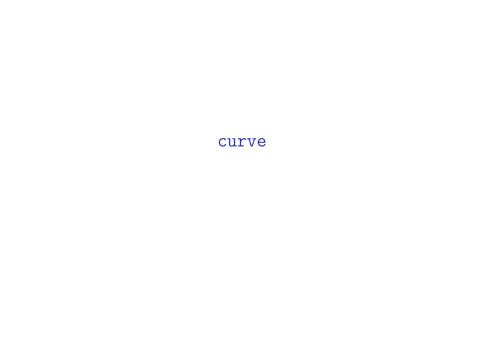
STAT 210 Applied Statistics and Data Analysis: Graphics in R High-level commands

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curve

This function graphs a function in a given interval:

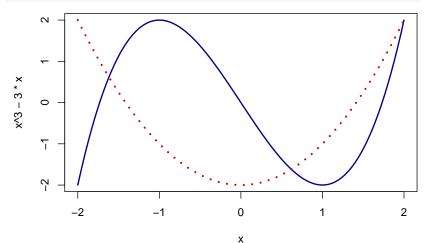
```
curve(expr, from, to, add = FALSE, ...)
```

where

- expr function with variable x
- ▶ from, to Interval limits
- add Logical. If TRUE the graph is added to the active window.

curve

```
curve(x^3 - 3*x, -2,2,1wd=2, col='darkblue')
curve(x^2 -2 , add= TRUE, col='red3', lwd=3, lty = 3)
```





Boxplots were proposed by John W. Tukey in the 1970s as a quick way to visualize the main features of a data set.

There are several versions, but in general the interquartile range (iqr) is represented by a box or rectangle, so that the ends of the rectangle are located in the first and third quartiles, as shown in Figure 4.1.

Inside the rectangle, the location of the median is indicated by a line or point. Outside the rectangle, two segments are drawn, called 'whiskers', which reach the furthest data at a distance less than or equal to $1.5 \times (\text{iqr})$ from the rectangle.

Any point that is not included in this range is represented individually and is a potential outlier.

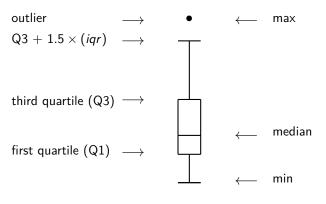
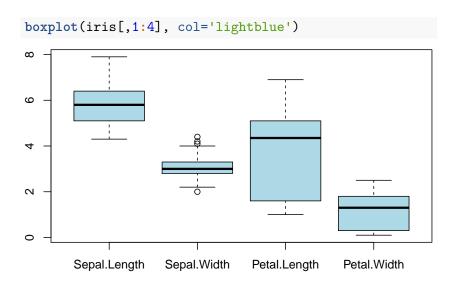
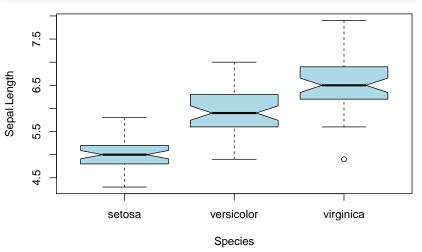


Figure 4.1

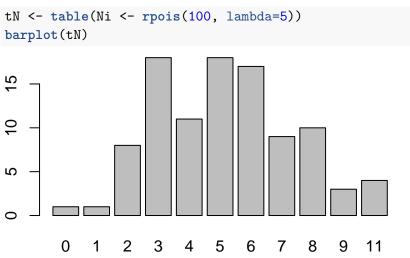




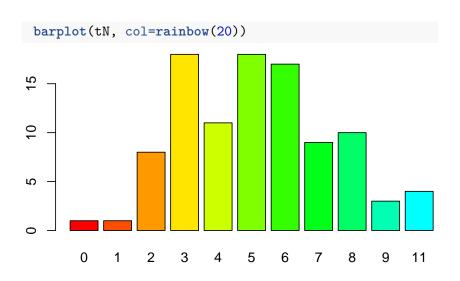
Barplots

Barplots

barplot draws a bar diagram for counts. We give examples combining it with table to count the number of occurrences of data values.



