# Efficiency & Scalability in IR

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#### **Credits**

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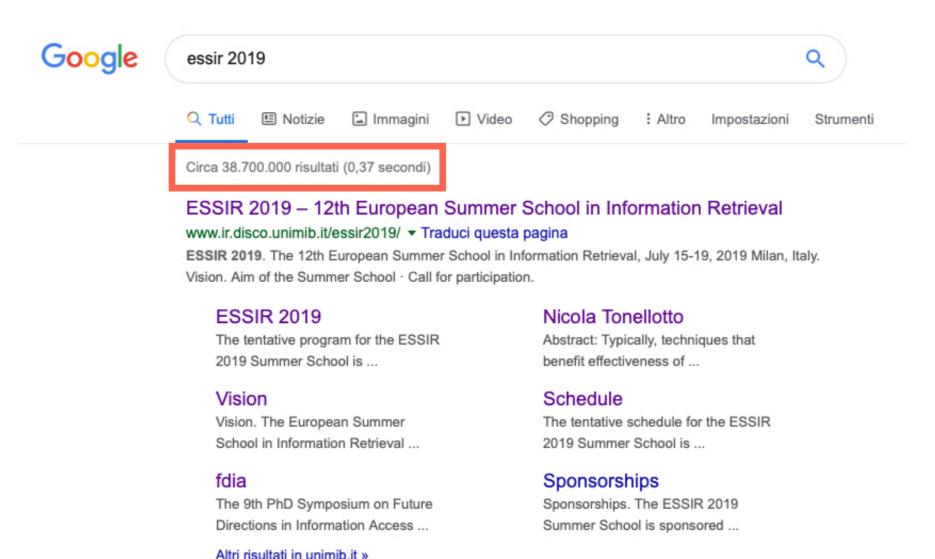
Consiglio Nazionale delle Ricerche





EU H2020 research project grant agreement N°780751

#### The scale of Web search challenge



#### ESSIR 2019 - The 12th European Summer School in Information ...

https://www.disco.unimib.it/.../essir-2019-12th-european-summ... ▼ Traduci questa pagina 3 giu 2019 - The European Summer School in Information Retrieval (ESSIR) is a scientific event founded in 1990, which has given rise to a series of ...

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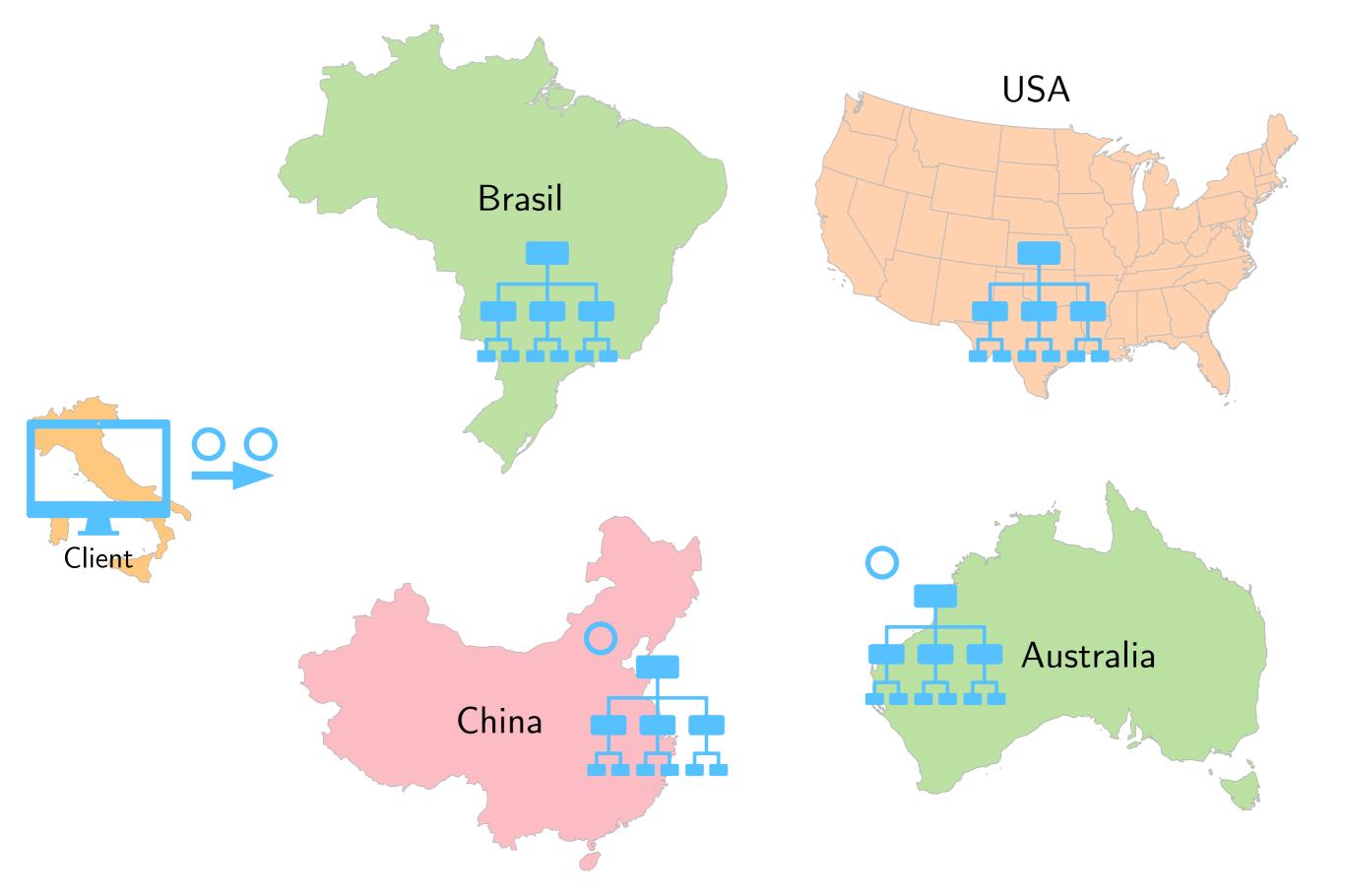
# How many documents? In how long?

- Reports suggest that Google considers a total of 30 trillion pages in the indexes of its search engine
  - And it identified relevant results from these 30 trillion in 0.63 seconds
  - Clearly this a big data problem!
- To answer a user's query, a search engine doesn't read through all of those pages: the index data structures help it to efficiently find pages that effectively match the query and will help the user
  - Effective: users want relevant search results
  - Efficient: users aren't prepared to wait a long time for search results

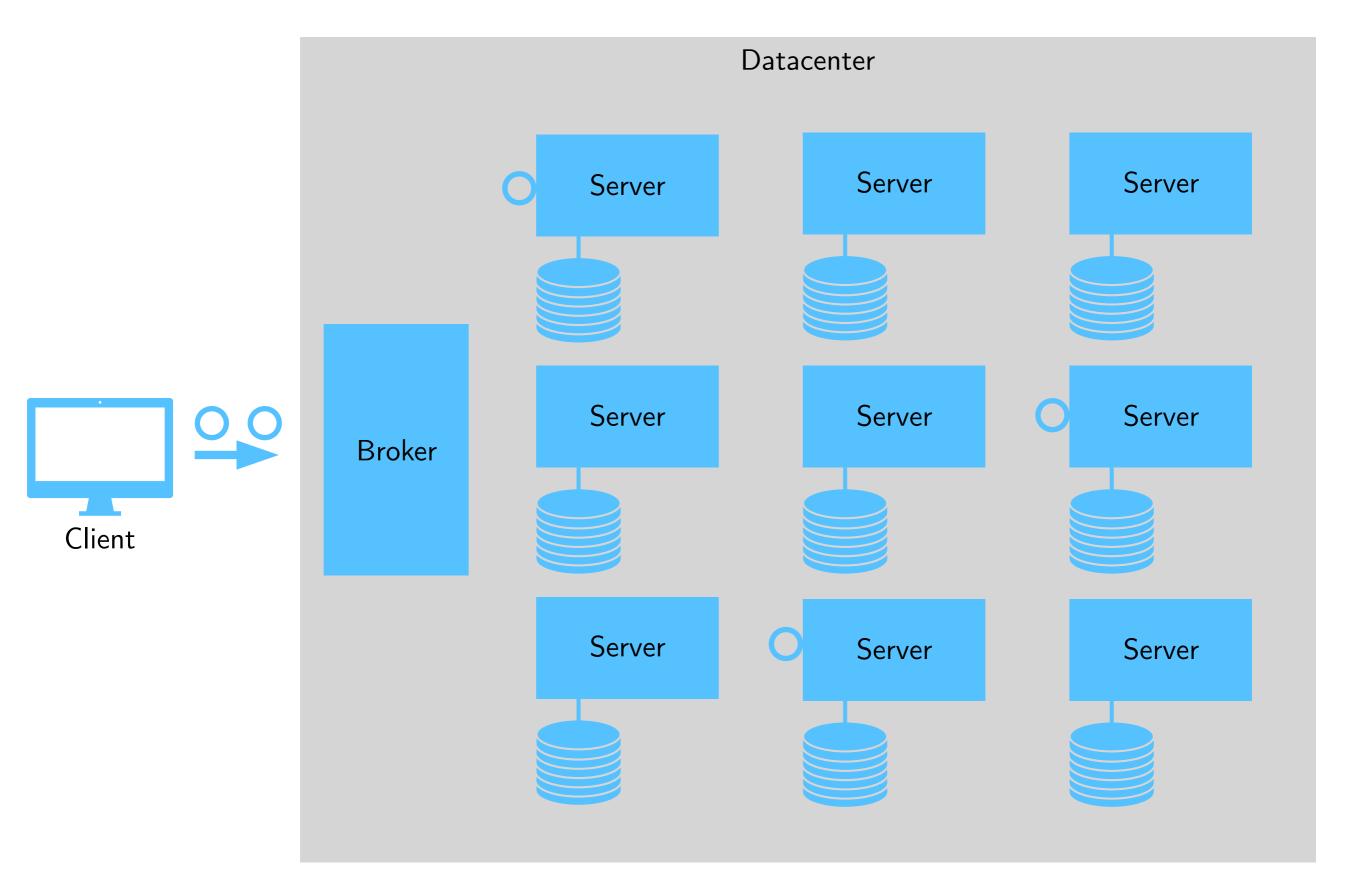
# How to measure efficiency?

- Space occupancy
  - Total space in MB/GB
  - Average space in bpi (bits per integer)
- Processed postings
  - Number of processed items
  - Platform and implementation independent
- Response time
  - User perspective
  - Mean, median
  - Tail latency, 95th and 99th percentile
- Throughput
  - System perspective
  - QPS (queries per second)

