

FR- Home task 2

Task:

- 1) Derive inverse kinematics for your robot model
- 2) Solve inverse kinematics for multiple positions
- 3) Track the number of solutions along the way and choose the correct one and closest to the previous (current) configuration.
- 4) Derive the jacobian matrix for your robot model.
- 5) Plan a synchronized trajectory for all 6 joints between two poses. (consider 20Hz controller frequency)
- 6) Use the Jacobian matrix to check for singularities along the planned trajectory.

References:

It is recommended to refer to these references for information about the implementation of Jacobian and singularity analysis.

- 1) B. Siciliano, L. Sciavicco, L. Villani, G. Oriolo, "Robotics: Modelling, Planning and Control", 3rd Edition, Springer, 2009
- 2) Mark W. Spong, Seth Hutchinson, and M. Vidyasagar, Robot Dynamics and Control, Second Edition, John Wiley & Sons, Inc. 2008

Submission:

You need to submit code and report in either of these forms:

- 1) Python file with code together with report in PDF format.
- 2) Colab notebook that contains both report and code.

In your report:

- A scheme of your robot model.
- Derivation of your solution.

Bonus: (you're a cool guy who has time to do it!)

- Drive the robot's end-effector from one pose to another using the inverse jacobian solution.

You have the rule for mapping joint velocity to end-effector velocity:

$$\dot{x} = J(q) \dot{q}$$

Assume the robot is at position X_0 , you need to drive the robot from X_0 to pose X_1 with inverse jacobian solution as follows:

$$J^{-1}(q) (X_1 - X_0) = \dot{q}$$

Report what problems are associated with inverse jacobian implementation.

- Plan the same path using polynomial trajectory.
 - You need to sample your path over (n) number of segments
 - Use 4-3-4 approach (refer to Siciliano)