Barplots





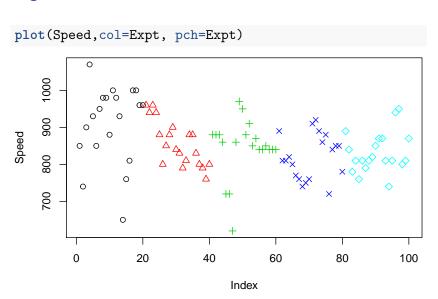
str(morley)

attach(morley)

We will use the morley dataset that contains the results of (one of) Michelson's experiments on the speed of light.

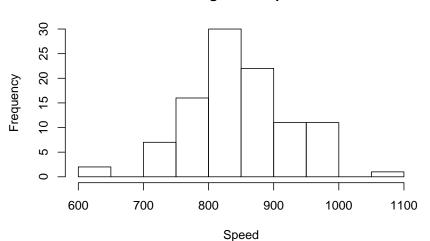
Five experiments with 20 consecutive runs

```
## 'data.frame': 100 obs. of 3 variables:
## $ Expt : int 1 1 1 1 1 1 1 1 1 ...
## $ Run : int 1 2 3 4 5 6 7 8 9 10 ...
## $ Speed: int 850 740 900 1070 930 850 950 980 980 880
```



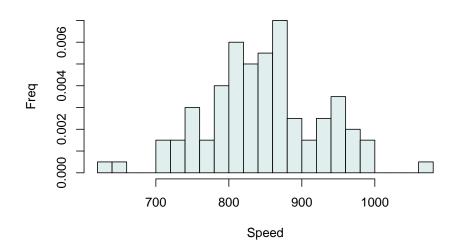
hist(Speed)

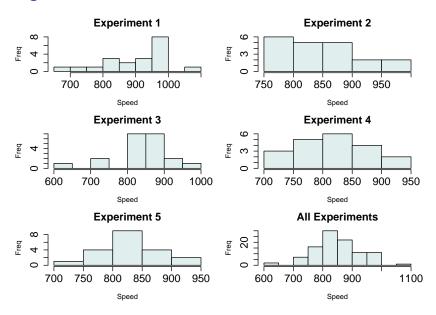


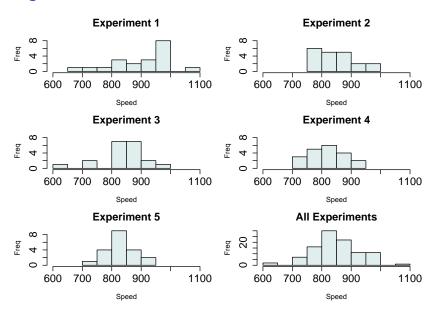


```
hist(Speed, breaks = 20, probability = T,
    col = 'azure2',xlab='Speed', ylab='Freq',
    main = "Michelson's Experiment")
```

Michelson's Experiment



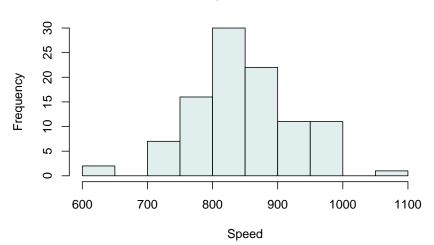




Histograms: Number of breaks

hist(Speed,col = 'azure2')

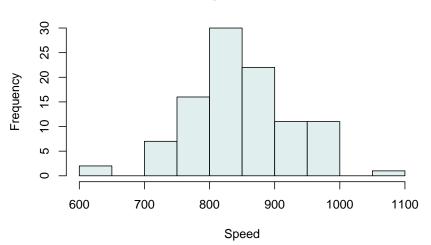
Histogram of Speed



Histograms: Number of breaks

```
hist(Speed, breaks = 8,col = 'azure2')
```

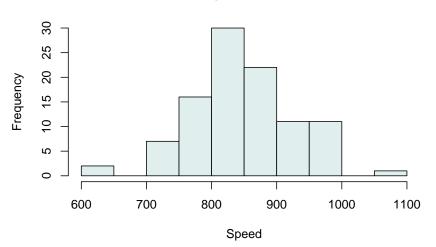
Histogram of Speed



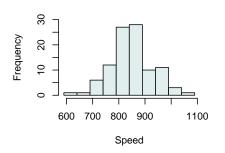
Histograms: Number of breaks

```
hist(Speed, breaks = 16,col = 'azure2')
```