# Search as a Distributed Problem



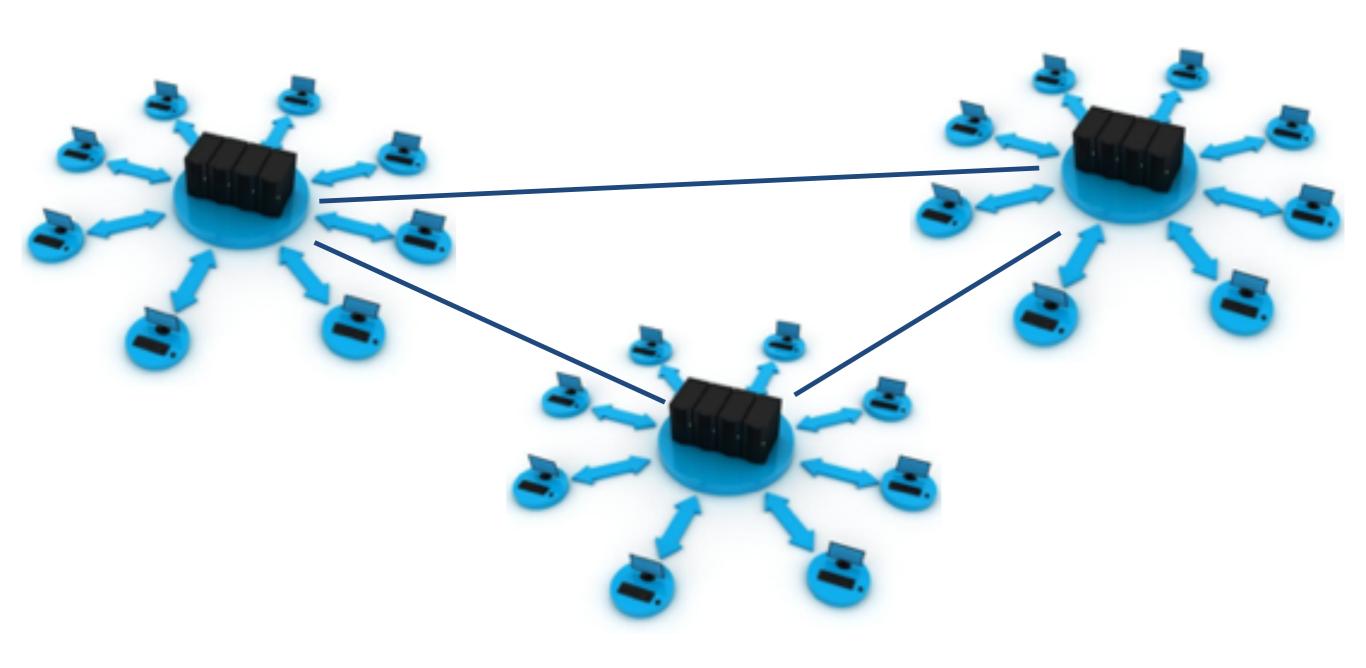
# Search as a Distributed Problem



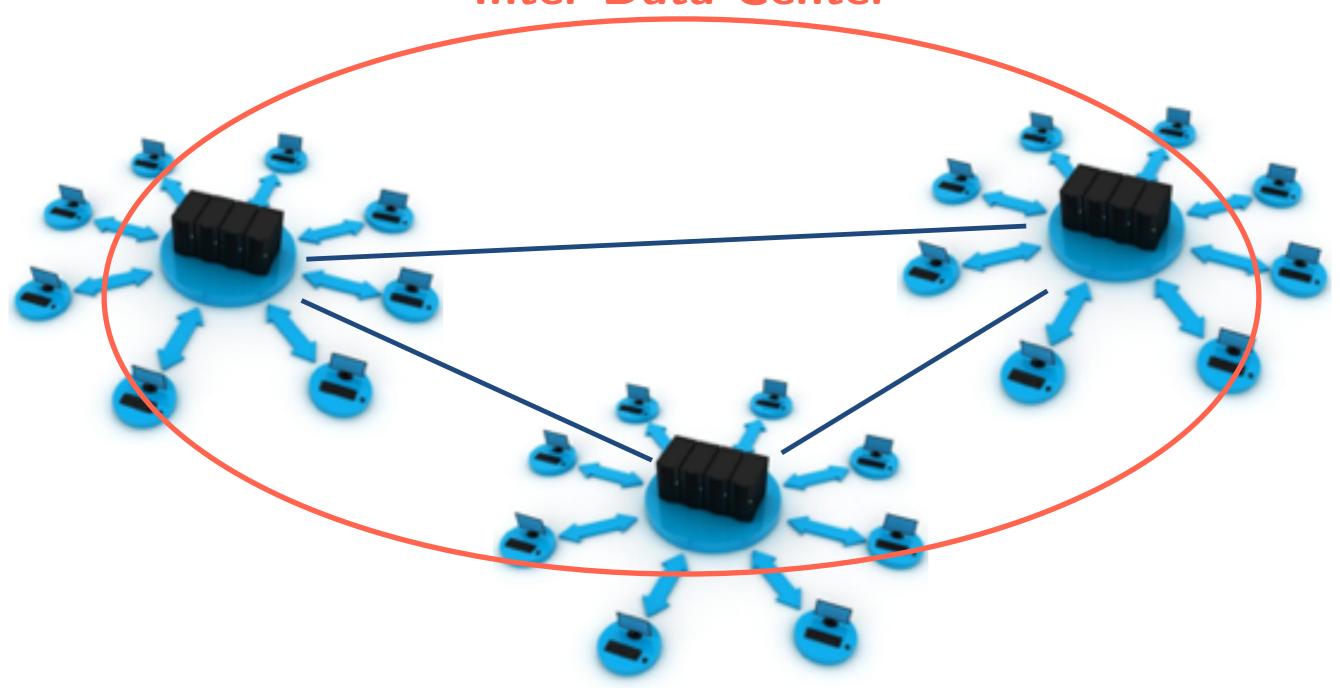
# Search engines are growing

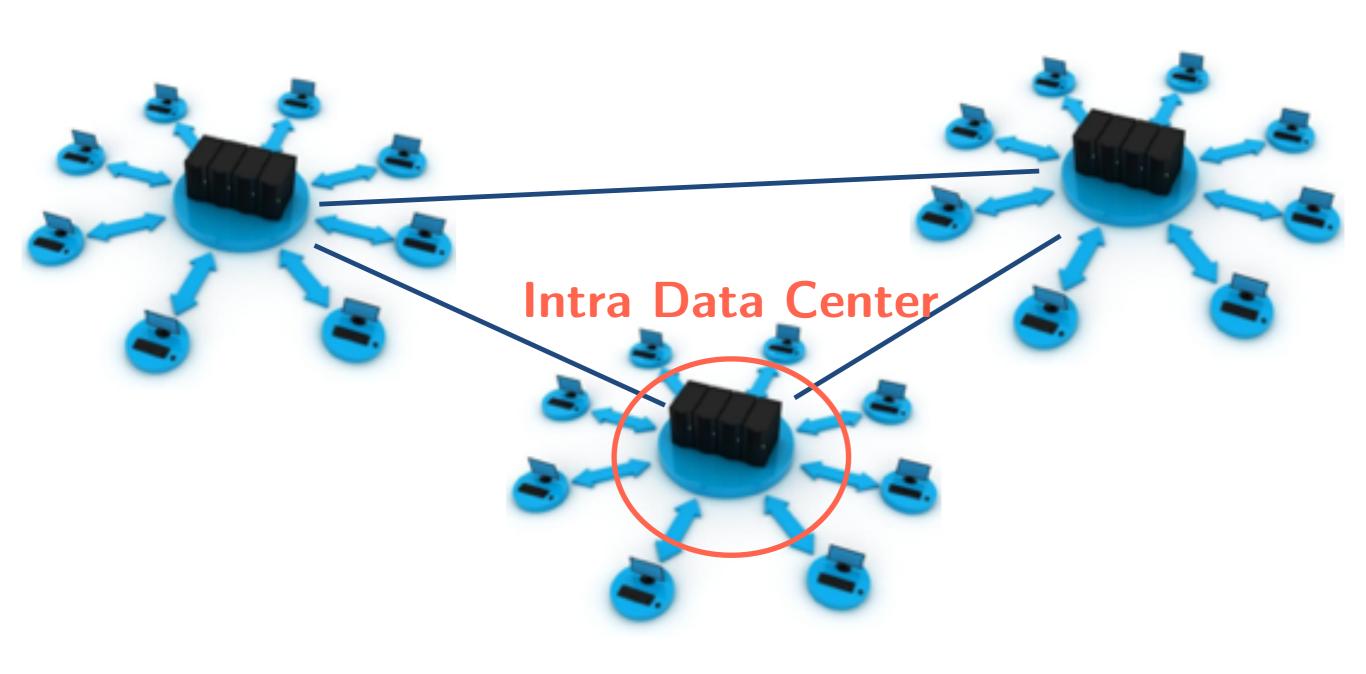
- More queries ⇒ More servers ⇒ \$\$\$
- More documents ⇒ More servers ⇒ \$\$\$
- More users ⇒ More advertising ⇒ \$\$\$

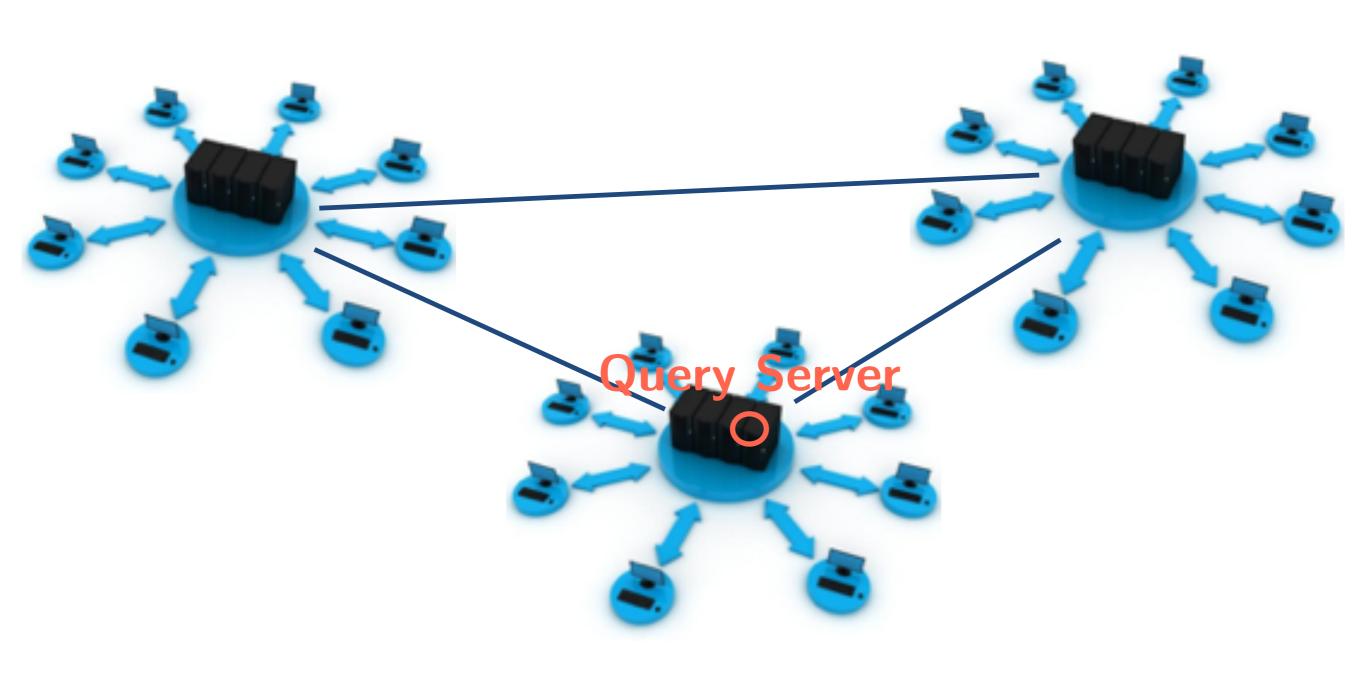
- Reduce \$\$\$\$ ⇒ Reduce resources ⇒ Improve efficiency
- Increase \$\$\$\$ ⇒ Improve results ⇒ Improve effectiveness



**Inter Data Center** 







#### Roadmap

Q

10s documents Learning to rank

1000s documents

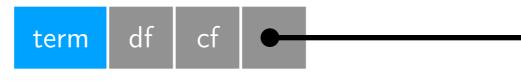
1,000,000,000s documents

Ranked retrieval & Dynamic pruning

Index layout & Boolean retrieval

#### Format of an index

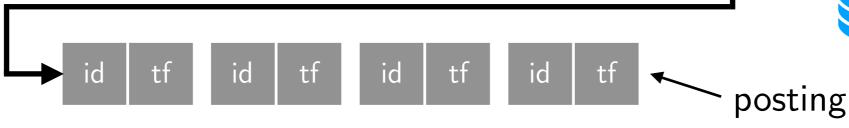
- Typically, an index contains 3 data structures:
  - A lexicon: to store unique terms and their statistics

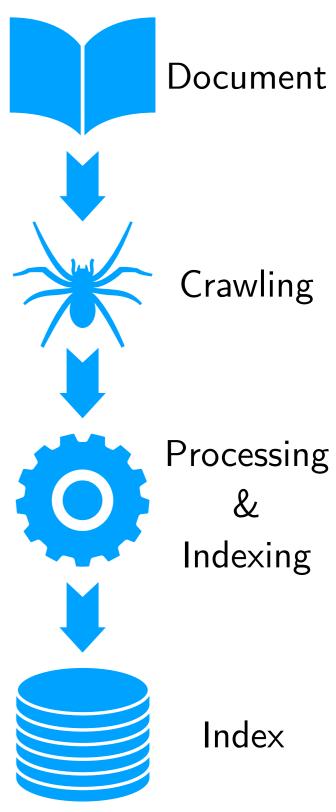


 A document index: to store documents and their statistics



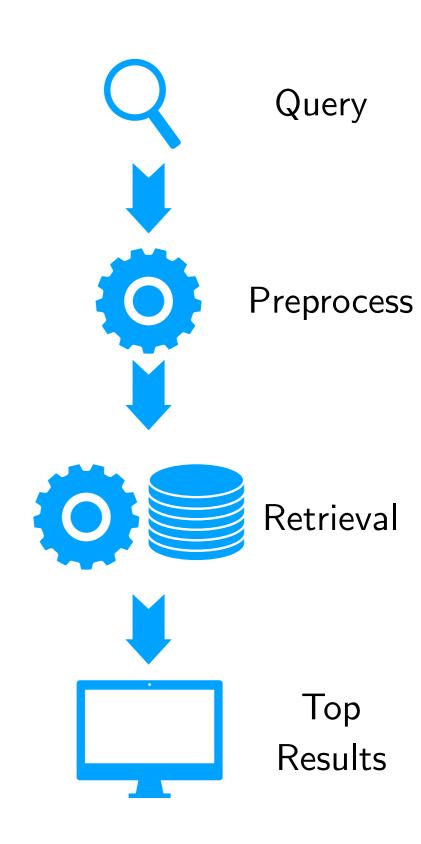
 An inverted index: to store term-document statistics (in posting lists)



