#### Introduction

- Oscillator is an electronic circuit that generates a periodic waveform on its output without an external signal source. It is used to convert dc to ac.
- Oscillators are circuits that produce a continuous signal of some type without the need of an input.
- These signals serve a variety of purposes.
- Communications systems, digital systems
   (including computers), and test equipment make use of oscillators

#### **Oscillators**

Oscillation: an effect that repeatedly and regularly fluctuates about the mean value

Oscillator: circuit that produces oscillation

Characteristics: wave-shape, frequency, amplitude, distortion, stability

# **Application of Oscillators**

- Oscillators are used to generate signals, e.g.
  - Used as a local oscillator to transform the RF signals to IF signals in a receiver;
  - Used to generate RF carrier in a transmitter
  - Used to generate clocks in digital systems;
  - Used as sweep circuits in TV sets and CRO.

#### Oscillators

- Oscillators are circuits that generate periodic signals
- An oscillator converts DC power from the power supply into AC signal power spontaneously without the need for an AC input source

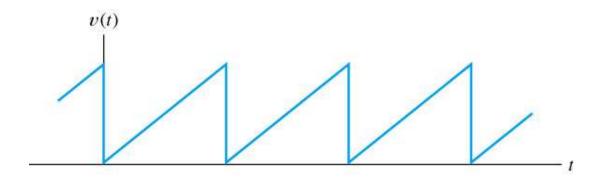
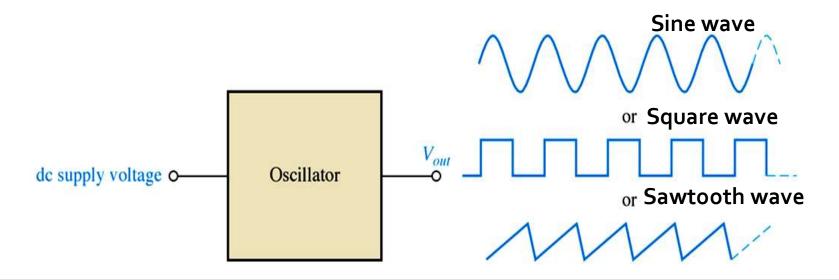


Figure 9.67 Repetitive ramp waveform.

#### Introduction

- An oscillator is a circuit that produces a repetitive signal from a dc voltage.
- The feedback oscillator relies on a positive feedback of the output to maintain the oscillations.
- The relaxation oscillator makes use of an RC timing circuit to generate a nonsinusoidal signal such as square wave



## Types of oscillators

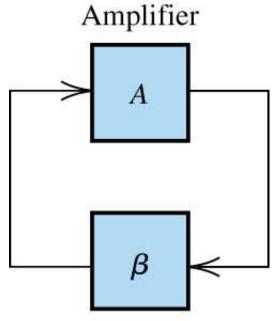
#### 1. RC oscillators

- Wien Bridge
- Phase-Shift

#### 2. LC oscillators

- Hartley
- Colpitts
- Crystal
- 3. Unijunction / relaxation oscillators

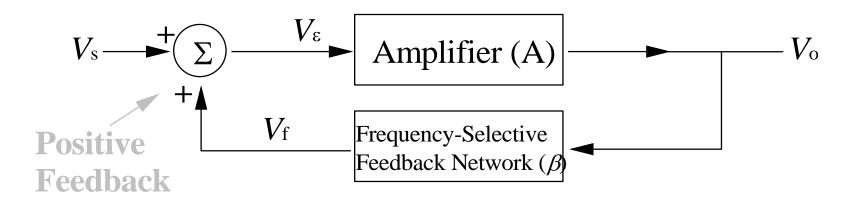
#### Linear Oscillators



Frequency-selective feedback network

Figure 9.68 A linear oscillator is formed by connecting an amplifier and a feedback network in a loop.