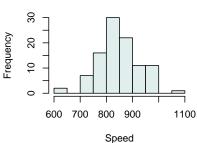
Histogram of Speed



Histograms: Anchor Starts at 590

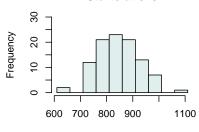


Starts at 600

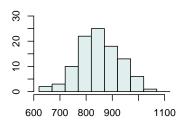


Starts at 610

Speed

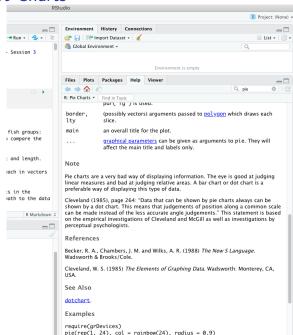


Starts at 620

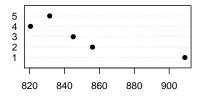


Speed

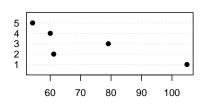
Frequency



Average



Standard dev.



Average



Standard dev.



The following pie charts present three examples where the values to be plotted are close to each other. Try to determine, in each case, the correct order.



Figure 1: Pie charts for three data sets

It is very difficult to determine relative sizes in a pie chart. On the other hand, if we draw a barplot,



Figure 2: Bar charts for three data sets

the order is very clear in all cases.

Dotcharts are also a good choice in this situation.

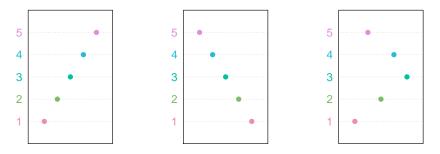
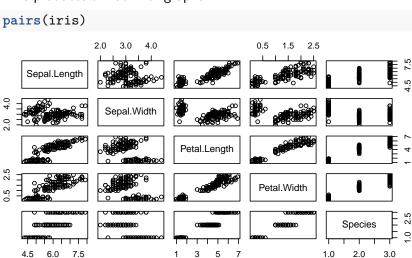


Figure 3: Dotcharts for three data sets

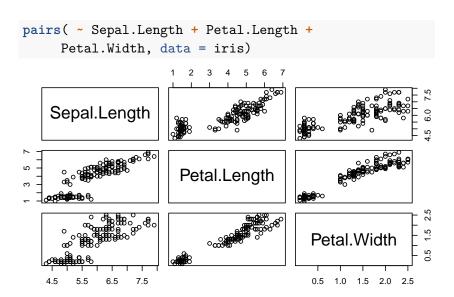


pairs

This produces a matrix of graphs:



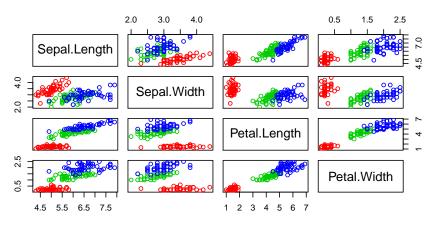
pairs

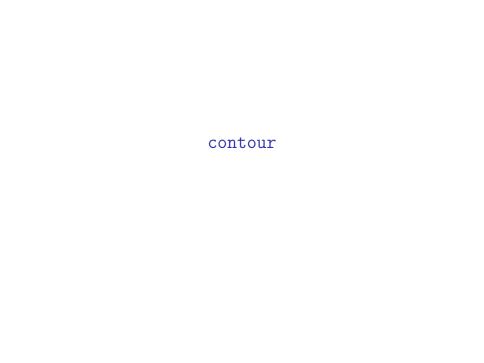


pairs

```
pairs(iris[1:4], main = "Anderson's Iris Data",pch = 21,
  col = c('red', 'green3', 'blue')[iris$Species])
```

Anderson's Iris Data





Creates a contour plot or adds contour lines to an existing plot.

