

# Package ‘kalmanSSM’

September 4, 2023

**Title** Kalman Filter

**Version** 0.0.0.9000

**Description** Functions related to Kalman filters.

**URL** <https://github.com/ijapesigan/kalmanSSM>,  
<https://ijapesigan.github.io/kalmanSSM/>

**BugReports** <https://github.com/ijapesigan/kalmanSSM/issues>

**License** GPL (>= 3)

**Encoding** UTF-8

**LazyData** true

**Roxygen** list(markdown = TRUE)

**VignetteBuilder** knitr

**Depends** R (>= 3.5.0)

**LinkingTo** Rcpp, RcppArmadillo

**Imports** Rcpp

**Suggests** knitr, rmarkdown, testthat

**RoxygenNote** 7.2.3

**NeedsCompilation** yes

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dat\_multiv\_p1

*Data from a Multivariate State Space Model (p = 1)*


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**Description**

Data from a Multivariate State Space Model (p = 1)

**Usage**

dat\_multiv\_p1

**Format**

A matrix with 100 rows (time points) and 5 columns (eta1, and eta2 for latent states, y1, and y2 for observed data, and time for discrete time from 1 to 100) generated from the state space model given by

$$\begin{pmatrix} y_{1t} \\ y_{2t} \end{pmatrix} = \begin{pmatrix} \eta_{1t} \\ \eta_{2t} \end{pmatrix} + \begin{pmatrix} \varepsilon_{1t} \\ \varepsilon_{2t} \end{pmatrix} \quad \text{with} \quad \begin{pmatrix} \varepsilon_{1t} \\ \varepsilon_{2t} \end{pmatrix} \sim \mathcal{N} \left( \begin{pmatrix} 0 \\ 0 \end{pmatrix}, \begin{pmatrix} 1 & 0.0 \\ 0.0 & 1 \end{pmatrix} \right)$$

$$\begin{pmatrix} \eta_{1t} \\ \eta_{2t} \end{pmatrix} = \begin{pmatrix} 0.8 & 0.0 \\ 0.0 & 0.8 \end{pmatrix} \begin{pmatrix} \eta_{1t-1} \\ \eta_{2t-1} \end{pmatrix} + \begin{pmatrix} \zeta_{1t} \\ \zeta_{2t} \end{pmatrix} \quad \text{with} \quad \begin{pmatrix} \zeta_{1t} \\ \zeta_{2t} \end{pmatrix} \sim \mathcal{N} \left( \begin{pmatrix} 0 \\ 0 \end{pmatrix}, \begin{pmatrix} 1 & 0.0 \\ 0.0 & 1 \end{pmatrix} \right)$$

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dat\_univ\_p1

*Data from a Univariate State Space Model (p = 1)*


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**Description**

Data from a Univariate State Space Model (p = 1)

**Usage**

dat\_univ\_p1

**Format**

A matrix with 100 rows (time points) and 3 columns (eta for the latent state, y for the observed data, and time for discrete time from 1 to 100) generated from the state space model given by

$$Y_t = \eta_t + \varepsilon_t \quad \text{with} \quad \varepsilon_t \sim \mathcal{N}(0, 1)$$

$$\eta_t = 0.8\eta_{t-1} + \zeta_t \quad \text{with} \quad \zeta_t \sim \mathcal{N}(0, 1).$$

**Description**

Kalman Filter with Lag 1 for State Space Models

**Usage**

```
KFilterP1(data, Lambda, mu0, Sigma0, beta, chol_psi, chol_theta)
```

**Arguments**

data	Numeric matrix. time by k data matrix.
Lambda	Numeric matrix. Measurement or observation matrix.
mu0	Numeric matrix. Initial state mean vector where p is the number of lags.
Sigma0	Numeric matrix. Initial state covariance matrix where p is the number of lags.
beta	Numeric matrix. State transition matrix.
chol_psi	Numeric matrix. Cholesky decomposition of the state error covariance matrix Psi.
chol_theta	Numeric matrix. Cholesky decomposition of the observation error covariance matrix Theta.

**Details**

The measurement model is given by

$$\mathbf{y}_t = \boldsymbol{\nu} + \mathbf{\Lambda}\boldsymbol{\eta}_t + \boldsymbol{\varepsilon}_t \quad \text{with} \quad \boldsymbol{\varepsilon}_t \sim \mathcal{N}(\mathbf{0}, \boldsymbol{\Theta})$$

where  $\mathbf{y}$ ,  $\boldsymbol{\eta}$ , and  $\boldsymbol{\varepsilon}$  are random variables and  $\boldsymbol{\nu}$ ,  $\mathbf{\Lambda}$ , and  $\boldsymbol{\Theta}$  are model parameters.  $\mathbf{y}$  is a vector of observed random variables,  $\boldsymbol{\eta}$  is a vector of latent random variables, and  $\boldsymbol{\varepsilon}$  is a vector of random measurement errors while  $\boldsymbol{\nu}$  is a vector of intercept,  $\mathbf{\Lambda}$  is a matrix of factor loadings, and  $\boldsymbol{\Theta}$  is the covariance matrix of  $\boldsymbol{\varepsilon}$ .

The dynamic structure is given by

$$\boldsymbol{\eta}_t = \boldsymbol{\alpha} + \boldsymbol{\beta}\boldsymbol{\eta}_{t-1} + \boldsymbol{\zeta}_t \quad \text{with} \quad \boldsymbol{\zeta}_t \sim \mathcal{N}(\mathbf{0}, \boldsymbol{\Psi})$$

where  $\boldsymbol{\eta}_t$ ,  $\boldsymbol{\eta}_t$ , and  $\boldsymbol{\zeta}_t$  are random variables and  $\boldsymbol{\alpha}$ ,  $\boldsymbol{\beta}$ , and  $\boldsymbol{\Psi}$  are model parameters.  $\boldsymbol{\eta}_t$  is a vector of latent variables at time  $t$ ,  $\boldsymbol{\eta}_{t-1}$  is a vector of latent variables at  $t - 1$ , and  $\boldsymbol{\zeta}_t$  is a vector of dynamic noise at time  $t$  while  $\boldsymbol{\alpha}$  is a vector of intercepts,  $\boldsymbol{\beta}$  is a matrix of autoregression and cross regression coefficients, and  $\boldsymbol{\Psi}$  is the covariance matrix of  $\boldsymbol{\zeta}_t$ .

**Value**

List of filtered state variables and other Kalman filter results.

**Author(s)**

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**Examples**

```
data <- dat_univ_p1[, "y", drop = FALSE]
kalman <- KFilterP1(
  data = data,
  Lambda = matrix(1),
  mu0 = matrix(0),
  Sigma0 = matrix(1),
  beta = matrix(0.8),
  chol_psi = matrix(1),
  chol_theta = matrix(1)
)
str(kalman)

data <- dat_multiv_p1[, c("y1", "y2"), drop = FALSE]
kalman <- KFilterP1(
  data = data,
  Lambda = diag(2),
  mu0 = matrix(data = 0, nrow = 2),
  Sigma0 = diag(2),
  beta = diag(x = 0.8, nrow = 2, ncol = 2),
  chol_psi = chol(diag(2)),
  chol_theta = chol(diag(2))
)
str(kalman)
```

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