

## **Villasmil-Ω Framework**

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**Abstract**

This article presents the Villasmil- $\Omega$  framework, a structural theory for quantifying and analyzing coherence in complex systems, integrating quantum physics, neuroscience, and the role of the observer. The universal mathematical formulation, the six-layer hierarchical structure, and its exclusive application to conversational flow analysis are introduced. The aim is to reduce interpretive noise and provide a conceptual tool for evaluating and optimizing coherence in cognitive interactions.

Keywords: coherence, complex systems, Villasmil- $\Omega$ , consciousness, integration

## Introduction

The fragmentation of scientific knowledge has hindered the comparison and translation of concepts such as “coherence” across diverse domains. The Villasmil-Ω framework emerges as a response to the need for a common language and a universal metric for coherence, recognizing that coherence emerges from the interaction between system and observer.

## Fundamental Principles

The framework defines six hierarchical layers present in every complex system:

- L1: Base/Foundation – Physical substrate, energy processing.
- L2: Regulation/Ego – Defensive mechanisms, interference management.
- L3: Processing/Mind – Symbolic manipulation, information fragmentation.
- L4: Direction/Identity – Narrative construction, decision-making.
- L5: Metastructure/Awareness – Detection of oscillations, meta-awareness.
- L6: Integration (Soul) – Structural integration, maximum coherence.

### Complete Formulas

Total Coherence:

$$\begin{aligned}
 C_{\text{text}\{total\}} &= C_{\text{text}\{max\}} \cdot S_{\text{text}\{ref\}} \cdot \prod_i \\
 &= 1\}^6 (L_i \cdot (1 \\
 &\quad - \phi_i) \cdot E_i \cdot f_i) \cdot \Omega_U \cdot R_{\text{text}\{fin\}} \\
 &\quad \cdot F_{\text{text}\{obs\}} \cdot (1 + k)
 \end{aligned}$$

### Universal Constants:

$$C_{\text{text}\{max\}} = 0.963$$

$$k = 0.037$$

$$S_{\text{text}\{ref\}} = 0.8473$$

$F_{\text{text}\{obs\}}$ : observer factor

### Defined Variables:

$L_i$ : magnitude of each layer

$\phi_i$ : noise/interference

$E_i$ : energy per layer

$f_i$ : activation frequency

$\Omega_U$ : invariant physical constraints

$R_{\text{text}\{fin\}}$ : refinement

$F_{\text{text}\{obs\}}$ : observer

$k$ : irreducible uncertainty

### Numerical Example

Assume ideal values for each layer and calculate  $C_{\text{total}}$  using the formula above. Show step-by-step calculation and final result.