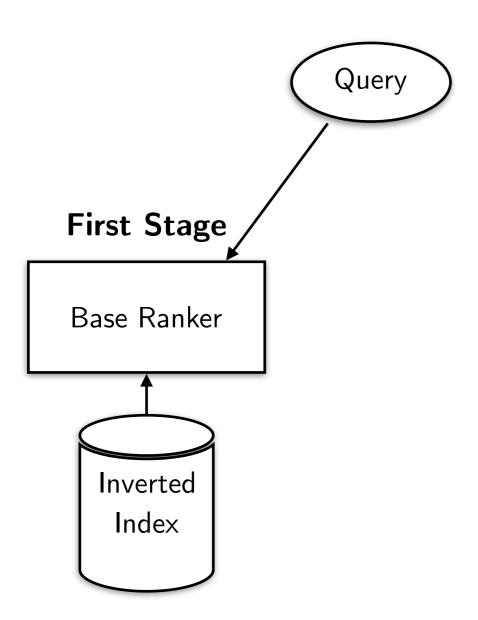


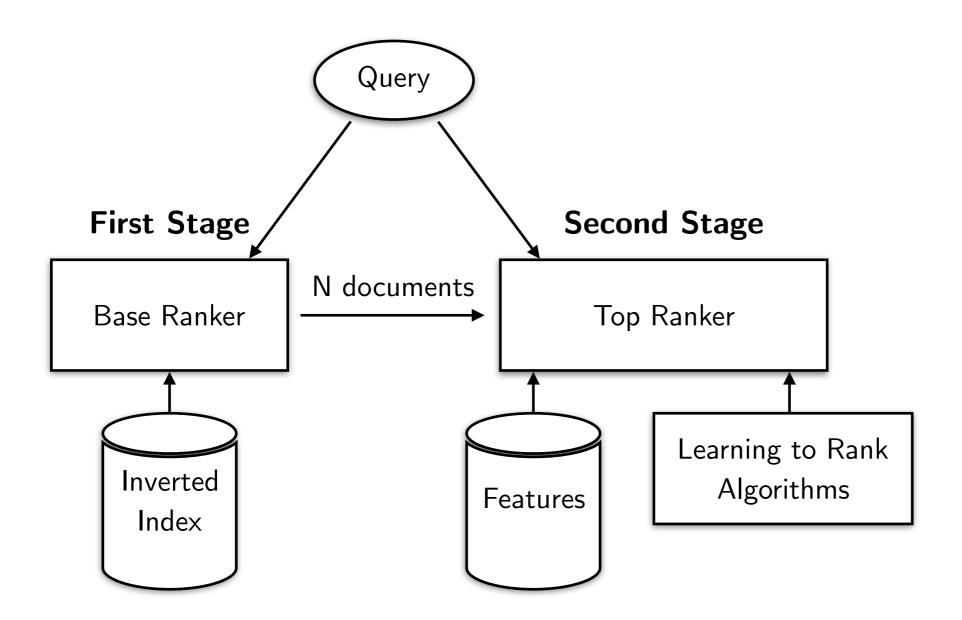
# Query processing

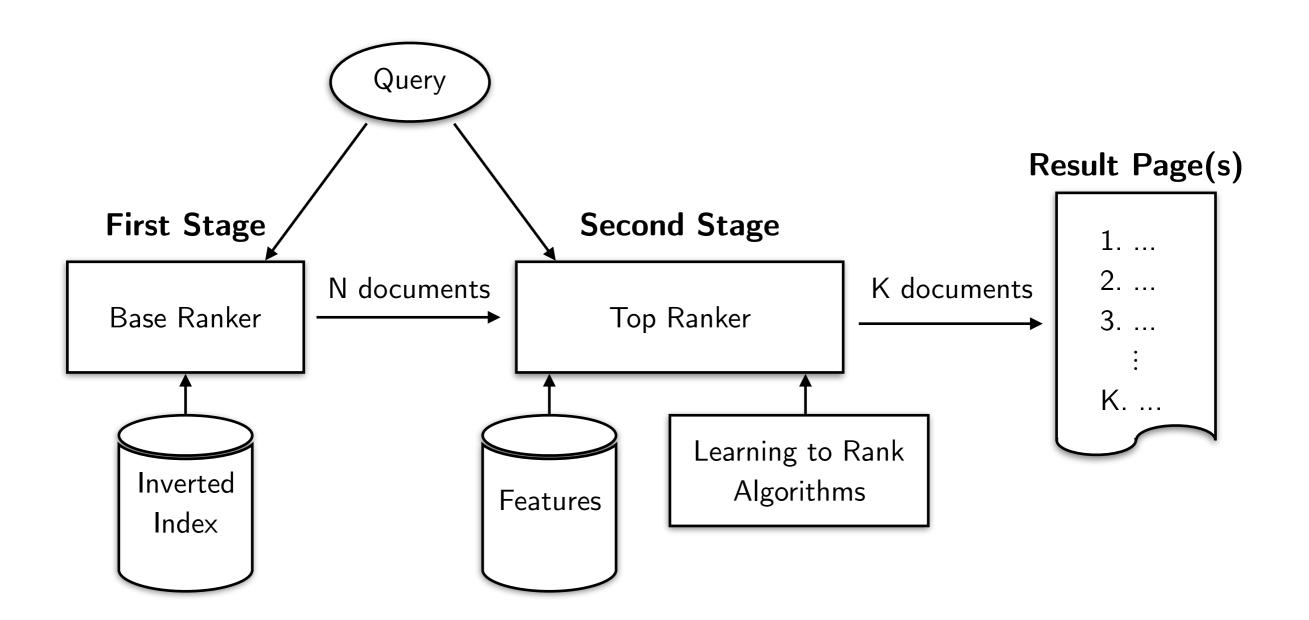
- It is important to make retrieval as fast as possible
  - Research by MS Bing indicates that even slightly slower retrieval (0.2 0.4 sec) can lead to a dramatic drop in the perceived quality of the results
- Why is document scoring expensive?
  - Trillions of pages
- The cost of a search depends on
  - The query length (number of terms)
  - The posting list length (for each query term)

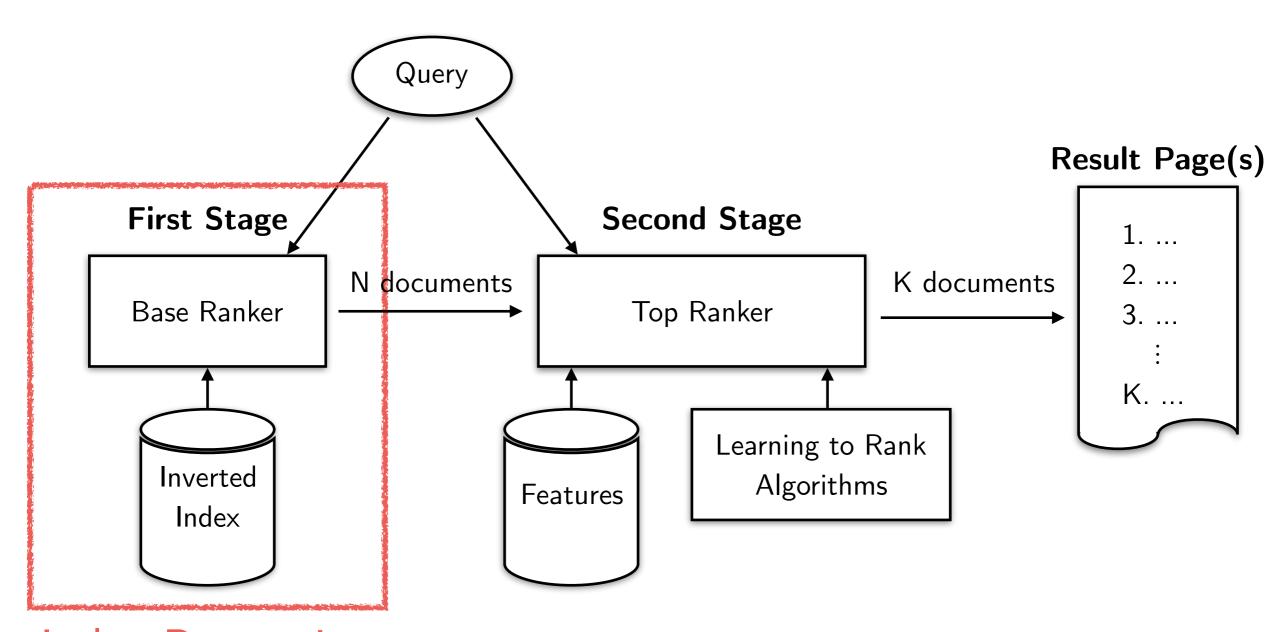




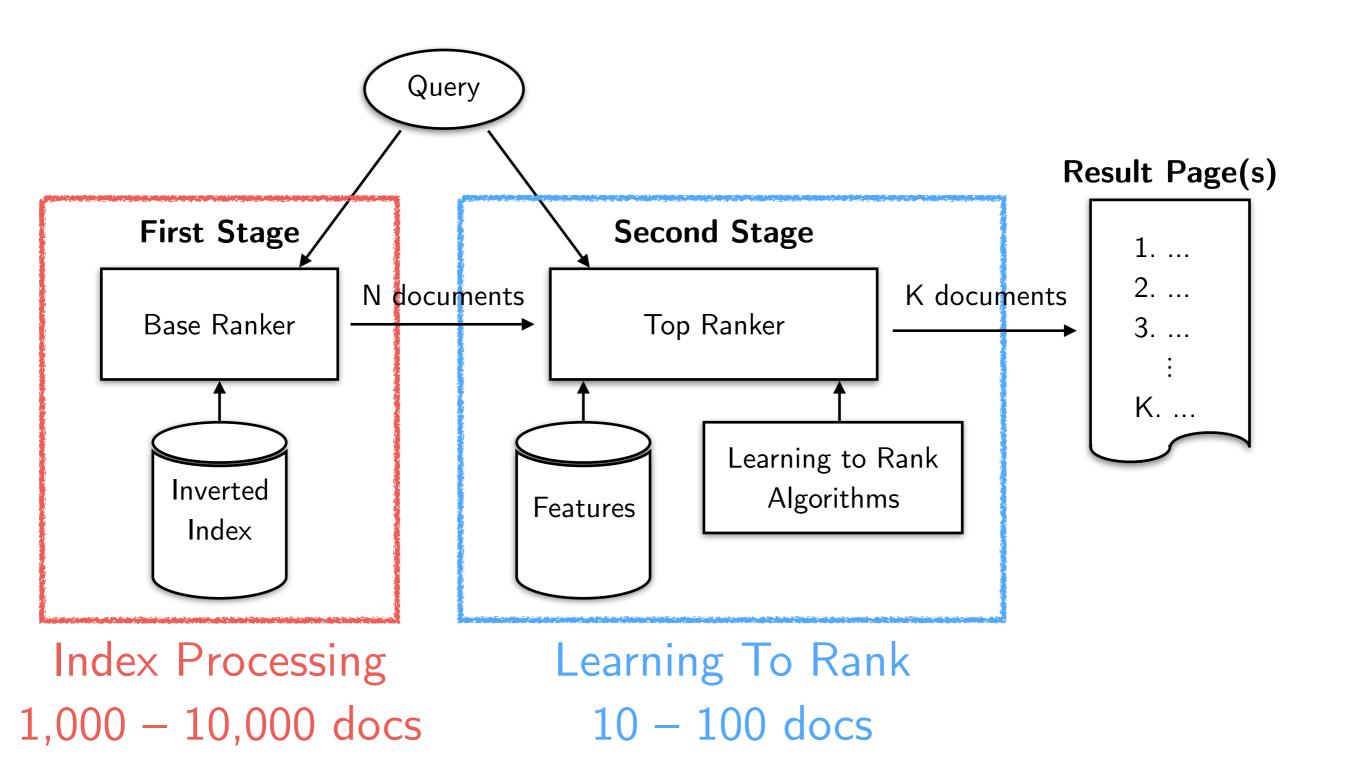








Index Processing 1,000 - 10,000 docs



#### Outline

- Compression
- Query processing
- Dynamic pruning
- Impact-sorted indexes
- Learning to rank & cascading

#### **Index Compression**

- It takes time to read the posting lists, in particular if they are stored on a (slow) hard disk
- Using lossless compressed layouts for the posting lists can save space (on disk or in memory) and reduce the amount of time spent doing IO
- But decompression can also be expensive, it can cost time
- Space-time tradeoff



8 ints
32 bits per int
256 bits in total
Do we need all of them?

#### Delta Gaps



Docids can be stored in ascending order



Taking the differences gives smaller numbers (a.k.a. dgaps)



- Each dgap could be represented using less bits
  - 32 bits are too many, we will get a bunch of 0s.

#### Integer Compression

Treat each unsigned integer independently and encode it

• Unary: use as many 0s as the input value d followed by a 1.

$$(5)_{10} \mapsto 000001$$

• **Gamma:** let  $N = \lfloor \log_2 d \rfloor$  the highest power of 2 contained in d; write N in unary and  $d-2^N$  in binary on N bits.

$$(7)_{10} = (2^2 + 3)_{10} \mapsto 00111$$

- Variable byte:  $(824)_{10} = (1100111000)_2 =$ 
  - $= (0000110|0111000)_2 \mapsto 0000110 \ 10111000$
- Other compressors: delta, gamma, zeta, Huffman,
   Golomb, ...

