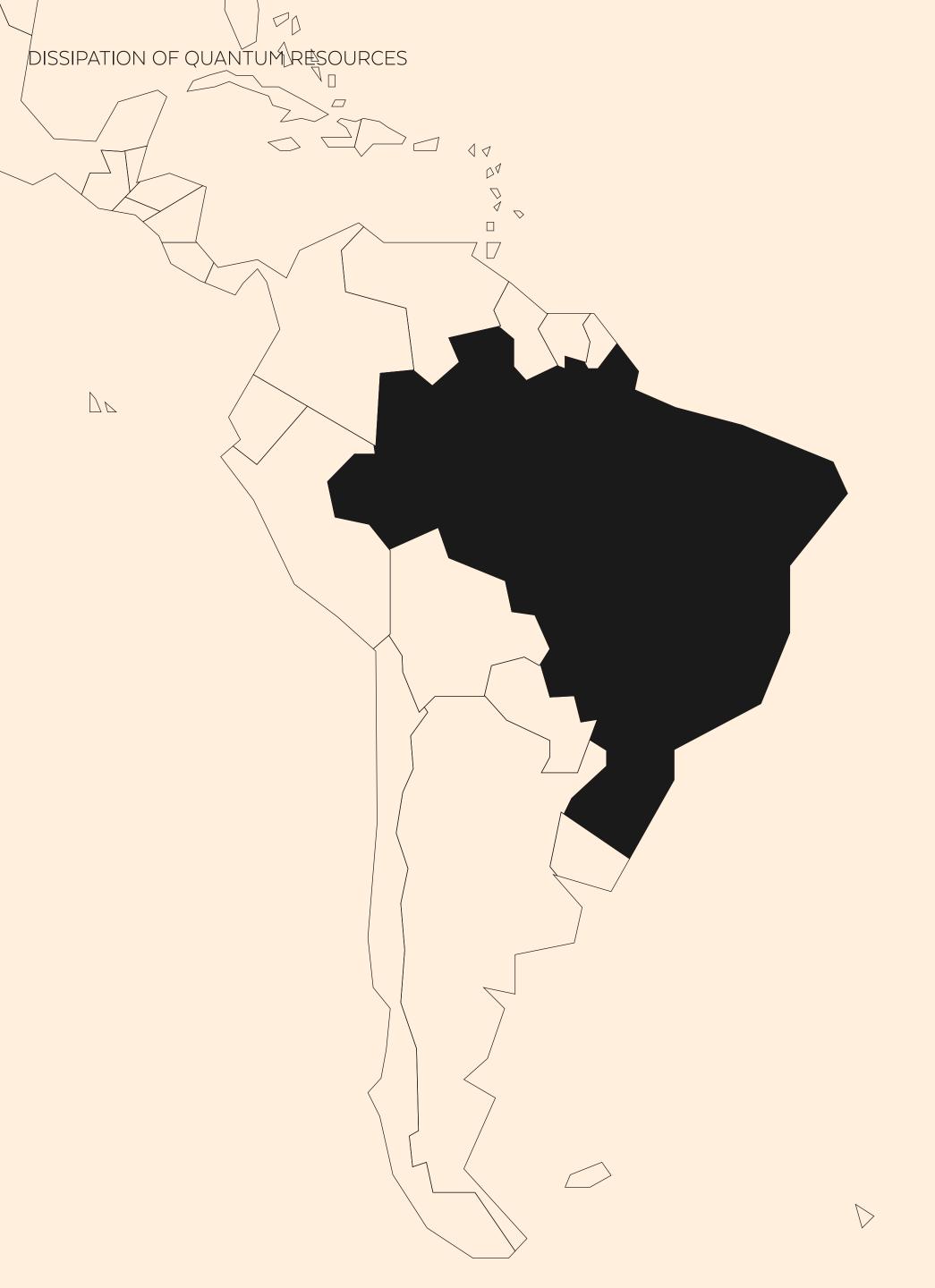


Alexssandre de Oliveira Junior

Faculty of Physics, Astronomy and Applied Computer Science, Jagiellonian University