# Integrant of Linear Oscillators

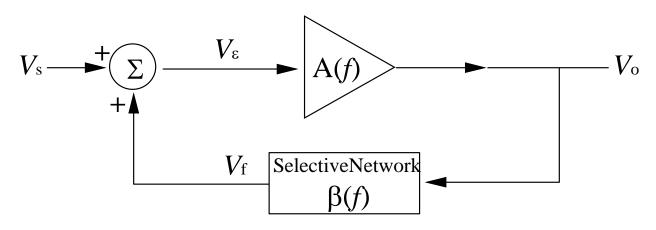


For sinusoidal input is connected "Linear" because the output is approximately sinusoidal

#### A linear oscillator contains:

- a frequency selection feedback network
- an amplifier to maintain the loop gain at unity

#### **Basic Linear Oscillator**

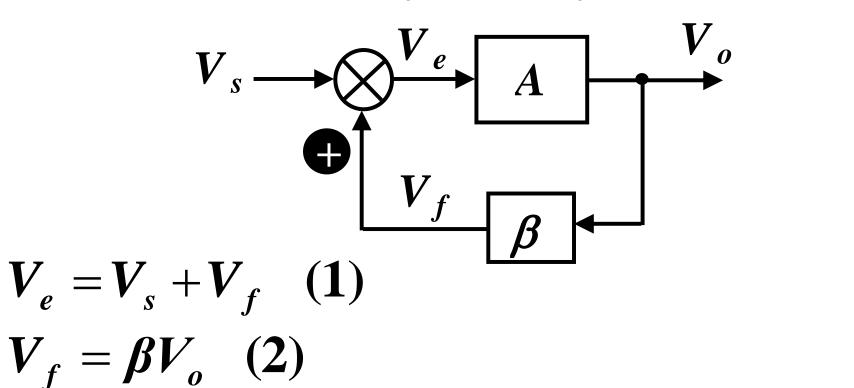


$$V_o = AV_\varepsilon = A(V_s + V_f)$$
 and  $V_f = \beta V_o$  
$$\Rightarrow \frac{V_o}{V_s} = \frac{A}{1 - A\beta}$$

If  $V_s = 0$ , the only way that  $V_o$  can be nonzero is that loop gain  $A\beta=1$  which implies that

$$|A\beta|=1$$
 (Barkhausen Criterion)  
 $\angle A\beta=0$ 

An oscillator is an amplifier with positive feedback.



$$V_o = AV_e = A(V_s + V_f) = A(V_s + \beta V_o)$$
 (3)

$$egin{aligned} oldsymbol{V}_o &= oldsymbol{A} oldsymbol{V}_e \ &= oldsymbol{A} ig( oldsymbol{V}_s + oldsymbol{V}_f ig) = oldsymbol{A} ig( oldsymbol{V}_s + oldsymbol{A} oldsymbol{V}_o \ &= oldsymbol{A} oldsymbol{V}_o = oldsymbol{A} oldsymbol{V}_o \ &= oldsymbol{A} oldsymbol{V}_o = oldsymbol{A} oldsymbol{V}_o \end{aligned}$$

The closed loop gain is:

$$A_f \equiv \frac{V_o}{V_s} = \frac{A}{(1 - A\beta)}$$

• In general A and  $\beta$  are functions of frequency and thus may be written as;

$$A_f(s) = \frac{V_o}{V_s}(s) = \frac{A(s)}{1 - A(s)\beta(s)}$$

 $A(s)\beta(s)$  is known as loop gain

• Writing  $T(s) = A(s)\beta(s)$  the loop gain becomes;

$$A_f(s) = \frac{A(s)}{1 - T(s)}$$

lacktriangle Replacing s with  $j\omega$ 

$$A_f(j\omega) = \frac{A(j\omega)}{1 - T(j\omega)}$$

lacktriangledown and  $T(j\omega) = A(j\omega) eta(j\omega)$ 

lack At a specific frequency  $f_0$ 

$$T(j\omega_0) = A(j\omega_0)\beta(j\omega_0) = 1$$

At this frequency, the closed loop gain;

