



# *Item 1: Syntax-directed translation*

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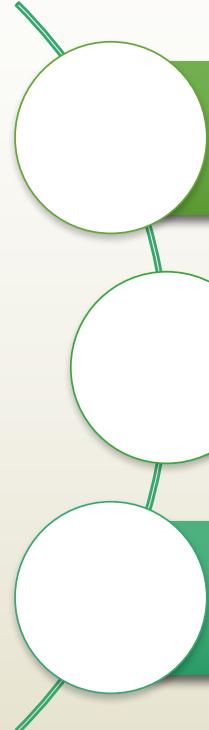
Grado en Ingeniería Informática

Curso 2017/2018

# Semantic

- ▶ The compiler should keep invariant meaning of the program, regardless of the language syntax in which it is written
- ▶ The semantics informally is described in natural language for most programming languages ; two compilers might give different results for the same program source
- ▶ Unlike what happens with the syntax, there is not a unified semantics of programming languages regarding treatment:
  - ▶ Semantics concept of a programming language
  - ▶ Notations to describe the semantics
  - ▶ Methods to build translators from the semantic description of a language

# Semantic formalization



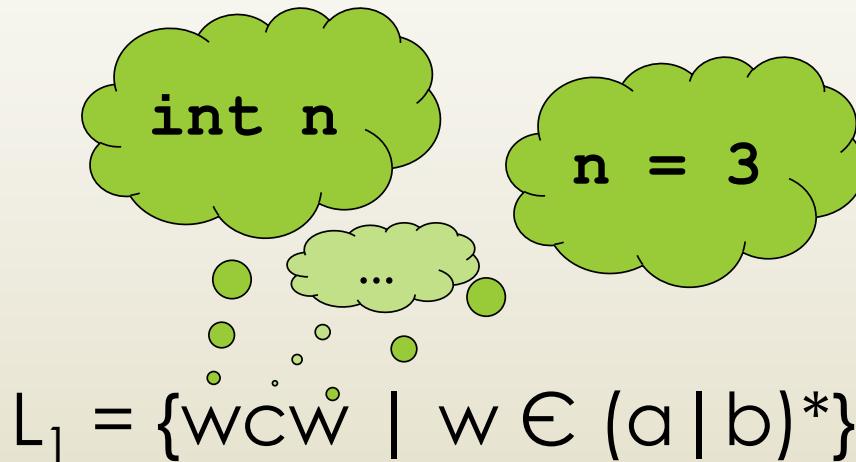
**Operational semantics:** The semantics of the programming language is described in an abstract virtual machine

**Denotational semantics:** Each primitive syntactic object is mapped to an object of an abstract space of primitive meanings (space denotations); each operator of language is mapped to a function in the space denotations

**Axiomatic semantics:** By logical formulas that must be met before (preconditions) and after (post-conditions) of defined properties must meet each syntactic structure, and therefore the program.

# Semantic Analysis phase (Contextual constraints)

- ▶ Not all constructions of programming languages can be expressed by Context-free grammars
- ▶ Context free grammar can not express the problem of checking the declaration of variables before use



# Attributed grammars

- ▶ Associate ATTRIBUTES (information) to the grammar symbols.
- ▶ A symbol can have one, none, or many different attributes.
- ▶ The notation we use for attributes is the same as for the properties of objects.
- ▶ In a way there is a similarity between:
  - ▶ grammar symbol ≈ class
  - ▶ instance of a symbol ≈ object
  - ▶ Attribute of a symbol ≈ object property
  - ▶ All instances of the symbol have the same attributes but their actual values may differ.
  - ▶ To distinguish between different instances of the same symbol used subindexes.
- ▶ A syntactic rules we add 'semantic' rules indicating how these attributes are handled.

# Example: a calculator

Sintactic rules	Semantics rules
<b>entrada</b> → <b>entrada expr ';'</b>	<b>Escribe(expr.s)</b>
<b>entrada</b> → <b>ξ</b>	
<b>expr</b> → <b>expr<sub>1</sub> '+' sum</b>	<b>expr.s := expr<sub>1</sub>.s + sum.s</b>
<b>expr</b> → <b>sum</b>	<b>expr.s := sum.s</b>
<b>sum</b> → <b>sum<sub>1</sub> '*' factor</b>	<b>sum.s := sum<sub>1</sub>.s * factor.s</b>
<b>sum</b> → <b>factor</b>	<b>sum.s := factor.s</b>
<b>factor</b> → <b>'-' factor<sub>1</sub></b>	<b>factor.s := - factor<sub>1</sub>.s</b>
<b>factor</b> → <b>NUM</b>	<b>factor.s := NUM.lexval</b>
<b>factor</b> → <b>'(' expr ')'</b>	<b>factor.s := expr.s</b>

Symbol	Attribute
<b>expr</b>	<b>expr.s</b>
<b>sum</b>	<b>sum.s</b>
<b>factor</b>	<b>factor.s</b>
<b>NUM</b>	<b>NUM.lexval</b>



Attributes intend to be the value of that support analysis hive

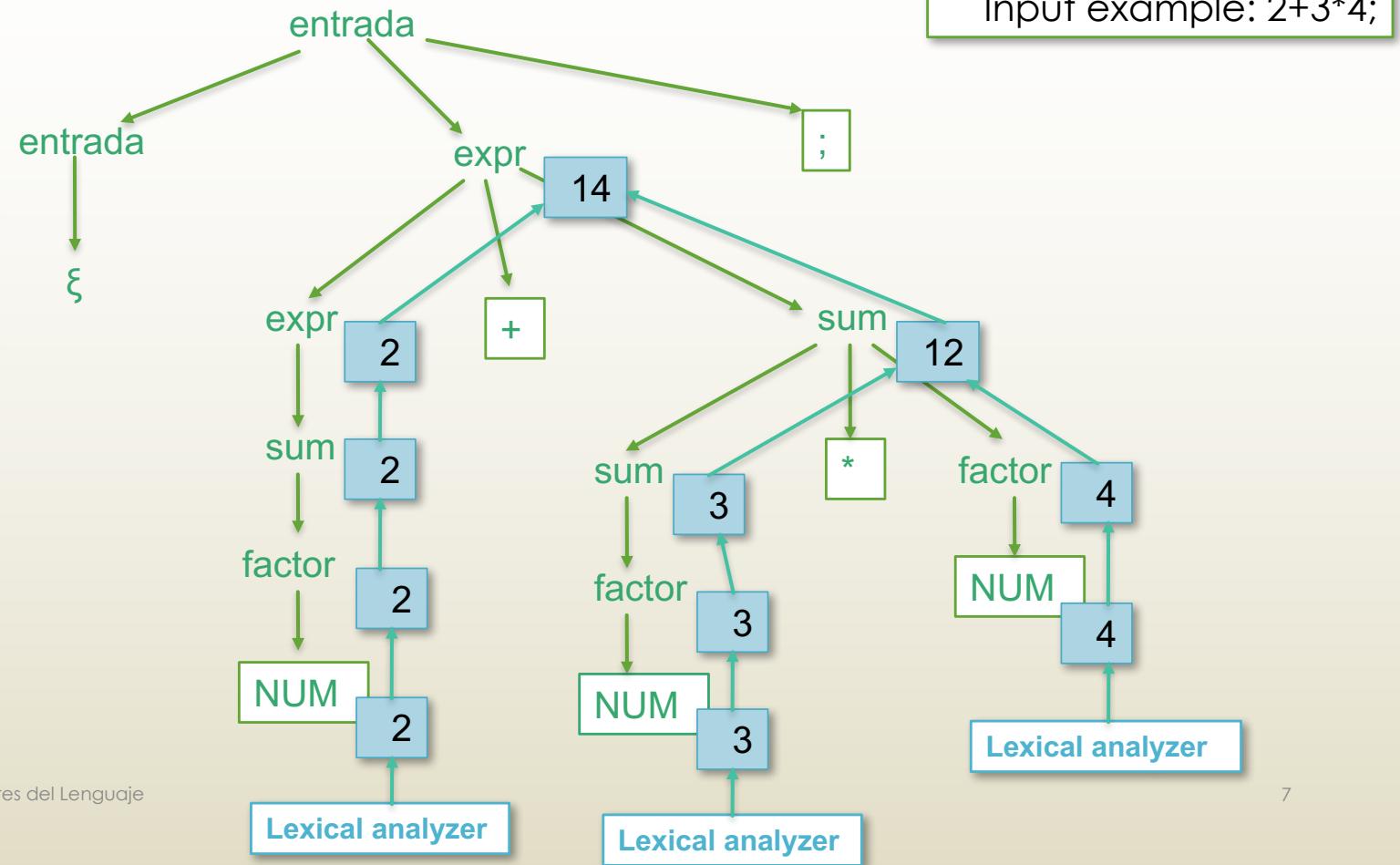
To all this we call a syntax-directed definition

# Decorated tree example

In parallel to the analysis tree

We're building a graph with attributes.

The arrow shows how information flows (the agency that indicate semantic rules)



# Inductive Reasoning

- ▶ To understand the above syntax directed definition is convenient reason inductively:
  - ▶ The base cases are resolved by hand (lexical tokens values are assigned by the lexical analyzer).
  - ▶ For the remaining cases it must be assumed that a certain "induction hypothesis" for subcases are met and then solve the most complicated cases.
  - ▶ The induction hypothesis:
    - ▶  $\text{expr} \rightarrow \text{expr}_1 + \text{sum} \quad \{\text{expr.s} := \text{expr}_1.s + \text{sum.s}\}$
    - ▶ It is that  $\text{expr}_1.s$  has the value of the underlying hive, while  $\text{sum.s}$  has the value (this is supposed already solved) and under that assumption, the value corresponding to  $\text{expr.s}$  tree would be the total value of the hives.