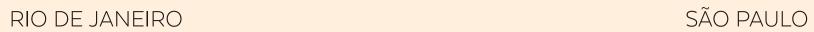


Geographic Nutshell

Brasil

210 millions of people 8.516.000 km²







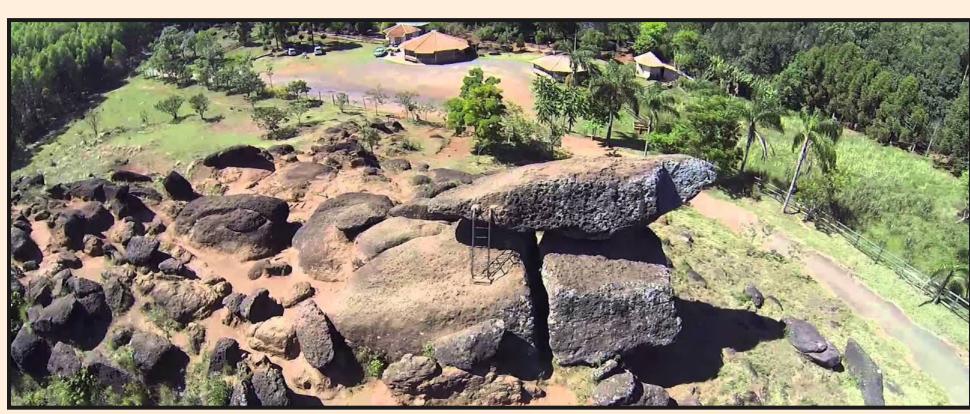


Geographic Nutshell

Poços de Caldas







$\nabla \nabla$ INSIDE THE CRATER OF A LARGE EXTINCT VOLCANO

DISSIPATION OF QUANTUM RESOURCES

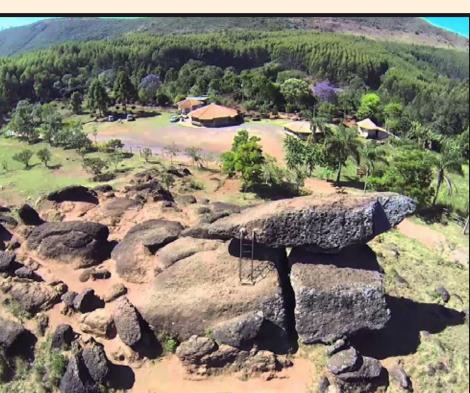
Geographic Nutshell

Poços de Caldas











Geographic Nutshell

São Paulo

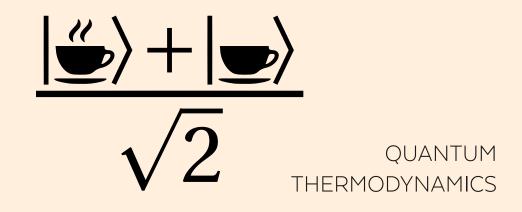
DISSIPATION OF QUANTUM RESOURCES $\nabla \nabla$

Geographic Nutshell

São Paulo



INSTITUTE OF PHYSICS "GLEB WATAGHIN"



