

# Introduction to Programming

Week – 2, Lecture – 2

## **Variables, Constants and Library Functions**

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SAURABH SRIVASTAVA

DEPARTMENT OF COMPUTER SCIENCE & ENGINEERING

IIT KANPUR



# Variables in Pseudocode

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# Algorithm for solving Quadratic Equations

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1. Check if the equation is in the standard form, i.e.  $ax^2 + bx + c = 0$
2. If it is not, you can also do that by bringing all the terms on LHS, making the RHS 0
3. Calculate the discriminant,  $D$  as  $b^2 - 4ac$
4. If  $D = 0$ 
  - Find  $\frac{-b}{2a}$  ; this is the only root of this equation
5. Else, if  $D > 0$ 
  - Find  $\frac{-b + \sqrt{D}}{2a}$  and  $\frac{-b - \sqrt{D}}{2a}$  ; these are the two roots of this equation
6. Else
  - Wait till you study complex numbers... till then, enjoy your life !!

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It is just a special case where the roots will evaluate to the same value

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In this “algorithm”, what are the “variables”?

- $a$ ,  $b$  and  $c$  – their values are provided to us by the user of our algorithm
- $x_1$  and  $x_2$  – their values will be different, based on the values of  $a$ ,  $b$  and  $c$

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Actually, we probably have many, e.g.

- In  $b^2$ , the power of  $b$ , is a constant, i.e. 2
- In  $4ac$ , the multiplier of  $ac$ , is a constant, i.e. 4
- In  $2a$ , the multiplier of  $a$ , is a constant, i.e. 2



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# Pseudocode for solving Quadratic Equations

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## **Procedure** QuadraticEquationSolver

*Inputs:*  $a$ ,  $b$ ,  $c$

```
D = DiscriminantCalculator(a, b, c)
if (D = 0)
{
    x1 = x2 = -b / (2 * a)
}
else if (D > 0)
{
    x1 = (-b +  $\sqrt{D}$ ) / (2 * a)
    x2 = (-b -  $\sqrt{D}$ ) / (2 * a)
    return as Output : x1, x2
}
else
{
    return as Output : "No real roots"
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```

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## Procedure QuadraticEquationSolver

Inputs:  $a$ ,  $b$ ,  $c$

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 $D$  = Discriminator(a, b, c)
if ( $D$  = 0)
{
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else if ( $D$  > 0)
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     $x_1$  =  $(-b + \sqrt{D}) / (2 * a)$ 
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These are all the variables in this pseudocode

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```

These are all the constants in this pseudocode

By the way, the 1 and 2 in  $x_1$  and  $x_2$  are NOT constants, they are just a part of the name of variables

# Library Functions

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In the pseudocode that we saw, the procedure `DiscriminantCalculator` is *used*

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All programming languages come with some procedures that you can use in your code

- For instance, a procedure that we may require here, is to calculate the square root of  $D$
- While you can certainly write it yourself, it may be better to simply use it, if it is available
- After all, who wants to find square roots anyway !!

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Another common case where you will use Library Functions, are for mathematical operations



# Homework !!

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In the pseudocode you wrote for solving a system of Linear Equation in three variables

- Identify all variables
- Identify all constants

Assume that you have a procedure called `sqrt`, which returns the square root of a passed value

- Change the pseudocode for solving Quadratic Equations to reflect that