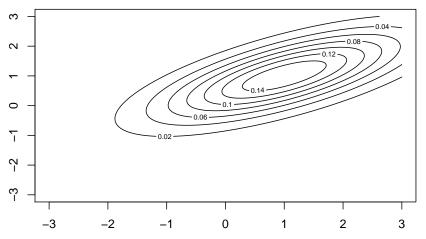
Syntax:

```
contour(x = seq(0, 1, length.out = nrow(z)),
    y = seq(0, 1, length.out = ncol(z)),
    z, nlevels = 10, add = FALSE)
```

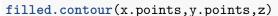
Bivariate normal distribution.

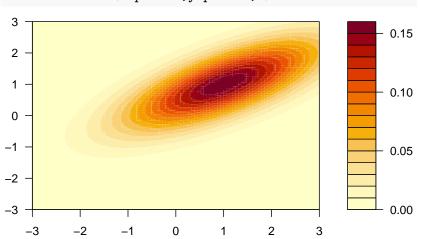
```
library(mvtnorm)
x.points \leftarrow y.points \leftarrow seq(-3,3,length.out=100)
z <- matrix(0,nrow=100,ncol=100)</pre>
mu < -c(1,1)
sigma \leftarrow matrix(c(2,1,1,1),nrow=2)
for (i in 1:100) {
  for (j in 1:100) {
  z[i,j] <- dmvnorm(c(x.points[i],y.points[j]),</pre>
                    mean=mu, sigma=sigma)
contour(x.points,y.points,z)
```

Bivariate normal distribution.



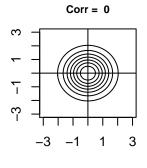
Bivariate normal distribution.

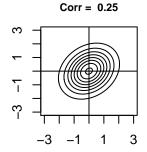


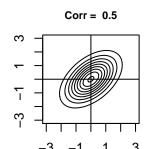


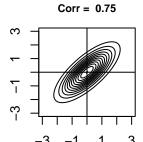
```
normal.contour \leftarrow function(mu=c(0,0),
           sigma=matrix(rep(1,4),nrow=2)){
  x.points \leftarrow y.points \leftarrow seq(-3,3,length.out=100)
  z <- matrix(0,nrow=100,ncol=100)</pre>
  for (i in 1:100) {
    for (j in 1:100) {
      z[i,j] <- dmvnorm(c(x.points[i],y.points[j]),</pre>
                          mean=mu, sigma=sigma)
  contour(x.points,y.points,z, main=paste('Corr = ',
         sigma[1,2]), cex.main = 0.8, drawlabels = FALSE)
  abline(h=0); abline(v=0)
```

```
mu = c(0,0)
sigma1 <- matrix(c(1,0,0,1),nrow=2)
sigma2 < -matrix(c(1, .25, .25, 1), nrow=2)
sigma3 < -matrix(c(1,.5,.5,1),nrow=2)
sigma4 <- matrix(c(1,.75,.75,1),nrow=2)
normal.contour(mu, sigma1)
normal.contour(mu,sigma2)
normal.contour(mu,sigma3)
normal.contour(mu,sigma4)
```







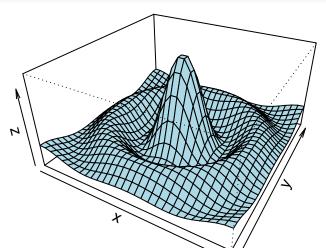


persp

persp

This function displays a perspective plot of a surface over the *xy* plane.

```
y <- x <- seq(-10, 10, length= 30)
f <- function(x, y) { r <- sqrt(x^2+y^2); 10 * sin(r)/r }
z <- outer(x, y, f); z[is.na(z)] <- 1
persp(x, y, z, theta = 30, phi = 30, expand = 0.5, col = "lightblue")</pre>
```



Other Chart Types

Other Chart Types

```
sunflowerplot(x,y)
stripchart(x)
matplot(x,y)
plot.ts(x)
image(x,y,z)
stars(x)
```