DISSIPATION OF QUANTUM RESOURCES $\nabla \nabla$

Geographic Nutshell

São Paulo

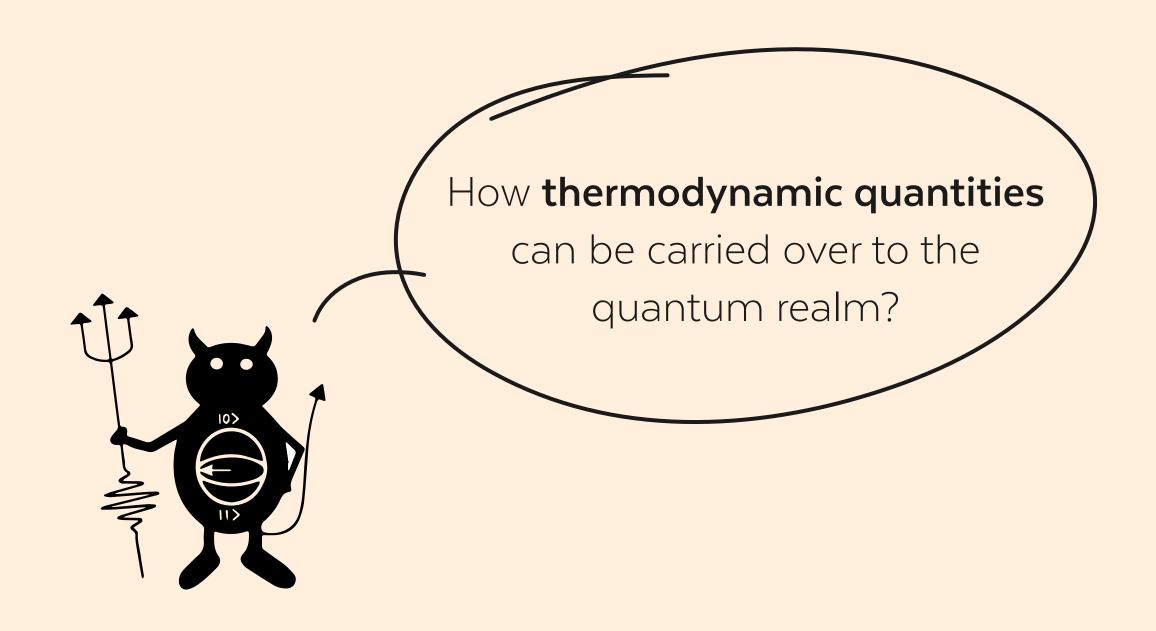


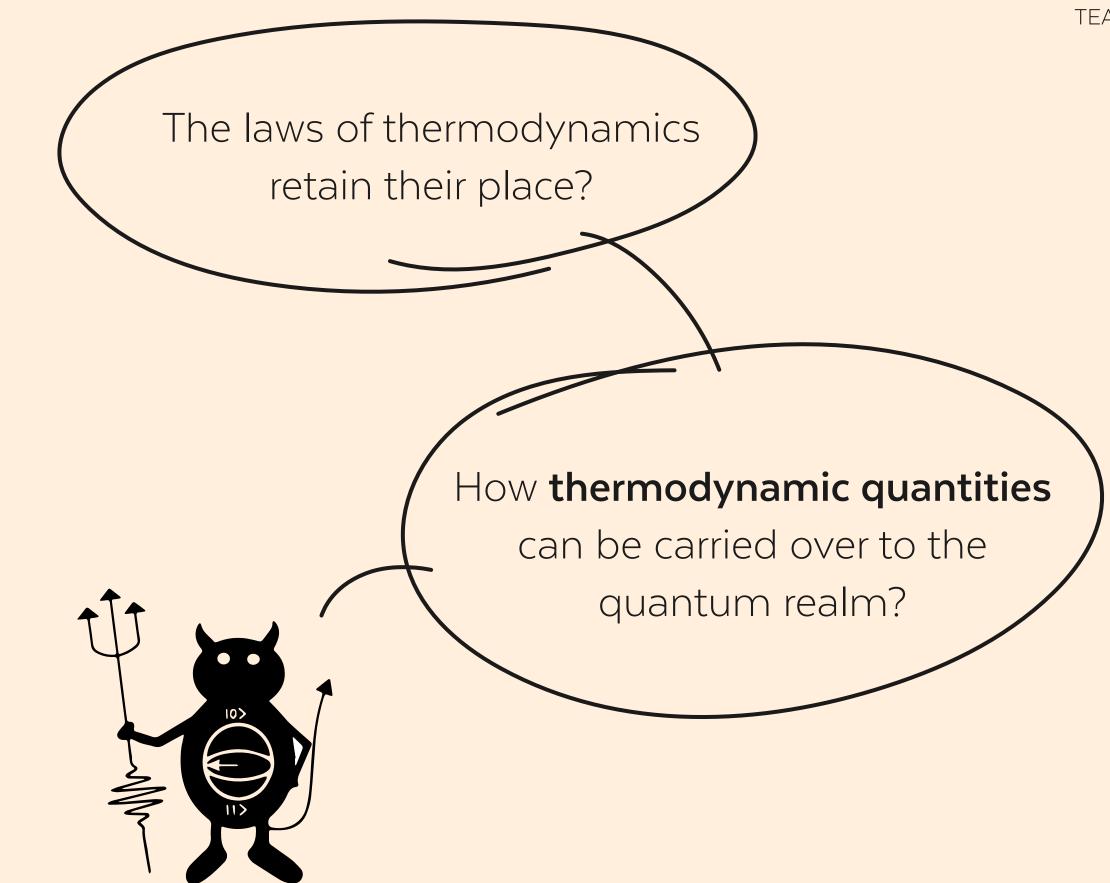
INSTITUTE OF PHYSICS "GLEB WATAGHIN"

- Resource theories
- Open quantum systems
- Continuous variable quantum information

