

Custom Computing: Assessed Coursework

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Question 1

Recurring engineering costs are the costs that will occur in a repeating fashion during the production, usually involving fabrication. These costs are usually described in a per unit form.

Non-recurring engineering cost is the one-time up-front cost for research, design, testing and development of a new product.

As we can see below, the minimum number of units that need to be sold for the ASIC implementation to be cost-effective is 1 million units.

$$C_{FPGA} > C_{ASIC} \Rightarrow \pounds 2 \times N_{units} > \pounds 10^6 + \pounds 1 \times N_{units} \Rightarrow N_{units} > 10^6$$

Question 2

(a) Symbolic Simulation

Q1

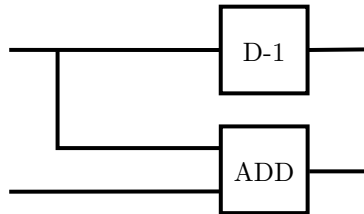


Figure 1: the circuit derived for Q1

P1

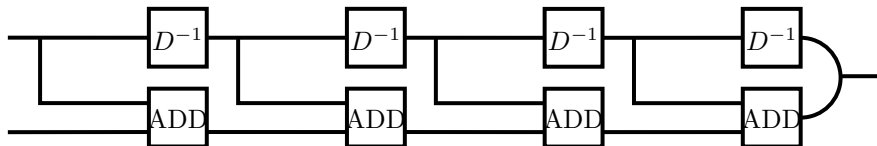


Figure 2: the circuit derived for P1

Question 3

(a) Proof by induction

In order to show that $[P, Q]^n; R = R; Q^n$ for $n > 0$, we first have to show that it is *True* for $n = 1$.

Base case: $[P, Q]^1; R = R; Q^1$

This is intuitively shown to be true by the given assumption $[P, Q]^n; R$ which is equivalent.

Assuming that it is also true for $n = k > 0$

$$[P, Q]^k; R = R; Q^k$$

We need to show that the same is true for $n = k + 1$

$$\begin{aligned} & [P, Q]^{k+1}; R \\ &= [P, Q]^k; [P, Q]; R \\ &= [P, Q]^k; R; Q \\ &= R; Q^k; Q \\ &= R; Q^{k+1} \end{aligned}$$

So by induction we have proved that if we know $[P, Q]; R = R; Q$ to be *True*, for $n > 0$:

$$[P, Q]^n; R = R; Q^n \text{ is also } \textit{True}$$

Question 4