$$A_f(j\omega_0) = \frac{A(j\omega_0)}{1 - A(j\omega_0)\beta(j\omega_0)}$$

will be infinite, i.e. the circuit will have finite output for zero input signal - oscillation

lacktriangle Thus, the condition for sinusoidal oscillation of frequency  $f_0$  is;

$$A(j\omega_0)\beta(j\omega_0)=1$$

- This is known as Barkhausen criterion.
- The frequency of oscillation is solely determined by the phase characteristic of the feedback loop – the loop oscillates at the frequency for which the phase is zero.

# Barkhausen Criterion – another way

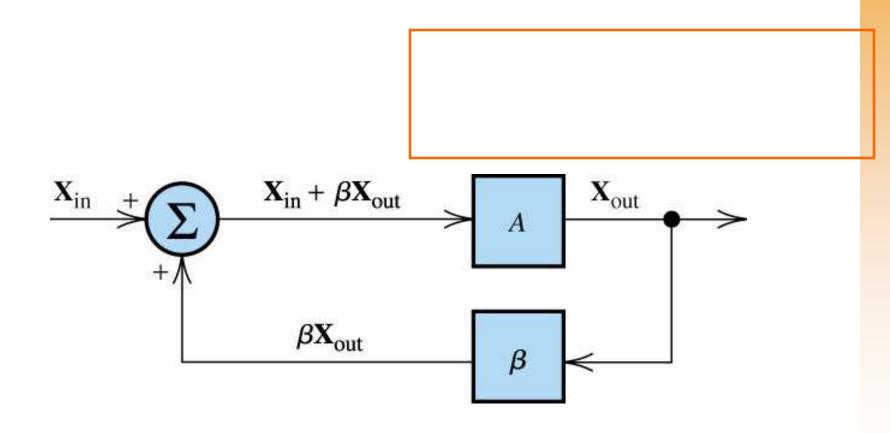
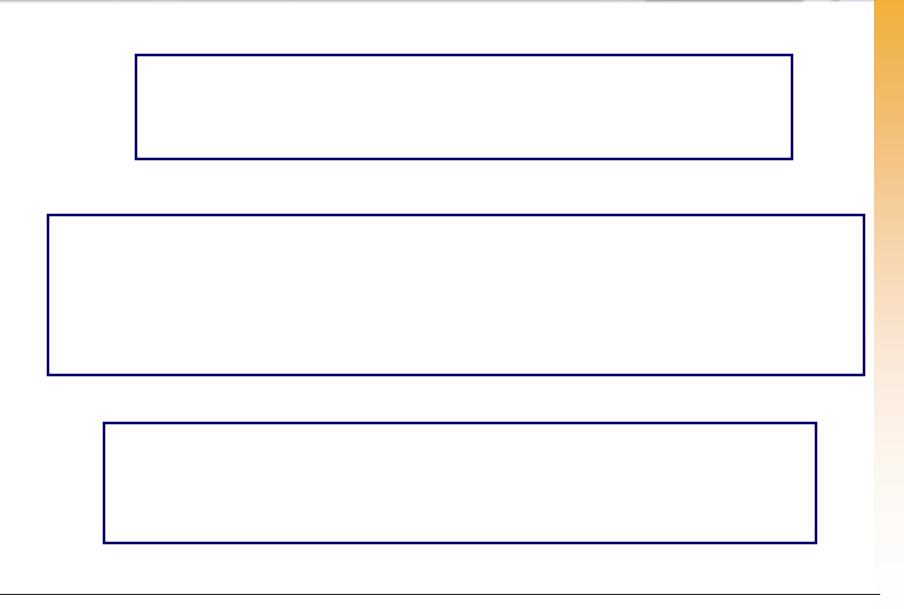


Figure 9.69 Linear oscillator with external signal X<sub>in</sub> injected.