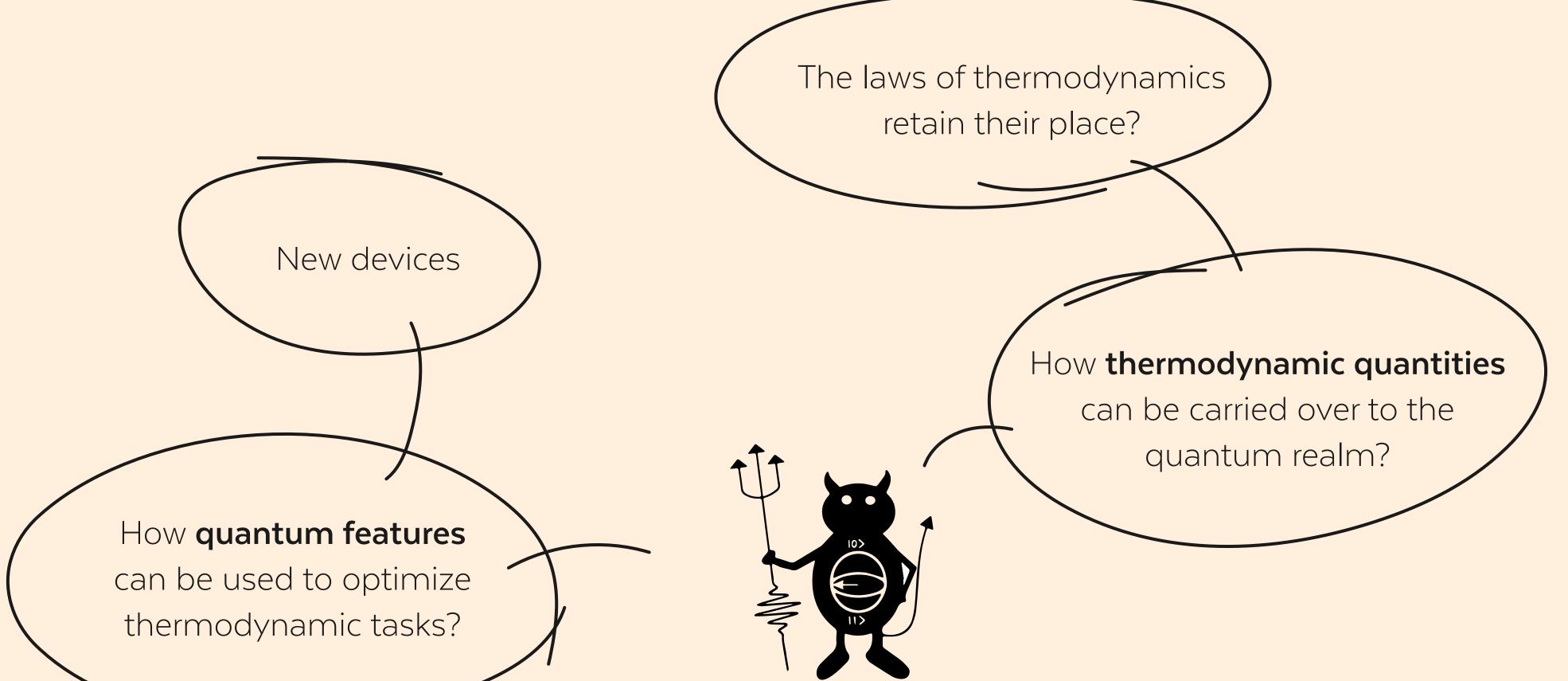


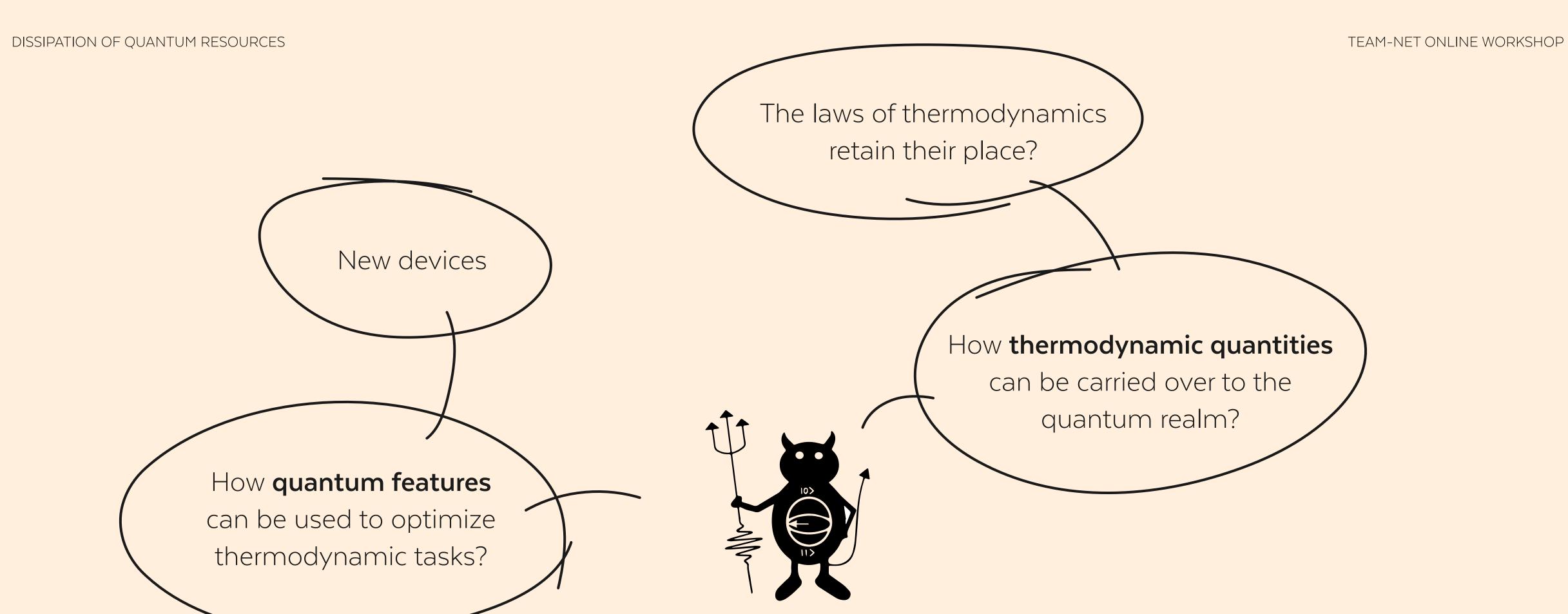
Quantum Thermodynamics



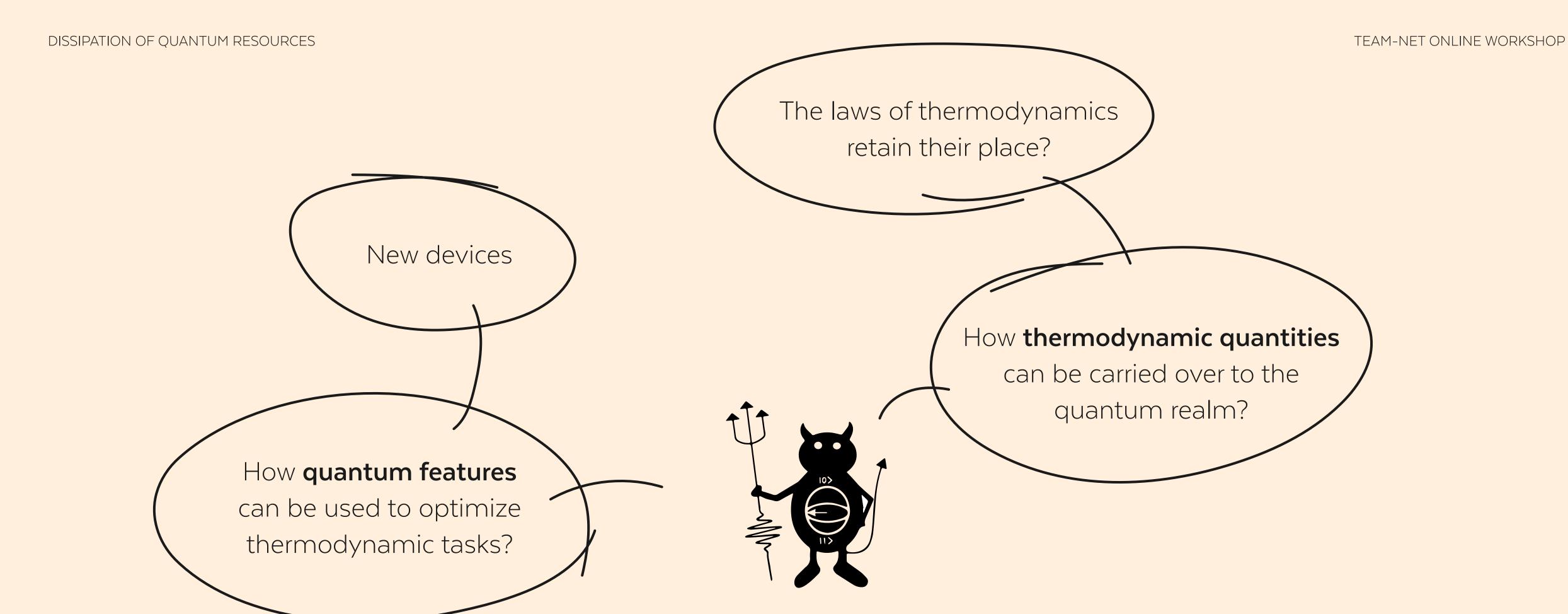


TEAM-NET ONLINE WORKSHOP





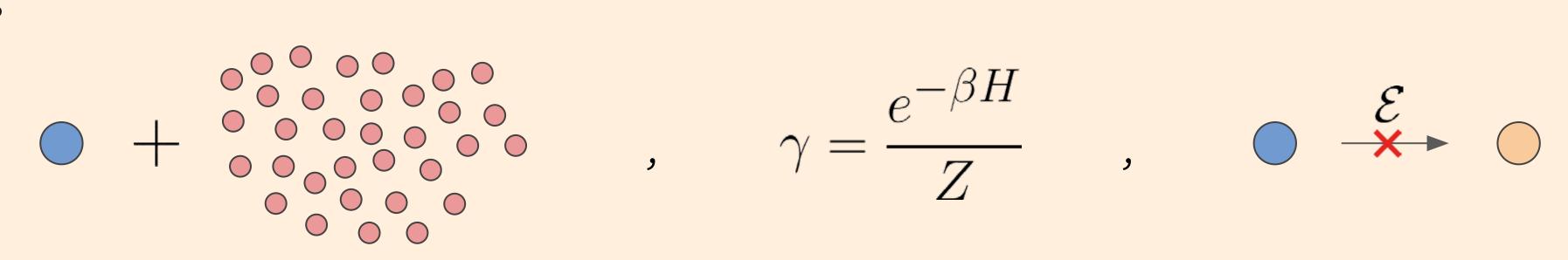
This field is extremely broad



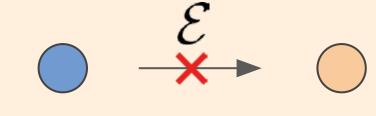
- This field is extremely broad
- \bullet Thermodynamics as a theory of restrictions \longrightarrow resource theory approach

