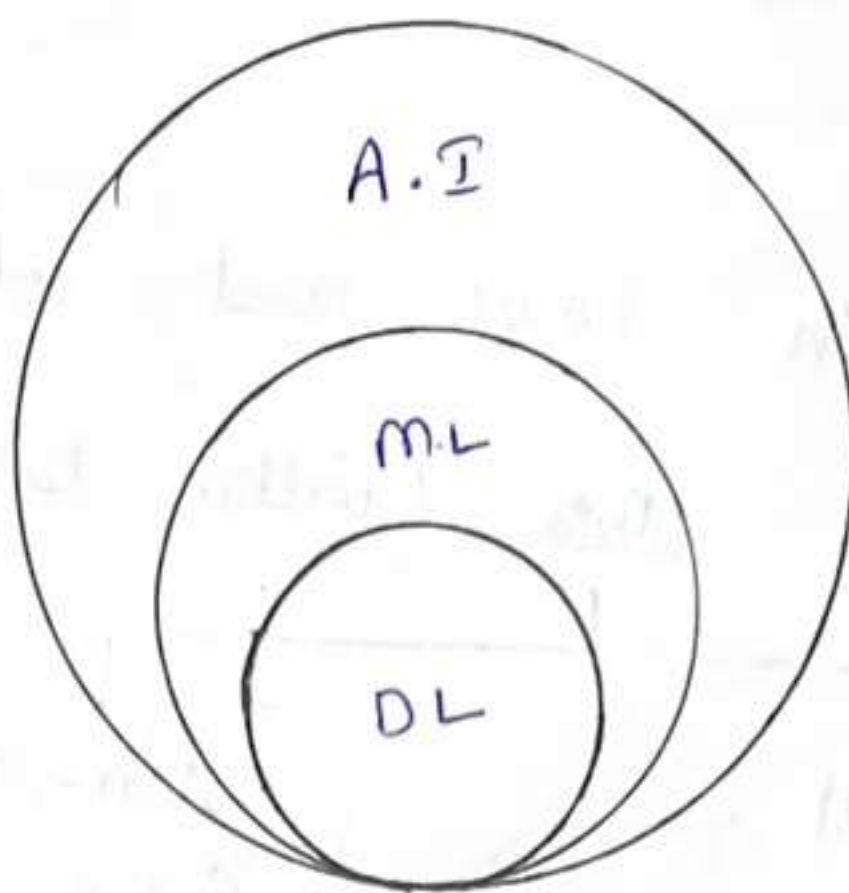


3/08/2015

Machine Learning

Introduction

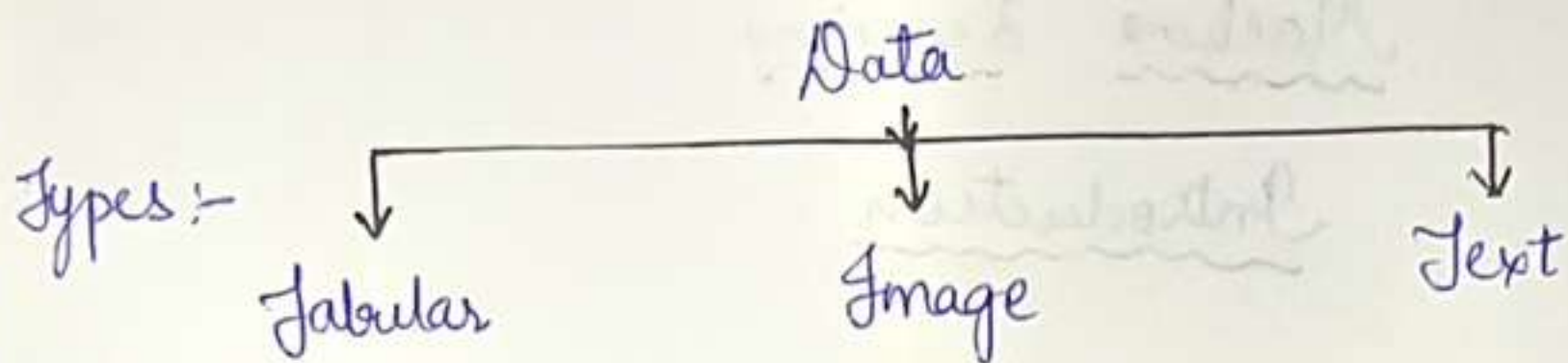


AI (Artificial Intelligence) → which mimics human intelligence

ML (Machine Learning) → which is a subset of A.I. . Learns from historical data to do some tasks.

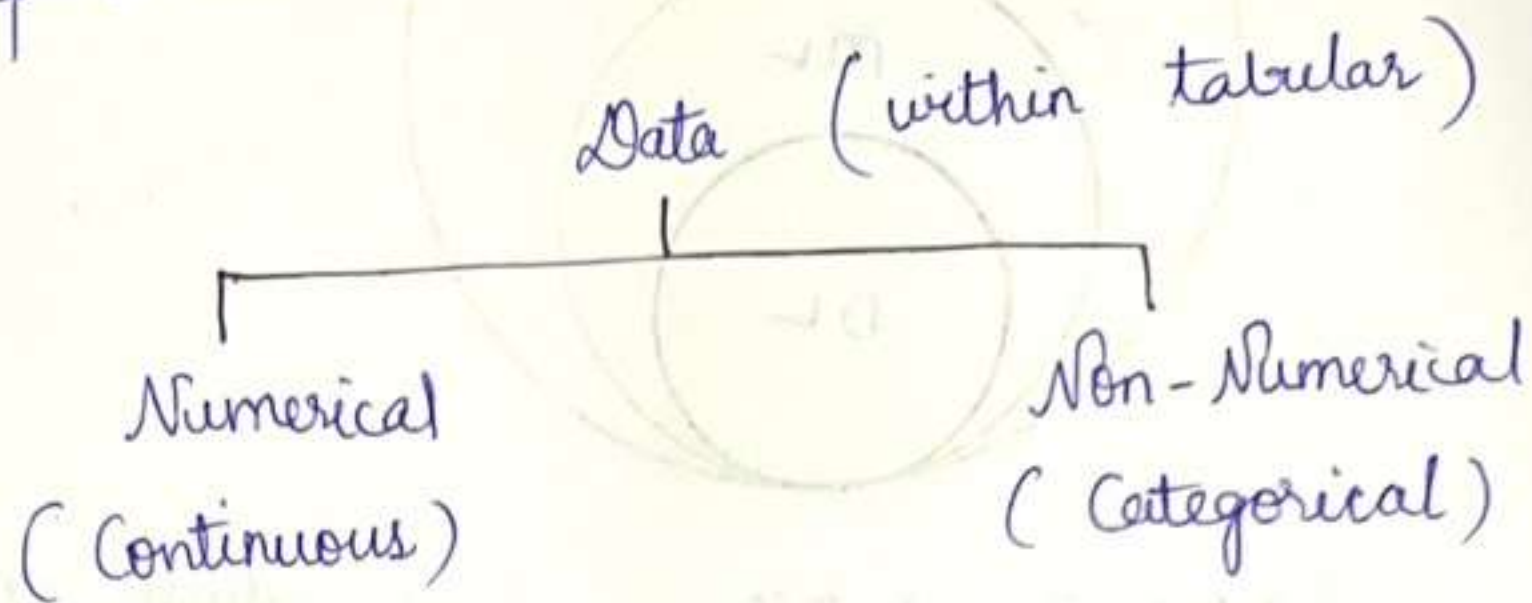
DL (Deep Learning) → subset of M.L. . Deals with complex algorithms for complex tasks.

The tasks which we are to perform are directly related to the data which we have in hand.

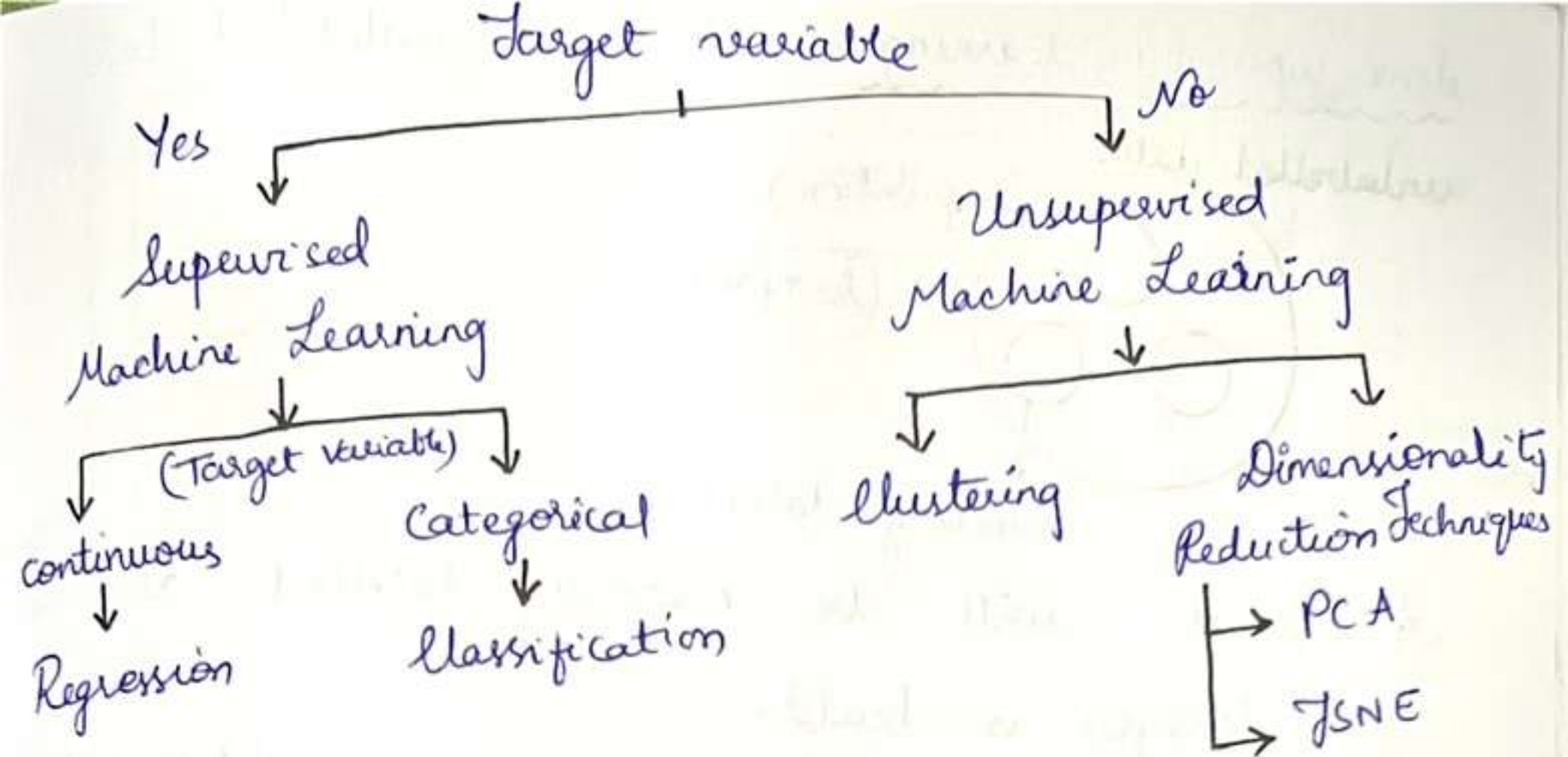


Tabular Data:-

Represented in rows and columns.