# Ascending implementation (Bison)

```
%union {
    int s;
}

%token NUM

%type <s> NUM expr sum factor

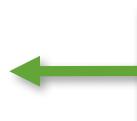
%%
entrada : entrada expr ';' {cout << $2 << endl;}
        |
;

expr : expr '+' sum    {$$ = $1 + $3;}
      | sum           {$$ = $1;}
;
sum : sum '*' factor  {$$ = $1 * $3;}
      | factor         {$$ = $1;}
;
factor : '-' factor   {$$ = - $2;}
        | NUM           {$$ = $1;}
        | '(' expr ')' {$$ = $2;}
;
```

Procesadores del Lenguaje

Sintactic rules	Semantics rules
entrada → entrada expr `;'	Escribe(expr.s)
entrada → ε	
expr → expr <sub>1</sub> `+' sum	expr.s := expr <sub>1</sub> .s + sum.s
expr → sum	expr.s := sum.s
sum → sum <sub>1</sub> `*' factor	sum.s := sum <sub>1</sub> .s * factor.s
sum → factor	sum.s := factor.s
factor → `-' factor <sub>1</sub>	factor.s := - factor <sub>1</sub> .s
factor → NUM	factor.s := NUM.lexval
factor → `(` expr `)'	factor.s := expr.s

Sintact analyzer  
using Bison



# Syntax-directed definition

- ▶ It is a grammar  $G = \{T, N, S, P\}$
- ▶ A set of attributes to the grammar symbols divided into:
  - ▶ **synthesized** attributes
  - ▶ **inherited** attributes
- ▶ Each syntax rule:  $A \rightarrow a$ , it is associated with a set of 'semantic' rules of the form:  $b: = f(c_1, c_2, \dots, c_k)$
- ▶ Where  $b$  is a **synthesized** attribute of  $A$  and  $c_1, c_2, \dots, c_k$  are attributes of the symbols of  $A$  and / or  $a$
- ▶ Or,  $b$  is **inherited** from one of the symbols  $a$  and attribute  $c_1, c_2, \dots, c_k$  are attributes of the symbols of  $A$  and / or  $a$
- ▶ While  $f$  is any function or operation with these attributes

# Synthesized vs. inherited

- ▶ **Synthesized** attributes are the parent attributes and they are calculated based on the children attributes (arrows flow upward graph).
- ▶ **Inherited** attributes are the children attributes that are calculated from parent and / or brothers attributes (the arrows flow down the graph and / or horizontal)
- ▶ The tokens are only **synthesized** attributes (assigned by the lexical analyzer)

# Another example: binary numbers

Sintactic rules	Semantics rules	
$\text{num} \rightarrow \text{sec}_1 \text{ `.' } \text{sec}_2$	$\text{num.v} := \text{sec}_1.\text{v} + \text{sec}_2.\text{v}/2^{\text{sec}_2.\text{lon}}$	
$\text{sec} \rightarrow \text{sec}_1 \text{ dig}$	$\text{sec.v} := \text{sec}_1.\text{v} * 2 + \text{dig.v}$	
	$\text{sec.lon} := \text{sec}_1.\text{lon} + 1$	
$\text{sec} \rightarrow \text{dig}$	$\text{sec.v} := \text{dig.v}$	<b>Used attributes</b>
	$\text{sec.lon} := 1$	$\text{num.v}$ Number value
$\text{dig} \rightarrow '0'$	$\text{dig.v} := 0$	$\text{sec.v}$ Digit sequence value
$\text{dig} \rightarrow '1'$	$\text{dig.v} := 1$	$\text{sec.lon}$ Digit sequence length
		$\text{dig.v}$ Digit value

This definition supports binary floating point numbers and calculates its value.  
Example: 10011.101

# Ascending implementation (Bison)

```
%{
#include <iostream>
#include <cmath>
using namespace std;

int yyerror(const char * msj);
int yylex(void);

#define YYERROR_VERBOSE
%}

%union {
float vf;
struct {
    int v;
    int lon;
} viyl;
} int vi;

%type <vf> num
%type <viyl> sec
%type <vi> dig
```

Sintactic rules	Semantics rules	
<b>num → sec<sub>1</sub> '.' sec<sub>2</sub></b>	<b>num.v := sec<sub>1</sub>.v + sec<sub>2</sub>.v/2<sup>sec<sub>2</sub>.lon</sup></b>	
<b>sec → sec<sub>1</sub> dig</b>	<b>sec.v := sec<sub>1</sub>.v * 2 + dig.v</b>	
	<b>sec.lon := sec<sub>1</sub>.lon + 1</b>	
<b>sec → dig</b>	<b>sec.v := dig.v</b>	<b>sec.lon := 1</b>
%%		
<b>entrada : num {cout&lt;&lt; "El valor = " &lt;&lt; \$1 &lt;&lt; endl;}</b>	<b>dig → '1'</b>	<b>dig.v := 1</b>
;		
<b>num : sec '.' sec { \$\$ = \$1.v + float(\$3.v) /</b>		
<b>                      pow(2.0,\$3.lon); }</b>		
;		
<b>sec : secdig { \$\$ .v=\$1.v*2+\$2;</b>		
<b>                      \$\$ .lon = \$1.lon + 1; }</b>		
<b>   dig { \$\$ .v = \$1;</b>		
<b>                      \$\$ .lon = 1; }</b>		
;		
<b>dig:'0' { \$\$ = 0; }</b>		
<b>   '1' { \$\$ = 1; }</b>		
;		

# Example with inherited attributes

```

definicion -> tipo {lista.h := tipo.s;} lista ;
tipo -> INTEGER {tipo.s := new NodoEntero;}
| FLOAT {tipo.s := new NodoFlotante;}
| CHAR {tipo.s := new NodoChar;}
lista -> {elm.h := lista.h;} elm {resto.h := lista.h;} resto
resto -> ',' {elm.h := resto.h;} elm {resto1.h := resto.h;} restol
| §
elm -> '*' {elm1.h := new NodPuntero(elm.h);} elm1
| ID {tabla[ID.lexval] = elm.h;}

```

Synthesized attributes	Inherited attributes
tipo.s	lista.h
ID.lexval	elm.h
	resto.h

- Inherited attributes used when the value depends on the context
- The synthesized attributes are used when the value of father is obtained from the value of children

# Ascending implementation (Bison)

```
%{
#include <iostream>
#include <string>
#include <map>

using namespace std;

#include "nodo.h"

map <string,Nodo*> tabla;
int yyerror(const char * msj);
int yylex(void);

#define YYERROR_VERBOSE
%}

%union {
string * nom;
} Nodo * tip;

%token ID INTEGER FLOAT CHAR
%type <nom> ID
%type <tip> tipo
```

```
%%
entrada : definicion entrada
|
;
definicion : tipo {$<tip>$ = $1;} lista ;
;
tipo : INTEGER {$$ = new NodoEntero;}
| FLOAT {$$ = new NodoFlotante;}
| CHAR {$$ = new NodoChar;}
;
lista : {$<tip>$ = $<tip>0;} elm {$<tip>$ = $<tip>0;} resto ;
resto : ',' {$<tip>$ = $<tip>0;} elm {$<tip>$ = $<tip>0;} resto
|
;
elm : '*' {$<tip>$ = new NodoPuntero($<tip>0);} elm
| ID {tabla[*$1] = $<tip>0;}
;
```

# Ascending implementation (Bison)

```
%%
int main(){
    cout << "Programa que lee definiciones de variables\n";
    yyparse();
    cout << "Final de la entrada estas son las variables\n";
    for (map<string,Nodo*>::iterator i = tabla.begin(); i != tabla.end(); i++)
    {
        cout << i->first << " es un " << i->second->escribir() << endl;
    } // fin del for
    cout << "Final del programa\n";
} // fin del main()

int yyerror(const char * msj) {
    cerr << msj << endl;
    return 1;
} // fin de yyerror()
```

# Ascending implementation (FLEX)

```
%{
#include <iostream>
#include <string>

using namespace std;

#include "nodo.h"
#include "parser.tab.h"
%}

%%
[ \n\t]+      ;
[ ;,*]        return *yytext;
char          return CHAR;
int           return INT;
float         return FLOAT;
[a-zA-Z_]+   {yyval.nom = new string(yytext); return ID;}
.             {cerr << "Error lexico, caracter (" << yytext << ") raro\n";}
```

# Ascending implementation

```
struct Nodo {  
    virtual string escribir(void) = 0;  
};  
  
struct NodoEntero: public Nodo {  
    public:  
        string escribir(void) {return string("Entero");}  
};  
  
struct NodoFlotante: public Nodo {  
    string escribir(void) {return string("Flotante");}  
};  
  
struct NodoChar: public Nodo {  
    string escribir(void) {return string("Caracter");}  
};  
  
struct NodoPuntero: public Nodo {  
    Nodo * pn;  
    NodoPuntero(Nodo * puntNodo) : pn(puntNodo) {}  
    string escribir(void) {return string("Puntero a ") + pn->escribir();}  
};
```

# Down recursive implementation

► **First set** calculation:

1. Initial case: If  $A \rightarrow TOKEN$  then  $\text{FIRST}(A) = \{\text{TOKEN}\}$
2. Initial case: If  $A \rightarrow \xi$ , then  $\text{FIRST}(A) = \{\xi\}$
3. Inductive case: If  $A \rightarrow B$ , then  $\text{FISRT}(A) = \text{FIRST}(B)$