# List-adaptive Compression

Documents are often **clustered** in the inverted index, e.g., by URL ordering; compression can be more effective if we consider **blocks of integers** and encode them

- Frame of reference: consider blocks of consecutive integers of fixed/variable size and compress them
- **Simple**: pack as many integers as possible in a memory word, i.e., 32 or 64 bits.
- **Elias-Fano**: suitable for monotonically increasing sequences of integers
- Other variants and implementations: BIC, QMX, PEF

#### **Posting List Iterators**

• It is often convenient to see a posting list as an **iterator** over its postings.

#### APIs:

- p.docid() returns the docid of the current posting
- p.score() returns the score of the current posting
- p.next() moves sequentially the iterator to the next posting
- p.next(d) advances the iterator forward to the next
   posting with a document identifier greater than or equal to
   d ⇒ skipping

# **Query Processing**

Conjunctive (AND) vs. Disjunctive (OR)

#### Boolean retrieval

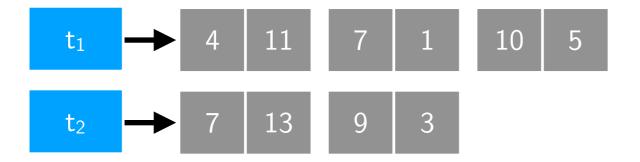
- Suitable for small/medium collections
- Returns all documents matching the query

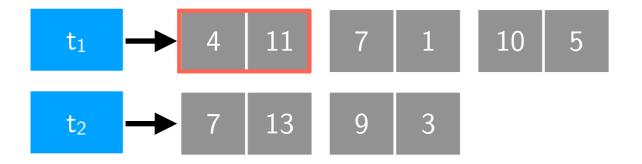
#### Ranked retrieval

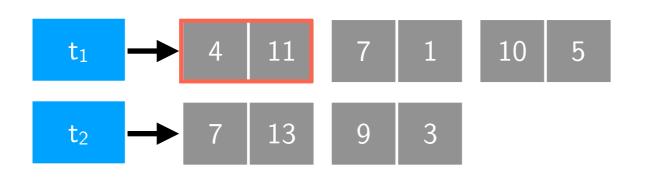
- Suitable for Web-scale collections
- Requires a similarity function between queries and documents

$$s_q(d) = \sum_{t \in q} s_t(q, d)$$

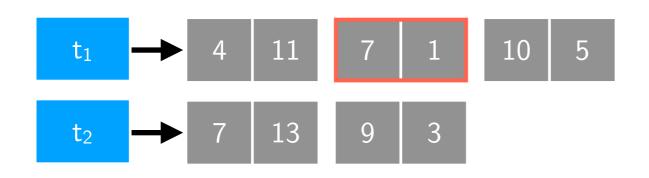
• Returns only the top *K* documents



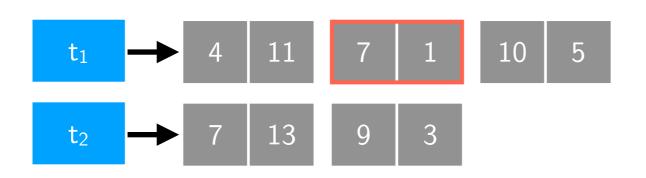




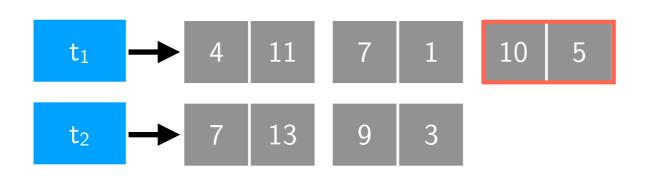
rank	docid	score
1	4	11
2		
3		
4		



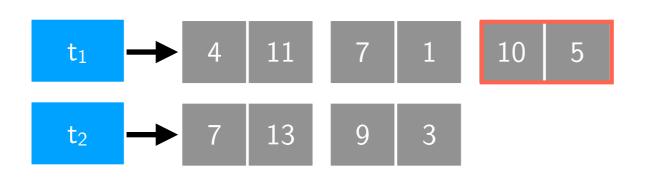
rank	docid	score
1	4	11
2		
3		
4		



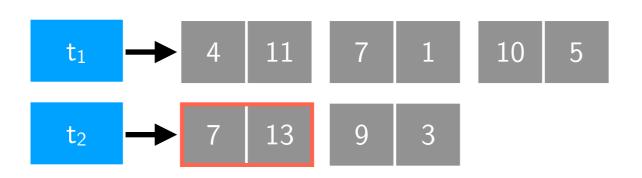
rank	docid	score
1	4	11
2	7	1
3		
4		



rank	docid	score
1	4	11
2	7	1
3		
4		



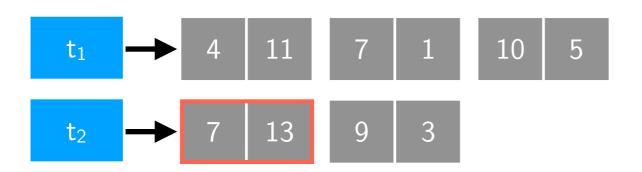
rank	docid	score
1	4	11
2	10	5
3	7	1
4		



rank	docid	score
1	4	11
2	10	5
3	7	1
4		

#### Term at a Time

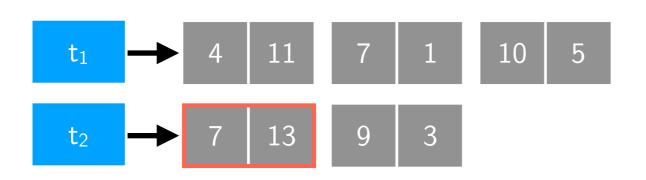
In ranked disjunctive retrieval, the posting lists can be traversed one query term at a time (TAAT)



rank	docid	score
1	7	14
2	4	11
3	10	5
4		

#### Term at a Time

In ranked disjunctive retrieval, the posting lists can be traversed one query term at a time (TAAT)



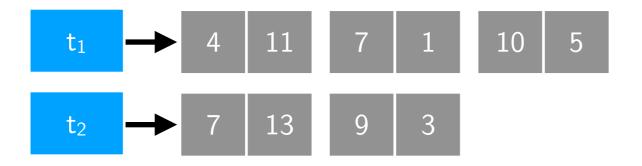
rank	docid	score
1	7	14
2	4	11
3	10	5
4		

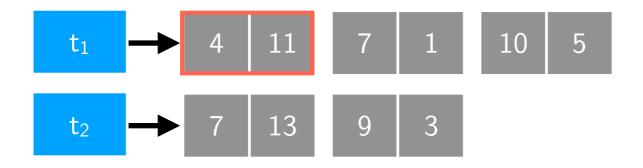
#### **PROS**

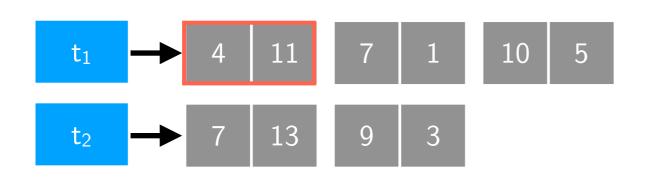
- Simple
- Cache-friendly

#### **CONS**

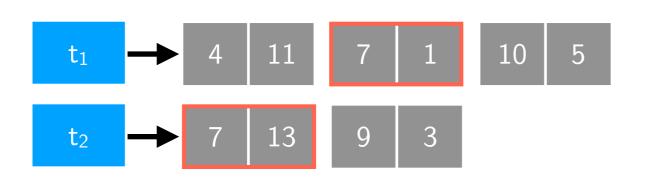
- Requires lot of memory to contain partial scores for all documents
- Difficult to do boolean or phrasal queries



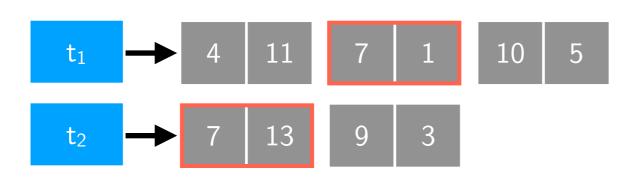




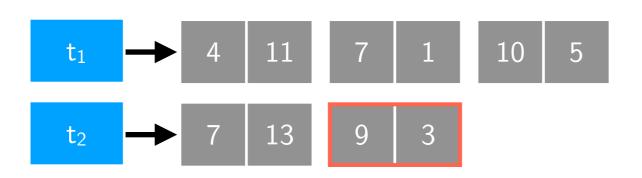
rank	docid	score
1	4	11
2		
3		
4		



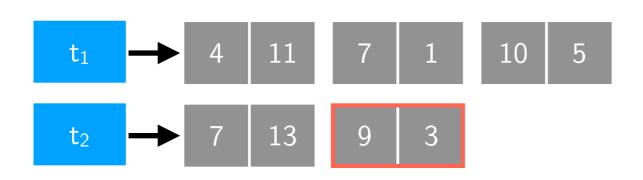




rank	docid	score
1	7	14
2	4	11
3		
4		

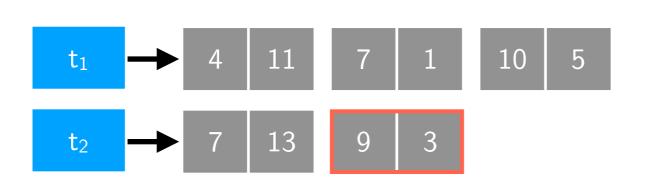


rank	docid	score
1	7	14
2	4	11
3		
4		



rank	docid	score
1	7	14
2	4	11
3	9	3
4		

In ranked disjunctive retrieval, the posting lists can be traversed all query terms in parallel, to fully process a **document at a time** (DAAT)



rank	docid	score
1	7	14
2	4	11
3	9	3
4		

#### **PROS**

- Smaller memory footprint than TAAT
- Support boolean and phrasal queries

#### **CONS**

Lesser cache-friendly than TAAT

#### Most commercial search engines are reported to use a variant of DAAT

#### TAAT vs DAAT

- TAAT and DAAT have been the cornerstones of query evaluation in IR systems since 1970s.
- The plain implementations of these two strategies are seldom used anymore, since many optimisations have been proposed during the years
- Fontoura et al. (2011) report experiments on small (200k docs) and large indexes (3M docs), with short (4.26 terms) and long (57.76 terms) queries (times are in microseconds):

Small index							
	Short queries	Long queries					
TAAT	141.0	1,694.6					
DAAT	193.0	4,554.6					
	Large inde	x					
	Short queries Long queries						
TAAT	3,777.6	18,913.0					
DAAT	3,581.3	26,778.3					

## Faster Query Processing

- Dynamic pruning strategies aim to make scoring faster by only scoring a subset of the documents
  - The core assumption of these approaches is that the user is only interested in the **top K results**, say K = 20.
  - During query scoring, it is possible to determine if a document cannot make the top K ranked results.
  - Hence, the scoring of such documents can be terminated early, or skipped entirely, without damaging retrieval effectiveness to rank K
  - This is called "safe-to-rank K"
- Dynamic pruning is based upon
  - Early termination
  - Comparing upper bounds on retrieval scores with thresholds

## **Dynamic Pruning Strategies**

- MaxScore (Turtle & Flood, 1995)
  - Early termination: does not compute scores for documents that won't be retrieved by comparing upper bounds with a score threshold
- WAND (Broder et al., 2003)
  - Approximate evaluation: does not consider documents with approximate scores (sum of upper bounds) lower than threshold
  - Therefore, it focuses on the combinations of terms needed (weak AND)
- BlockMaxWand (Ding & Suel, 2011)
  - State-of-the-art variant of WAND that uses benefits from the block-layout of posting lists

## **Early Termination**

A document evaluation is **early terminated** if all or some of its postings, relative to the terms of the query, are not fetched from the inverted index or not scored by the ranking function.

