

| Assignment 1.1 | |
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| Using C++ for recursion | |
| Course Code: CPE010 | Program: Computer Engineering |
| Course Title: Data Structures and Algorithms | Date Performed: 12/08/25 |
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6. Output

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|---|--|
| <p>Recursive Sum:</p> <pre>Recursive sum: 36802 Recursive sum: 36803 Recursive sum: 36804 Recursive sum: 36805 Recursive sum: 36806 Recursive sum: 36807 Recursive sum: 36808 Recursive sum: 36809 Recursive sum: 36810 Recursive sum: 36811 Recursive sum: 36812 Recursive sum: 36813</pre> <p>Observation:</p> <p>Firstly, what is a recursive function, this function actually calls itself, during the execution. There is also a called base case if the condition is satisfied the program will stop. In the recursive sum I created a prototype function first, then I just made a random formula where the num which is the parameter in the function + 1. This will run infinitely, as we can see in the picture it reaches 36K since I didn't put any restriction or any condition where to stop.</p> | <p>Recursive Fibonacci:</p> <pre>Recursive Fibonacci: 5 Recursive Fibonacci: 4 Recursive Fibonacci: 3 Recursive Fibonacci: 2 Recursive Fibonacci: 2 Recursive Fibonacci: 3 Recursive Fibonacci: 2</pre> <p>Observation:</p> <p>In this recursive Fibonacci sequence, since we know what Fibonacci sequence is the formula and how to use it is also given.</p> |
| <p>Non recursive:</p> <pre>Non-recursive Fibonacci: 2 Non-recursive Fibonacci: 3 Non-recursive Fibonacci: 4 Non-recursive Fibonacci: 5</pre> <p>Firstly, what is a Non-recursive function, this is the complete opposite of the recursive function. This function doesn't call itself, it uses a loop where it can iterate the function.</p> | |

7. Supplementary Activity

Code:

```
#include <iostream>
```

```
// Function prototypes
int recursiveSum(int num);
int recursiveFibo(int num);
int nonrecursiveFunc(int num);

int main(){
    recursiveSum(5);
    recursiveFibo(5);
    nonrecursiveFunc(5);
    return 0;
}

int recursiveSum(int num){
    if (num <= 0){
        return 0;
    }
    else{
        std::cout << "Recursive sum: " << num << std::endl;
        return num + recursiveSum(num + 1);
    }
}

int recursiveFibo(int num){
    if (num <= 1){
        return num;
    }
    else{
        std::cout << "Recursive Fibonacci: " << num << std::endl;
        return recursiveFibo(num - 1) + recursiveFibo(num - 2);
    }
}

int nonrecursiveFunc(int num) {
    if (num <= 1) {
        return num;
    }
    int a = 0, b = 1, c;
    for (int i = 2; i <= num; ++i) {
        c = a + b * i;
        std::cout << "Non-recursive Fibonacci: " << c << std::endl;
    }
}
```

```
    return b;  
}
```

8. Conclusion:

In this activity, I learned that by using recursion we can break the problem into a smaller version of itself, and there is also something we can do instead of using a for loop, a function that calls itself and can run infinitely. I also learned how to use the big O notation, and also on how we can differ these 2. A non recursive function uses a loop to iterate the given number it doesn't call itself like the recursive. Additionally, in the non recursive function we only used 1 for loop, we can solve the time complexity of this we can say that it was a $O(n)$.

9. Assessment Rubric