► **Follow set** calculation:

1. The **follow set** of initial symbol is \$ (EOF)
2. If  $A \rightarrow \alpha B \beta$ , then  $\text{FOLLOW}(B) = \text{FIRST}(\beta)$
3. If  $A \rightarrow \alpha B \vee A \rightarrow \alpha B \beta \wedge \text{FIRST}(\beta) \subset \xi$ , then  $\text{FOLLOW}(B) = \text{FOLLOW}(A)$

# Down recursive implementation

## FIRST SETS:

```
FIRST(elm) = { '*', ID}  
FIRST(resto) = { ',', ξ}  
FIRST(lista) = FIRST(elm) = { '*', ID}  
FIRST(tipo) = { INTEGER, FLOAT, CHAR}  
FIRST(def) = FIRST(tipo) = { INTEGER, FLOAT, CHAR}  
FIRST(ent) = FIRST(def) ∪ ξ = { INTEGER, FLOAT, CHAR, ξ }
```

## FOLLOW SETS:

```
FOLLOW(ent) = { $ }  
FOLLOW(def) = FIRST(ent) ∪ FOLLOW(ent) = { INTEGER, FLOAT, CHAR, $ }  
FOLLOW(tipo) = FIRST(lista) = { '*', ID }  
FOLLOW(lista) = { ';' }  
FOLLOW(resto) = FOLLOW(lista) = { ';' }  
FOLLOW(elm) = FIRST(resto) ∪ FOLLOW(lista) = { ',', ';' }
```

# Down recursive implementation

```
#include <iostream>
#include <string>
#include <map>
using namespace std;
#include "cabecera.h"
#include "nodo.h"

map <string,Nodo*> tabla;
void cuadra(int obj);
void yyerror(const string & msj);
int yylex(void);
extern char * yytext;

void entrada(void);
void definicion(void);
Nodo* tipo(void);
void lista(Nodo * listah);
void resto(Nodo * restoh);
void elm(Nodo* elmh);

int ta;
string * yylval;
```

- ▶ Synthesized attributes are the result of the function
- ▶ Inherited attributes are the function parameters

Synthesized attributes	Inherited attributes
tipo.s	lista.h
ID.lexval	elm.h
	resto.h

# Down recursive implementation

```
void entrada(void) {
    if (ta == INTEGER || ta == FLOAT || ta == CHAR) {
        definicion();
        entrada();
    }
    else if (ta == 0) // 0 es el fin de archivo para flex
        return;           // entrada -> epsilon
    else
        yyerror("en entrada");
} // fin de entrada()

void definicion(void) {
    if (ta == INTEGER || ta == FLOAT || ta == CHAR) {
        Nodo * tipos = tipo();
        Nodo * listah = tipos;
        lista(listah);
        cuadra(';');
    }
    else
        yyerror("en definicion");
} // fin de definicion()
```

Entrada → definicion entrada  
| {

definicion → tipo {lista.h := tipo.s;} lista ';

# Down recursive implementation

```
Nodo * tipo(void) {
    if (ta == INTEGER) {
        cuadra(INTEGER);
        return new NodoEntero;
    }
    else if (ta == FLOAT) {
        cuadra(FLOAT);
        return new NodoFlotante;
    }
    else if (ta == CHAR) {
        cuadra(CHAR);
        return new NodoChar;
    }
    else yyerror("en tipo");
} // fin de tipo()

void lista(Nodo * listah) {
    if (ta == '*' || ta == ID) {
        elm(listah);
        resto(listah);
    }
    else yyerror("en lista");
} // fin de lista()
```

```
tipo → INTEGER {tipo.s := new NodoEntero;}
| FLOAT     {tipo.s := new NodoFlotante;}
| CHAR      {tipo.s := new NodoChar;}

lista -> {elm.h := lista.h;} elm {resto.h := lista.h;} resto
```

# Down recursive implementation

```
void resto(Nodo *restoh) {
    if(ta == ',') {
        cuadra(',');
        elm(restoh);
        resto(restoh);
    }
    else if(ta == ';')
        return;
    else
        yyerror("en resto");
} //fin de resto()

void elm(Nodo *elmh) {
    if(ta == '*'){
        cuadra('*');
        Nodo * elm1h = new NodoPuntero(elmh);
        elm(elm1h);
    }
    else if (ta == ID){
        string *IDlexval = yyleval;
        cuadra(ID);
        tabla[*IDlexval] = elmh;
    }
    else yyerror("en elm");
}
```

```
resto -> ',' {elm.h := resto.h;} elm {resto1.h := resto.h;} resto1
          | §
elm -> '*' {elm1.h := new NodoPuntero(elm.h);} elm1
          | ID {tabla[ID.lexval] = elm.h;}
```

# Down recursive implementation

```
int main() {
    cout << "Programa que lee definiciones de variables\n";
    ta = yylex();
    entrada();
    cout << "Final de la entrada estas son las variables\n";
    for (map<string,Nodo*>::iterator i = tabla.begin(); i != tabla.end(); i++) {
        cout << i->first << " es un " << i->second->escribir() << endl;
    } // fin del for
    cout << "Final del programa\n";
}//fin del main()

void yyerror(const string & msj) {
    cerr << "error sintactico " << msj << endl;
    exit(EXIT_FAILURE);
} // fin de yyerror()

void cuadra(int obj) {
    if (ta == obj){
        cout << "cuadro ta=" << ta << " (" << yytext << ")";
        ta = yylex();
        cout << " ==> nuevo ta=" << ta << " (" << yytext << ")\n";
    }
    else yyerror("en cuadra");
} // fin de cuadra()
```

# A implementation problem ...

- ▶ Not all Syntax directed definitions can be implemented easily.
  - ▶ It may happen that the dependencies between attributes are not consistent with the order in which the parsing is done.
  - ▶ Consider a graph with circular arrows, from right to left etc.
- ▶ The definitions consistent with the LL(1) and LR(1) algorithms are called *L-Attributed Definitions* (L comes from Left).
- ▶ Definitions that have only synthesized attributes are called *S-Attributed* and these are a subset of the *L-Attributed*.
- ▶ The solution for a definition that is not *L-Attributed* would be:
  - ▶ Or find another solution
  - ▶ Or build an intermediate syntax tree (AST)

# Definition that is not L-Attribute

Productions	Semantic rules
$N \rightarrow S_1 \cdot \cdot S_2$	$N.v := S_1.v + S_2.v$ $S_1.f := 1$ $S_2.f := 2^N - S_2.\text{lon}$
$S_0 \rightarrow S_1 B$	$S_0.v := S_1.v + B.v$ $S_1.f := 2 * S_0.f$ $B.f := S_0.f$ $S_0.\text{lon} := S_1.\text{lon} + 1$
$S \rightarrow B$	$B.f := S.f$ $S.v := B.v$ $S.\text{lon} := 1$
$B \rightarrow '0'$	$B.v := 0$
$B \rightarrow '1'$	$B.v := B.f$

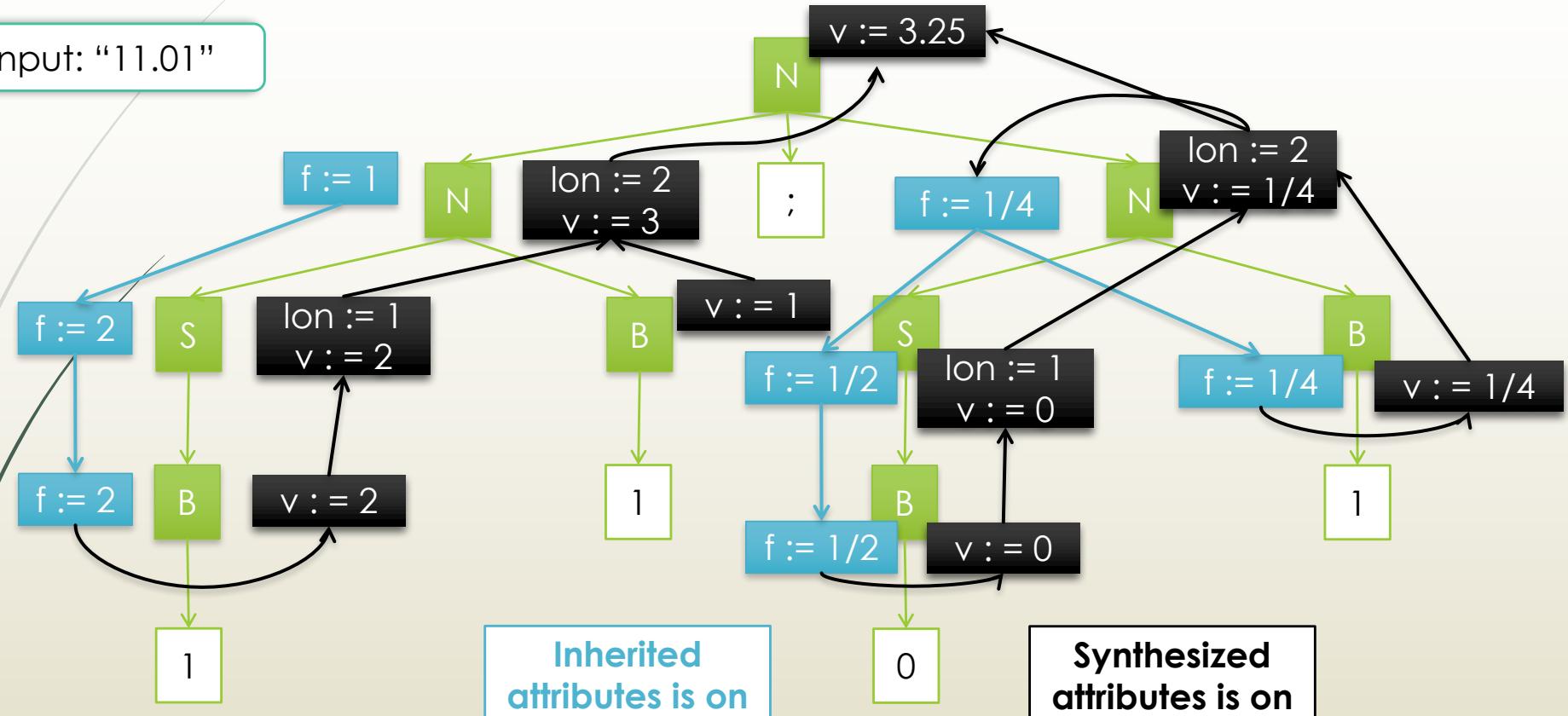
Inherited attributes	
<b>B.f</b>	Power of two, value of each position
<b>S.f</b>	Power of two of fist digit sequence