- In the tabular data, we have independent variables, also known as the input variables, and the target variable, known as the output variable. (dependent variable).
- In some cases, the Target variable is not mentioned (or) not present.
- We have different approaches (or) learning techniques depending on availability of target variable.
- If the Target variable is present / specified we call it as a 'labelled data'.
- If the Target variable is not present / not specified, we call it as an 'unlabelled data'.



Our intuition will always be that the ML Model has to learn the 'pattern' of the data.

The entire row in the tabular data is referred as 'record'.

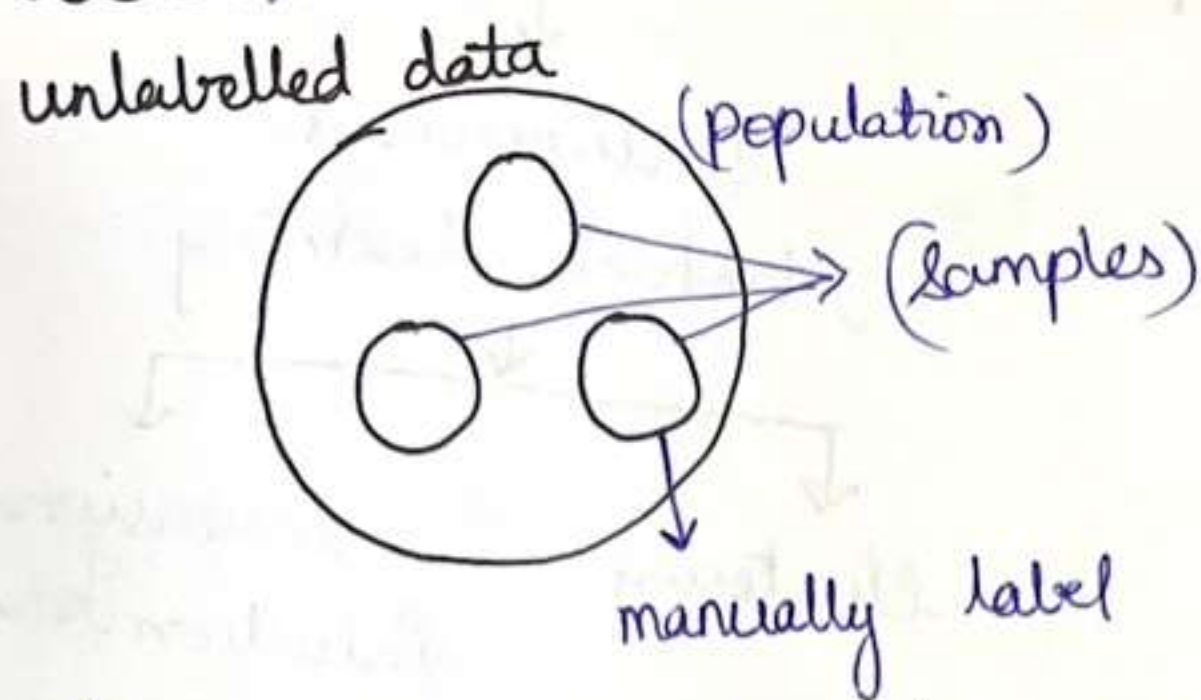
Dimensionality Reduction Techniques :-

Each feature variable is considered as a dimension.

More dimensions \Rightarrow Slow learning / No learning.

Apart from Supervised and Unsupervised ML, we also have Semi-supervised ML and Reinforcement Learning.

Semi-supervised learning :- We have unlabelled data



A sample will be manually labelled and the classifier is build.

And then using this classifier and labelled data we perform semi-supervised learning.

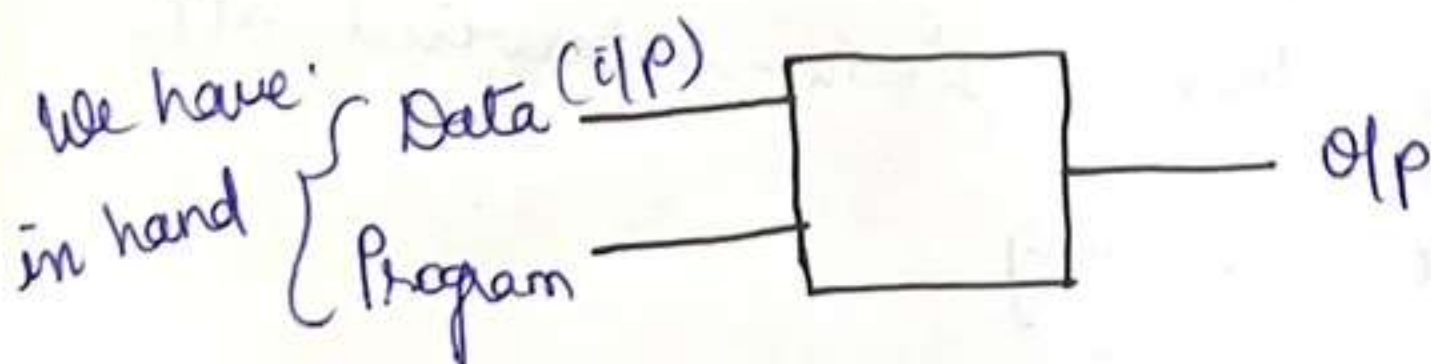
Reinforcement Learning :-

Happens based on Rewarding system. The rewards are based on the achievement of task or not.

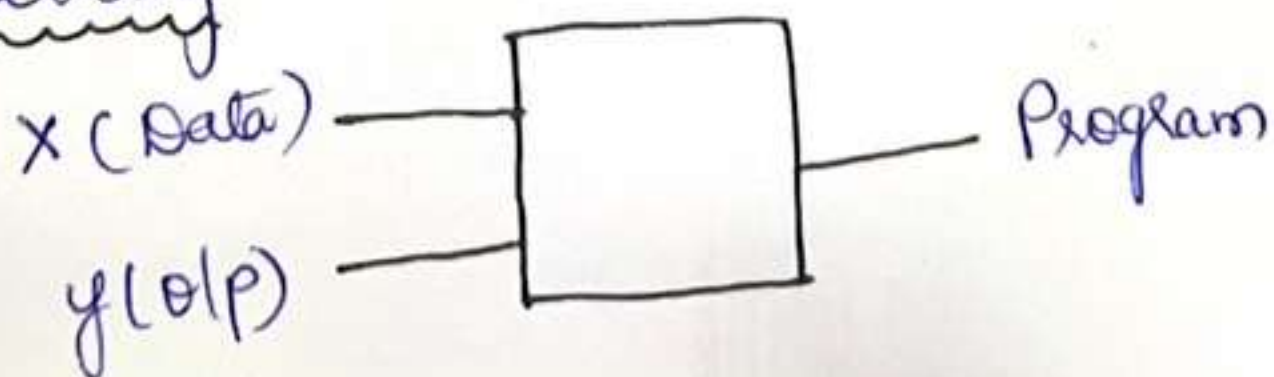
* We will not delve into semi-supervised and reinforcement learning in the due of the course *

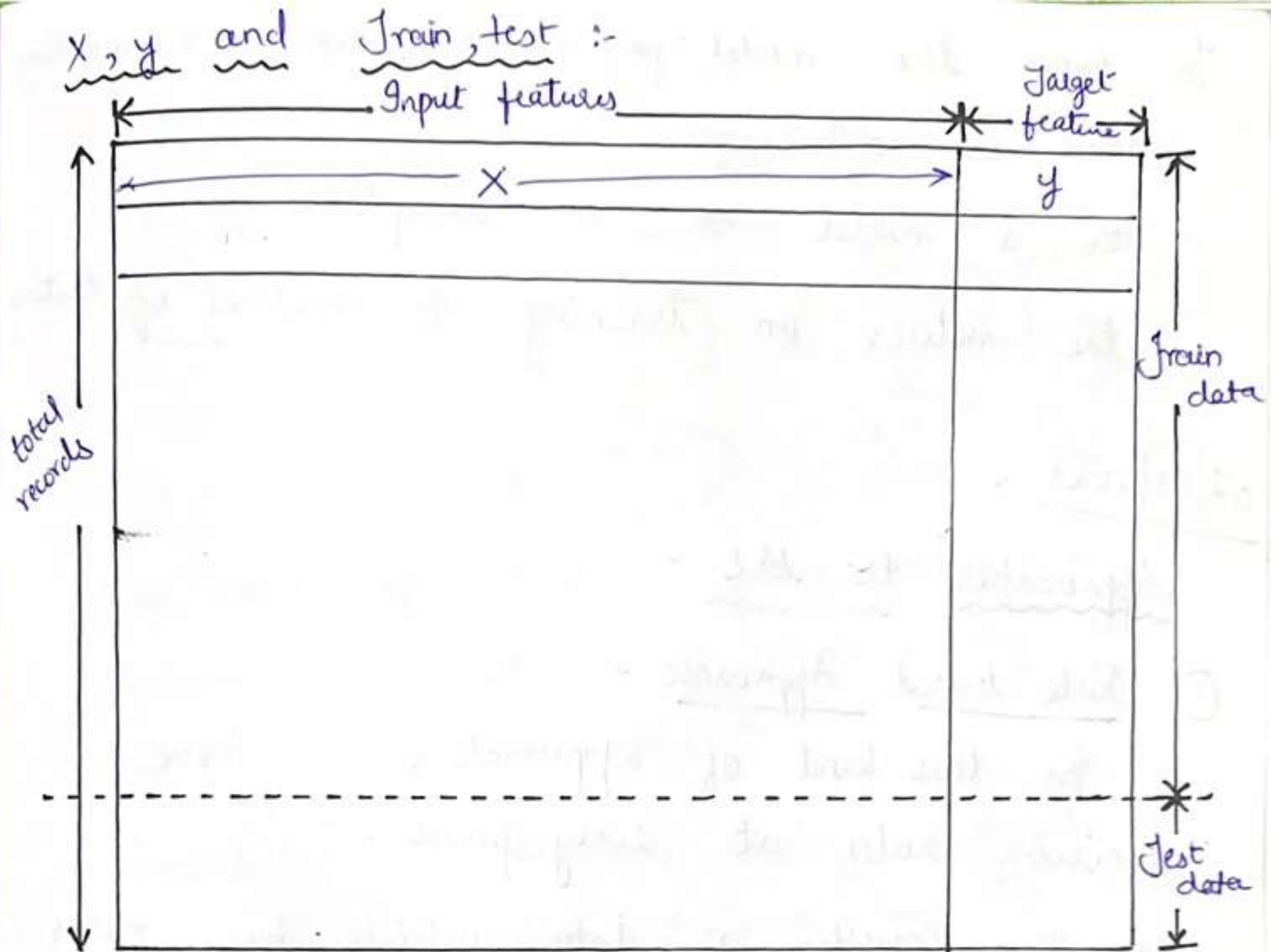
4/08/2023

Traditional programming :-



Machine learning :-





In general, the complete data is splitted into train and test by 80 : 20 ratio. If the target is categorical, then in the test data further we do a 15% and 5% split for testing and validation purposes. Also, we go for stratified splitting preferably for categorical target variable.