Resource theory of thermodynamics

Free States

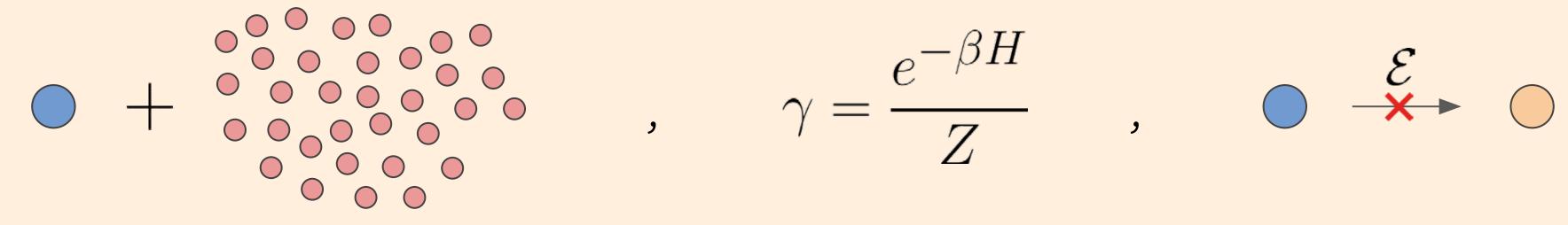


$$\gamma = \frac{e^{-\beta H}}{Z}$$

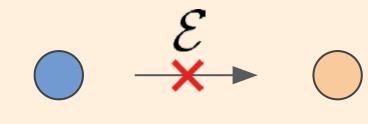


Resource theory of thermodynamics

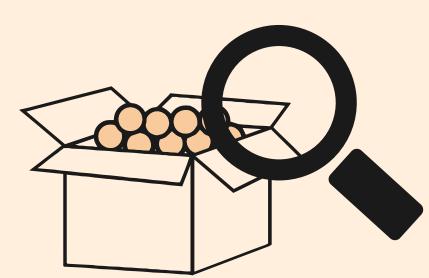
Free States



$$\gamma = \frac{e^{-\beta H}}{Z}$$



Thermodynamic monotone



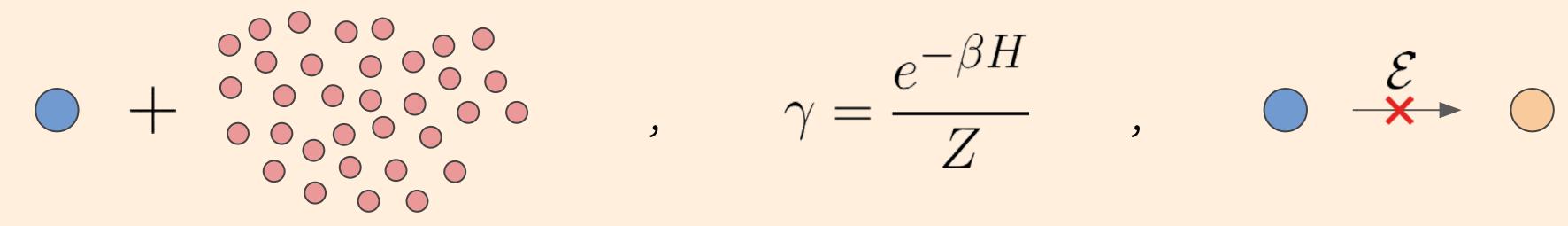
i.
$$\phi(\mathcal{E}(\rho)) \leq \phi(\rho)$$
 ii. $\phi(\gamma) = 0$

ii.
$$\phi(\gamma) = 0$$

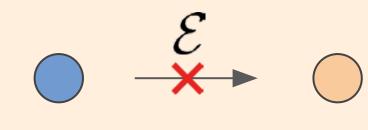
$$D(\rho||\gamma) = \text{tr}[(\rho(\log \rho - \log \gamma))]$$

Resource theory of thermodynamics

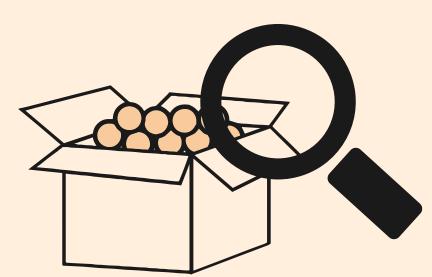
Free States



$$\gamma = \frac{e^{-\beta H}}{Z}$$



Thermodynamic monotone

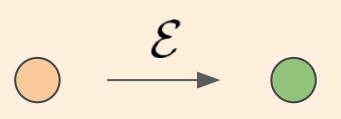


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ii.
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$$D(\rho||\gamma) = \text{tr}[(\rho(\log \rho - \log \gamma))]$$

Thermal operations



$$\mathcal{E}_{\rho} = \operatorname{tr}(U(\rho \otimes \gamma_B)U^{\dagger})$$

$$I. \quad \mathcal{E}(\gamma) = \gamma$$

II.
$$\mathcal{E}(e^{-iHt}\rho e^{iHt}) = e^{-iHt}\mathcal{E}(\rho)e^{iHt}$$

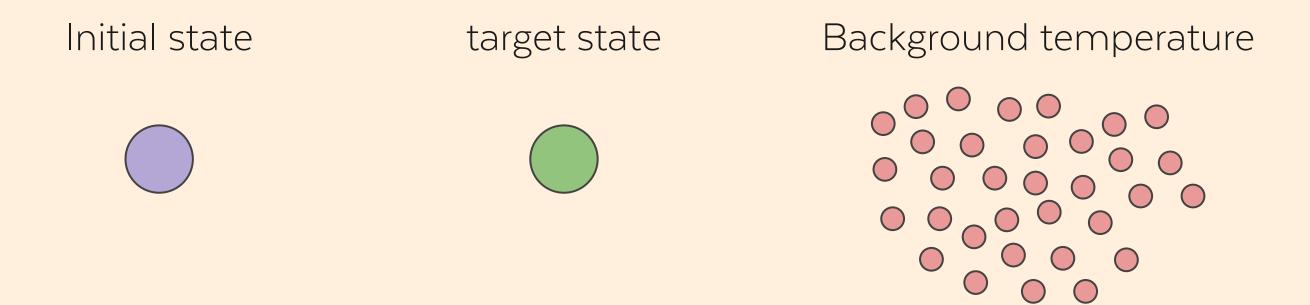
State interconversion: work extraction

Setting

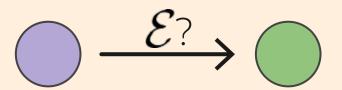


State interconversion: work extraction

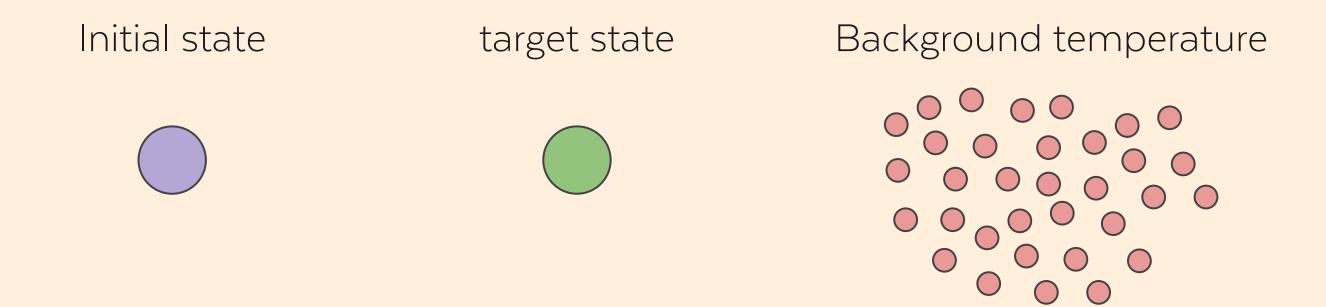
Setting



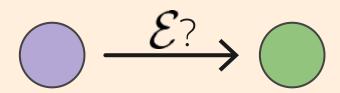
General interconversion problem:



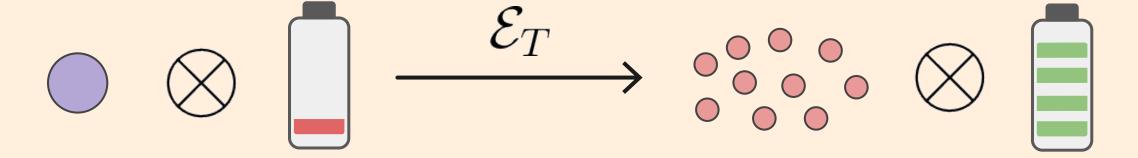
Setting

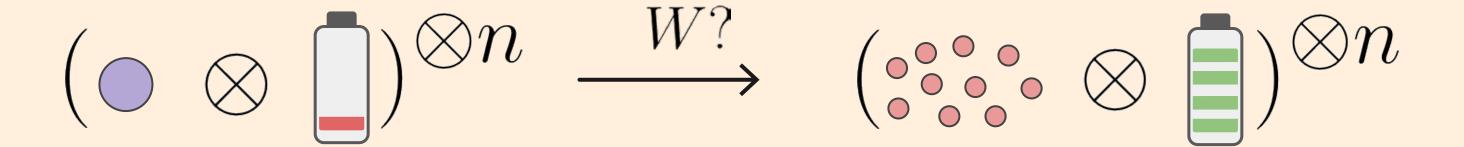


General interconversion problem:



System + empty battery





$$(\circ \otimes)^{\otimes n} \xrightarrow{W?} (\circ \circ \otimes)^{\otimes n}$$

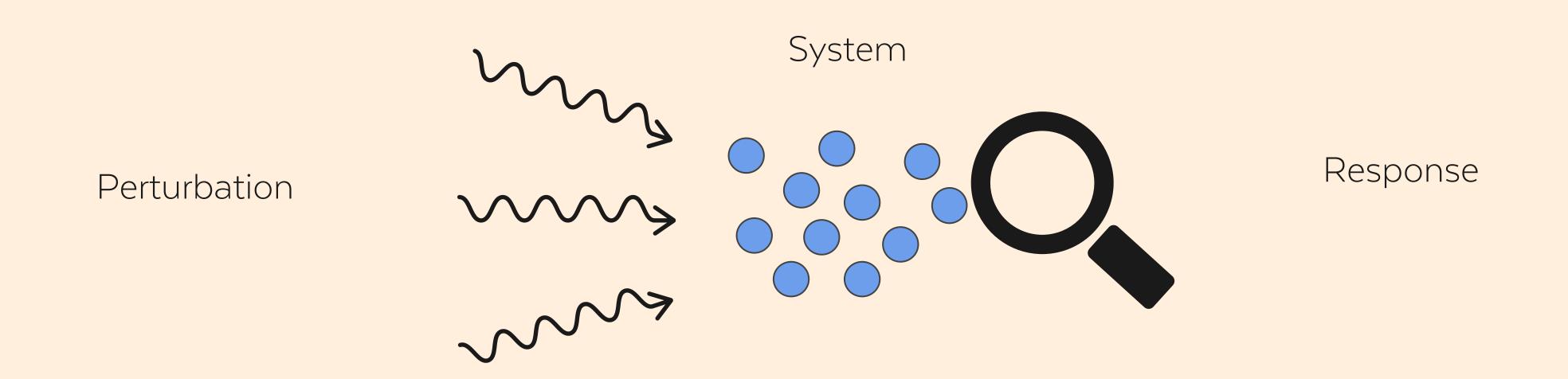
$$W = k_B T \left(\frac{D(\mathbf{p}||\gamma)}{D(\mathbf{p}||\gamma)} - \sqrt{\frac{V(\mathbf{p}||\gamma)}{n}} \Phi^{-1}(\epsilon) \right)$$

• Fluctuation-dissipation relations in resource theories

JC. T. Chubb, M. Tomamichel, and K. Korzekwa, "Beyond The Thermodynamic Limit: Finite-size Corrections To State Interconversion Rates", Quantum, vol. 2, p. 108, 2018.