Synthesized attributes	
<b>N.v</b>	Number value
<b>B.v</b>	Digit value
<b>S.v</b>	Digit sequence value
<b>S.lon</b>	Digit sequence length

# Decorated tree analysis

Input: "11.01"



# L – attributed definition

- ▶ An inherited attribute of a child can only depend on inherited attributes of the father and the (inherited and / or synthesized) attributes of the brothers who are on the left.
- ▶ This definition is L – attributed

Syntactic rule	Semantic rules
$A \rightarrow B \ C \ D$	$A.s := B.s + D.h$ $C.h := A.h + B.s$

- ▶ This definition is not L - attributed

Syntactic rule	Semantic rules
$A \rightarrow B \ C \ D$	$A.s := B.s + D.h$ $C.h := A.s + D.s$

# Translation schemes

- ▶ Once we have assured that definition is L-Attributed, we must build a **translation scheme**.
- ▶ A **translation scheme** is similar to a definition but the rules semantic (semantic actions) are enclosed in braces and tucked into the body of rules.
- ▶ This indicates when shoot semantic actions: by the time they reach parsing, if we consider the actions as if they were a symbol.

# Constraints to build a translation scheme

- ▶ Measures using synthesized attributes must be placed somewhere after the symbol
  - ▶ To remember this limitation: the descending implementation, the synthesized attributes of certain symbol are the result of the function corresponding to the symbol; so they can only be used after calls to that function.
- ▶ Evaluating actions (allocated) inherited attributes of a symbol, they must be placed before the symbol (usually immediately before).
  - ▶ To remember this limitation: in the downward deployment, they inherited attributes of a certain symbol are the parameters that will be passed to the function corresponding to the symbol; so we have to be calculated before calling this function.
- ▶ The action that evaluates the synthesized attribute header can (and usually) get to the end of that rule.
- ▶ The tokens are only synthesized attributes and are calculated by the lexical analyser.

# Example: schema definition step

Syntax-directed definition

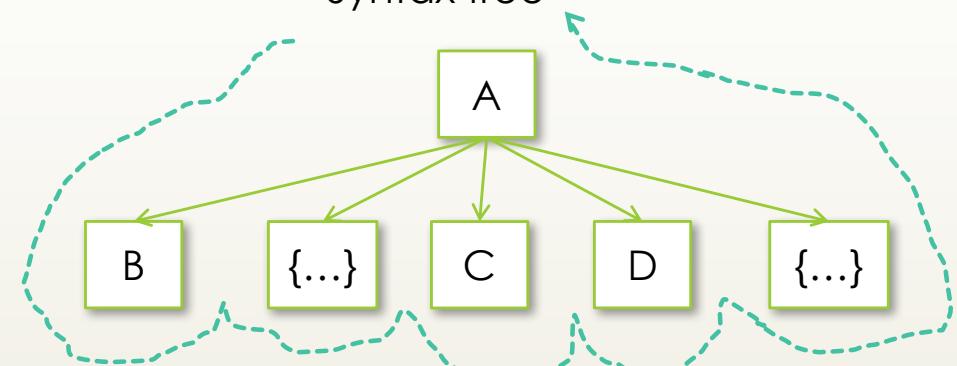
Syntactic rule	Semantic rules
$A \rightarrow B C D$	$A.s := B.s + D.h$
	$C.h := A.h + B.s$



Translation scheme

```
A → B {C.h:= A.h + B.s} C D {A.s:= B.s + D.h}
```

Syntax tree



# Translation scheme ascending implementation (Bison)

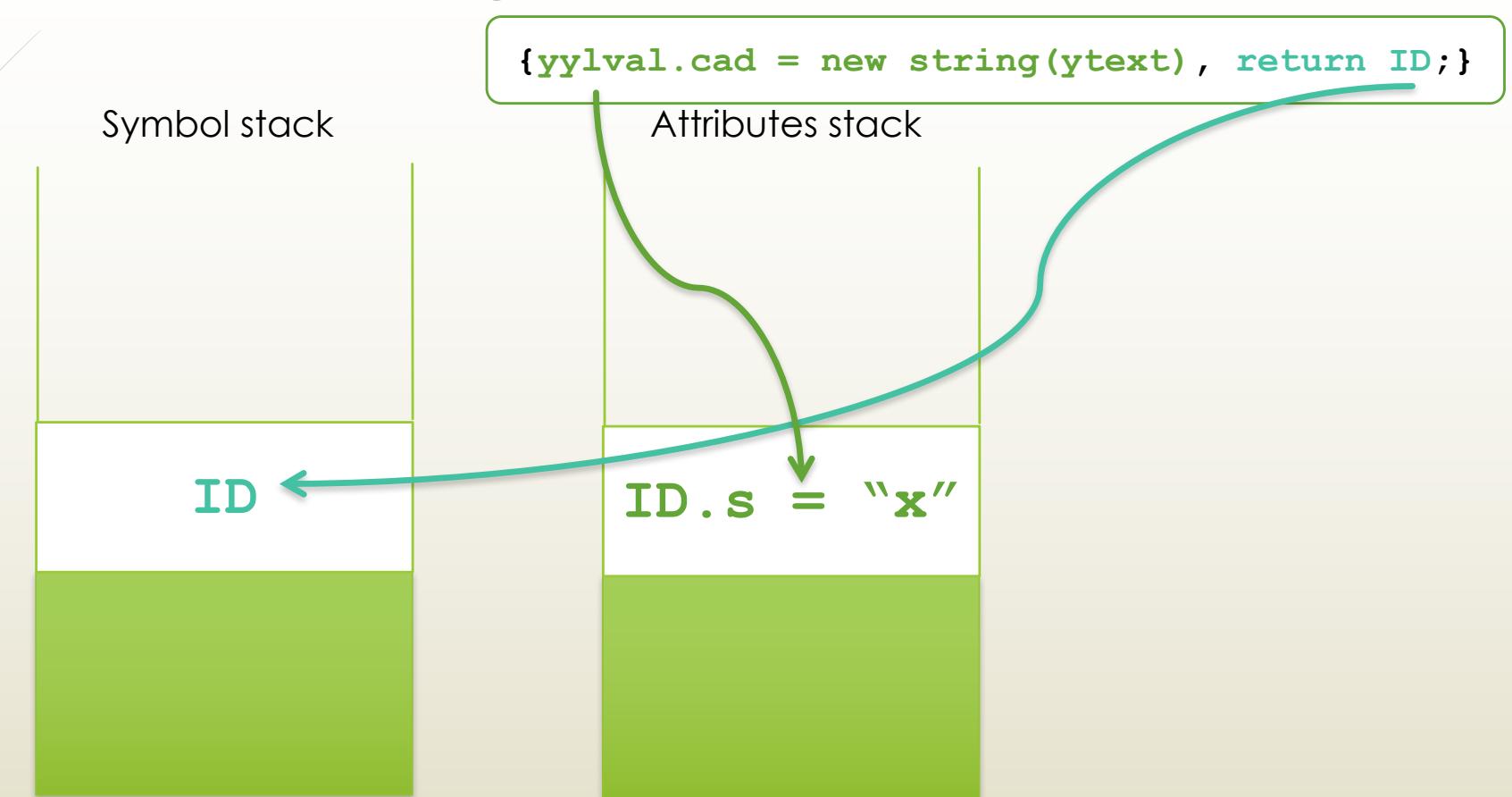
- ▶ Attributes stack is used in parallel with the symbols stack(actually, a stack of states).
- ▶ The type of each element of that attributes stack is a '`union {...}`' as defined in Bison with '`% union {...}`' command
- ▶ In addition, Bison defines a variable called `yyval` with the same type of `union {...}` and links with the lexical analyser.
- ▶ Flex must place the lexical value (synthesized attribute tokens) in this variable and then return the token:

```
[a-z]+ {yyval.cad = new string(ytext), return ID;}
```

# Actions during a shift

- ▶ The algorithm works by Bison `shift` / `reduce`:
  - ▶ During a `shift`, a token (actually a state) is get on the symbols stack.
  - ▶ In parallel, during `shift`, the value of the `yylval` variable (the attribute of the token) is get on the attributes stack.

