1. 求解下列微分方程:

(1)
$$y'' + 2x(y')^2 = 0$$
, $y(0) = 1$, $y'(0) = -1/2$;

(2)
$$y'' - (y')^2 - 2y' - 1 = 0$$
, $y(0) = 1$, $y'(0) = 0$.

2. 设**可微**函数 y = f(x) 对于任意 $x,h \in (-\infty,+\infty)$,恒满足关系式:

$$f(x+h) = \frac{f(x) + f(h)}{1 + f(x)f(h)}.$$

已知 f'(0) = 1,试求 f(x).

Hint: 可以求出 f(0) = ?