OM Review - XXII

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https://forms.gle/KBnSvymXvWEJDo7L6

Gradient descent utilizes a ____ approximation of f to minimize a function f(x):

- (A) linear
- (B) quadratic
- (C) cubic
- (D) biquadratic

The gradient of a scalar function at minima is:

- (A) +ve
- (B) -ve
- (C) 0
- (D) Can't say

The gradient of a scalar function at maxima is:

- (A) +ve
- (B) -ve
- (C) 0
- (D) Can't say

The 2nd derivative of a scalar function at minima is:

- (A) +ve
- (B) -ve
- (C) 0
- (D) Can't say

The 2nd derivative of a scalar function at maxima is:

- (A) +ve
- (B) -ve
- (C) 0
- (D) Can't say

We are trying to find the minimum of the function

$$f(x,y) = x^2 + y^2$$

using Newton's method. Use the point (2, 1) as the initial point. Enter the value of (x, y) after first iteration.

We are trying to find the minimum of the function

$$f(x,y) = x^2 + y^2$$

using Newton's method. Use the point (2, 1) as the initial point. Enter the value of (x, y) at convergence.

Statement: The update equation for finding the minimum of a function using Newton's method is same as the update equation for finding the maximum using Newton's method.

The statement above is

- (A) True
- (B) False
- (C) True or False depending on the function.