



Computational Design of a Modular Airbrake System

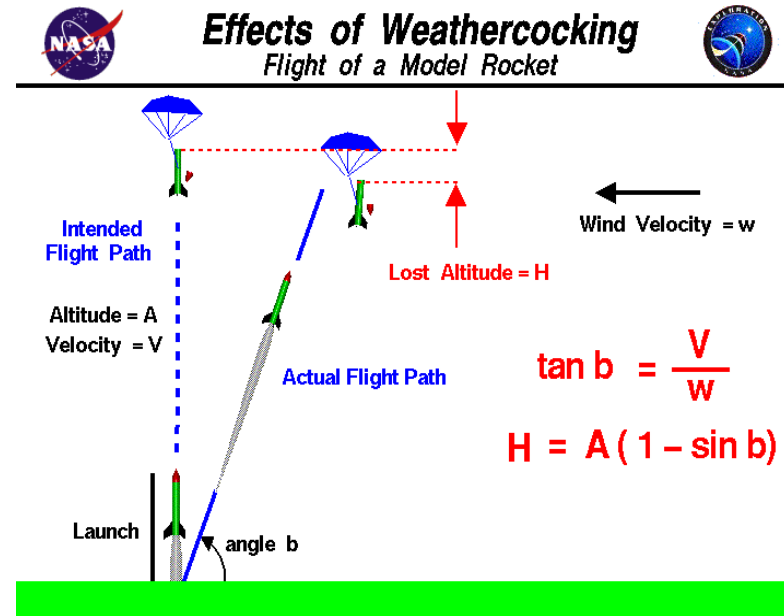
Cowboy Rocketworks, Controls Team
School of Mechanical and Aerospace Engineering
Oklahoma State University

2018 Spaceport America Cup



Introduction

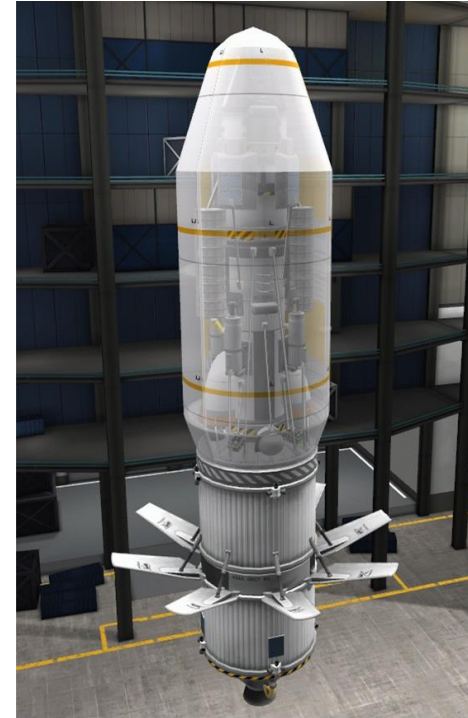
- Problem: How to hit 10000 feet exactly?
 - Design rocket to exact weight?
 - Create an airbrake that deploys at a certain altitude?
 - **Design an airbrake that deploys intelligently**





Design Considerations

- Number of fins?
- Fin location?
- Fin size?