If any new datapoint is introduced to the model, where it doesn't follow the characteristics of training data, then the model can misclassify the datapoint. What the model learns during the training are called as 'parameters'.

To know the model performance, we have something called as metrics.

For a model to be acceptable \rightarrow

the metrics on training \approx metrics of testing.

07/08/2023

Approaches to ML :-

① Rule-based Approach :-

In this kind of approach, we have decision rules at every point.

Example:- Consider a data which has marks related to Math, Physics and Chemistry subjects, we need to predict the result whether Fail / First class with Distinction / First class / Second class

There are certain assumptions that can be made. Like -

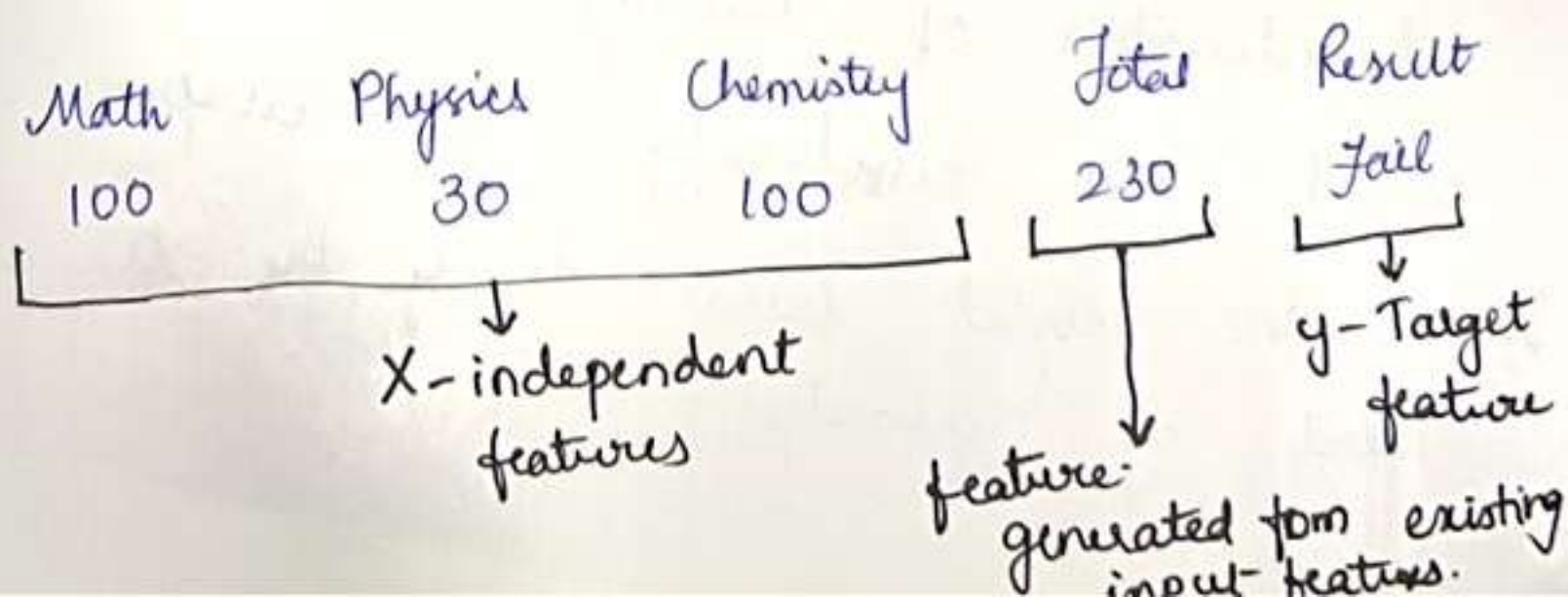
$\geq 32 \rightarrow$ Pass, $< 32 \rightarrow$ Fail

$\geq 80\% \rightarrow$ FCD

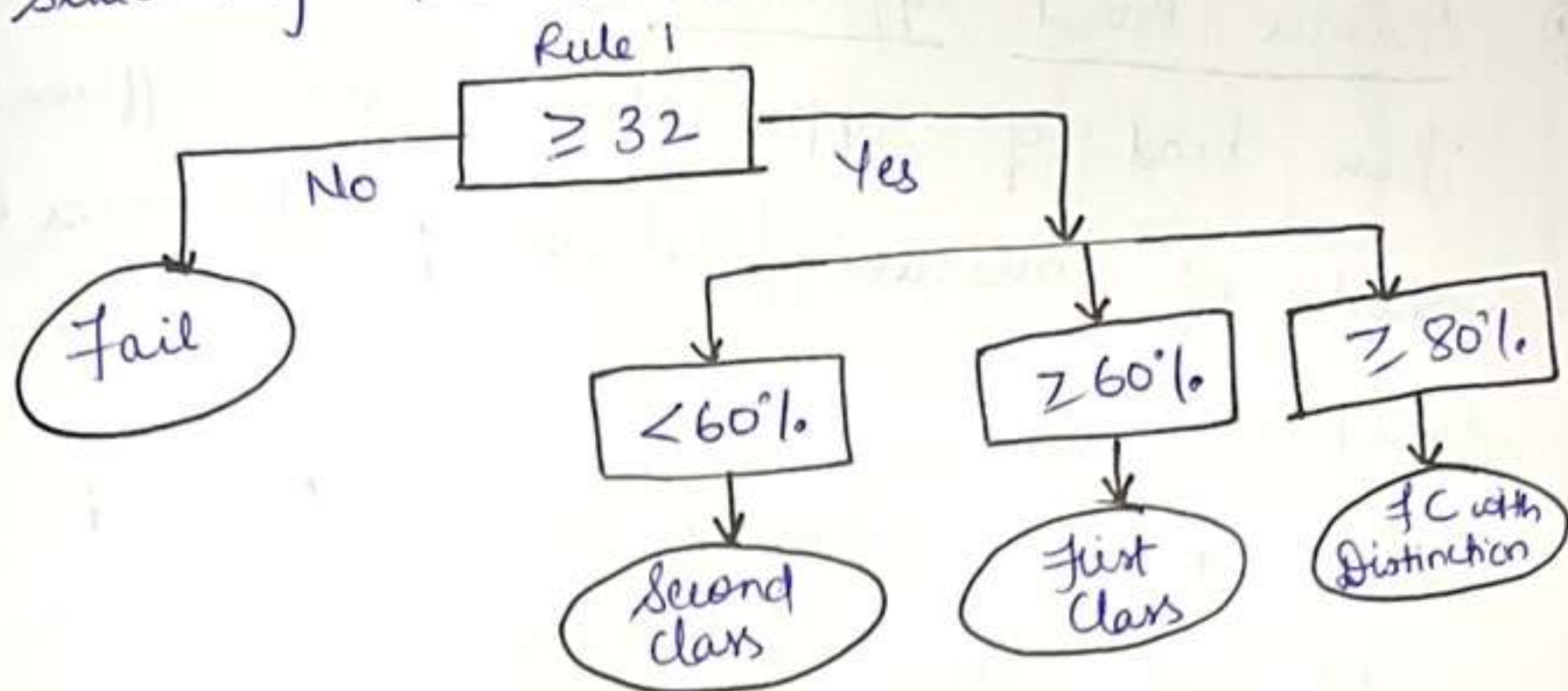
$\geq 60\% \rightarrow$ FC

$\geq 40\% \rightarrow$ SC

$< 40\% \rightarrow$ Fail



Structuring the rules -



This kind of structure where there are decision rules at every point / every layer is called "Decision trees".

Sometimes, it becomes highly difficult to use all the input features, as the algorithm can become highly complex.

In such situations, we do something called as feature engineering, where we create / generate a new feature from existing features.

This helps in reducing complexity of the algorithm and also results in higher accuracy of the model.

From decision trees, we go down to other rule-based approaches like-

Random Forests (multiple decision trees)

and

Ensemble methods

② Distance - Based Approaches :-

These kind of approaches uses different methods of measuring / calculating distances between data points.

When a new datapoint is introduced to the model, it checks how close is the point to certain group or other datapoints.

The different types of distances are-

- Minkowski
- Euclidean
- Manhattan

Using Minkowski distance and altering the p-value we can calculate the other dimensions as well.

Steps involved in distance-based approach are:-

- 1- Calculate the distance between given data point from the other datapoints in the dataset.
- 2- Sort the calculated distances in ascending order.
- 3- (For classification tasks) - from the sorted distances, find the k^{th} nearest neighbours and classify the target of the data point based on the label of the high frequency of those neighbours.
- (for regression tasks) - take the mean of the k^{th} nearest neighbours and assign it to