# **Barkhausen Criterion**



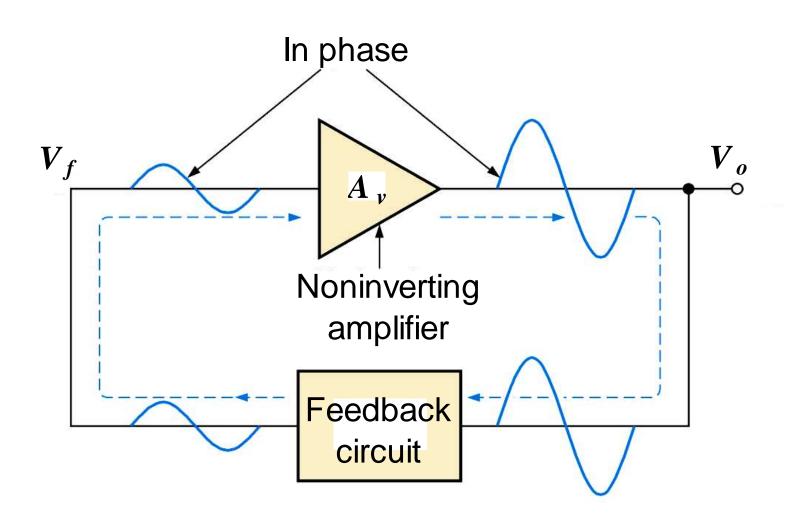
# How does the oscillation get started?

Noise signals and the transients associated with the circuit turning on provide the initial source signal that initiate the oscillation

# **Practical Design Considerations**

- ◆ Usually, oscillators are designed so that the loop gain magnitude is slightly higher than unity at the desired frequency of oscillation
- ◆ This is done because if we designed for unity loop gain magnitude a slight reduction in gain would result in oscillations that die to zero
- ◆ The drawback is that the oscillation will be slightly distorted (the higher gain results in oscillation that grows up to the point that will be clipped)

- The feedback oscillator is widely used for generation of sine wave signals.
- The positive (in phase) feedback arrangement maintains the oscillations.
- The feedback gain must be kept to unity to keep the output from distorting.



# **Design Criteria for Oscillators**

 The magnitude of the loop gain must be unity or slightly larger

$$|Aoldsymbol{eta}|=\mathbf{1}$$
 – Barkhaussen criterion

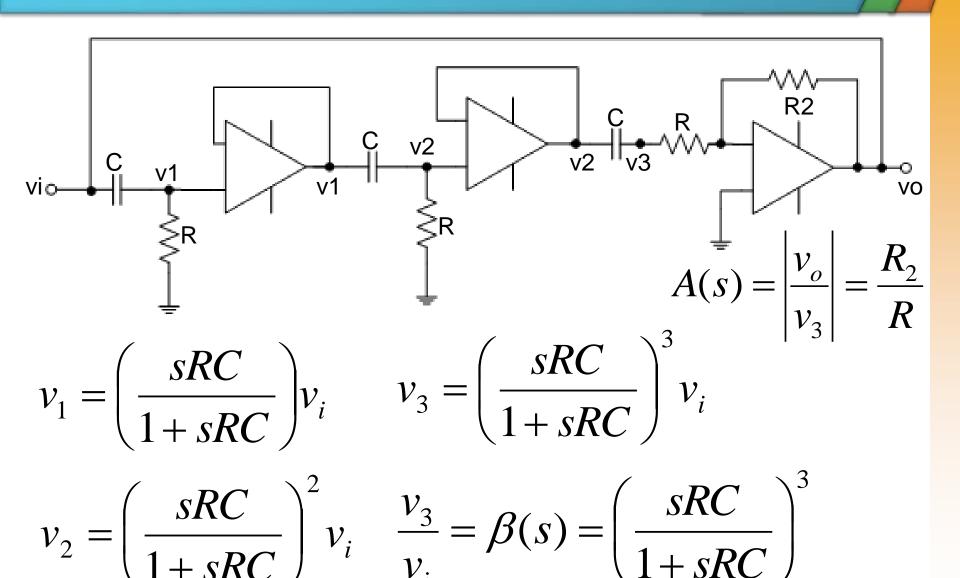
2. Total phase shift,  $\phi$  of the loop gain must be Nx360° where N=0, 1, 2, ...