### Term and document upper bounds

Similarity function between queries and documents:

$$s_q(d) = \sum_{t \in q} s_t(q, d)$$

• For each term t in the vocabulary, we can compute a **term upper bound** (also known as **max score**)  $\sigma_t(q)$  such that, for all documents d in the posting list of term t:

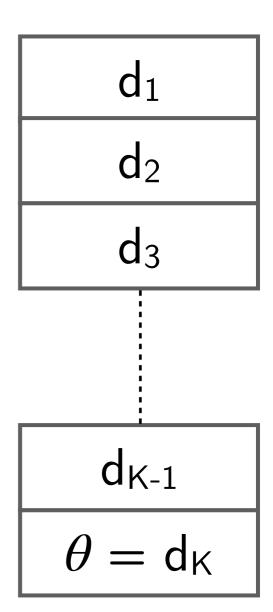
$$\sigma_t(q) \ge s_t(q,d)$$

• For a query q and a document d, we can compute a **document upper** bound  $\sigma_d(q)$  by summing up the query term upper bounds and/or actual scores:

$$\sigma_q(d) = \sum_{t \in q} \sigma_t(q, d) \qquad \text{and} \qquad \sigma_q(d) = \sum_{t \in \hat{q}} s_t(q, d) + \sum_{t \in q \setminus \hat{q}} \sigma_t(q, d)$$

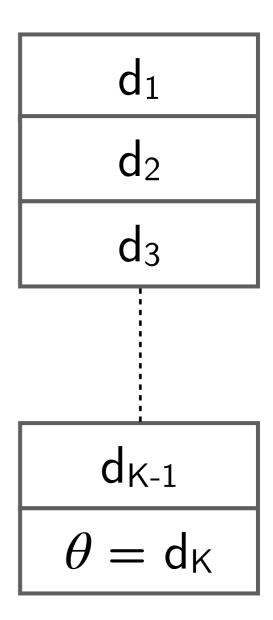
### Heap and Threshold

- During query processing, the top K
  full or partial scores computed so
  far, together with the corresponding
  docids, are organised in a priority
  queue, or min-heap,
- The smallest value of these (partial) scores is called **threshold**  $\theta$ .
- If there are not at least *K* scores, the threshold value is assumed to be 0.



# **Dynamic Pruning Condition**

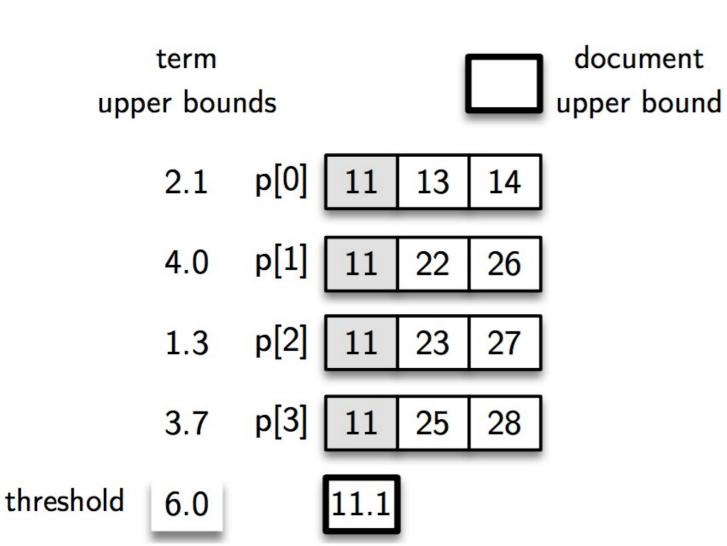
- Property I: The threshold value is not decreasing
- Property II: A document with a score smaller than the threshold will never be in final top K documents
- **Pruning Condition**: for a query q and a document d, if the document upper bound  $\sigma_d(q)$ , computed by using partial scores, if any, and term upper bounds, is lesser than or equal to the current threshold  $\theta$ , the document processing can be early terminated.



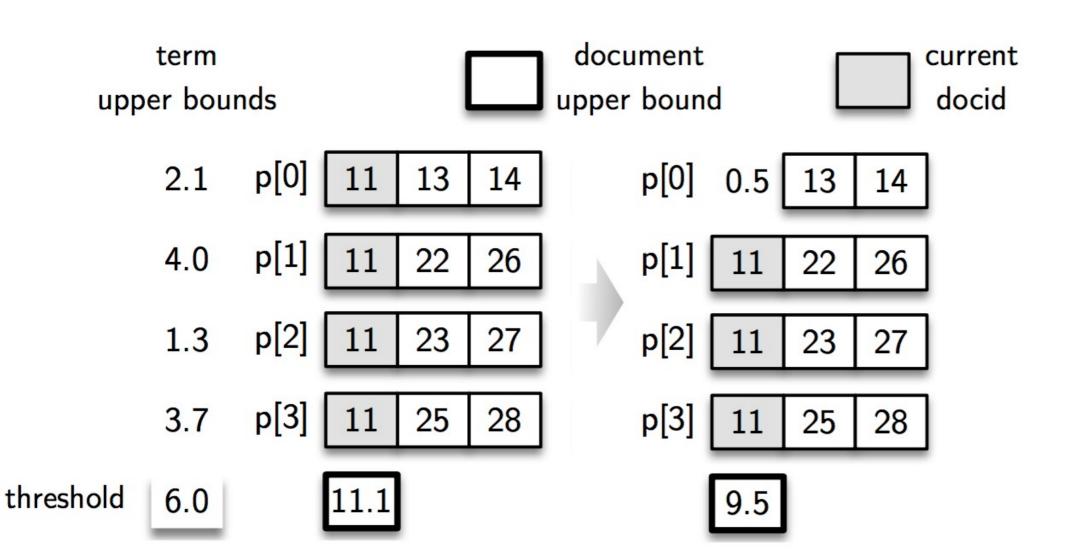
### Example

current

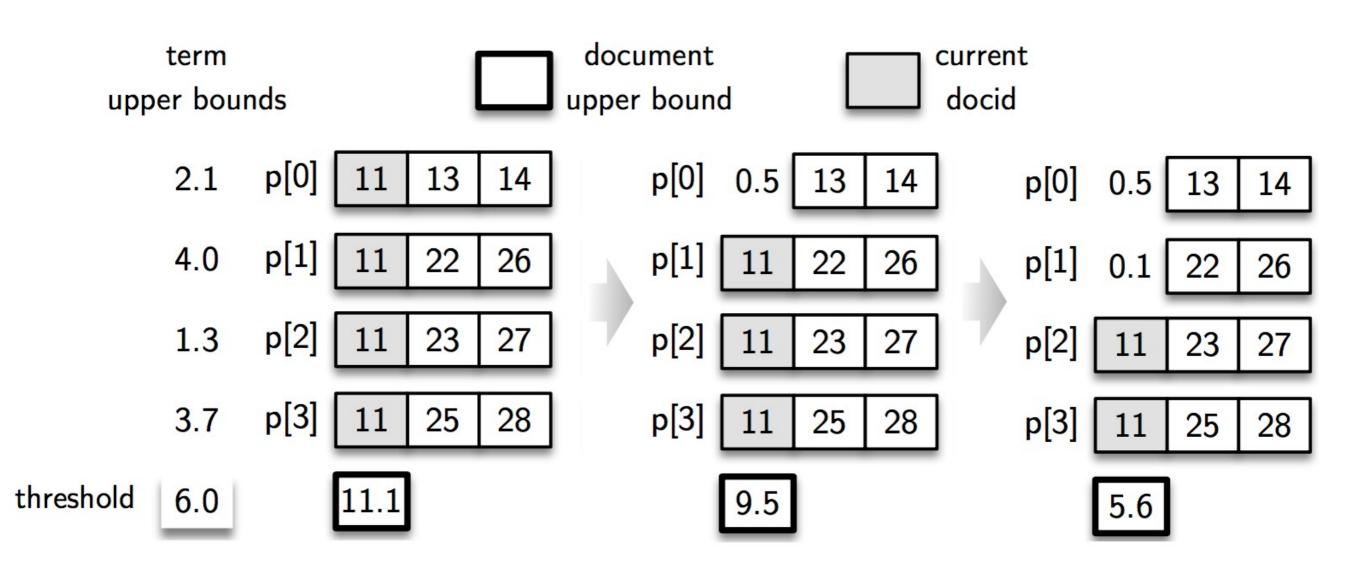
docid



## Example



## Example



## Max Score Optimizations

- MaxScore strategy
  - Early termination: does not compute scores for documents that won't be returned
  - By comparing upper bounds with threshold
  - Based on essential and non-essential posting lists
  - Suitable for TAAT as well
- WAND strategy
  - Approximate evaluation: does not consider documents with approximate scores (sum of upper bounds) lower than threshold
  - Based on pivot term (posting list) and pivot document
- Both use docid-sorted posting lists
- Both exploit skipping

### Performance

	Small index				Large index			
	Short o	Short queries Long queries		Short queries		Long queries		
DAAT	0.19		4.55		3.58		26.78	
MaxScore	0.17	$(1.12\times)$	2.69	$(1.69\times)$	1.58	$(2.27\times)$	9.32	$(2.87\times)$
WAND	0.21	$(0.90 \times)$	5.22	$(0.87\times)$	1.90	$(1.88 \times)$	14.08	$(1.90\times)$

Latency results (in ms) for DAAT, MaxScore and WAND (with speedups), for K = 30. Adapted from [Fontoura et al., 2011].

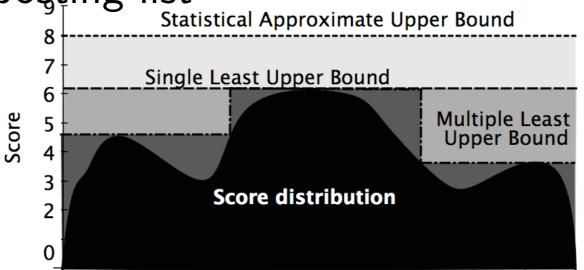
	Number of query terms					
	2	- Avg				
DAAT	60.6	215.9	439.1	686.5	$1,\!270.5$	542.5
MaxScore	$12.7_{(4.77\times)}$	$21.3 \tiny{\tiny (10.14\times)}$	$27.1{\scriptstyle~\scriptscriptstyle{(16.20\times)}}$	$33.9_{(20.25\times)}$	55.0 (23.10×)	32.3 (16.80×)
WAND	$14.2 \tiny{(4.27\times)}$	$23.1  {}_{(9.34\times)}$	$27.3 \tiny{\tiny (16.08\times)}$	37.3 (18.40×)	73.8 (17.22×)	37.2 (14.58×)

Latency results (in ms) for DAAT, MaxScore and WAND (with speedups) for different query lengths, average query times on ClueWeb09, for K = 10. Adapted from [Mallia et al., 2017].

## Global vs Local Term Upper Bounds

A (global) term upper bound is computed over the scores of all

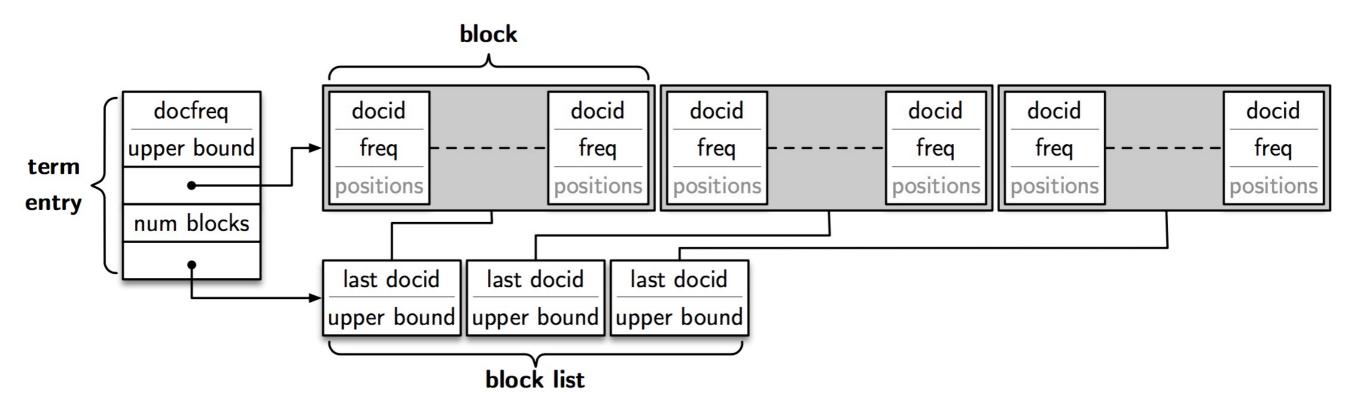
documents in a posting list



**Posting List Position** 

- Each posting list is sequentially divided in a block list, where each block contains a given number of consecutive postings, e.g., 128 postings per block.
- For each block, a block (**local**) **term upper bound** is computed, storing the maximum contribution of the postings in the block.

### **Block Max Indexes**



### Performance

		Avg				
	2	7.46				
DAAT	60.0	159.2	261.4	376.0	646.4	225.7
WAND	23.0 (2.61×)	$42.5  {}_{(3.75\times)}$	89.9 (2.91×)	141.2 (2.66×)	$251.6 \tiny{(2.60\times)}$	77.6 (2.91×)
BMW	$4.1_{(14.63\times)}$	11.5 (13.84×)	$33.6 \ \scriptscriptstyle{(7.78\times)}$	54.5 (6.90×)	114.2 (5.66×)	$27.9_{~(8.09\times)}$

Latency results (in ms) for DAAT, WAND and BMW (64 postings blocks) (with speedups) for different query lengths, average query times (Avg, in ms) on Gov2, for K=10.