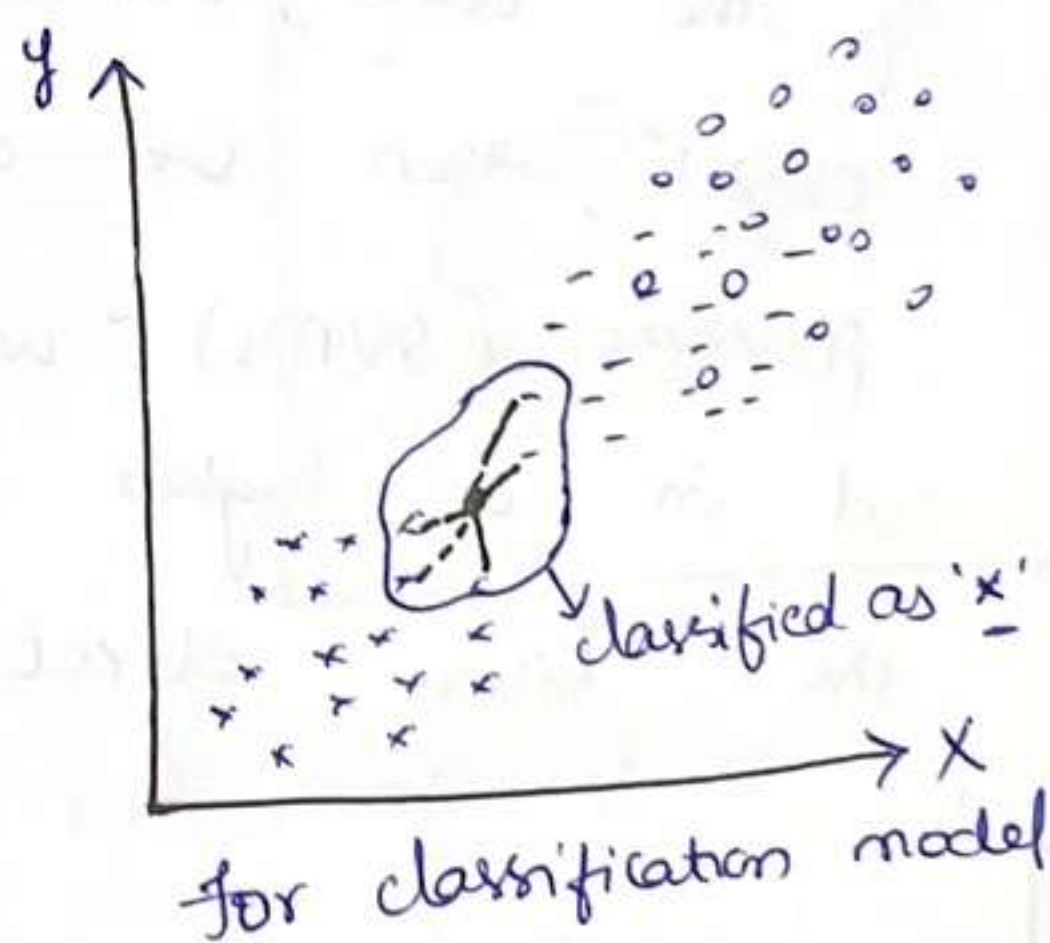
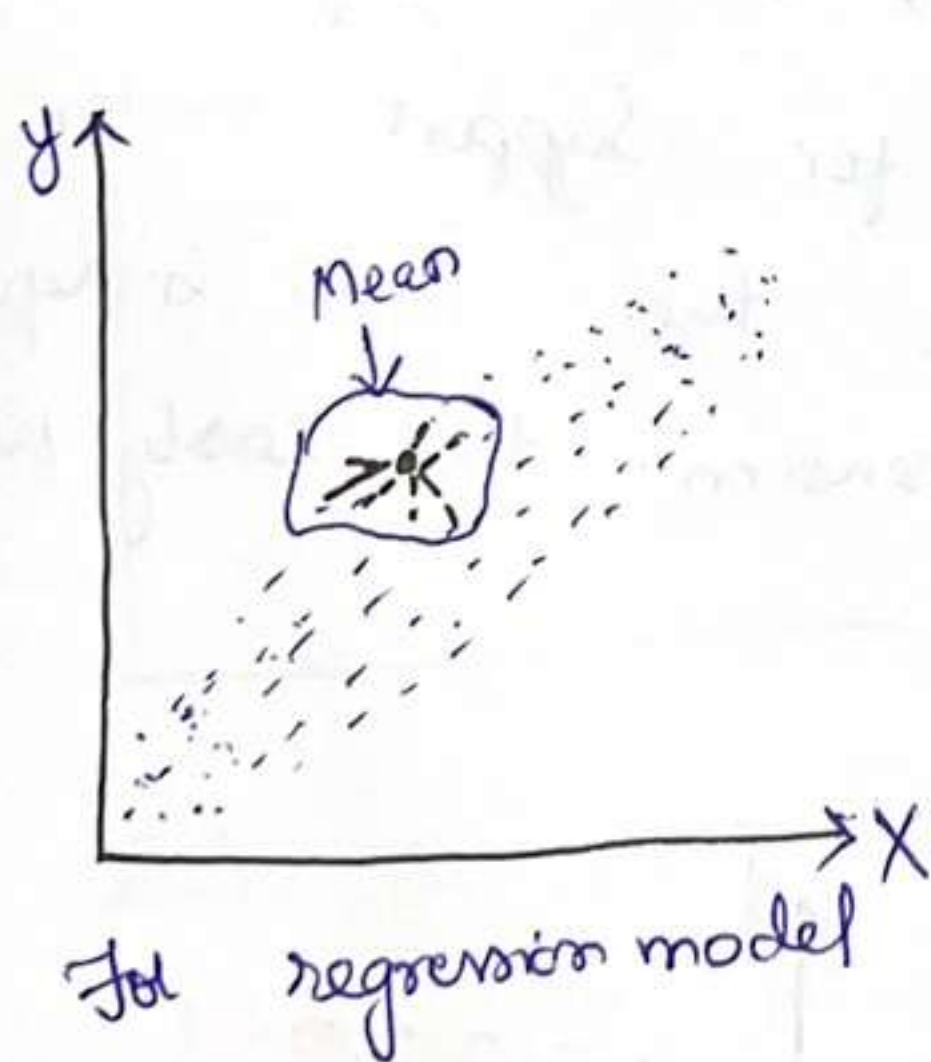
the target.

The best number of neighbours we could select is \sqrt{n} rounded to the nearest odd number.

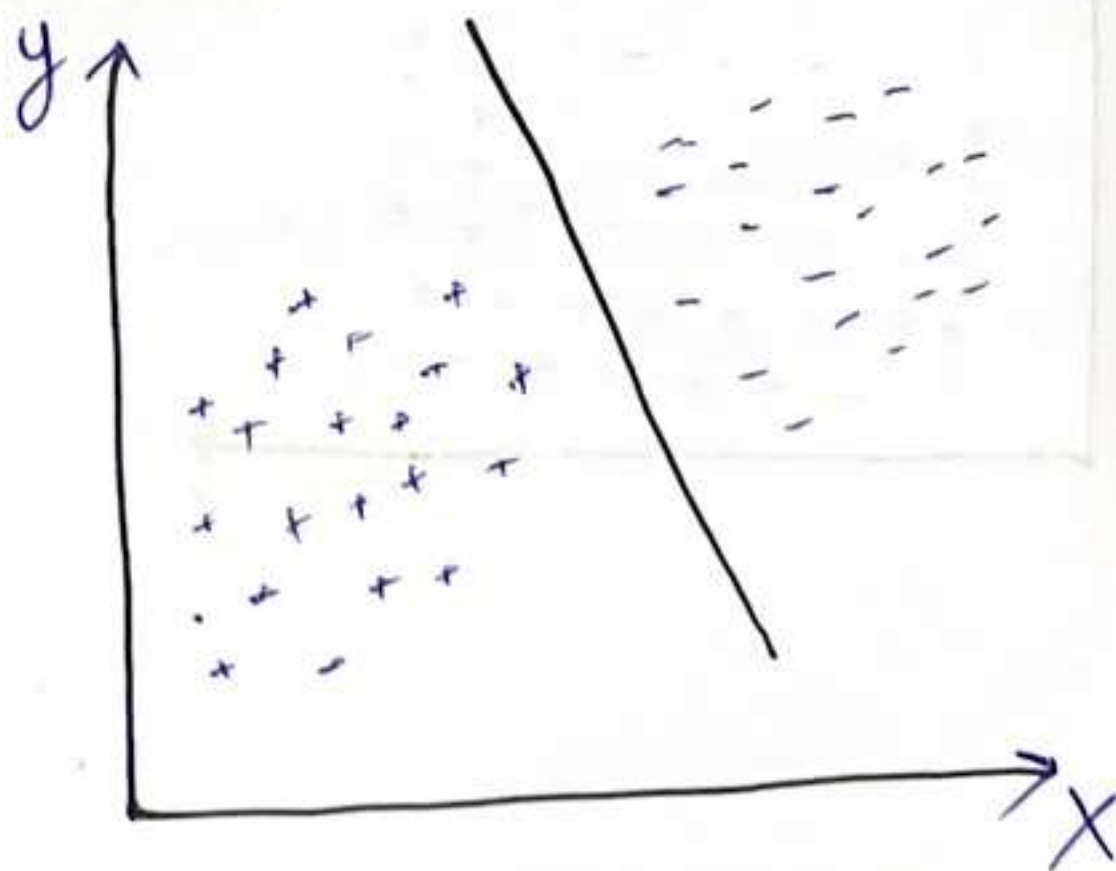
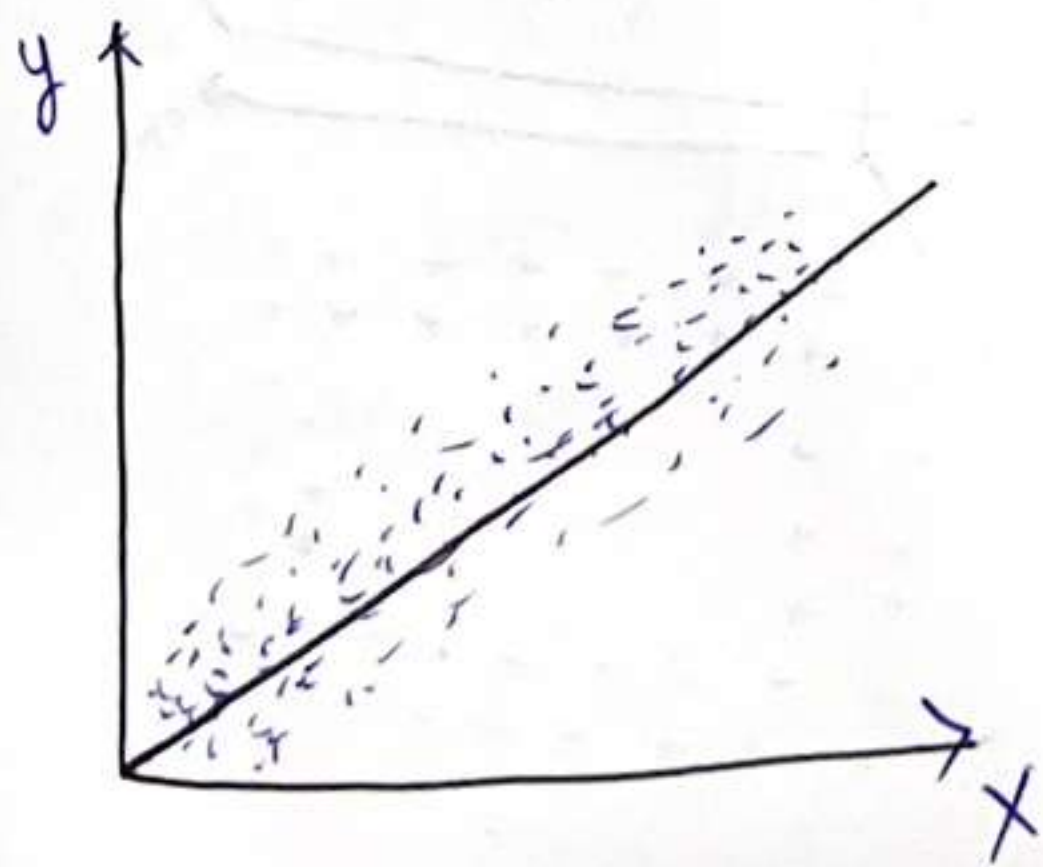
($n \rightarrow$ sample count from the training data).