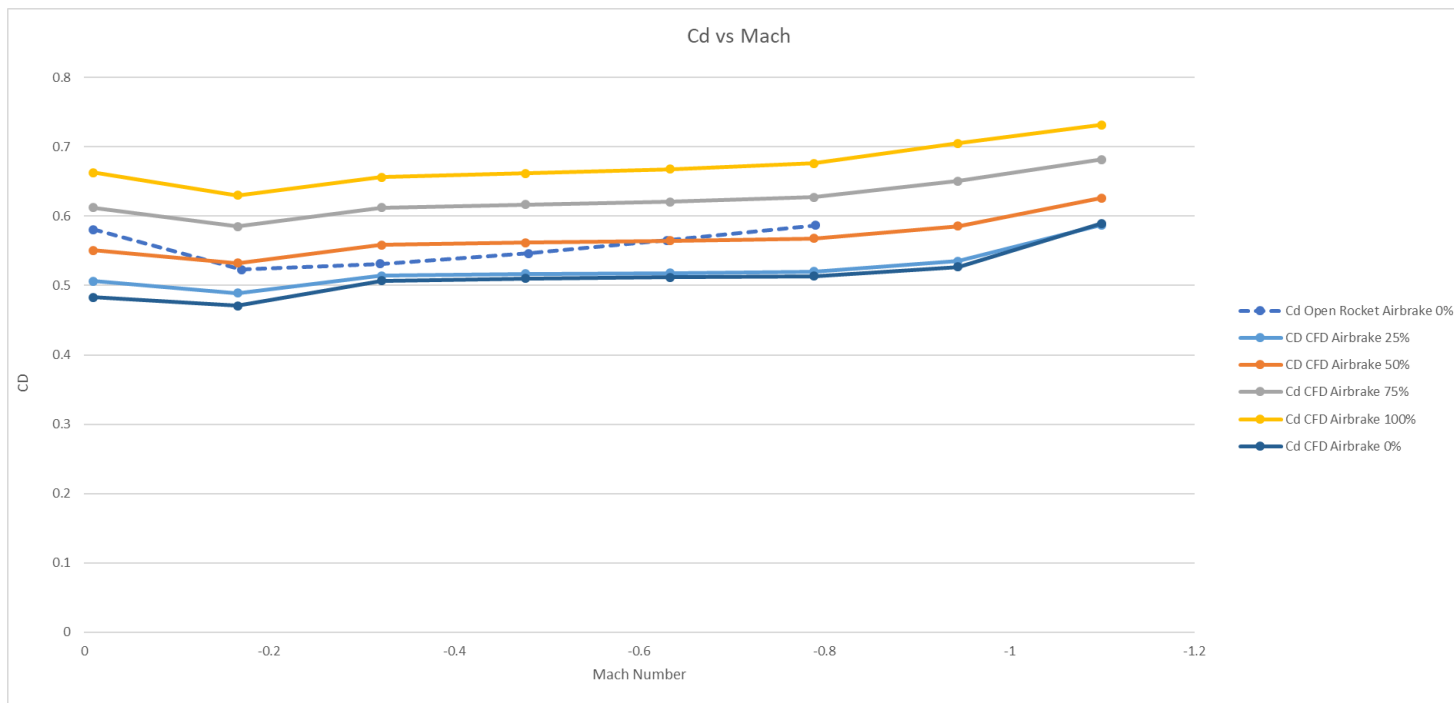
Simulating A Launch

- How to simulate a launch with an airbrake?
- Can't use Open Rocket
 - There is a plug in to add custom Cd vs Mach curves
 - Still doesn't work
- Created our own solution in MATLAB
 - Based off of equations and methods from Open Rocket
- Generated Cd vs Mach curves in Solidworks CFD
- Uses Open Rocket initial conditions





Simulating A Launch





Tuning An Airbrake

- Airbrake based around Arduino with array of sensors
- Fin deployment governed by Fehskens-Malewicky equations
- Run MATLAB sim tweaking deployment threshold until airbrake reaches desired outcome.
- Can tweak initial conditions to see how airbrake responds

Single Stage Fehskens-Malewicky Equations:

burnout velocity:

$$v_b = \sqrt{\frac{F \cdot mg}{k}} \tanh \left[\frac{t_b}{m} \sqrt{k(F - mg)} \right]$$

burnout altitude:

$$y_b = \frac{m}{k} \ln \left\{ \cosh \left[\frac{t_b}{m} \sqrt{k(F - mg)} \right] \right\}$$

coast altitude:

$$y_c = \frac{m_b}{2k} \ln \left[\frac{k v_b^2}{m_b g} + 1 \right]$$

coast time:

$$t_c = \sqrt{\frac{m_b}{g k}} \tan^{-1} \left[v_b \sqrt{\frac{k}{g m_b}} \right]$$

Where:

$k = \frac{1}{2} \rho C_D A$
 ρ = atmospheric density
 C_D = drag coefficient
 A = frontal area
 t_b = burn time
 F = average thrust
 m = average thrusting mass
 m_b = burnout mass
 g = acceleration due to gravity