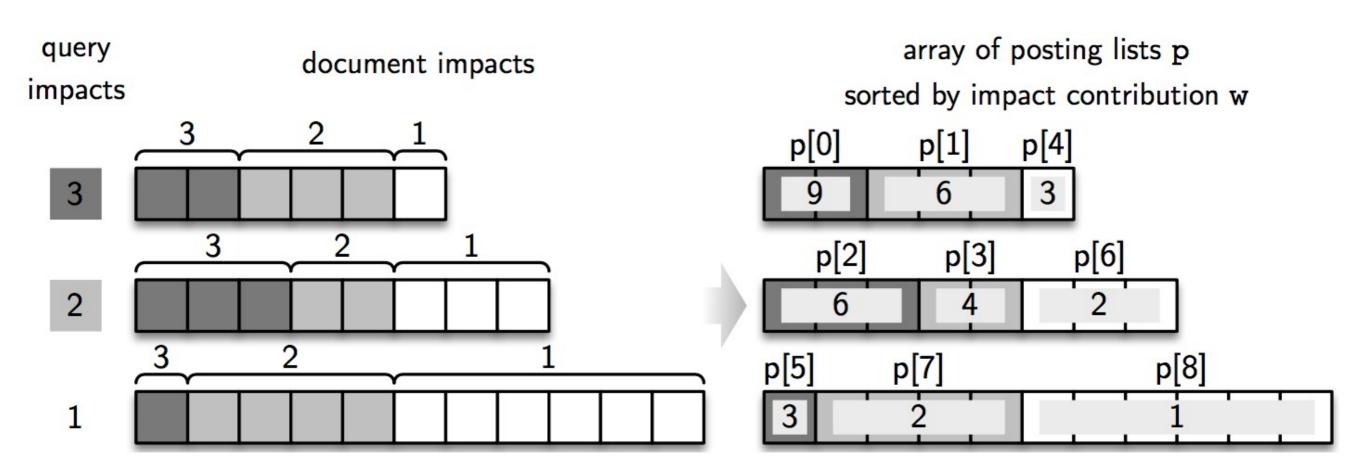
### Impact-sorted Indexes

- An alternative way to arrange the posting lists is to sort them such that the highest scoring documents appear early.
- If an algorithm could find them at the beginning of posting lists, dynamic pruning conditions
  can be enforced very early.
- [Wong and Lee, 1993] proposed to sort posting list in **decreasing** order of **term-document frequency** value.
- [Anh et al., 2001] introduced the definition of **impact** of term t in document d for the quantity  $w_t(d)/W_d$  (or **document impact**) and impact of term t in query q for  $w_t(q)$  (or **query impact**):

$$s_q(d) = \sum_{t \in q} s_t(q, d) = \frac{1}{W_d} \sum_{t \in q} w_t(q) w_t(d)$$

• They proposed to facilitate effective query pruning by sorting the posting lists in **decreasing** order of **(document) impact**, i.e., to process queries on an impact-sorted index.

# Impact-based query processing



## **Anytime Ranking**

- [Lin and Trotman, 2015] proposed a linear regression model to **translate a deadline time** on the query processing time **into the number of posting to process**.
- [Mackenzie et al., 2017] proposed to stop after processing a given percentage of the total postings in the query terms' posting lists, on a per-query basis.
- According to their experiments, the fixed threshold may result in reduced effectiveness, as the number of query terms increases, but conversely it gives a very strict control over the tail latency of the queries.

## Why learning?

- How to **choose** term weighting models  $s_t(q, d)$ ?
  - **Different** term weighting **models have different assumptions** about how relevant documents should be retrieved

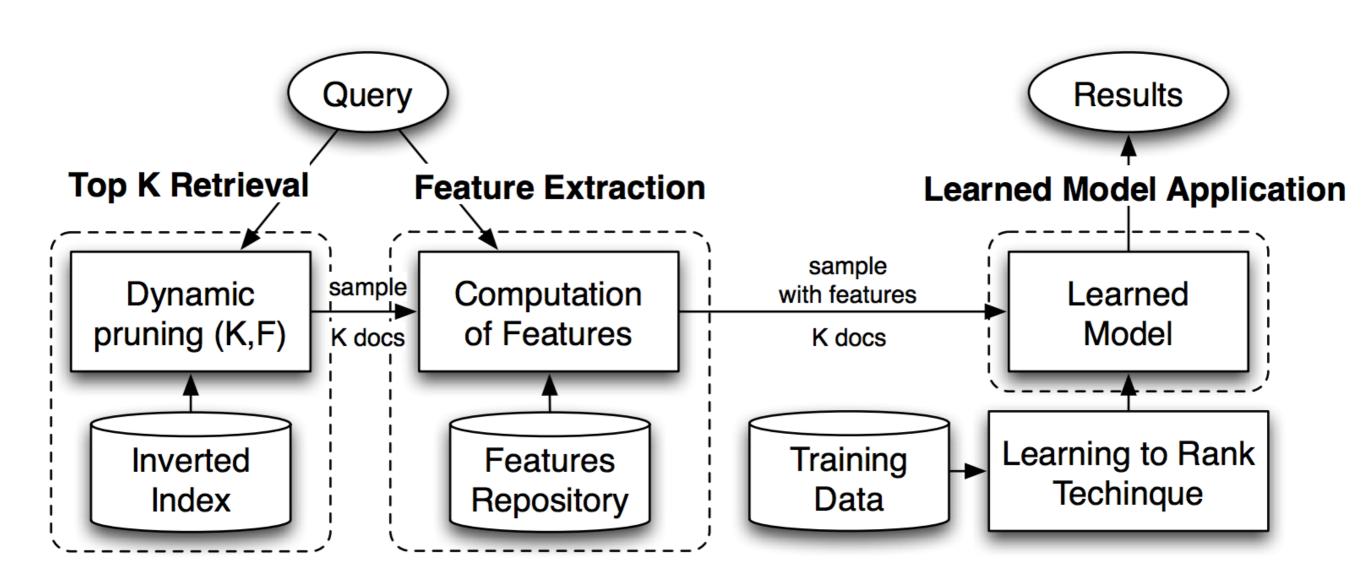
#### Also:

- Field-based models: term occurrences in different fields matter differently
- Proximity models: close co-occurrences matter more
- Neural models: semantic similarity matters
- Priors: documents with particular lengths or URL/inlink values matter more
- Query features: Long queries, difficult queries, query type
- How to combine all these easily and appropriately?

- Application of tailored machine learning techniques to automatically (select and) weight retrieval features
  - Based on training data with relevance assessments

- Learning to rank has been popularised by commercial Web search engines (e.g. Bing, Baidu, Yandex)
  - They require large training datasets
  - Click-through data has facilitated the deployment of learning approaches

## Schematically



training set of queries with ideal document rankings (including irrelevant documents)

$$q_a \to [(d_4, y_{a4}), (d_2, y_{a2}), (d_3, y_{a3}), (d_8, y_{a8}), (d_{41}, y_{a41}), \ldots]$$

$$q_b \rightarrow [(d_{99}, y_{b99}), (d_4, y_{b4}), (d_7, y_{b7}), (d_2, y_{b2}), (d_{11}, y_{b11}), \dots]$$

..

#### Document d<sub>x</sub>

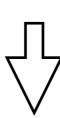
set of real-valued features  $[f_{x0}, f_{x1}, f_{x2}, f_{x3}, f_{x4}, f_{x5}, f_{x6}, ...]$ 

#### Label yxi

five values, from 0 (irrelevant) to 4 (perfectly relevant)

training set of queries with ideal document rankings (including irrelevant documents)

$$\begin{array}{l} q_{a} \rightarrow [(d_{4}, y_{a4}), (d_{2}, y_{a2}), (d_{3}, y_{a3}), (d_{8}, y_{a8}), (d_{41}, y_{a41}), \ldots] \\ q_{b} \rightarrow [(d_{99}, y_{b99}), (d_{4}, y_{b4}), (d_{7}, y_{b7}), (d_{2}, y_{b2}), (d_{11}, y_{b11}), \ldots] \end{array}$$



Document d<sub>x</sub>

set of real-valued features  $[f_{x0}, f_{x1}, f_{x2}, f_{x3}, f_{x4}, f_{x5}, f_{x6}, \dots]$ 

**Machine Learning** 

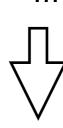
Label yxi

five values, from 0 (irrelevant) to 4 (perfectly relevant)

training set of queries with ideal document rankings (including irrelevant documents)

$$q_a \rightarrow [(d_4, y_{a4}), (d_2, y_{a2}), (d_3, y_{a3}), (d_8, y_{a8}), (d_{41}, y_{a41}), \dots]$$

$$q_b \rightarrow [(d_{99}, y_{b99}), (d_4, y_{b4}), (d_7, y_{b7}), (d_2, y_{b2}), (d_{11}, y_{b11}), \dots]$$





set of real-valued features  $[f_{x0}, f_{x1}, f_{x2}, f_{x3}, f_{x4}, f_{x5}, f_{x6}, \dots]$ 

**Machine Learning** 



Machine Learned Ranking Model

#### Label y<sub>xi</sub>

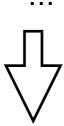
five values, from 0 (irrelevant) to 4 (perfectly relevant)

training set of queries with ideal document rankings (including irrelevant documents)

$$q_a \to [(d_4, y_{a4}), (d_2, y_{a2}), (d_3, y_{a3}), (d_8, y_{a8}), (d_{41}, y_{a41}), \ldots]$$

$$q_b \rightarrow [(d_{99}, y_{b99}), (d_4, y_{b4}), (d_7, y_{b7}), (d_2, y_{b2}), (d_{11}, y_{b11}), ...]$$



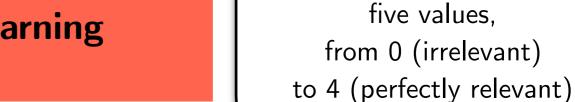


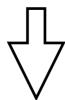


#### Document d<sub>x</sub>

set of real-valued features  $[f_{x0}, f_{x1}, f_{x2}, f_{x3}, f_{x4}, f_{x5}, f_{x6}, \dots]$ 

#### **Machine Learning**





query q documents  $d_1$ ,  $d_2$ ,  $d_3$ , ...

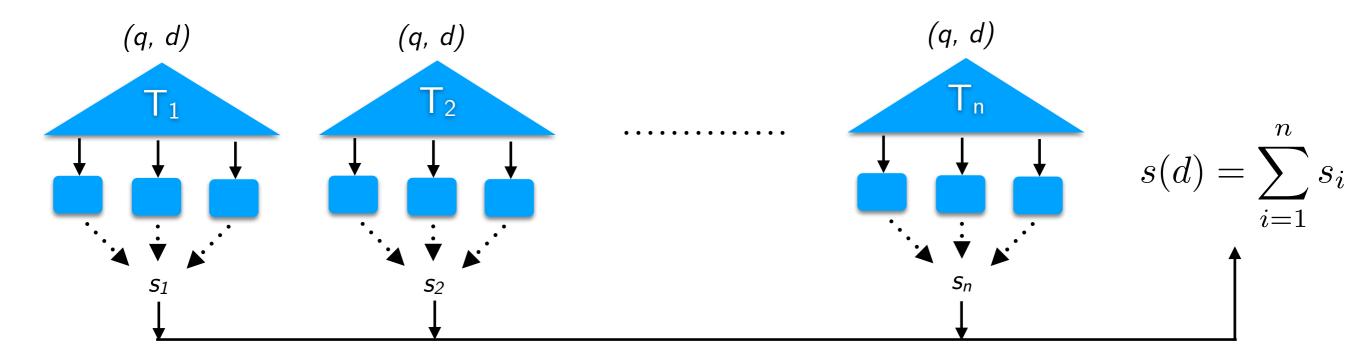
Machine Learned Ranking Model



Label y<sub>xi</sub>

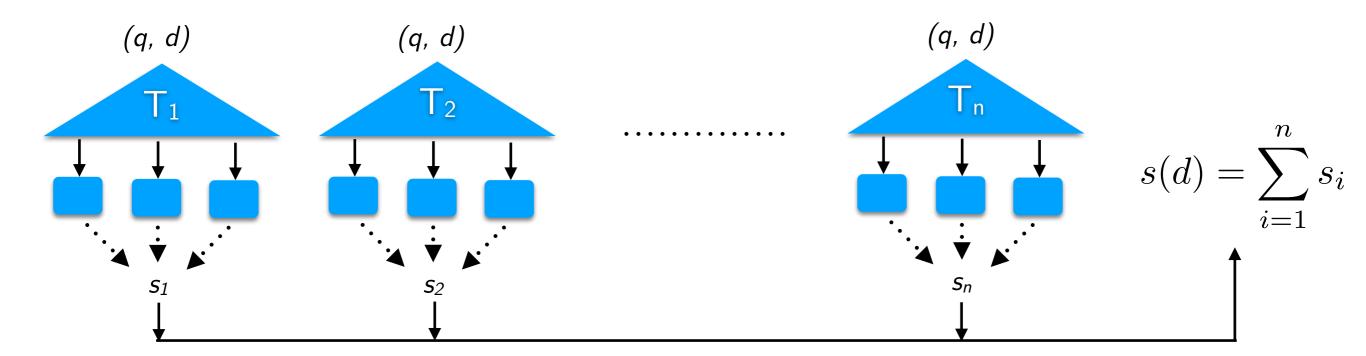
### Learning To Rank with Large Tree Ensembles