# Actions during a shift



# Actions during a reduce

- ▶ For a **reduces** by rule  $A \rightarrow a$ , symbols of symbols stack (as many as  $a$  indicate the body) are removed and replaced by his bedside  $A$ .
  - ▶ For example:  $E \rightarrow E1 '+' S \{E.s := E1.s + S.S\}$ .
  - ▶ Here, 3 symbols of symbols stack would be removed and would get the  $E$ .
- ▶ In parallel, the semantic action is triggered by removing the attributes corresponding to the body of the attributes stack and replacing the (synthesized) attribute by header attribute.
  - ▶ The above example in Bison:  $E: E1 '+' S \{\$\$ = \$1 + \$3;\}$
  - ▶ Semantic action  $\{\$\$ = \$1 + \$3;\}$  is triggered during reduced.
  - ▶  $\$\$$  indicates synthesized attribute of the header (would be placed on the attribute stack after reduction)
  - ▶  $\$1$  and  $\$3$  represent the synthesized attributes of the 1st and 3rd symbol, placed on the stack of attributes relative depth 1 and 3 (before reduction, would then deleted).

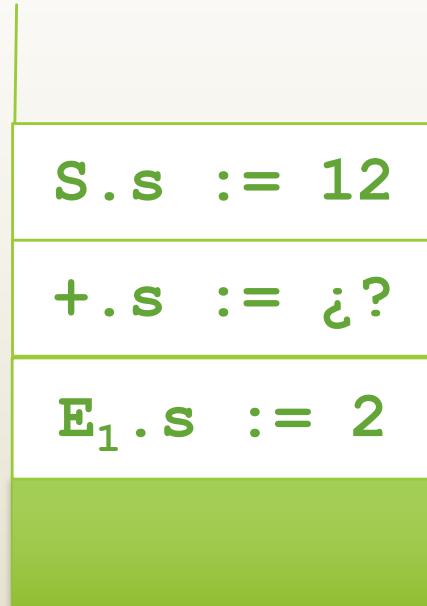
# Actions during a reduce

**Before reduce**

Symbol stack



Attributes stack

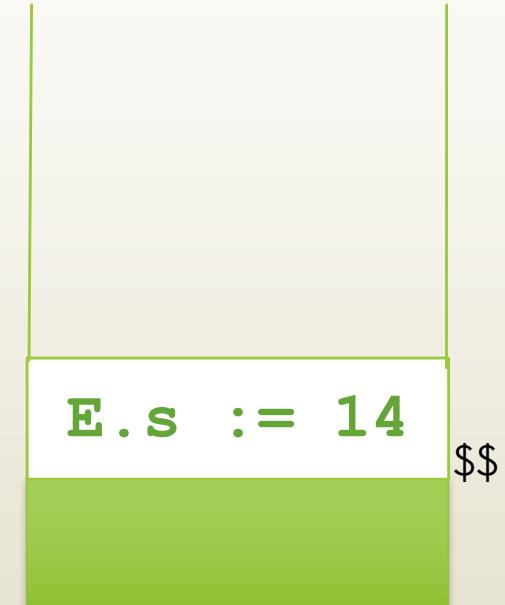


**After reduce**

Symbol stack



Attributes stack



# Some tricks to consider...

- ▶ In fact, only synthesized attributes exist in the attributes stack . So how do you handle / simulate inherited attributes?
  - ▶ Answer: to access attributes previously placed on the stack at a certain depth known.
  - ▶ Semantic shares placed at the end of a rule soar with reduced that rule.
  - ▶ Semantic shares placed within a rule (not the end), Bison performs automatically a transformation inventing a new symbol and a new rule, so that just shooting with reduced.
- ▶ Example: A: X {printf ( "hello\n");} Y Z
  - ▶ It automatically become the following:  $A \rightarrow X @1 Y Z$
  - ▶  $@1 \rightarrow \xi \{printf ( "hello\n");\}$
  - ▶ Being  $@1$  a new symbol generated by Bison, and so that the semantic action ends at the end of a rule is triggered when the rule is reduced
- ▶ You can check with: `bison -d -v parser.y; less parser.output`

# Example using Bison

Input	Output
	# comienza el programa
// esto es un comentario int a, b[3], *c;	T0 = entero, asserta(tipo('a',T0)), T1 = array(3,T0), asserta(tipo('b',T1)), T2 = puntero(T0), asserta(tipo('c',T2)),
char **hola[2][3], adios; // hay que // seguir filtrando	T3 = caracter, T4 = puntero(T3), T5 = puntero(T4), T6 = array(3,T5), T7 = array(2,T6), asserta(tipo('hola',T7)), asserta(tipo('adios',T3)),
float *m, **d, c[34][56]; // adios esto es otro comentario	T8 = flotante, T9 = puntero(T8), asserta(tipo('m',T9)), T10 = puntero(T8), T11 = puntero(T10), asserta(tipo('d',T11)), T12 = array(56,T8), T13 = array(34,T12), asserta(tipo('c',T13)),
Procesadores del Lenguaje	.
	# fin del programa

# Example using Bison

```
ent -> linea ent
      | epsilon

linea -> tipo {lista.h := tipo.s;} lista | ';'

tipo -> INT {tipo.s := contador++; escribe("T", tipo.s, " = entero");}
      | CHAR {tipo.s := contador++; escribe("T", tipo.s, " = caracter");}
      | FLOAT {tipo.s := contador++; escribe("T", tipo.s, " = flotante");}

lista -> {elm.h := lista.h;} elm {listaPrima.h := lista.h;} listaPrima

listaPrima -> ',' {elm.h := listaPrima.h;} elm {listaPrimal.h := listaPrima.h;} listaPrimal
      | epsilon

elm -> '*' {elm1.h := contador++; escribe("T", elm1.h, "=puntero(T", elm.h,")");} elm1
      | ID {dim.h := elm.h;} dim {escribe("asserta(tipo('", ID.lexval, "',T", dim.s,
")),'");}

dim -> '[' NUM ']' {dim1.h := dim.h;} dim1 {dim.s := contador++; escribe("T", dim.s,
"=array(", NUM.lexval, ",T", dim1.s,")");}
      | epsilon {dim.s := dim.h;}
```

# Example using Bison

```
%{  
#include <iostream>  
#include <string>  
using namespace std;  
#include "parser.tab.h"  
%}  
  
%%  
//.* ;  
[\n\t]+ ;  
[,\*\[\]\;] return *yytext;  
int return INT;  
char return CHAR;  
float return FLOAT;  
[a-zA-Z]+ {yyval.cad=new string(yytext); return ID;}  
[0-9]+ {yyval.cad=new string(yytext); return NUM;}  
. {cerr<<"Error léxico " << yytext << endl;}
```

# Example using Bison

```
%{  
#include <iostream>  
#include <string>  
using namespace std;  
int yylex(void);  
int yyerror(const char* s);  
int contador=0;  
%}  
  
%union{  
string* cad;  
int val;  
}  
%token ID NUM CHAR FLOAT INT  
%type <val> dim tipo  
%type <cad> ID NUM  
%%
```

# Example using Bison

```
ent: linea ent
      |
      ;
linea: tipo {$<val>$ = $1;} lista ' '
      ;
tipo: INT {$$ = contador++; cout << "T" << $$ << " = entero," << endl;}
      | CHAR {$$ = contador++; cout << "T" << $$ << " = caracter," << endl;}
      | FLOAT {$$ = contador++; cout << "T" << $$ << " = flotante," << endl;}
      ;
lista: {$<val>$ = $<val>0;} elm {$<val>$ = $<val>0;} listaPrima ;
listaPrima: ',' {$<val>$ = $<val>0;} elm {$<val>$ = $<val>0;} listaPrima
          |
          ;
elm: '*' {$<val>$ = contador++; cout << "T" << $<val>$ << " = puntero (T" <<
$<val>0 << ")" << endl;} elm
      | ID {$<val>$ = $<val>0;} dim {cout << "asserta(tipo('" << *$1 << "','T"
$<val>0 << "')," << endl;}
      ;
```

# Example using Bison

```
dim: '[' NUM ']' { $<val>$ = $<val>0; } dim { $$ = contador++; cout << "T" <<
$$ << " = array(" << *$2 << ",T" << $5 << "), " << endl; }
| { $$ = $<val>0; }

;

%%

int main() {
cout << "# comienza el programa" << endl;
yyparse();
cout << "." << endl;
cout << "#fin del programa" << endl; return EXIT_SUCCESS;
}

int yyerror(const char* s) {
cout << s << endl;
}
```

# Scheme implementation in a recursive descent translator

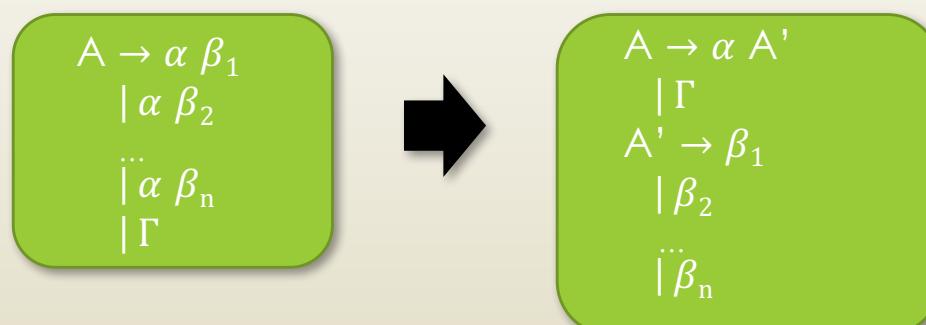
- ▶ Inherited attributes are the input parameters of the function
- ▶ The synthesized attributes are the output parameters of the function.
- ▶ The symbols attributes of the body of a rule is stored as variables local to the function.
- ▶ We must save the lexical values before squaring the token.

