# A big title

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#### Abstract

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## 1 Introduction

Let  $\mathbb{R}^n$  be the embient space. We consider

$$\min_{x \in \mathbb{R}^n} \left\{ F(x) : f(x) + g(x) \right\}.$$

Unless specified, assume f is a smooth function with L-Lipschitz gradient operator. Unless specified, assume g is a convex function.

### 2 Notations

Beck's book [1].

- 2.1 Foundamentals in convex analysis
- 2.2 Canonical forms of Nesterov's accelerated methods
- 3 Unifying variants of Nesterov's accelerated methods
- 4 Generic convergence anlaysis of accelerated methods
- 5 Catalyst accelerations and future works
- 6 Performence estimation problems
- 7 Methods of inexact proximal point
- 8 Nestrov's acceleration in the non-convex case

#### References

[1] A. Beck, First-order Methods in Optimization, MOS-SIAM Series in Optimization, SIAM, israel, 2017.