- Tree forests: GBRT, Lambda MART, Random Forest, Oblivious Trees, etc.
  - ensemble of weak learners, each contributing a partial score
  - at scoring time, all trees can be processed independently



#### Learning To Rank with Large Tree Ensembles

- Tree forests: GBRT, Lambda MART, Random Forest, Oblivious Trees, etc.
  - ensemble of weak learners, each contributing a partial score
  - at scoring time, all trees can be processed independently

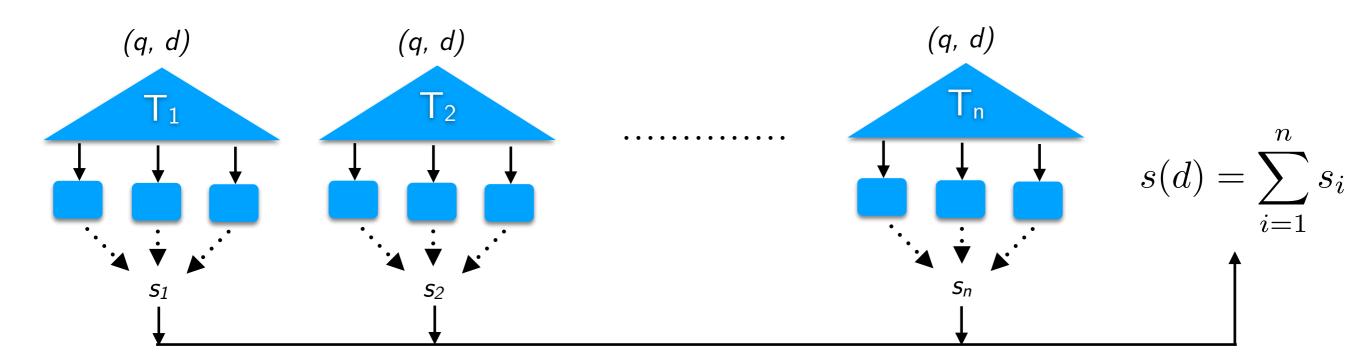


#### Assuming:

- 3,000 trees
- an average tree depth of 10 nodes
- 1,000 documents scored per query
- a cluster with 1,000 search shards

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#### Assuming:

- 3,000 trees
- an average tree depth of 10 nodes
- 1,000 documents scored per query
- a cluster with 1,000 search shards

#### Expensive!

- $3,000 \times 10 = 30$  K tests per document
- 30 K  $\times$  1,000 = 30 M tests per query
- approx. 30 G tests for the entire search cluster

### Quickscorer Recipe

- Avoid processing one tree at a time
  - traverse one feature at a time
- Encode trees as bitvectors
  - reachable vs. unreachable leaves
  - traverse trees using logical bit-wise operations
  - bit-wise operations are commutative
- Adapt processing to the CPU characteristics.
  - avoid random memory lookups → improve cache usage
  - avoid conditional statements → reduce branch mispredictions

#### **Baselines**

- Code Generators
  - If-Then: if  $(x[0] \le 13.4)$  then go left else go right
  - Cond-Op:  $(x[0] \le 13.4)$ ? go left: go right
    - High cache hit rate / High misprediction rate
- Code Optimizations
  - Struct+: pointer-based data structure
    - Low cache hit rate / High misprediction rate
  - VPred
    - Medium cache hit rate / Low misprediction rate
  - Oblivious
    - High cache hit rate / Low misprediction rate

_		Number of trees/dataset							
Method	Λ	1,000			5,000				
		MSN-1	Y!S1	Istella	MSN-1	Y!S1	Istella		
QS		2.2 (-)	4.4 (-)	2.8 (-)	10.1 (-)	14.5 (-)	12.0 (-)		
VPRED		7.8 (3.5x)	8.4 (1.9x)	7.6(2.7x)	39.8 (3.9x)	41.1 (2.8x)	39.3 (3.3x)		
CONDOP	8	6.7 (3.0x)	10.3 (2.3x)	8.0 (2.9x)	67.8 (6.7x)	75.9 (5.2x)	77.0 (6.4x)		
IF-THEN		7.3 (3.3x)	10.1 (2.3x)	9.0(3.2x)	78.2 (7.7x)	84.6 (5.8x)	84.1 (7.0x)		
STRUCT+		21.0 (9.5x)	23.1 (5.3x)	24.9 (8.9x)	98.7 (9.8x)	119.5 (8.2x)	117.9 (9.8x)		
QS		3.1 (-)	6.4 (-)	4.5 (-)	15.9 (-)	21.6 (-)	17.9 (-)		
VPRED		16.0 (5.2x)	16.4 (2.6x)	14.9 (3.3x)	82.0 (5.2x)	82.4 (3.8x)	79.3 (4.4x)		
CONDOP	16	14.1 (4.5x)	17.2 (2.7x)	16.1 (3.6x)	100.0 (6.3x)	110.0 (5.0x)	155.0 (8.7x)		
IF-THEN		18.1 (5.8x)	20.7 (3.2x)	19.6 (4.4x)	128.0 (8.0x)	128.8 (6.0x)	135.5 (7.6x)		
STRUCT+		40.9 (13.2x)	41.6 (6.5x)	44.4 (9.9x)	411.2 (25.9x)	418.6 (19.4x)	407.8 (22.8x)		
QS		5.2 (-)	9.7 (-)	6.8 (-)	26.8 (-)	34.5 (-)	26.9 (-)		
VPRED		31.8 (6.1x)	31.5 (3.2x)	28.1 (4.1x)	164.5 (6.1x)	16 1.6 (4.7x)	157.7 (5.9x)		
CONDOP	32	27.0 (5.2x)	30.3 (3.1x)	30.4 (4.5x)	NA(x)	NA(x)	NA (x)		
IF-THEN		32.2 (6.2x)	34.0 (3.5x)	33.3 (4.9x)	270.5 (10.1x)	256.6 (7.4x)	240.6 (8.9x)		
STRUCT+		69.4 (13.3x)	66.5 (6.9x)	67.8 (10.0x)	861.0 (32.1x)	833.2 (24.2x)	807.9 (x)		
QS		9.4 (-)	<b>15.1</b> (–)	11.2 (–)	<b>57.6</b> (–)	70.2 (–)	<b>57.8</b> (–)		
VPRED		62.2 (6.6x)	57.3 (3.8x)	54.3 (4.8x)	347.2 (6.0x)	333.6 (4.8x)	326.8 (5.7x)		
CONDOP	64	48.6 (5.2x)	48.4 (3.2x)	51.2 (4.6x)	NA (x)	NA(x)	NA (x)		
IF-THEN		54.0 (5.8x)	53.2 (3.5x)	55.0 (4.9x)	901.1 (15.6x)	801.9 (11.4x)	911.2 (15.8x)		
STRUCT+		132.3 (14.1x)	109.5 (7.3x)	112.6 (10.5x)	1485.5 (25.8x)	1498.2 (21.3x)	1487.3 (25.7x)		

		Number of trees/dataset							
Method	Λ		10,000			20,000			
		MSN-1	Y!S1	Istella	MSN-1	Y!S1	Istella		
QS		158.2 (-)	<b>156.3</b> (–)	146.7 (-)	428.1 (-)	335.0 (-)	289.6 (-)		
VPRED		733.2 (4.6x)	704.7 (4.5x)	696.3 (4.7x)	1307.6 (3.0x)	1412.9 (4.2x)	1413.1 (4.9x)		
CONDOP	64	NA(x)	NA(x)	NA (x)	NA (x)	NA(x)	NA (x)		
IF-THEN		2364.3 (14.9x)	2350.5 (15.0x)	2334.8 (15.9x)	4397.1 (10.3x)	4647.2 (13.9x)	4678.8 (16.2x)		
STRUCT+		3014.8 (19.0x)	2894.4 (18.5x)	2942.8 (20.1x)	6794.5 (15.9x)	6923.9 (20.7x)	7586.4 (26.2x)		

		Number of trees/dataset							
Method	Λ	1,000			5,000				
		MSN-1	Y!S1	Istella	MSN-1	Y!S1	Istella		
QS		2.2 (-)	4.4 (-)	2.8 (-)	10.1 (-)	14.5 (-)	12.0 (-)		
VPRED		7.8 (3.5x)	8.4 (1.9x)	7.6(2.7x)	39.8 (3.9x)	41.1 (2.8x)	39.3 (3.3x)		
CONDOP	8	6.7 (3.0x)	10.3 (2.3x)	8.0 (2.9x)	67.8 (6.7x)	75.9 (5.2x)	77.0 (6.4x)		
IF-THEN		7.3 (3.3x)	10.1 (2.3x)	9.0 (3.2x)	78.2 (7.7x)	84.6 (5.8x)	84.1 (7.0x)		
STRUCT+		21.0 (9.5x)	23.1 (5.3x)	24.9 (8.9x)	98.7 (9.8x)	119.5 (8.2x)	117.9 (9.8x)		
QS		3.1 (-)	6.4 (-)	4.5 (-)	15.9 (-)	21.6 (-)	17.9 (-)		
VPRED		16.0 (5.2x)	16.4 (2.6x)	14.9 (3.3x)	82.0 (5.2x)	82.4 (3.8x)	79.3 (4.4x)		
CONDOP	16	14.1 (4.5x)	17.2 (2.7x)	16.1 (3.6x)	100.0 (6.3x)	110.0 (5.0x)	155.0 (8.7x)		
IF-THEN		18.1 (5.8x)	20.7 (3.2x)	19.6 (4.4x)	128.0 (8.0x)	128.8 (6.0x)	135.5 (7.6x)		
STRUCT+		40.9 (13.2x)	41.6 (6.5x)	44.4 (9.9x)	411.2 (25.9x)	418.6 (19.4x)	407.8 (22.8x)		
QS		5.2 (-)	9.7 (-)	6.8 (-)	26.8 (-)	34.5 (-)	26.9 (-)		
VPRED		31.8 (6.1x)	31.5 (3.2x)	28.1 (4.1x)	164.5 (6.1x)	16 1.6 (4.7x)	157.7 (5.9x)		
CONDOP	32	27.0 (5.2x)	30.3 (3.1x)	30.4 (4.5x)	NA (x)	NA(x)	NA (x)		
IF-THEN		32.2 (6.2x)	34.0 (3.5x)	33.3 (4.9x)	270.5 (10.1x)	256.6 (7.4x)	240.6 (8.9x)		
STRUCT+		69.4 (13.3x)	66.5 (6.9x)	67.8 (10.0x)	861.0 (32.1x)	833.2 (24.2x)	807.9 (x)		
QS		9.4 (-)	<b>15.1</b> (–)	11.2 (-)	<b>57.6</b> (–)	70.2 (–)	<b>57.8</b> (–)		
VPRED		62.2 (6.6x)	57.3 (3.8x)	54.3 (4.8x)	347.2 (6.0x)	333.6 (4.8x)	326.8 (5.7x)		
CONDOP	64	48.6 (5.2x)	48.4 (3.2x)	51.2 (4.6x)	NA (x)	NA(x)	NA (x)		
IF-THEN		54.0 (5.8x)	53.2(3.5x)	55.0(4.9x)	901.1 (15.6x)	801.9 (11.4x)	911.2 (15.8x)		
STRUCT+		132.3 (14.1x)	109.5 (7.3x)	112.6 (10.5x)	1485.5 (25.8x)	1498.2 (21.3x)	1487.3 (25.7x)		

		Number of trees/dataset						
Method	Λ		10,000			20,000		
		MSN-1	Y!S1	Istella	MSN-1	Y!S1	Istella	
QS		158.2 (-)	<b>156.3</b> (–)	146.7 (-)	428.1 (-)	335.0 (-)	289.6 (-)	
VPRED		733.2 (4.6x)	704.7 (4.5x)	696.3 (4.7x)	1307.6 (3.0x)	1412.9 (4.2x)	1413.1 (4.9x)	
CONDOP	64	NA(x)	NA(x)	NA (x)	NA (x)	NA(x)	NA (x)	
IF-THEN		2364.3 (14.9x)	2350.5 (15.0x)	2334.8 (15.9x)	4397.1 (10.3x)	4647.2 (13.9x)	4678.8 (16.2x)	
STRUCT+		3014.8 (19.0x)	2894.4 (18.5x)	2942.8 (20.1x)	6794.5 (15.9x)	6923.9 (20.7x)	7586.4 (26.2x)	