# Adapt schemes descending

- ▶ Removing left recursion



- ▶ Factorizing



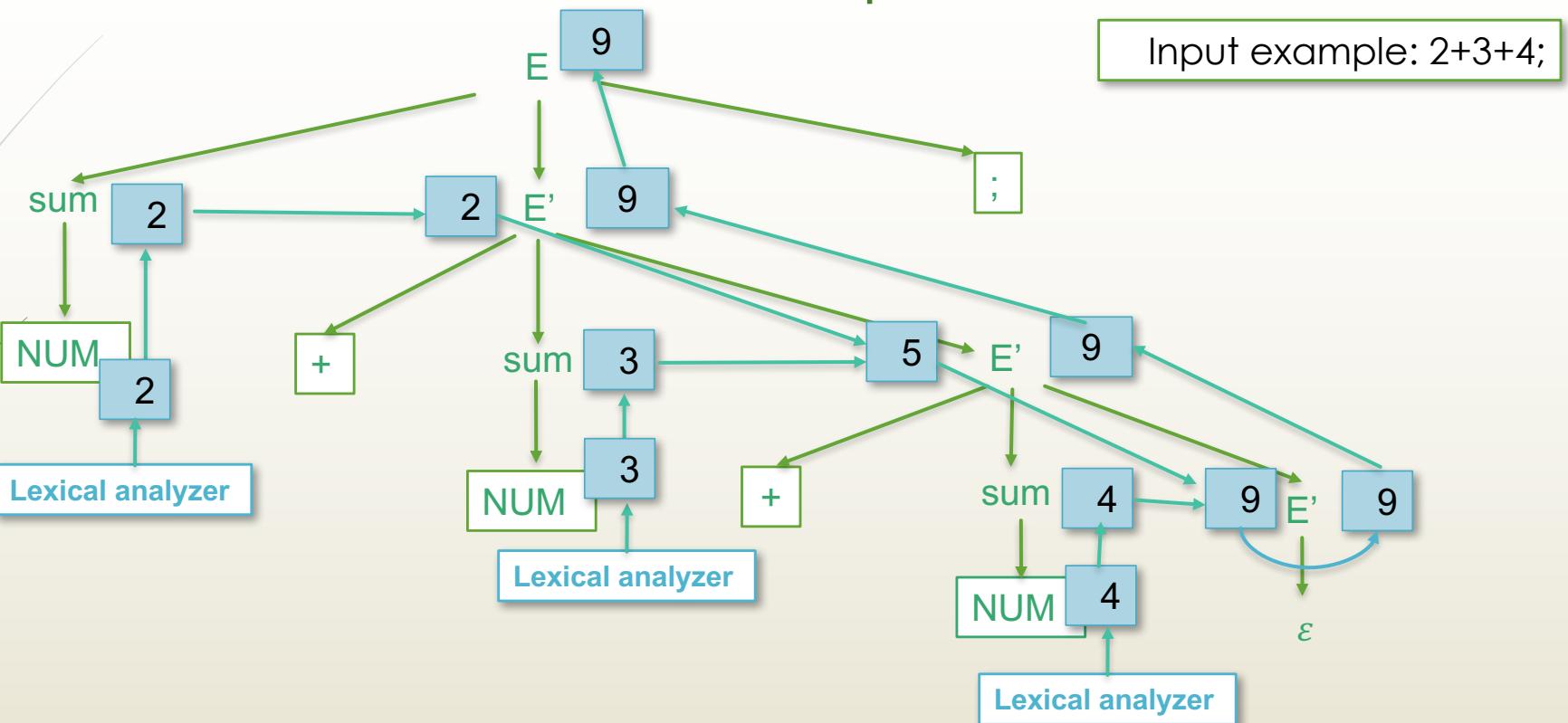
# Adapt schemes descending

- ▶ Although the original scheme only have synthesized attributes, to adapt to the downward, there may be inherited attributes.
- ▶ Example: calculator

```
E -> E1 '+' Sum {E.s := E1.s + Sum.s;}
E -> E1 '-' Sum {E.s := E1.s - Sum.s;}
E -> Sum           {E.s := Sum.s;}
Sum -> NUM          {Sum.s := NUM.lexval;}
```

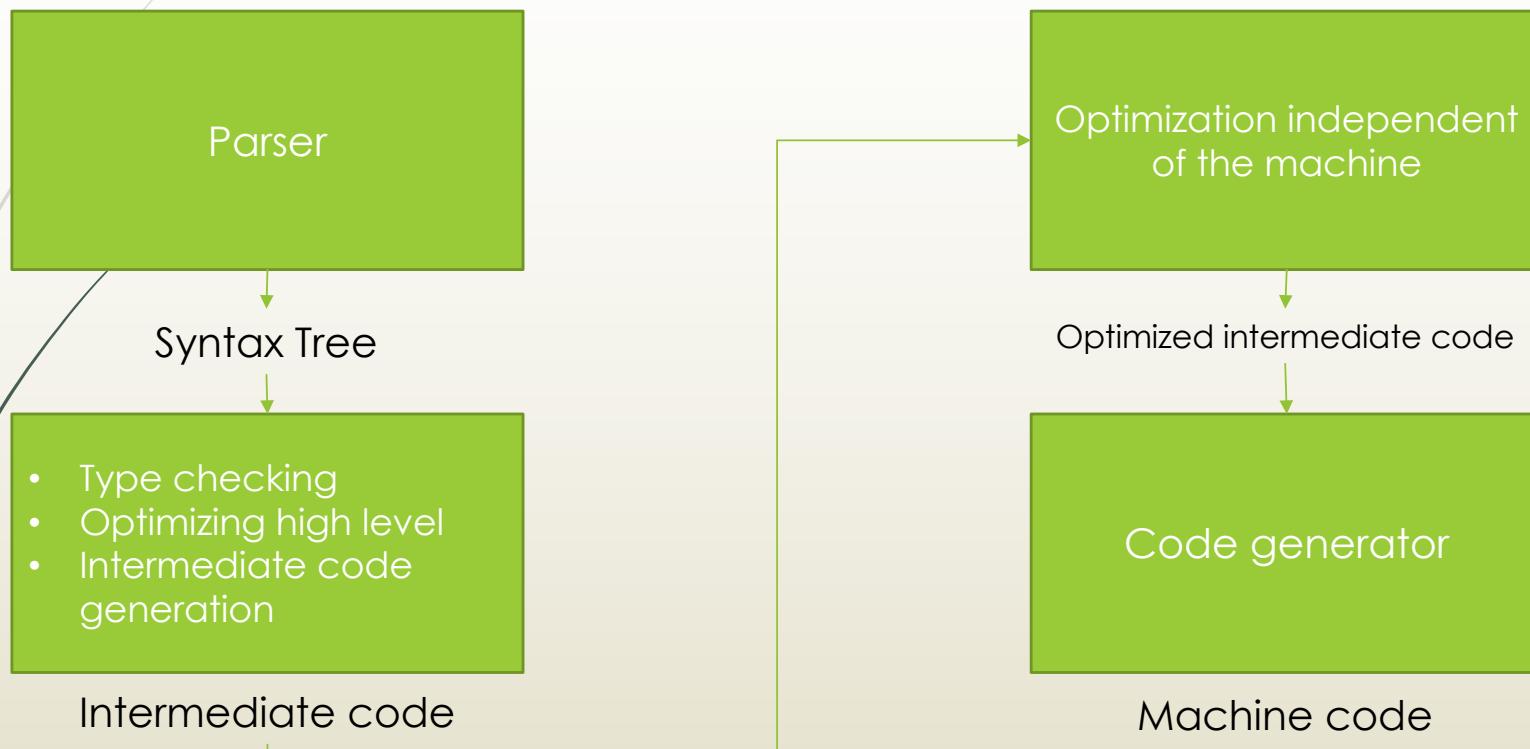
```
E -> Sum {E'.h := Sum.s;} E' {E.s := E'.s;}
E' -> '+' Sum {E'1.h := E'.h + Sum.s;} E'1 {E.s := E'1.s;}
E' -> '-' Sum {E'1.h := E'.h - Sum.s;} E'1 {E.s := E'1.s;}
E' -> épsilon {E'.s := E'.h;}
Sum -> NUM      {Sum.s := NUM.lexval;}
```