#### **RC Oscillators**

- RC feedback oscillators are generally limited to frequencies of 1 MHz or less.
- The types of RC oscillators that we will discuss are the Wien-bridge and the phase-shift

- ◆ The phase shift oscillator utilizes three RC circuits to provide 180° phase shift that when coupled with the 180° of the op-amp itself provides the necessary feedback to sustain oscillations.
- The gain must be at least 29 to maintain the oscillations.
- The frequency of resonance for the this type is similar to any RC circuit oscillator:

$$f_r = \frac{1}{2\pi\sqrt{6}RC}$$



Loop gain, T(s):

$$T(s) = A(s)\beta(s) = \left(\frac{R_2}{R}\right)\left(\frac{sRC}{1+sRC}\right)^3$$

Set s=jw

$$T(j\omega) = \left(\frac{R_2}{R}\right) \left(\frac{j\omega RC}{1 + j\omega RC}\right)^3$$

$$T(j\omega) = -\left(\frac{R_2}{R}\right) \frac{(j\omega RC)(\omega RC)^2}{\left[1 - 3\omega^2 R^2 C^2\right] + j\omega RC\left[3 - \omega^2 R^2 C^2\right]}$$

◆ To satisfy condition  $T(jw_o)=1$ , real component must be zero since the numerator is purely imaginary.

$$1 - 3\omega^2 R^2 C^2 = 0$$

• the oscillation frequency:  $\omega_0 = \frac{1}{\sqrt{2} \, p_C}$ 

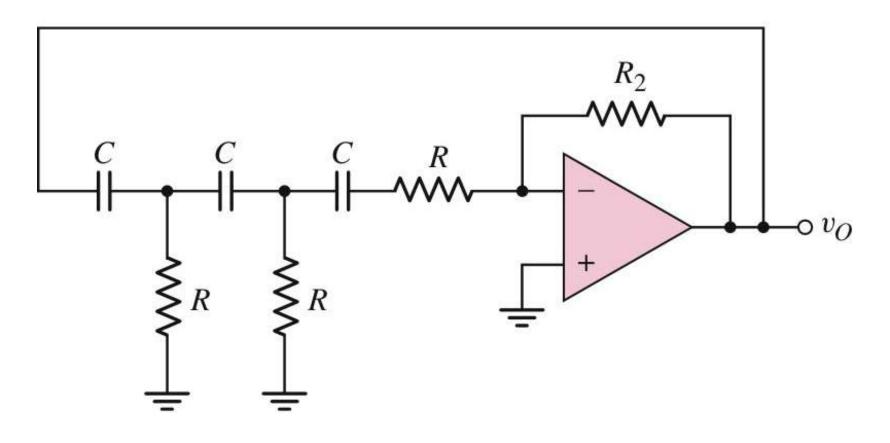
Apply w<sub>o</sub> in equation:

$$T(j\omega_o) = -\left(\frac{R_2}{R}\right) \frac{(j/\sqrt{3})(1/3)}{0 + (j/\sqrt{3})[3 - (1/3)]} = -\left(\frac{R_2}{R}\right) \left(\frac{1}{8}\right)$$

 $\bullet$  To satisfy condition T(jw<sub>o</sub>)=1

$$\frac{R_2}{R} = 8$$

The gain greater than 8, the circuit will spontaneously begin oscillating & sustain oscillations



$$f_o = \frac{1}{2\pi\sqrt{6RC}} \qquad \frac{R_2}{R} = 29$$

The gain must be at least 29 to maintain the oscillations