		Number of trees/dataset							
Method	Λ		1,000			5,000			
		MSN-1	Y!S1	Istella	MSN-1	Y!S1	Istella		
QS		2.2 (-)	4.4 (-)	2.8 (-)	10.1 (-)	14.5 (-)	12.0 (-)		
VPRED		7.8 (3.5x)	8.4 (1.9x)	7.6(2.7x)	39.8 (3.9x)	41.1 (2.8x)	39.3 (3.3x)		
CONDOP	8	6.7 (3.0x)	10.3 (2.3x)	8.0 (2.9x)	67.8 (6.7x)	75.9 (5.2x)	77.0 (6.4x)		
IF-THEN		7.3 (3.3x)	10.1 (2.3x)	9.0 (3.2x)	78.2 (7.7x)	84.6 (5.8x)	84.1 (7.0x)		
STRUCT+		21.0 (9.5x)	23.1 (5.3x)	24.9 (8.9x)	98.7 (9.8x)	119.5 (8.2x)	117.9 (9.8x)		
QS		3.1 (-)	6.4 (-)	4.5 (-)	15.9 (-)	21.6 (-)	17.9 (-)		
VPRED		16.0 (5.2x)	16.4 (2.6x)	14.9 (3.3x)	82.0 (5.2x)	82.4 (3.8x)	79.3 (4.4x)		
CONDOP	16	14.1 (4.5x)	17.2 (2.7x)	16.1 (3.6x)	100.0 (6.3x)	110.0 (5.0x)	155.0 (8.7x)		
IF-THEN		18.1 (5.8x)	20.7 (3.2x)	19.6 (4.4x)	128.0 (8.0x)	128.8 (6.0x)	135.5 (7.6x)		
STRUCT+		40.9 (13.2x)	41.6 (6.5x)	44.4 (9.9x)	411.2 (25.9x)	418.6 (19.4x)	407.8 (22.8x)		
QS		5.2 (-)	9.7 (-)	6.8 (-)	26.8 (-)	34.5 (-)	26.9 (-)		
VPRED		31.8 (6.1x)	31.5 (3.2x)	28.1 (4.1x)	164.5 (6.1x)	16 1.6 (4.7x)	157.7 (5.9x)		
CONDOP	32	27.0 (5.2x)	30.3 (3.1x)	30.4 (4.5x)	NA (x)	NA(x)	NA(x)		
IF-THEN		32.2 (6.2x)	34.0 (3.5x)	33.3 (4.9x)	270.5 (10.1x)	256.6 (7.4x)	240.6 (8.9x)		
STRUCT+		69.4 (13.3x)	66.5 (6.9x)	67.8 (10.0x)	861.0 (32.1x)	833.2 (24.2x)	807.9 (x)		
QS		9.4 (-)	<b>15.1</b> (–)	11.2 (-)	<b>57.6</b> (–)	<b>70.2</b> (–)	<b>57.8</b> (–)		
VPRED		62.2 (6.6x)	57.3 (3.8x)	54.3 (4.8x)	347.2 (6.0x)	333.6 (4.8x)	326.8 (5.7x)		
CONDOP	64	48.6 (5.2x)	48.4 (3.2x)	51.2 (4.6x)	NA (x)	NA(x)	NA (x)		
IF-THEN		54.0 (5.8x)	53.2 (3.5x)	55.0(4.9x)	901.1 (15.6x)	801.9 (11.4x)	911.2 (15.8x)		
STRUCT+		132.3 (14.1x)	109.5 (7.3x)	112.6 (10.5x)	1485.5 (25.8x)	1498.2 (21.3x)	1487.3 (25.7x)		

		Number of trees/dataset							
Method	Λ		10,000			20,000			
		MSN-1	Y!S1	Istella	MSN-1	Y!S1	Istella		
QS		158.2 (-)	<b>156.3</b> (–)	146.7 (-)	428.1 (-)	335.0 (-)	289.6 (-)		
VPRED		733.2 (4.6x)	704.7 (4.5x)	696.3 (4.7x)	1307.6 (3.0x)	1412.9 (4.2x)	1413.1 (4.9x)		
CONDOP	64	NA(x)	NA(x)	NA (x)	NA (x)	NA(x)	NA (x)		
IF-THEN		2364.3 (14.9x)	2350.5 (15.0x)	2334.8 (15.9x)	4397.1 (10.3x)	4647.2 (13.9x)	4678.8 (16.2x)		
STRUCT+		3014.8 (19.0x)	2894.4 (18.5x)	2942.8 (20.1x)	6794.5 (15.9x)	6923.9 (20.7x)	7586.4 (26.2x)		

		Number of trees/dataset							
Method	Λ	1,000			5,000				
		MSN-1	Y!S1	Istella	MSN-1	Y!S1	Istella		
QS		2.2 (-)	4.4 (-)	2.8 (-)	10.1 (-)	14.5 (-)	12.0 (-)		
VPRED		7.8 (3.5x)	8.4 (1.9x)	7.6(2.7x)	39.8 (3.9x)	41.1 (2.8x)	39.3 (3.3x)		
CONDOP	8	6.7 (3.0x)	10.3 (2.3x)	8.0 (2.9x)	67.8 (6.7x)	75.9 (5.2x)	77.0 (6.4x)		
IF-THEN		7.3 (3.3x)	10.1 (2.3x)	9.0 (3.2x)	78.2 (7.7x)	84.6 (5.8x)	84.1 (7.0x)		
STRUCT+		21.0 (9.5x)	23.1 (5.3x)	24.9 (8.9x)	98.7 (9.8x)	119.5 (8.2x)	117.9 (9.8x)		
QS		3.1 (-)	6.4 (-)	4.5 (-)	15.9 (-)	21.6 (-)	17.9 (-)		
VPRED		16.0 (5.2x)	16.4 (2.6x)	14.9 (3.3x)	82.0 (5.2x)	82.4 (3.8x)	79.3 (4.4x)		
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CONDOP	32	27.0 (5.2x)	30.3 (3.1x)	30.4 (4.5x)	NA (x)	NA(x)	NA (x)		
IF-THEN		32.2 (6.2x)	34.0 (3.5x)	33.3 (4.9x)	270.5 (10.1x)	256.6 (7.4x)	240.6 (8.9x)		
STRUCT+		69.4 (13.3x)	66.5 (6.9x)	67.8 (10.0x)	861.0 (32.1x)	833.2 (24.2x)	807.9 (x)		
QS		9.4 (-)	<b>15.1</b> (–)	11.2 (-)	<b>57.6</b> (–)	<b>70.2</b> (–)	<b>57.8</b> (–)		
VPRED		62.2 (6.6x)	57.3 (3.8x)	54.3 (4.8x)	347.2 (6.0x)	333.6 (4.8x)	326.8 (5.7x)		
CONDOP	64	48.6 (5.2x)	48.4 (3.2x)	51.2 (4.6x)	NA (x)	NA(x)	NA (x)		
IF-THEN		54.0 (5.8x)	53.2 (3.5x)	55.0 (4.9x)	901.1 (15.6x)	801.9 (11.4x)	911.2 (15.8x)		
STRUCT+		132.3 (14.1x)	109.5 (7.3x)	112.6 (10.5x)	1485.5 (25.8x)	1498.2 (21.3x)	1487.3 (25.7x)		

		Number of trees/dataset							
Method	Λ	10,000				20,000			
		MSN-1	Y!S1	Istella	MSN-1	Y!S1	Istella		
QS		158.2 (-)	<b>156.3</b> (–)	146.7 (-)	428.1 (-)	335.0 (-)	289.6 (-)		
$\mathbf{VPRED}$		733.2 (4.6x)	704.7 (4.5x)	696.3 (4.7x)	1307.6 (3.0x)	1412.9 (4.2x)	1413.1 (4.9x)		
CONDOP	64	NA(x)	NA(x)	NA (x)	NA (x)	NA(x)	NA (x)		
IF-THEN		2364.3 (14.9x)	2350.5 (15.0x)	2334.8 (15.9x)	4397.1 (10.3x)	4647.2 (13.9x)	4678.8 (16.2x)		
STRUCT+		3014.8 (19.0x)	2894.4 (18.5x)	2942.8 (20.1x)	6794.5 (15.9x)	6923.9 (20.7x)	7586.4 (26.2x)		

		Number of trees/dataset							
Method	Λ	1,000			5,000				
		MSN-1	Y!S1	Istella	MSN-1	Y!S1	Istella		
QS		2.2 (-)	4.4 (-)	2.8 (-)	10.1 (-)	14.5 (-)	12.0 (-)		
VPRED		7.8 (3.5x)	8.4 (1.9x)	7.6(2.7x)	39.8 (3.9x)	41.1 (2.8x)	39.3 (3.3x)		
CONDOP	8	6.7 (3.0x)	10.3 (2.3x)	8.0 (2.9x)	67.8 (6.7x)	75.9 (5.2x)	77.0 (6.4x)		
IF-THEN		7.3 (3.3x)	10.1 (2.3x)	9.0 (3.2x)	78.2 (7.7x)	84.6 (5.8x)	84.1 (7.0x)		
STRUCT+		21.0 (9.5x)	23.1 (5.3x)	24.9 (8.9x)	98.7 (9.8x)	119.5 (8.2x)	117.9 (9.8x)		
QS		3.1 (-)	6.4 (-)	4.5 (-)	15.9 (-)	21.6 (-)	17.9 (-)		
VPRED		16.0 (5.2x)	16.4 (2.6x)	14.9 (3.3x)	82.0 (5.2x)	82.4 (3.8x)	79.3 (4.4x)		
CONDOP	16	14.1 (4.5x)	17.2 (2.7x)	16.1 (3.6x)	100.0 (6.3x)	110.0 (5.0x)	155.0 (8.7x)		
IF-THEN		18.1 (5.8x)	20.7 (3.2x)	19.6 (4.4x)	128.0 (8.0x)	128.8 (6.0x)	135.5 (7.6x)		
STRUCT+		40.9 (13.2x)	41.6 (6.5x)	44.4 (9.9x)	411.2 (25.9x)	418.6 (19.4x)	407.8 (22.8x)		
QS		5.2 (-)	9.7 (-)	6.8 (-)	26.8 (-)	34.5 (-)	26.9 (-)		
VPRED		31.8 (6.1x)	31.5 (3.2x)	28.1 (4.1x)	164.5 (6.1x)	16 1.6 (4.7x)	157.7 (5.9x)		
CONDOP	32	27.0 (5.2x)	30.3 (3.1x)	30.4 (4.5x)	NA(x)	NA(x)	NA (x)		
IF-THEN		32.2 (6.2x)	34.0 (3.5x)	33.3 (4.9x)	270.5 (10.1x)	256.6 (7.4x)	240.6 (8.9x)		
STRUCT+		69.4 (13.3x)	66.5 (6.9x)	67.8 (10.0x)	861.0 (32.1x)	833.2 (24.2x)	807.9 (x)		
QS		9.4 (-)	<b>15.1</b> (–)	11.2 (–)	<b>57.6</b> (–)	70.2 (–)	<b>57.8</b> (–)		
VPRED		62.2 (6.6x)	57.3 (3.8x)	54.3 (4.8x)	347.2 (6.0x)	333.6 (4.8x)	326.8 (5.7x)		
CONDOP	64	48.6 (5.2x)	48.4 (3.2x)	51.2 (4.6x)	NA(x)	NA(x)	NA (x)		
IF-THEN		54.0 (5.8x)	53.2 (3.5x)	55.0 (4.9x)	901.1 (15.6x)	801.9 (11.4x)	911.2 (15.8x)		
STRUCT+		132.3 (14.1x)	109.5 (7.3x)	112.6 (10.5x)	1485.5 (25.8x)	1498.2 (21.3x)	1487.3 (25.7x)		

		Number of trees/dataset							
Method	Λ		10,000			20,000			
		MSN-1	Y!S1	Istella	MSN-1	Y!S1	Istella		
QS		158.2 (-)	<b>156.3</b> (–)	146.7 (-)	428.1 (-)	335.0 (-)	289.6 (-)		
VPRED		733.2 (4.6x)	704.7 (4.5x)	696.3 (4.7x)	1307.6 (3.0x)	1412.9 (4.2x)	1413.1 (4.9x)		
CONDOP	64	NA(x)	NA(x)	NA (x)	NA (x)	NA(x)	NA (x)		
IF-THEN		2364.3 (14.9x)	2350.5 (15.0x)	2334.8 (15.9x)	4397.1 (10.3x)	4647.2 (13.9x)	4678.8 (16.2x)		
STRUCT+		3014.8 (19.0x)	2894.4 (18.5x)	2942.8 (20.1x)	6794.5 (15.9x)	6923.9 (20.7x)	7586.4 (26.2x)		

#### Resources

- Terrier (http://www.terrier.org)
  - Java, highly flexible, efficient, and effective open source search engine
- Galago (http://sourceforge.net/projects/lemur)
  - Java, toolkit for experimenting with text search
- Indri (https://www.lemurproject.org/indri/)
  - C++, new search engine from the Lemur project
- Lucene (https://lucene.apache.org)
  - Java, indexing and search technology
- Anserini (https://github.com/castorini/anserini)
  - Java, open-source information retrieval toolkit built on Lucene
- ds2i (https://github.com/ot/ds2i)
  - C++, library of data structures to represent the integer sequences used in inverted indexes
- ATIRE (http://atire.org/)
  - C++, fast and accurate search engine
- JASS (https://codedocs.xyz/andrewtrotman/JASSv2/)
  - C++, experimental search engine

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# **Efficient Query Processing** for Scalable Web Search

Nicola Tonellotto, Craig Macdonald and ladh Ounis



the essence of knowledge



# Scalability Challenges in Web Search Engines

B. Barla Cambazoglu Ricardo Baeza-Yates

Synthesis Lectures on Information Concepts, Retrieval, and Services

Gary Marchionini, Series Editor

# Thanks for your attention!