# Decorated tree example



# Abstract Syntax Tree (AST)

# Intermediate code generation

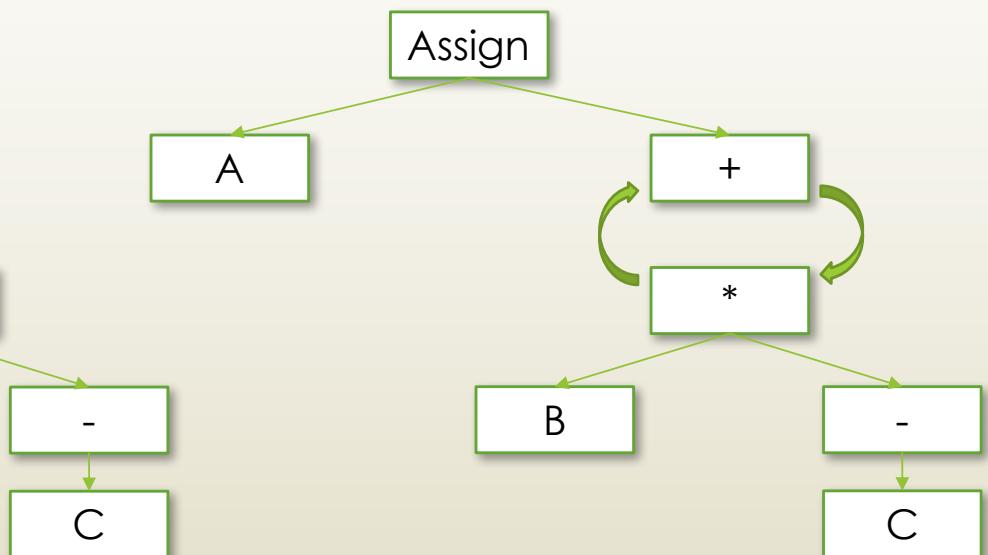
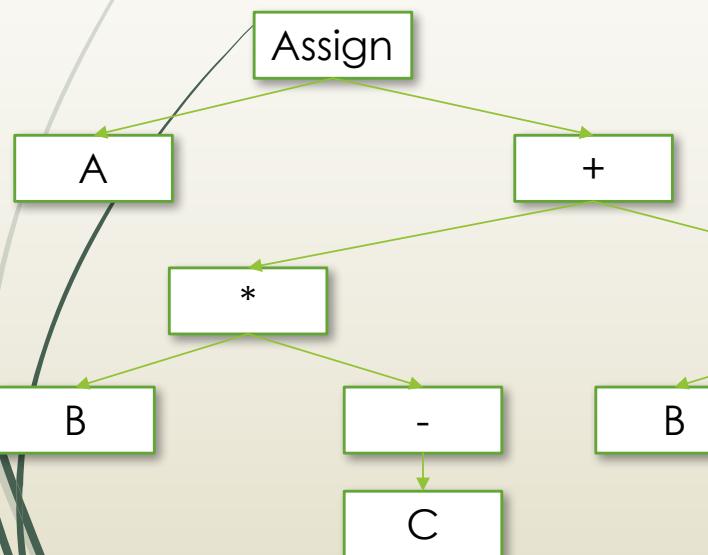


# First of intermediate representation (IR)

- ▶ Syntactic Trees (ST), also called **Abstract Syntax Tree (AST)** and its close relative: Acyclic directed graphs (ADG):
  - ▶ They are the 1st intermediate representations
  - ▶ Suitable to represent arithmetic and logical expressions, control statements and declarations
  - ▶ The type checking is usually done on this representation.

# Syntax Trees

- ▶ Syntax Tree (ST) and Acyclic Directed Graphs (ADG) for de input:
- ▶  $A = B * - C + B * - C$



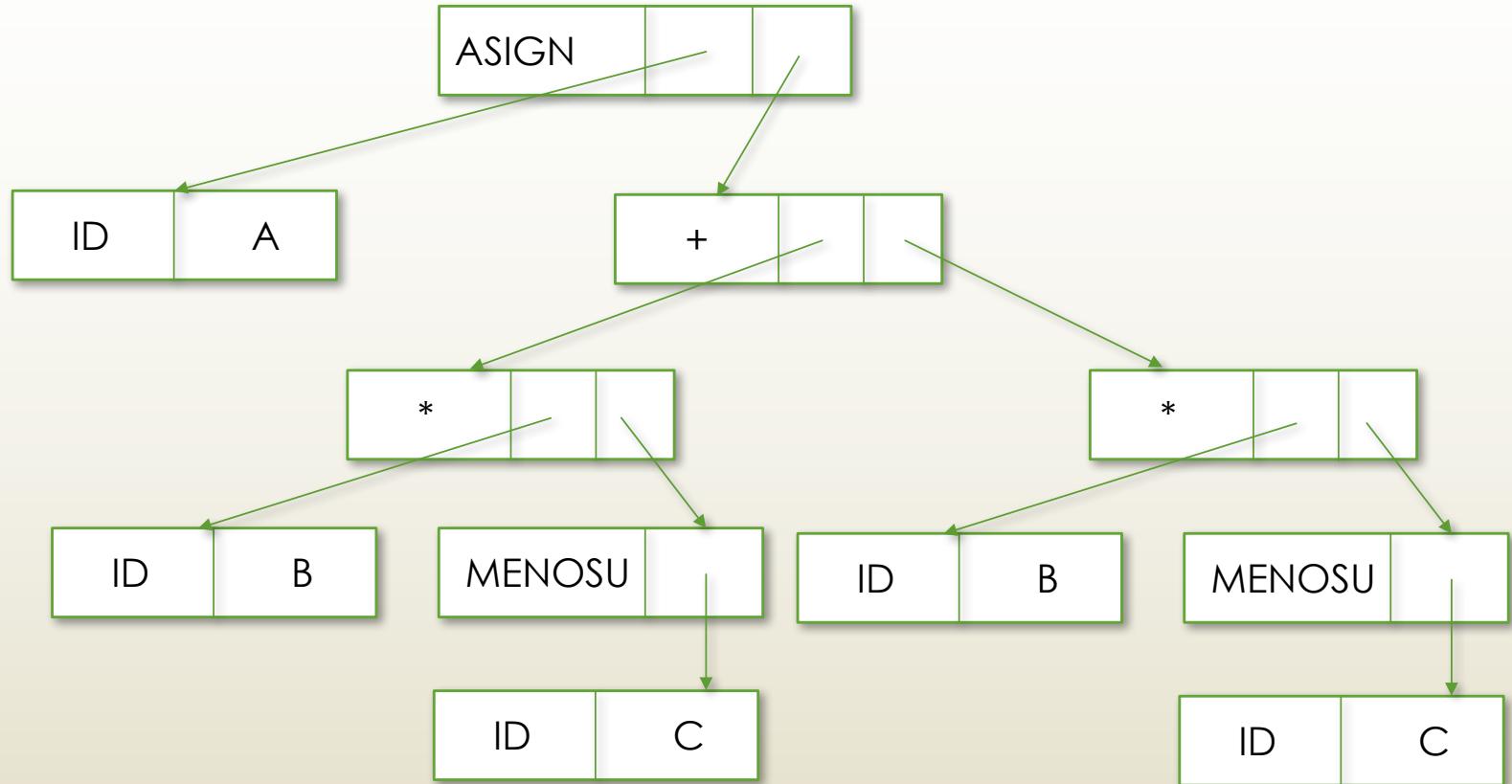
# Translation scheme for ST construction

- ▶ Translation schemes for assignment statements:
  - ▶ If the **HazNodo** functions always create a new entry, the result is a syntax tree
  - ▶ If **HazNodo** functions check that entries are already created, in order to avoid duplications, the result will be an acyclic graph

# Translation scheme to generate a ST or ADG using assignment statements

Grammar	Semantic rules
$S \rightarrow ID \ ':=' E$	$S.ptr := \text{hazNodoAsign}(\text{hazNodoId}(ID.lexval), E.ptr)$
$E \rightarrow E1 + E2$	$E.ptr := \text{hazNodoSuma}(E1.ptr, E2.ptr)$
$E \rightarrow E1 - E2$	$E.ptr := \text{hazNodoResta}(E1.ptr, E2.ptr)$
$E \rightarrow E1 * E2$	$E.ptr := \text{hazNodoProd}(E1.ptr, E2.ptr)$
$E \rightarrow - E1$	$E.ptr := \text{hazNodoMenosU}(E1.ptr)$
$E \rightarrow ( E1 )$	$E.ptr := E1.ptr$
$E \rightarrow ID$	$E.ptr := \text{hazNodoId}(ID.lexval)$
$E \rightarrow NUM$	$E.ptr := \text{hazNodoNum}(Num.lexval)$

# Resulting ST



# Example: creation of ST

► Translation scheme

```
ent -> E {escribe(E.s)} ent
| ε
E -> T {Re.h := T.s} Re {E.s := Re.s}
Re -> + T {Re1 := haznodo(+, Re.h, T.s)} Re1 {Re.s := Re1.s}
| - T {Re1 := haznodo(-, Re.h, T.s)} Re1 {Re.s := Re1.s}
| ε {Re.s := Re.h}
T -> P {Rt.h := P.s} Rt {T.s := Rt.s}
Rt -> * P {Rt1.h := haznodo(*, Rt.h, P.s)} Rt1 {Rt.s := Rt1.s}
| / P {Rt1.h := haznodo(/, Rt.h, P.s)} Rt1 {Rt.s := Rt1.s}
| ε {Rt.s := Rt.h}
P -> F {Rp.h := F.s} Rp {P.s := Rp.s}
Rp -> ↑ F {Rp1.h := F.s} Rp1 {Rp.s := haznodo(↑, Rp.h, Rp1.s)}
| ε {Rp.s := Rp.h}
F -> NUM {F.s := hazhoja(NUM, NUM.lexval)}
| (E) {F.s := E.s}
| ~ F1 {F.s := haznodo(~, F1.s)}
```

# Example: creation of ST node.h

```
#ifndef NODE_H
#define NODE_H

#include <string>

namespace Tree {

    class Node{
    public:
        Node(void) {}
        virtual void escribe(int level, bool old, bool ne){}
    };

    class InternalNode: public Node{
        char label;
        Node *pn1;
        Node *pn2;
    public:
        InternalNode(int, Node*, Node*);
        void escribe(int level, bool old, bool ne);
    };
}
```

## Example: creation of ST node.h

```
class UniqueNode : public Node{
    char label;
    Node* pn1;
public:
    UniqueNode(int, Node*);
    void escribe(int level, bool old, bool, ne);
};

class NodeId: public Node{
    string name;
public:
    NodeId(string);
    void escribe(int level, bool old, bool, ne);
};

class NodeNum: public Node{
    int value;
public:
    NodeNum(int);
    void escribe(int level, bool old, bool, ne);
};

const int Max = 80;
char* esp(int level, bool old, bool ne);

} //end namespace "Tree"
```

