + \mathcal{N}_t$.
- 7: Execute u_t , observe reward r_t and next state s_{t+1} .
- 8: Store transition (s_t, u_t, r_t, s_{t+1}) in \mathcal{D} .
- of Store transition (s_t, u_t, r_t, s_{t+1}) in D.
- 9: Sample a random mini-batch of N transitions (s_i, u_i, r_i, s_{i+1}) from \mathcal{D} .
- 10: Set target $y_i = r_i + \gamma Q'(s_{i+1}, \mu'(s_{i+1}, \theta'), w')$.
- 11: Update critic by minimizing the loss: $L = \frac{1}{N} \sum_{i} (y_i Q(s_i, u_i, w))^2$.
- 12: Update the actor policy using the sampled policy gradient:

$$\nabla_{\theta} J \approx \frac{1}{N} \sum_{i} \nabla_{\theta} \mu(s_{i}, \theta) \nabla_{u} Q(s_{i}, u, w)|_{u=\mu(s_{i}, \theta)}$$

13: Update the target networks:

$$w' \leftarrow \tau w + (1 - \tau)w'$$
$$\theta' \leftarrow \tau \theta + (1 - \tau)\theta'$$

- 14: end for
- 15: end for

Twin Delayed DDPG (TD3)

Algorithm Twin Delayed Deep Deterministic Policy Gradient

- 1: Initialize critic networks Q_{w_1} , Q_{w_2} , actor network μ_{θ} .
- 2: Initialize target networks $w_1' \leftarrow w_1, w_2' \leftarrow w_2, \theta' \leftarrow \theta$.
- 3: Initialize replay buffer D.
- 4: for t = 1, T do
- 5: Select action with exploration noise: $u_t = \mu(s_t, \theta) + \epsilon$, $\epsilon \sim \mathcal{N}(0, \sigma_{explore})$.
- 6: Execute u_t , observe r_t , s_{t+1} . Store (s_t, u_t, r_t, s_{t+1}) in \mathcal{D} .
- 7: Sample mini-batch of N transitions (s, u, r, s') from \mathcal{D} .
- 8: Compute target action with noise: $\tilde{a} \leftarrow \mu'(s', \theta') + \epsilon', \epsilon' \sim \text{clip}(\mathcal{N}(0, \sigma_{target}), -c, c)$. Clip \tilde{a} to valid action range.
- 9: Compute target Q value: $y \leftarrow r + \gamma \min_{i=1,2} Q'_{w'_i}(s',\tilde{a})$. {Clipped Double Q + Target Smoothing}
- 10: Update critics Q_{w_1} , Q_{w_2} using gradient descent on $\frac{1}{N}\sum (y-Q_{w_i}(s,u))^2$.
- 11: if $t \mod d == 0$ then
- 12: Update actor μ_{θ} using the deterministic policy gradient w.r.t. Q_{w_1} :

$$\nabla_{\theta} J \approx \frac{1}{N} \sum \nabla_{\theta} \mu_{\theta}(s) \nabla_{u} Q_{w_{1}}(s, u)|_{u = \mu_{\theta}(s)}$$

13: Update target networks using soft updates ($au \ll 1$):

$$w_i' \leftarrow \tau w_i + (1 - \tau)w_i'$$
 for $i = 1, 2$
 $\theta' \leftarrow \tau \theta + (1 - \tau)\theta'$

- 14: end if
- 15: end for

Soft Actor Critic (SAC)

Algorithm Soft Actor-Critic

- 1: Initialize critic networks Q_{w_1} , Q_{w_2} , actor network $\pi_{\theta}(a|s)$.
- 2: Initialize replay buffer \mathcal{D} , target networks $w_1' \leftarrow w_1, w_2' \leftarrow w_2$.
- 3: Initialize temperature parameter α (either fixed or learned). Set target entropy $\mathcal H$ if learning α .
- 4: for each interaction step do
- 5: Observe state s_t . Sample action $a_t \sim \pi_{\theta}(a|s_t)$.
- 6: Execute a_t , observe r_t , s_{t+1} . Store (s_t, a_t, r_t, s_{t+1}) in \mathcal{D} .
- 7: Sample mini-batch of N transitions (s, a, r, s') from \mathcal{D} .
- 8: Sample next action $a' \sim \pi_{\theta}(a'|s')$ and compute log-probability $\log \pi_{\theta}(a'|s')$.
- 9: Compute target value: $y = r + \gamma \left(\min_{i=1,2} Q'_{w'_i}(s', a') \alpha \log \pi_{\theta}(a'|s') \right)$.
- 10: Update critic networks Q_{w_1} , Q_{w_2} by minimizing: $L_Q = \frac{1}{N} \sum_{i=1}^{N} \left((y_i Q_{w_1}(s_i, a_i))^2 + (y_i Q_{w_2}(s_i, a_i))^2 \right)$
- 11: Sample action $\tilde{a} \sim \pi_{\theta}(\tilde{a}|s)$ (using reparameterization trick) and compute log-probability log $\pi_{\theta}(\tilde{a}|s)$.
- 12: Update actor network π_{θ} by maximizing the objective:

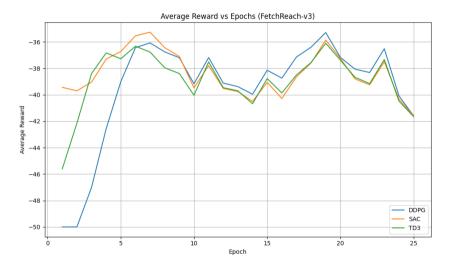
$$J_{\pi}(\theta) \approx \frac{1}{N} \sum_{i=1}^{N} \left(\min_{j=1,2} Q_{w_{j}}(s_{i}, \tilde{s}_{i}) - \alpha \log \pi_{\theta}(\tilde{s}_{i}|s_{i}) \right)$$

- 13: Update α by minimizing the loss: $L_{\alpha} = \frac{1}{N} \sum_{i=1}^{N} (-\log \alpha (\log \pi_{\theta}(\tilde{a}_{i}|s_{i}) + \mathcal{H}))$
- 14: Update the target networks using soft updates ($au\ll 1$):

$$w_i' \leftarrow \tau w_i + (1 - \tau)w_i'$$
 for $i = 1, 2$

15: end for

FetchReach



 $\label{lem:Figure: The average reward accumulated by the agent at each epoch during evaluation.}$

FetchReach

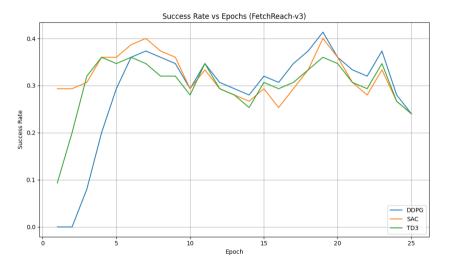


Figure: The success rate of the agent at each epoch during evaluation.

FetchReach

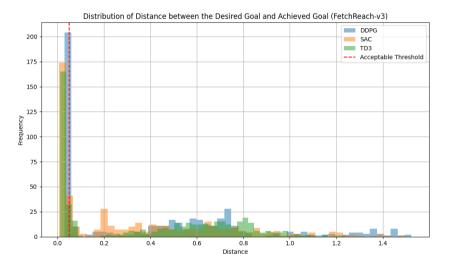


Figure: The distribution of magnitude of error made by the agent after training.

FetchPush

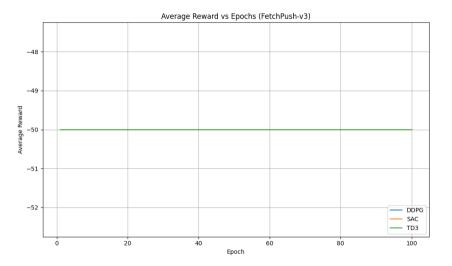


Figure: The average reward accumulated by the agent at each epoch during evaluation.

Value Function

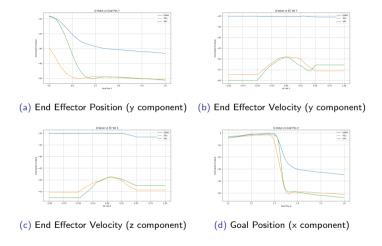


Figure: Variation in Q-Value Estimates along different observation dimensions. Initial EE Position = [1.34, 0.75, 0.53], Goal Position = [1.40, 0.75, 0.60], Velocities assumed to be zero.

Policy Function

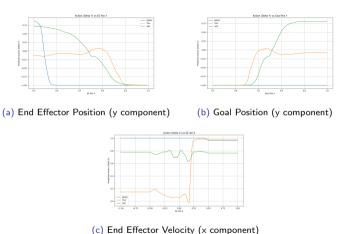


Figure: Variation in Learned Policy (in the same spatial dimension) along different observation dimensions. Initial EE Position = [1.34, 0.75, 0.53], Goal Position = [1.40, 0.75, 0.60], Velocities assumed to be zero.

Simulation

 $Simulation \ of the \ agent \ trained \ on \ the \ FetchReach \ environment \ can \ be \ found \ at \ https://drive.google.com/file/d/13NJmlQaMdkiZFKCaScmR6k1ZMuZ1bMqM/.$

Conclusion

- Q-Value Overestimation was observed with DDPG, as noted in literature.
- ► SAC led to better estimates in both value and policy, while TD3 resulted in only better value estimates.
- The networks tend to learn sigmoid like curves over quadratic like curves, contrary to our expectation.
- ▶ Transfer learning can be beneficial for training on the FetchPush environment. The agent can learn to utilize the existing knowledge, of moving to the initial position of the block, for the stated objective of displacing the block.
- Alternatively, auxiliary rewards, such as for moving the gripper to the initial position of the block, can be helpful for learning the 'first steps'.