If \sqrt{n} is even and there is a equal division of the classes, then the target might be misclassified.

And when \sqrt{n} is odd, there is a pretty bit chance that one class frequency is higher than the other.



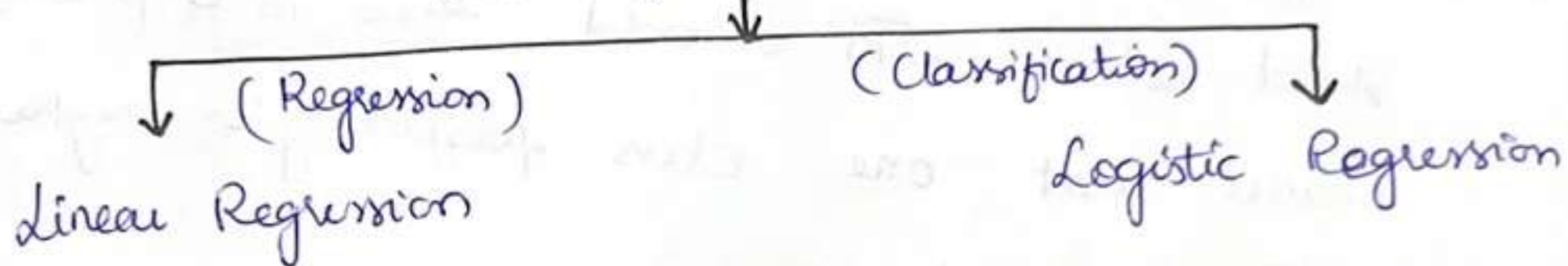
③ Boundary - Based Approaches:-



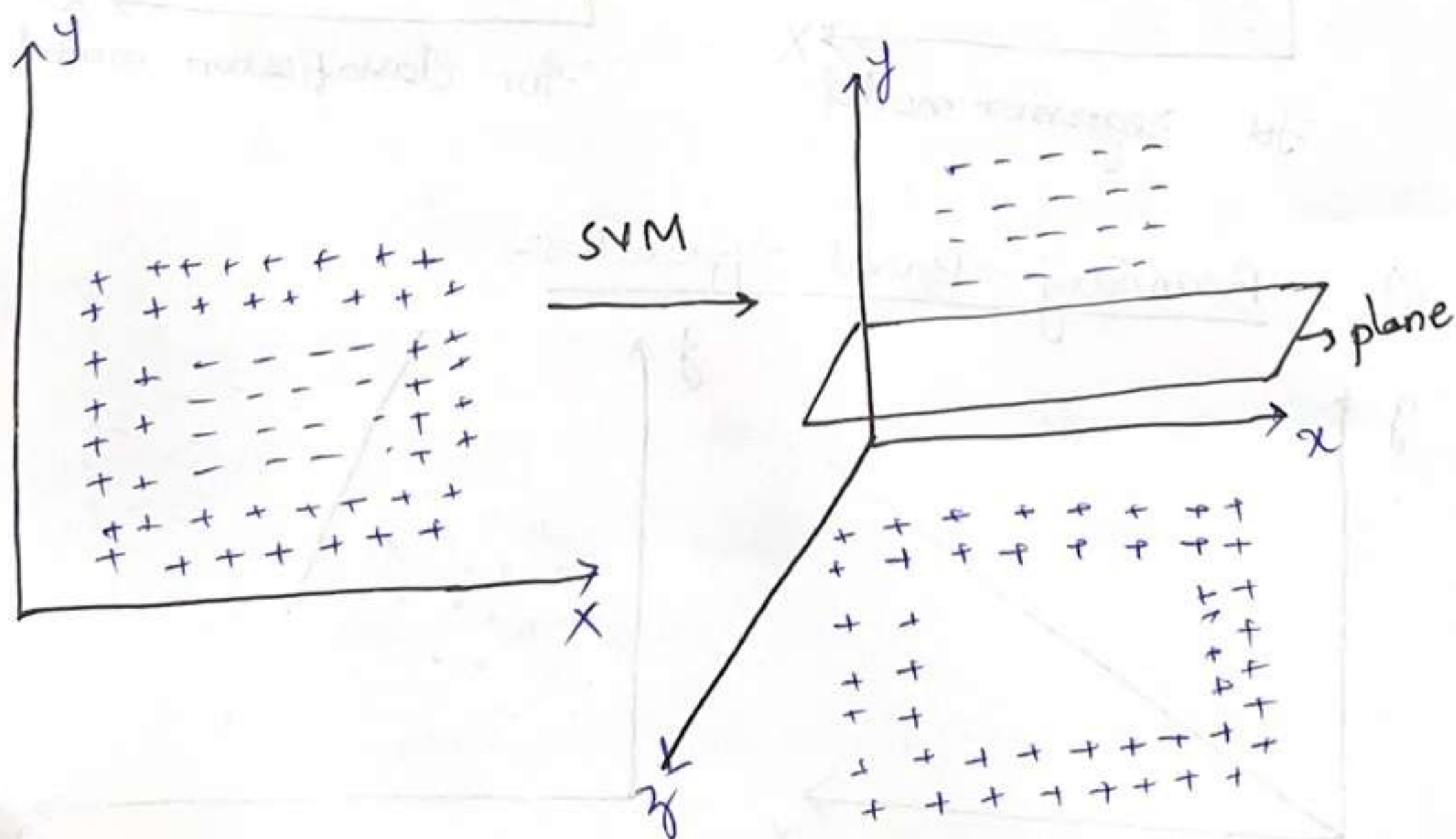
These kind of approaches is achieved by fitting a linear object - (in regression) through most of the densely packed datapoints and (in classification) to separate the defined classes.

The linear object can be a line in 2D, plane in 3D and hyperplane in 4D and ~~4D~~.

Boundary - Based Approach



If the data, initially, does not fit a linear object, then we go for Support Vector Machines (SVMs) where the data is represented in a higher dimension to easily fit the linear object.



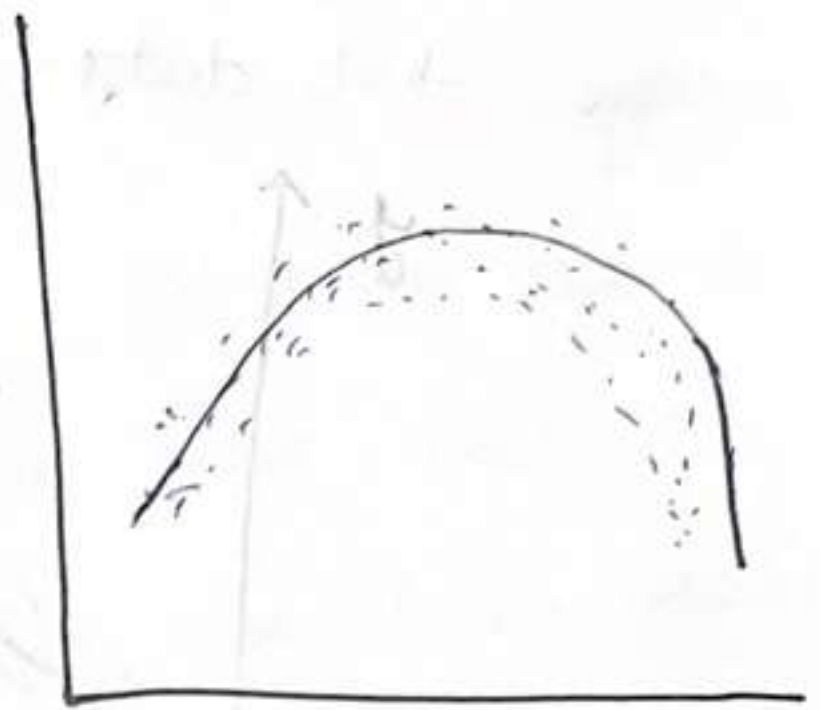
SVMs can be applied to both (linear) regression models and classification models.

Kinds of data:-

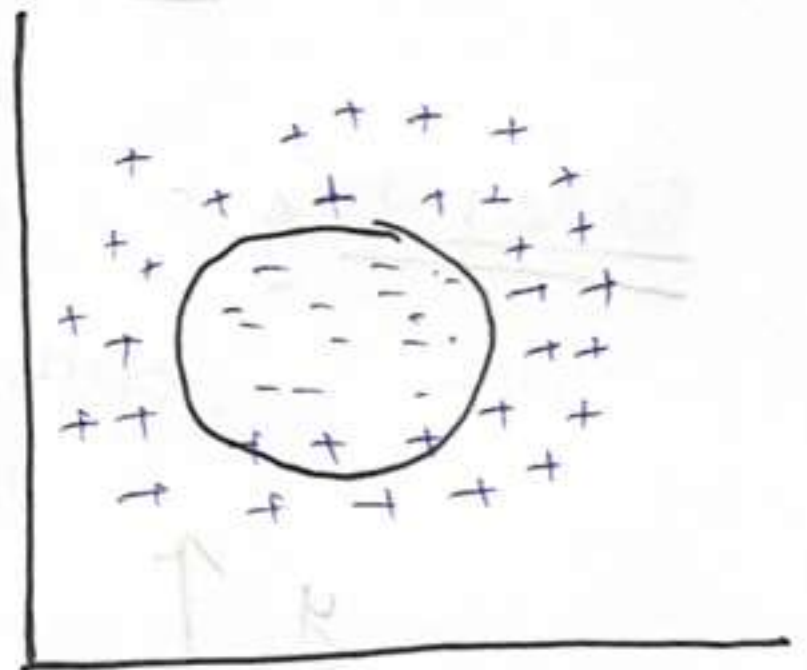
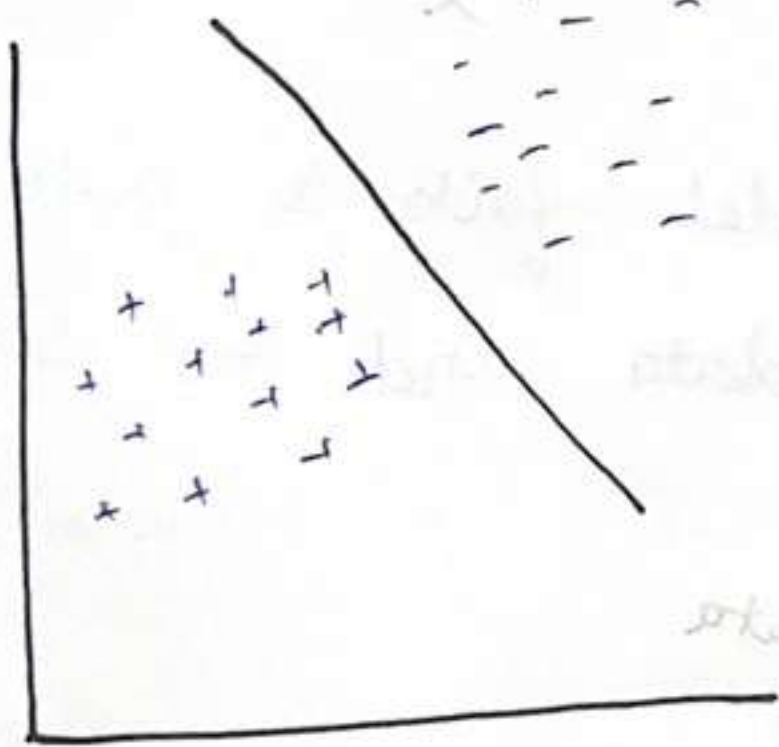
Linear