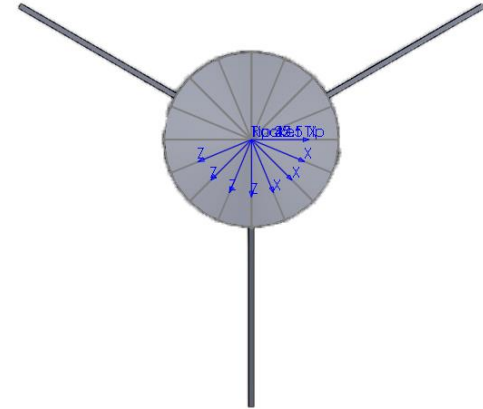
Return



Finding the Center of Pressure

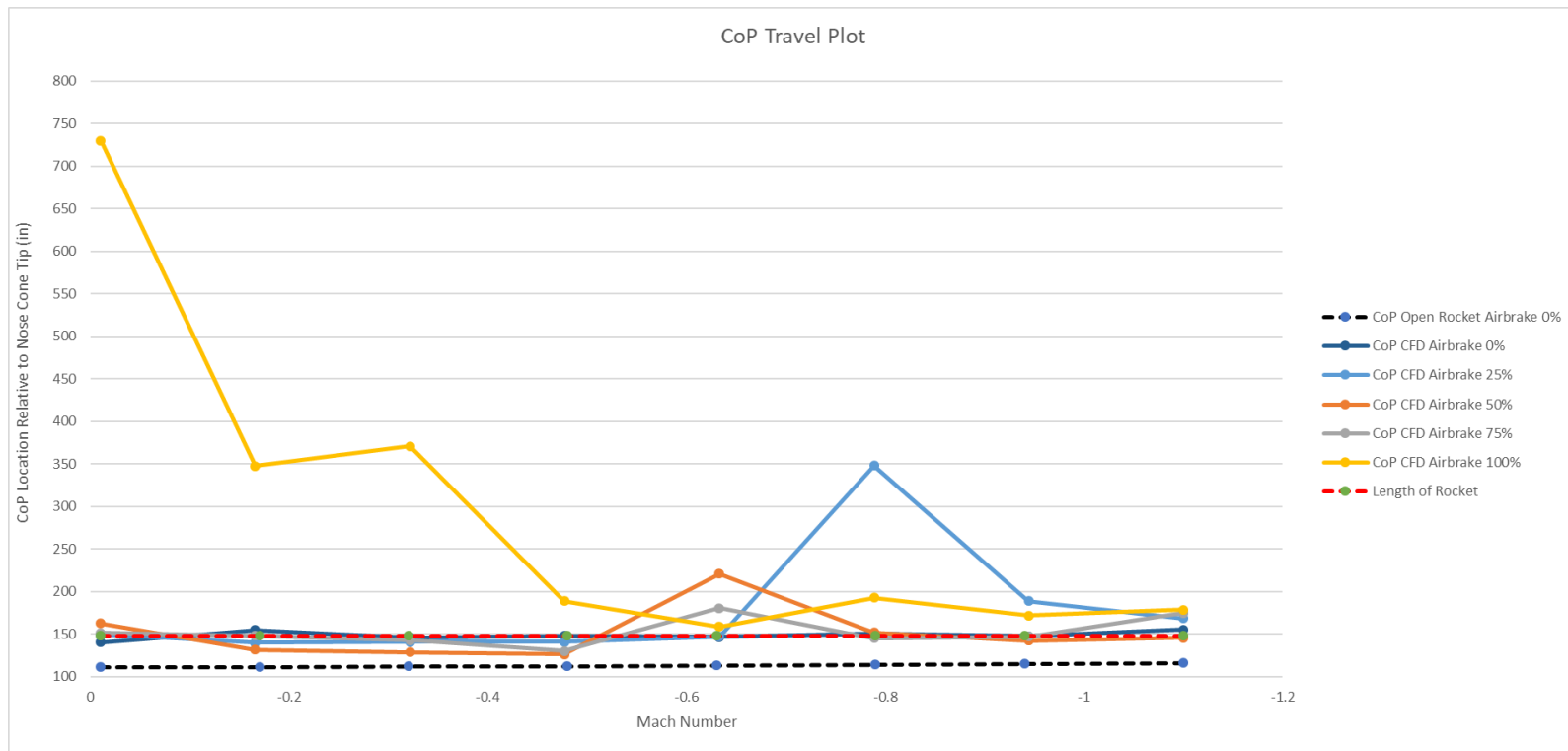


- Series of axes set up on nose cone offset 22.5 degrees
- Torque and force along each axis monitored
- Center of pressure found by $\frac{T}{F}$



