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(Knishna Rothi F-62)
Ques 1) Write linear search pseudocade to search an element in a souted array with minimum
 Jose (i = o ton)
             if (avoici] = = value)

2 // element found
 Dues2) Write pseudo code for iterative and recursive
         Enserten sout. Inserten sout is called online souting. Why? What about other sorting algorithms that has been discussed in lectures?
  Ans) vord insertionsoud (int AII, Ent n)
              for(int i=1; ixn; i++)
                    X = A [i];
                     whole (j)-1 && A[j]>x)
                          A [j+1] = A[j]
                  A[j+1]=x;
       Recurstue
         void insertion so out (int arr []; int n)
               insertion sood (arr, n-1);
              int last = arr [n-1];
              int 1 = n - 9;
              while (j>= 0 && arr[j] > last)
          { arr[j+1] = arr[j];
}
arr[j+1]=ilast;
```

Insertion sout is called online sout because it does not need to know anything about what values it will sort and the information is sequested WHILE the algorithm is Hunning

other Sorting algorithm:

· Bubble Sooit

· Quick Soot

· Merge Sood

· Selection Sout

· Heap Soort

Ques 3) Completity of all the souting algorithm that has been d'scussed in lectures.

	Best	Worst	Average	
Selection Soort	0(n ¹²)	O(n2)	O(n^2)	
Bubble Sout	O(n)	O(n2)	O(n2)	
Insertion Sout	(n)	0(12)	O(n2)	
Heap Soort	O(nlogn)	Ohlogn)	O(nlogn)	
Quick Soft	O(nlogn)	$O(n^2)$	O(nlogn).	
Merge Sout	O(nlogn)	O(nlogn)	0(nlogn)	

Duest) Divide all the sosting algorithms into implace / stable /

Ans)	Implace sosting	Stable sorting	Online Sorting
	Bubble	Merge Sout	Insertion
	Selection Insertion	Bubble Insertion	
	Quick Swet	Count	
	Heap Sout		

```
is the Time and Space Complexity of Linear and Binary Search (Recursive 4 Iterative)
    int binary Search ( Int aur [], int l, int st, Int key)
     & whole (l<=91)
             int m = ((l+91)/2);
             if Larr [m] = = key)
              , Hetuen m;
            else of (key ass [m]
                9=m-1°
            4 l= m+1;
           Heturn -1;
Recursive
    int binney Search (int araC], int I, int &, int key)
       2 vohrle (l<=n)
            2 int m= ((l+x)/2);
              if (key = = arr [m])
              return m;
      else if ( key ( arr [m])
         retwen binary Search (arr, l, mid-1, key);
        retwen binary Search (arr, mid +1, or, key);
     return -1;
   Time Complexity
    Linear Search - O(n)
    Binary Search - O(logn)
```

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(es6) Worte recurrence
                            relation for binary recursive search.
cons). T(n) = T(n/2) +1
                             -0
       T(n/2)= T(n/4)+1
                              -(2)
       T(n/4) = T(n/8)+1 -(3)
       T(n) = T(n/2)+1
             =) T (n/4)+1+1 (from eq^22)
             =) T(n/8)+1+1+1 (from eqn3)
               T(n/2k)+1(k +imes)
        Let 2k = n T(n)= T(n/n) + logn
              K = logn T(n) = T(1) + logn
            T(n) = 0 (logn)
Duest) Find two indexes such that ACIJ+ACiJ-k in minimum time complexity
 vans) foor(int i= 0; ixm;i++)
         for (int j=0; j<m; j++)
             if a [i] + a [j] = = k)
         3 Pounts ("1.d",1.d",i,j);
 Ques 8) Which sooting is best for practical uses? Emplain.
 Ons) Ouicksout is the fastest general purpose sort. In most pratical
        spruations quicksout is the method of choice. If stability is impartant and space is available, merge south might be best.
 Oues 9) What do you mean by number of inversion on an array? count the number of inversions on Array arr (] = {7,21,31,8,10,1,20,6,4,53 using merge sort.
 ans) A Par (A[i], A[i]) is said to be inversion
       · Potal no of inversion in given array ane
            31 using Merge Soort.
```

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(es 10) In which cases Quick Sout were given the best and worst case time complexity?
Ans) Worst Case (O(n2)) - The worst case occurs when the picked pivot is always an extreme (smallest our large) element. This
     happens when input array is sorted on neverse sorted and
       either first on last element is picked as pivot.
     Best Case (Ochdogn)) - The best case occurs when we will select
       pivot element as mean element.
Dues 11) Wourse Recurrence relation of Merge and Duick Sout in best and worst case? What are the similarities and differences between complexities of two algorithm and why?
 Ans) Merge Sout -
                                                            O(nlogn)
            Best Case - T(n)=2T.(n/2)+0(n)
            Morst Case - T(n)=2T (n/2)+0(n)
           Best Case - T(n) = 2T(n/2) + O(n) \rightarrow O(n\log n)
        Duck Soort
            Worst Case - T(n)= T(n-1)+0(n) -> 0(n2)
       In Quick Sout the array of elements is divided into parts supereatedly until it is not possible to divide it further.
         It is not necessary to d'orde half.
       In Merge Soot the elements are split into two sub-array (n/2) again and again while only one element is left.
 Que 12) Selection Soot is not stable by default but conjou write a version of stable selection.
 Ans) for (int i=0 ; ix n-1; i++)
             2 int min=1;
               for (int j= i+1; j'(m; j++)
                  2 sf (a[min] sa[j])
                   q min=J;
              int key = a [min];
whole (min>i)
                  lacmin ] = a [min-j];
```

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(es13) Bubble sout scans array even when array is souted. On
     You modify the bubble sort so that it doesnot san the whole array once it is sorted.
after a flag that is let if & enchange is made
     after an entire par over the array.
     If no exchange is made, then It shared be class
     the array is already onder because no two
     elements need to be surtched. In that case sould is
     vord bubble (int acj; int n)
        for (int i=0; ikn; i+t)
              int swaps = 0;
             for (int j=0;j<n-i-j;j++)
                2 if (aliJ) a li+1])
                      int + = a [i];
                     a [j] = a [j+1];
                     a[j+1] = t;
                    swaps ++;
             if (swaps = =0)
              break;
```