Non-linear

Regression



Classification

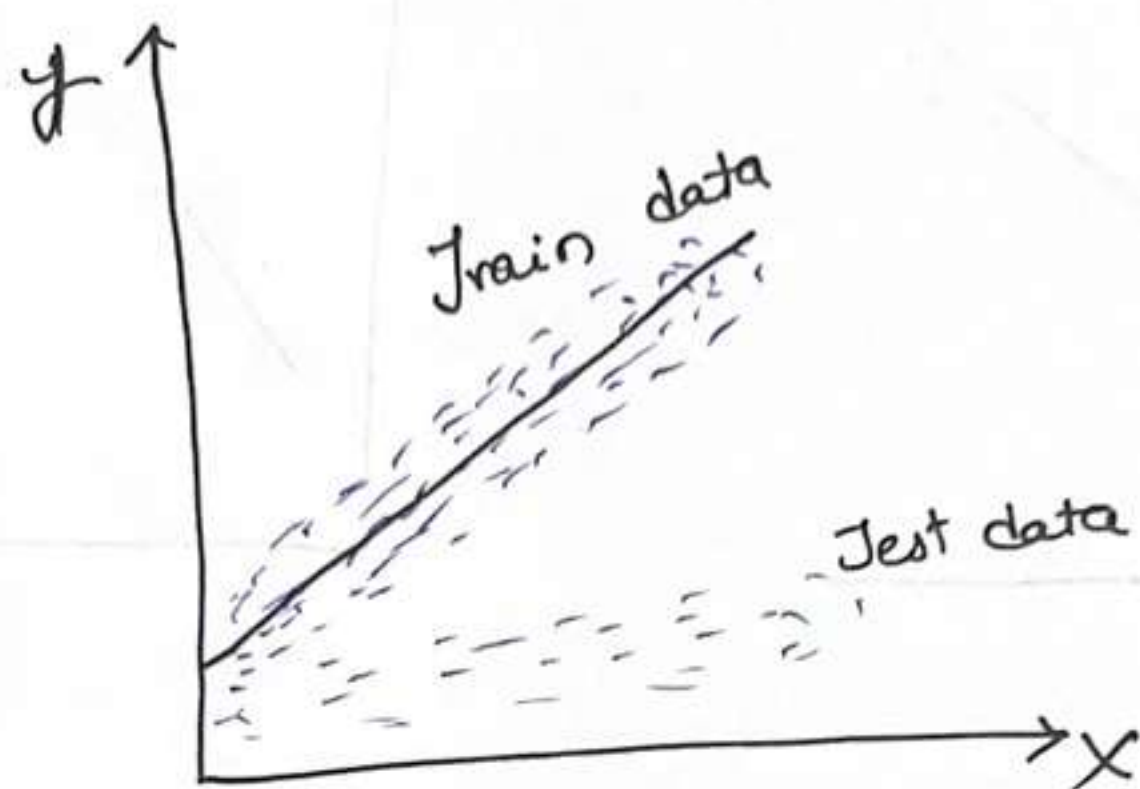


Data is said to be linear if it can fit a linear object to perform necessary tasks. If the linear object could not be fitted then the data is non-linear.

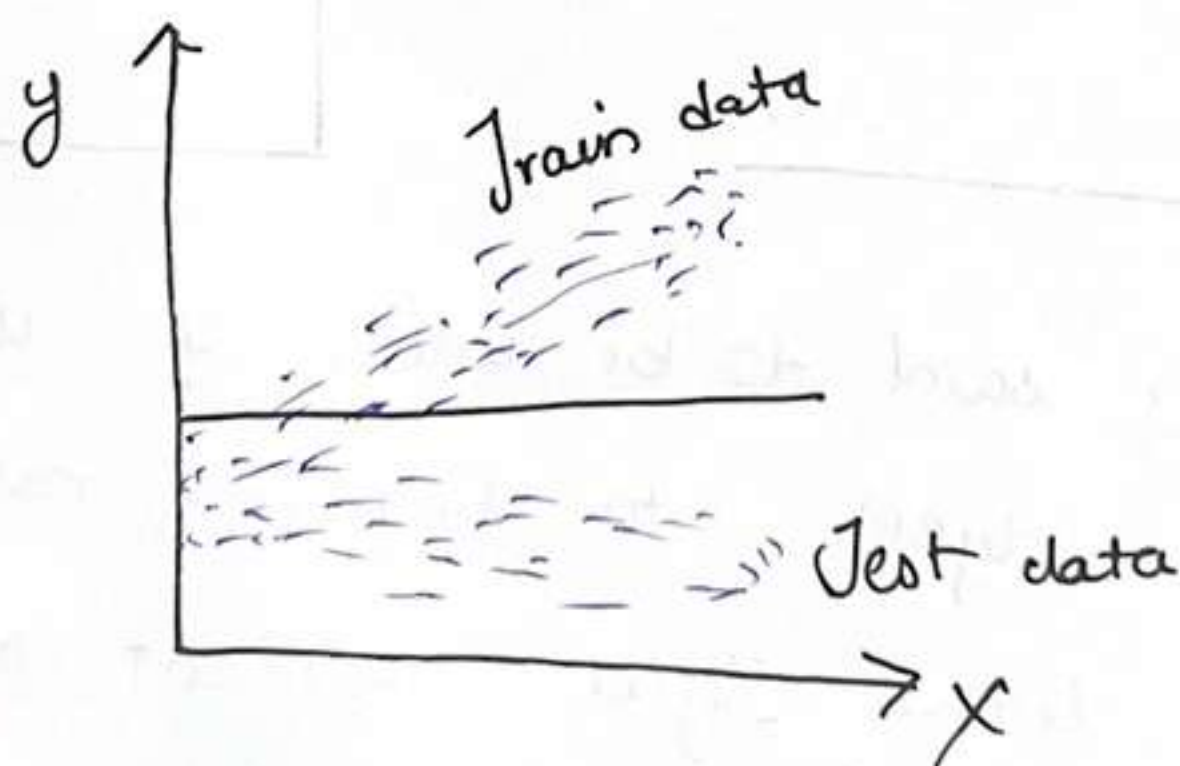
* we can transform non-linear data to linear data using feature engineering.

Three different cases of model performance -

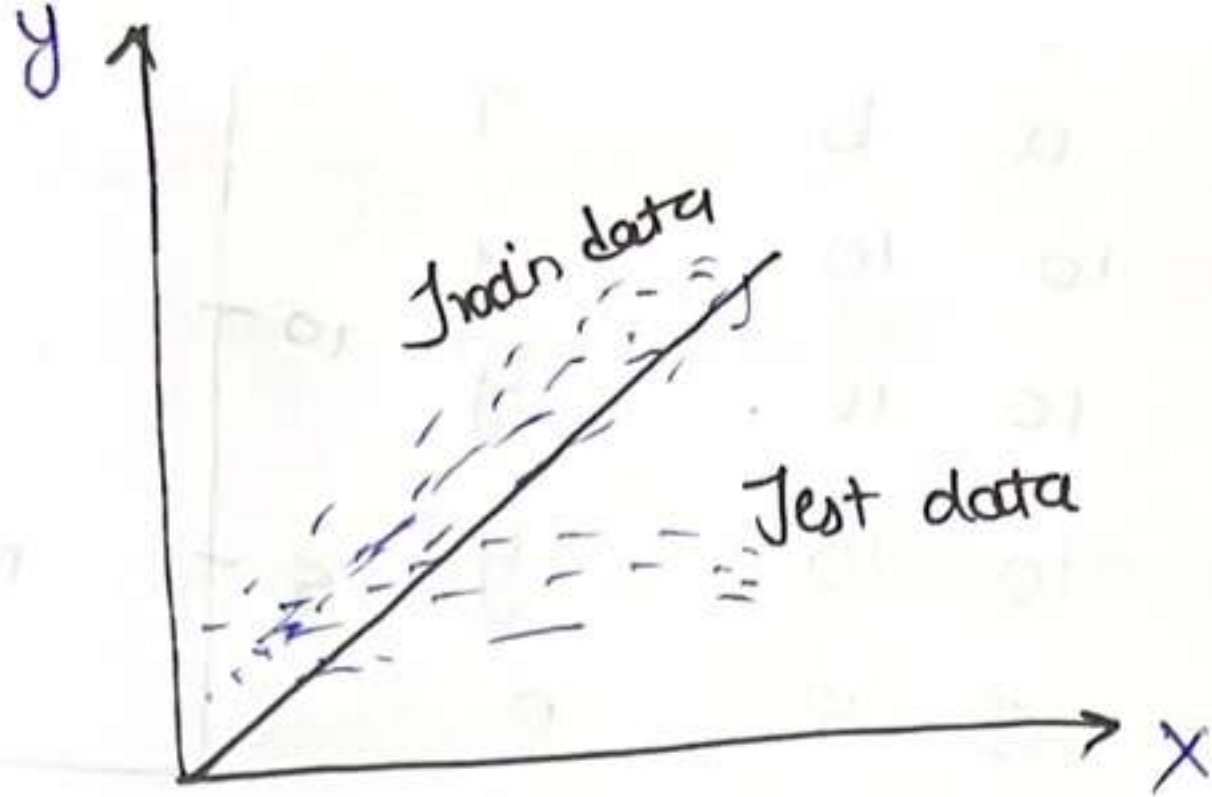
Overfitting :- The model performs exceptionally well on train data and fails miserably on the replication of performance on the test data.



Underfitting :- The model fails to perform on both train data and test data.



Best / Optimal fit :- The model replicates optimal metrics for both train data and test data.



The problem of overfitting and underfitting happens because of not choosing appropriate approach for the data we have and the model learning so well on the train data that fails on the test data.