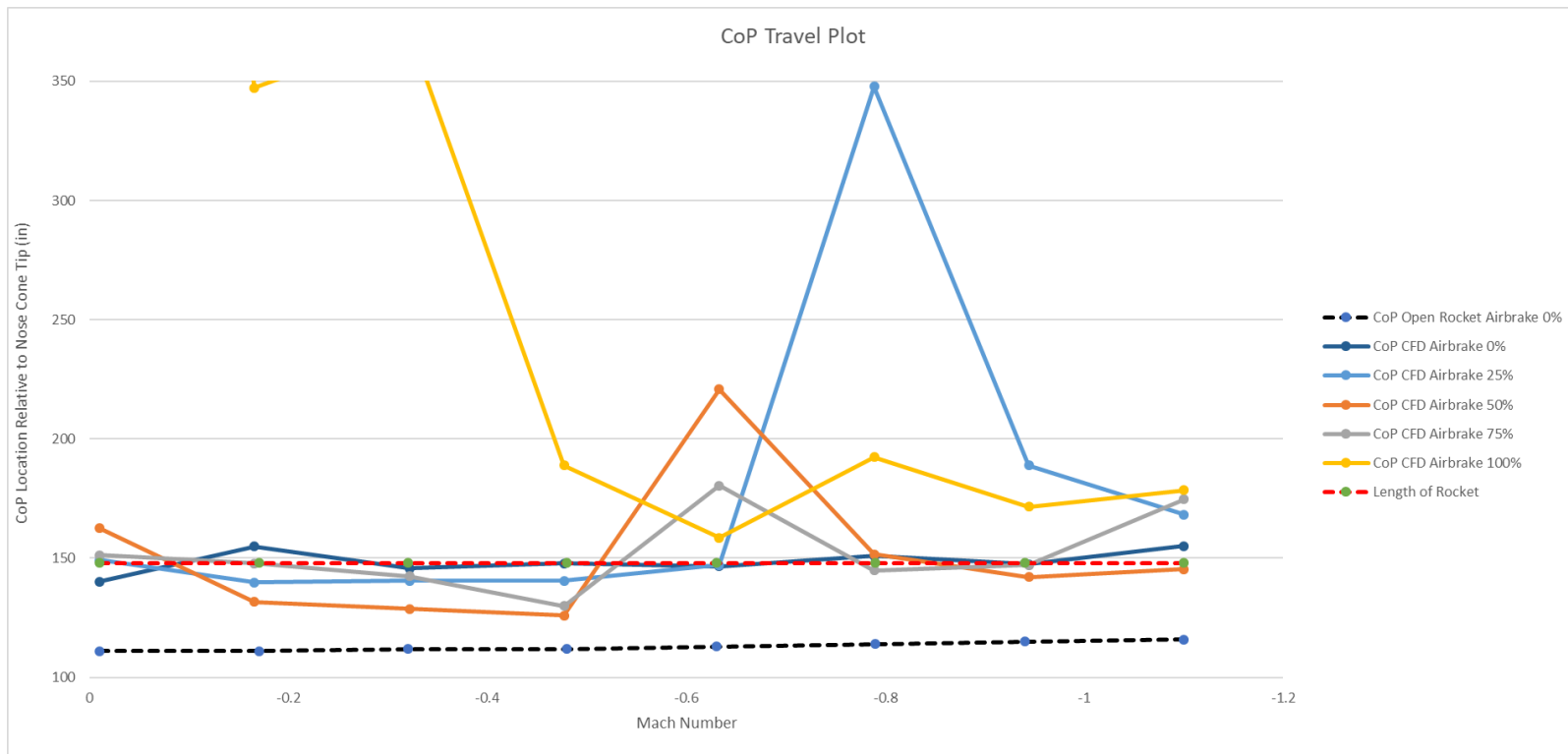


Finding the Center of Pressure





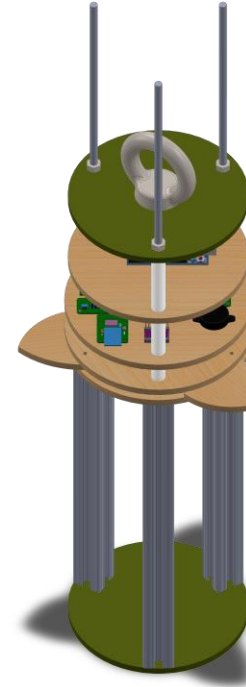
Finding the Center of Pressure





Results and Conclusions

- Future test flight will test simulations accuracy
- CFD is no replacement for real world tests
 - There is a lot of potential in CFD however
- Cost savings





Recommendations



- More wind tunnel and real flight tests
- Make MATLAB code more robust
- Redo center of pressure work
- Use potentially better standalone CFD program