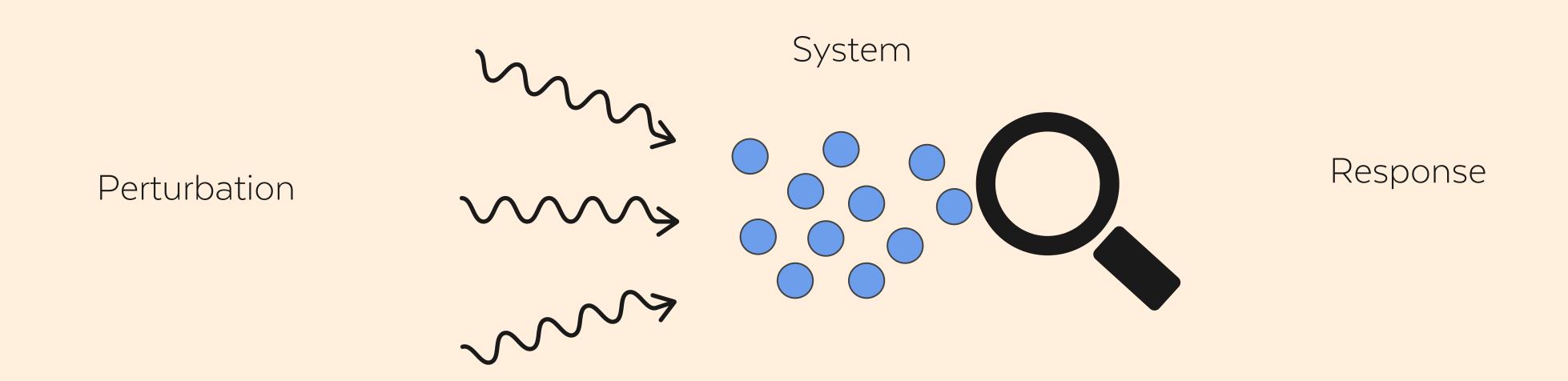
Fluctuation - dissipation relations

General idea



Fluctuation - dissipation relations

General idea



Fluctuation - dissipation

Fluctuation - dissipation relations

Brownian motion

Drag dissipates kinetic energy, turning it into heat

FDR: when there is a process that dissipates energy, there is a reverse process related to thermal fluctuations.

$$W = k_B T \left(\frac{D(\mathbf{p}||\gamma)}{D(\mathbf{p}||\gamma)} - \sqrt{\frac{V(\mathbf{p}||\gamma)}{n}} \Phi^{-1}(\epsilon) \right)$$

JC. T. Chubb, M. Tomamichel, and K. Korzekwa, "Beyond The Thermodynamic Limit: Finite-size Corrections To State Interconversion Rates", Quantum, vol. 2, p. 108, 2018.

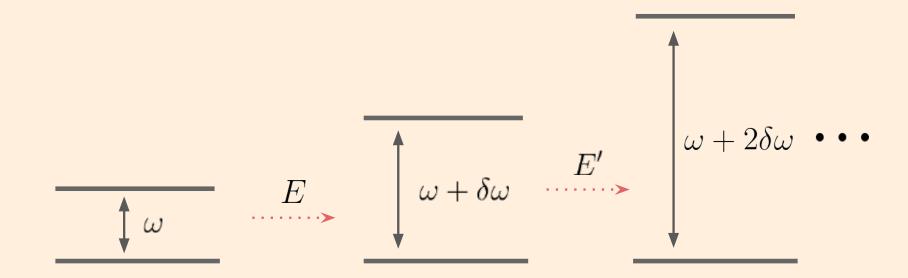
Two frameworks for work extraction

Interconversion Scenario

$$(\bullet \otimes \blacksquare)^{\otimes n} \xrightarrow{W?} (\bullet \bullet \bullet \otimes \blacksquare)^{\otimes n}$$

- Mathematically very clean
- Abstract and hard to implement physically

Level transformation

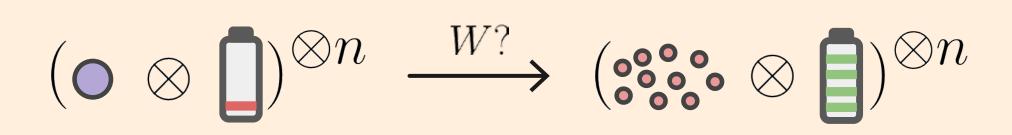


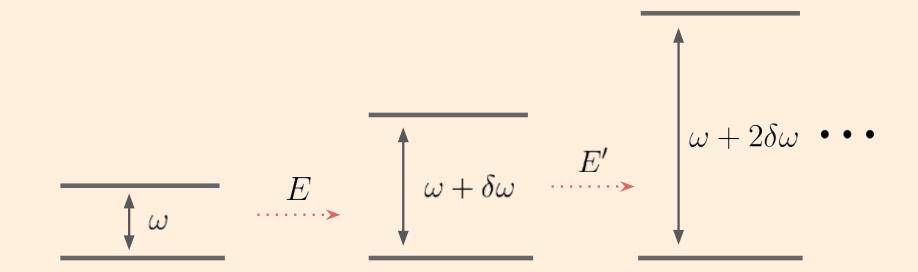
Strongly physically motivated model

Two frameworks for work extraction

Interconversion Scenario

Level transformation





Why and how these two frameworks are related?

• Resource resonance: under certain circumstances one can avoid unnecessary work fluctuations (dissipation of energy)

K. Korzekwa, M. Tomamichel and JC. T. Chubb, "Avoiding Irreversibility: Engineering Resonant Conversions of Quantum Resources", Phys. Rev. Lett. 122, 110304, 2019.

Conclusions

- Explore the role of the FDR in the resource theory of thermodynamics
- A "dictionary" between the two frameworks
- Design experimental setups that would employ the resource resonance
- What does the fluctuation term means in the resource theory of entanglement when studying transformations between pure bipartite states?
- Work extraction considering coherent states

Than.