# Example: creation of ST

## *node.h*

```
namespace Errors{

    struct TokenError{
        string message;
        int ActToken;
        string lexema;
        TokenError(string msg, int ta, string lex);
    };

    struct NoCuadra{
        int LookedForToken;
        int ActToken;
        string lexema;
        NoCuadra(int t, int ta, string lex);
    };

} // End of namespace "Errors"

#endif
```

# Example: creation of ST

## *node.cpp*

```
#include <string>
#include <iostream>
#include <typeinfo>

#include "node.h"
#include "tokens.h"

using namespace Tree;

int yyparse();

Tree::InternalNode::InternalNode(int e, Node* p1, Node* p2) {
    label = e;
    pn1 = p1;
    pn2 = p2;
}

Tree::UniqueNode::UniqueNode(int e, Node* p1) {
    label = e;
    pn1 = p1;
}
```

# Example: creation of ST

## node.cpp

```
Tree::NodeId::NodeId(string n) {
    name = n;
}

Tree::NodeNum::NodeNum(int v) {
    value = v;
};

void Tree::InternalNode::escribe(int level, bool old, bool ne) {
    cout << Tree::esp(level, old, ne) << " node (" << label << ")" << endl;
    pn1 -> escribe(level + 2, ne, true);
    pn2 -> escribe(level + 2, ne, false);
}

void Tree::UniqueNode::escribe(int level, bool old, bool ne){
    cout << Tree::esp(level, old, ne) << " node (" << label << ")" << endl;
    pn1 -> escribe(level + 2, ne, true);
}
```

# Example: creation of ST

## *node.cpp*

```
void Tree::NodeId::escribe(int level, bool old, bool ne){  
    cout << Tree::esp(level, old, ne) << " ID (" << name << ")" << endl;  
}  
void Tree::NodeNum::escribe(int level, bool old, bool ne){  
    cout << Tree::esp(level, old, ne) << " NUM (" << value << ")" << endl;  
}  
char line[Tree::Max + 1] = {0};  
char* Tree::esp(int level, bool old, bool ne){  
    int i;  
    if(level > 1)  
        if (old)  
            strcpy(line + (level - 2), "|   ");  
        else  
            strcpy(line + (level - 2), "     ");  
    if(ne)  
        strcpy(line + level, "|-->");  
    else  
        strcpy(line + level, "|L -->");  
    return line;  
}
```

# Example: creation of ST

## *node.cpp*

```
using namespace Errors;

Errors::TokenErrors::TokenErrors(string msg, int ta, string lex){
    message = msg;
    ActToken = ta;
    lexema = lex;
}

Errors::NoCuadra::NoCuadra(int t, int ta, string lex){
    LookedForToken = t;
    ActToken = ta;
    lexema = lex;
}
```

# Example: creation of ST lexico.l

```
%{  
#include <stdio.h>  
#include <stdlib.h>  
#include <string.h>  
#include <string>  
#include "node.h"  
#include "tokens.h"  
  
%}  
  
id [a-zA-Z_][a-zA-Z0-9_]*  
  
%%  
  
[ \n\t] ;  
":=" return ASIGN;  
[0-9]+ {sscanf(yytext, "%d", &yyval.value); return NUMBER;}  
{id} {yyval.name = (char*)malloc(strlen(yytext)+1); strcpy(yyval.name, yytext); return ID;}  
. return *yytext;
```

# Example: creation of ST

## *tokens.h*

```
typedef union{
    char *name;
    int value;
    Tree::Node* point;
} YYSTYPE;

#define ID 257
#define NUMBER 258
#define ASIGN 259

extern YYSTYPE yyval;
```

# Example: creation of ST

## parser.cpp

```
#include <iostream>
#include <string>
#include "node.h"
#include "tokens.h"

YYSTYPE yylval;
using namespace Tree;
using namespace Errors;

void entrada(void);
Tree::Node* E(void);
Tree::Node* Re(Node* );
Tree::Node* T(void)
Tree::Node* Rt(Node* );
Tree::Node* P(void);
Tree::Node* Rp(Node* );
Tree::Node* F(void);

extern int yylex(void);
extern char* yytext;
int ta;

void cuadra(int t){
    if(ta == t)
        ta = yylex();
    else
        throw Errors::NoCuadra(t, ta, string(yytext));
}

void entrada(void){
    Tree::Node *es, *es1;
    if(ta == ID){
        char* na = yylval.name;
        try{
            cuadra(ID);
            cuadra(ASIGN);
            es = E();
            es1 = new Tree::InternalNode('=', new Tree::NodeId(string(na)), es);
            es1 -> escribe(0, false, false);
        }
    }
}
```

# Example: creation of ST

## parser.cpp

```
catch(Errors::NoCuadra & e) {
    cerr << "Error:No cuadra,token que busco = " << e.LookedForToken << "pero hay =
        " << e.ActToken << "(" << e.lexema << ")Salta hasta ;" << endl;
    while((ta==yylex()) != ';' && ta != 0);
}
catch(Errorrs::TokenError & e) {
    cerr << "Error: " << e.message << "token actual = " << e.ActToken << "(" <<
        e.lexema << ")Salta hasta ;" << endl;
    while((ta==yylex()) != ';' && ta != 0);
}
cuadra(';');
entrada();
}
else if(ta != 0)
    throw Errors::TokenError("en entrada: espera fin de archivo", ta, string(yytext));
}//end of entrada
```

# Example: creation of ST

## *parser.cpp*

```
Node* E(void){  
    Tree::Node *t_s, *e_s;  
    if(ta == NUMBER || ta == ID || ta == '-' || ta == '('){  
        t_s = T();  
        e_s = Re(t_s);  
        return e_s;  
    }  
    else  
        throw Errors::TokenError("en E", ta, string(yytext));  
}//end of E  
  
Node* Re(Node* re_h){  
    Tree::Node *t_s, *rel_h, *re_s;  
    if(ta == '+'){  
        cuadra('+');  
        t_s = T();  
        rel_h = new Tree::InternalNode('+', re_h, t_s);  
        re_s = Re(rel_h);  
        return re_s;  
    }  
}
```

# Example: creation of ST

## *parser.cpp*

```
else if(ta == '-') {
    cuadra('-');
    t_s = T();
    rel_h = new Tree::InternalNode('-', re_h, t_s);
    re_s = Re(rel_h);
    return re_s;
}
else
    return re_h;
}//end of Re

Node* T(void) {
    Tree::Node *p_s, *t_s;
    if(ta == NUMBER || ta == IND || ta == '-' || ta == '(') {
        p_s = P();
        t_s = Rt(p_s);
        return t_s;
    }
    else
        throw Errors::TokenError("En T", ta, string(yytext));
}//end of T
```

# Example: creation of ST *parser.cpp*

```
Node* Rt (Node* rt_h) {
    Tree::Node *p_s, *rt1_h, *rt_s;
    if(ta == '*') {
        cuadra('*');
        p_s = P();
        rt1_h = new Tree::InternalNode('*', rt_h, p_s);
        rt_s = Rt(rt1_h);
        return rt_s;
    }
    else if(ta == '/') {
        cuadra('/');
        p_s = P();
        rt1_h = new Tree::InternalNode('/', rt_h, p_s);
        rt_s = Rt(rt1_h);
        return rt_s;
    }
    else
        return rt_h;
}//end of Rt
```

# Example: creation of ST

## *parser.cpp*

```
Node* P(void){  
    Tree::Node *p_s, *f_s;  
    if(ta == NUMBER || ta == ID || ta == '-' || ta == '('){  
        f_s = F();  
        p_s = Rp(f_s);  
        return p_s;  
    }  
    else  
        throw Errors::TokenError("En P", ta, string(yytext));  
}//end of P  
  
Node* Rp(Node* rp_h){  
    Tree::Node *f_s, *rp1_s, *rp_s;  
    if(ta == '^'){  
        cuadra('^');  
        f_s = F();  
        rp1_s = Rp(f_s);  
        rp_s = new Tree::InternalNode('^', rp_h, rp1_s);  
        return rp_s;  
    }else  
        return rp_h;  
}//end of Rp
```

# Example: creation of ST

## *parser.cpp*

```
Node* F(void) {
    Tree::Node * f_s; *f1_s;
    if(ta == NUMBER) {
        f_s = new Tree::NodeNum(yyval.value);
        cuadra(NUMBER);
        return f_s;
    }else if (ta == ID) {
        f_s = new Tree::NudeId(yyval.name);
        cuadra(ID);
        return f_s;
    }else if(ta == '(') {
        cuadra('(');
        f_s = E();
        cuadra(')');
        return f_s;
    }else if(ta == '-') {
        cuadra('-');
        f1_s = F();
        f_s = new Tree::UniqueNode('~', f1_s);
        return f_s;
    }
    else
        throw Errors::TokenError("En F", ta, string(yytext));
} // end of F
```

# Example: creation of ST

## parser.cpp

```
int main(){
    cout << "Comienza el programa" << endl;
    cout << "Teclee expresiones aritmeticas terminadas en punto y coma" << endl;
    ta = yylex();
    try{
        entrada();
    }
    catch(Errors::NoCuadra & e){
        cerr << "Error:No cuadra,token que busco = " << e.LookedForToken << "pero hay =
                    " << e.ActToken << " (" << e.lexema << ")Fin del programa" << endl;
        exit(EXIT_FAILURE);
    }
    catch(Errorrs::TokenError & e){
        cerr << "Error: " << e.message << "token actual = " << e.ActToken << " (" <<
                    e.lexema << ")Final del programa" << endl;
        exit(EXIT_FAILURE);
    }
    cout << "Fin del programa" << endl;
} //end of main()
```