08/08/2023

* Model is efficient only when the data is efficient *

Data preprocessing:-

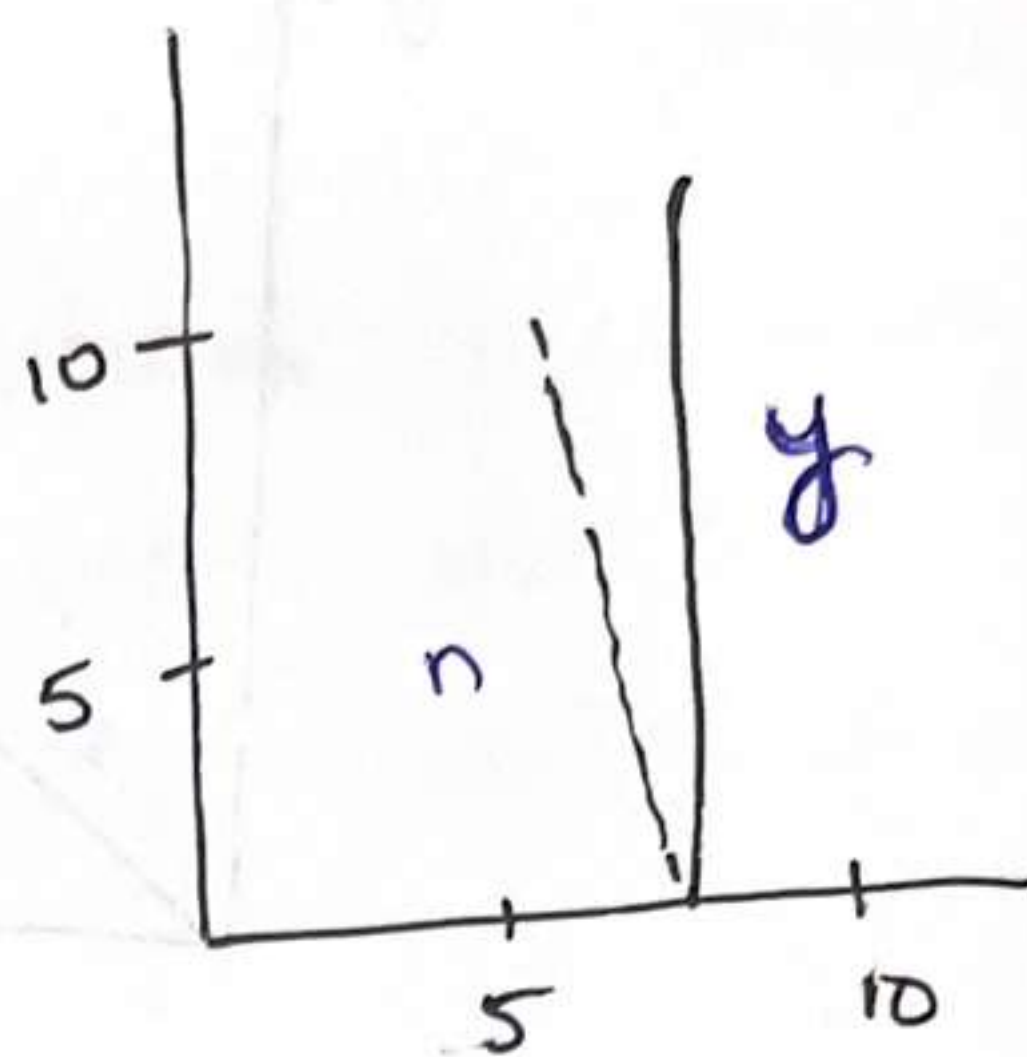
Step 1:- Deduplication (dropping the duplicates):-

Problem with having the duplicates in the data is they tend to affect the linear object by tilting it towards high density points.

The model also learns more from the duplicates.

Example:-

a	b	T
10	10	y
10	10	y
10	10	y
5	5	n



----- expected boundary

—— boundary affected by duplicate values

Step 2:- Imputing missing values:-

It is not desirable to have missing values in our data as missing values = missing data. This can lead to poor performance of the model.

While imputing the missing values, it is to be taken care that the mean and standard deviation of the feature should remain same or near to same before imputing and after imputing.

Primary reason for this is to maintain the distribution of the column as we will be seeing similar data in the future.

Step 3:- Outliers / Anomalies handling:-

It is important for us to detect and handle outliers and anomalies in our data as

they can have an effect on our approaches to the learning and thereby affecting the performance of the model.

Steps ①, ② and ③ of data preprocessing helps us to understand what to do in our next steps. (feature selection).

→ Data Transformation:-

In our data, we can have continuous and categorical variables.

It is important for transforming our data to a desirable format before giving this data to the model.

Categorical variables Encoding:-

Example:-

a	b	c
(cont.)	(cont.)	(cat.)
10	10	(x) → 2nd high preference
1	1	(y) → low preference
<u>5</u>	<u>5</u>	(z) → high preference

If the categorical data is ordinal, then the values are provided / given to class based on preference.

This type of encoding is called as

'Ordinal encoding'

If the categorical data is nominal, then we do something called as 'One-hot encoding'

Example:-

b	c	\Rightarrow	b	c_x	c_y	c_z
5	x		5	1	0	0
3	y		3	0	1	0
2	z		2	0	0	1

Results in multicollinearity between the x-features

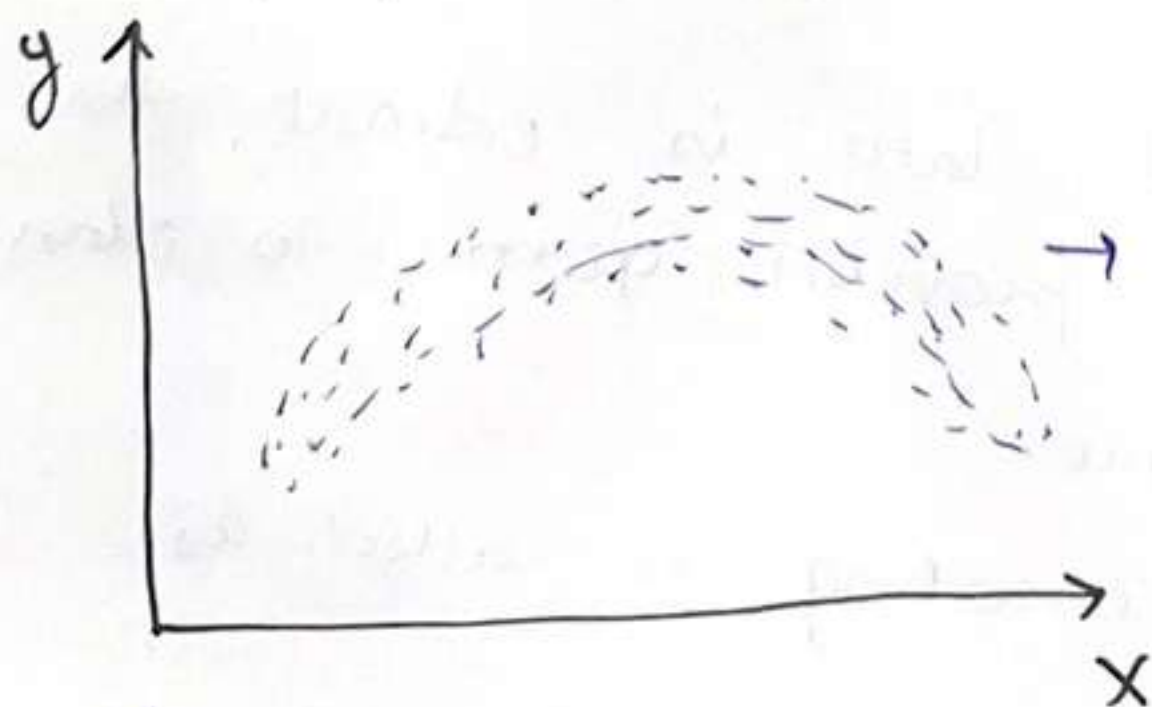
Drop one-hot encoding :-

drop ^{one} of the features from c_x, c_y, c_z .
preferably ' c_x '

b	c_y	c_z
5	0	0
3	1	0
2	0	1

no multicollinearity

Continuous variables transformation :-



Stretch the data to the right so that the data forms a near to linear data

Transform the continuous data involves converting Non-normal data to normal data and

non-linear to linear data.

To do this we have power transformer and functional transformer.

In functional transformer we can build user-defined transformer.

Image Data:-

Images are represented as ndarrays.



$[[[3, 100, 100]]]$ - 3d-array



Converting to 1d array and assigning it in a record/entry

X		Y
← Image data →		Cat
		Dog

Class 1
Class 2

We use, PIL → Python Image Library, for performing preprocessing of images.

Initial preprocessing techniques are -

resize, cropping, color correction, sharpen.

Text Data:-

We have traditional approaches and deep learning approaches.

Traditional approaches → Bag of words, n-grams, Tfidf vectors

Deep learning approaches → word2vector, glove embeddings, Bert embeddings.

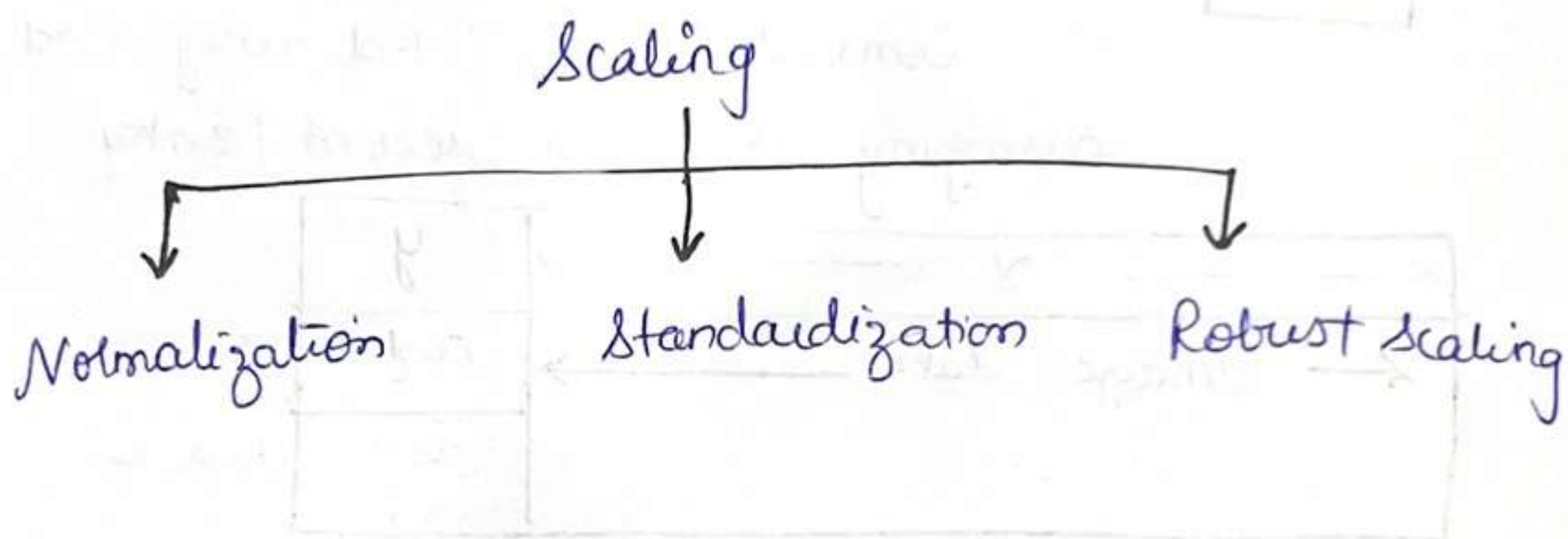
09/08/2023

Feature scaling :-

→ We need to avoid weighing one column more than the other column.

→ We achieve this by scaling our continuous data.

Machine learning models tend to favour those data features where magnitude is higher.
All the variables should be of same scale.



Preprocessing techniques which are applied on historical training data, same learning has to be applied on the test data / unseen data.

Step 1 :- Split the data to X & y variables and then to Train and test.

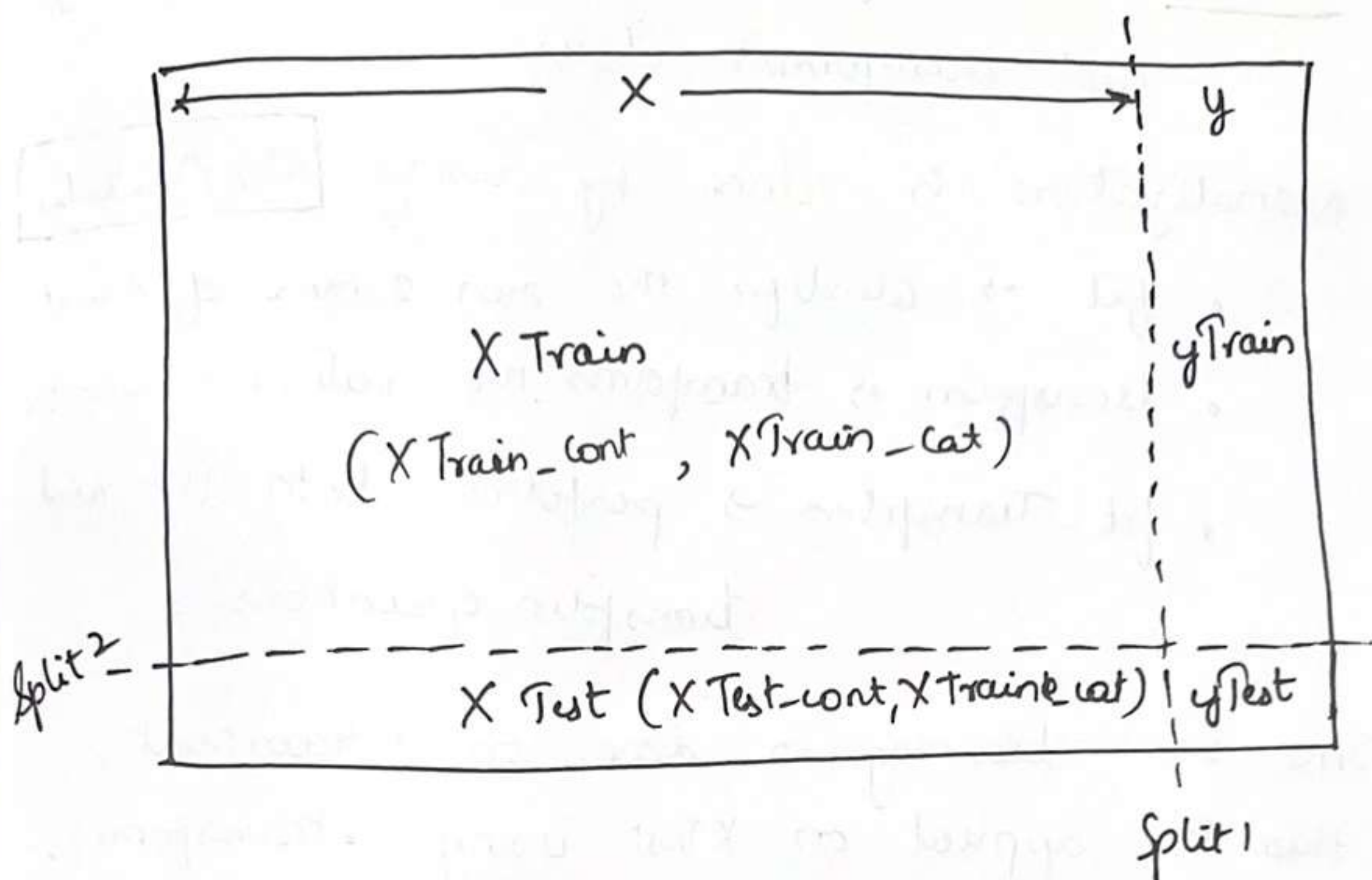
The train & test split can be done according to the data we have at hand.

Step 2 :- Split the X_{train} , X_{test} to

X_{train_cont}	X_{test_cont}
X_{train_cat}	X_{test_cat}

Step 3 :- We scale our $X_{\text{Train-continuous}}$ with appropriate scaling technique (fit transform).

Step 4 :- We apply this learning from scaling $X_{\text{Train-cont}}$ on the $X_{\text{Test-cont}}$ (transform)



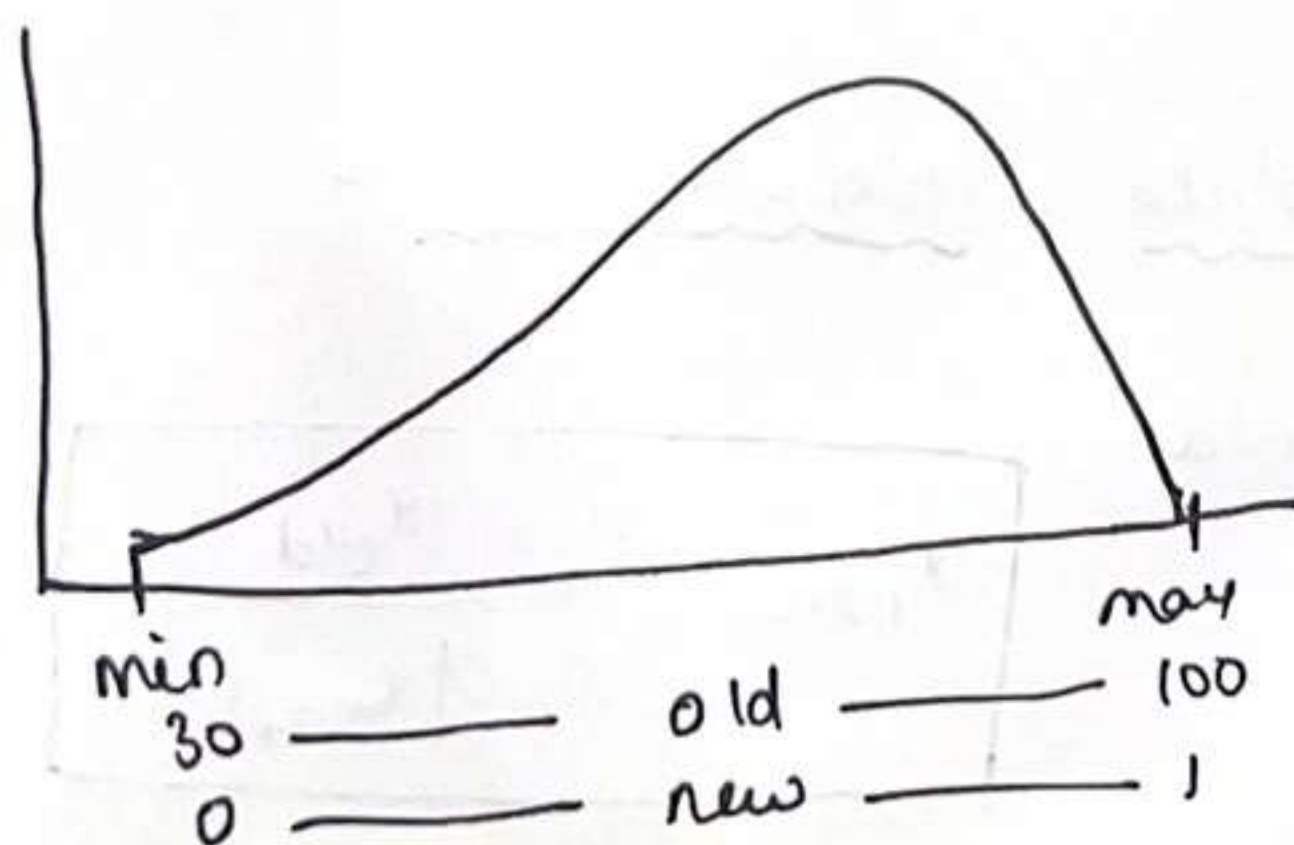
* Normalization :-

$$\text{formula} = \frac{x_{\text{old}} - x_{\text{min}}}{x_{\text{max}} - x_{\text{min}}}$$

(x_{new})

The data is scaled down such that it ranges between 0 & 1 (both included).

0 being minimum value and 1 being maximum value.



The distribution is shifted to the origin at the first quadrant, no matter where the distribution was (-ve or +ve values of x).

'sklearn' - library contains all preprocessing and transformer classes.

Normalization is done by using MinMaxScaler

- fit \rightarrow identifies the min & max of x cont.
- transform \rightarrow transforms the values between 0 & 1.
- fit_transform \rightarrow performs both fit and transform operations.

Once the learning is done on x_{train} cont, this is applied on x_{test} using (.transform).

There are other types of normalization.

\rightarrow Mean normalization :-

The distribution of the transformed data is centered over the 'mean'. \Rightarrow mean = 0, range = 1

Formula

$$x_{new} = \frac{x_{old} - \bar{x}}{x_{max} - x_{min}}$$

\rightarrow Max-absolute normalization :-

Formula

$$x_{new} = \frac{x_{old}}{|x_{max}|}$$

The new values range from $[-1 \text{ to } 1]$ and the mean $= 0$.

* Scaling will not alter the distribution, rather it will only scale the x-axis.

* Standardization:-

We rely on standardization as it scales the data such that, mean $= 0$ and standard deviation $= 1$.

Formula,

$$x_{\text{new}} = \frac{x_{\text{old}} - \bar{x}}{s_x}$$

$\bar{x} \rightarrow$ mean sample

$s_x \rightarrow$ standard deviation of sample

* Robust Scaling:-

We use this kind of scaling when we have outliers.

Formula,

$$x_{\text{new}} = \frac{x_{\text{old}} - Q_2}{Q_3 - Q_1}$$

$$= \frac{x_{\text{old}} - x_{\text{median}}}{IQR}$$