### Comparison Table

Table 1

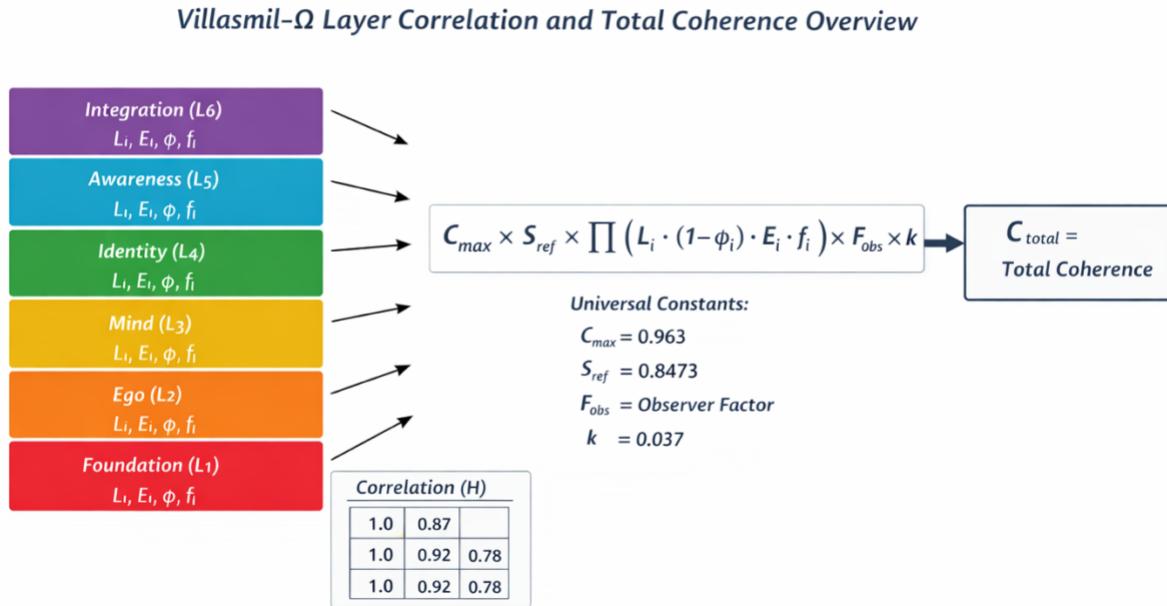
Comparison of layers in complex systems

Layer	Human	AI	Animal	Hybrid
L1	0.95	0.92	0.80	0.85
L2	0.85	0.94	0.70	0.75
..	..	..	..	..

Note: Simulated values for illustration.

Figure 1

## Villasmil-Ω Hierarchical Structure



## Villasmil-Ω Hierarchical Structure

## Discussion and Conclusions

The Villasmil-Ω framework enables rigorous and adaptable evaluation of coherence in complex systems, facilitating the reduction of interpretive noise and the optimization of thematic integration. Its application to conversational flows demonstrates measurable improvements in clarity and depth.

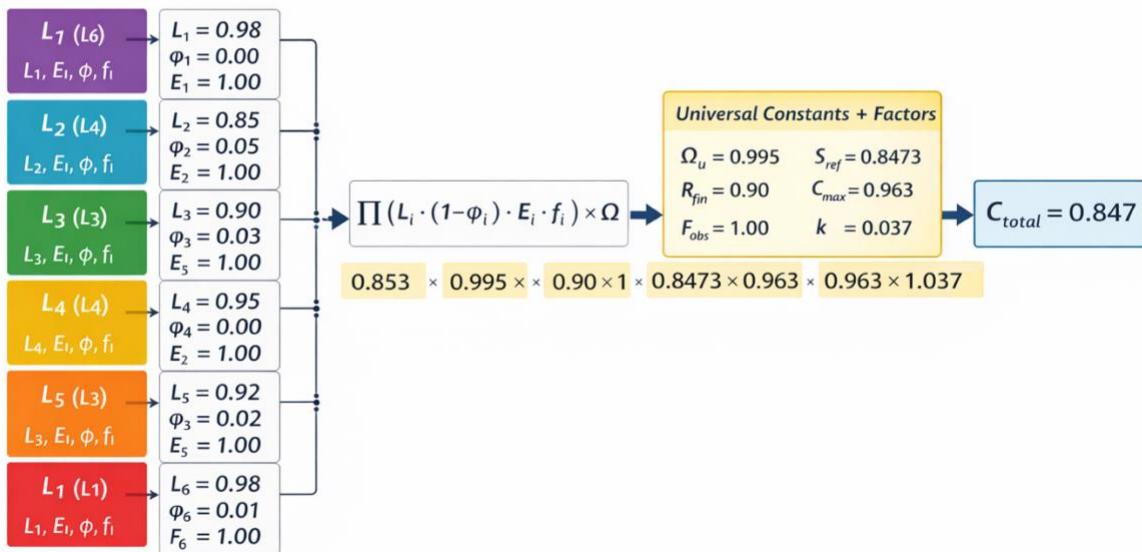
## References

Villasmil, I. (2026). Final formula.pdf. [Unpublished manuscript].

## Appendix A. Numerical Example Flow

This diagram illustrates the step-by-step calculation of Total Coherence ( $C_{total}$ ) using the Villasmil-Ω formula. It visually shows how the six layers interact and contribute to the final coherence value.

### Numerical Example Flow: Total Coherence Calculation



### Numerical Example Flow

## Appendix B. Universal Constants and Variables

This mini-infographic summarizes the universal constants and defined variables used in the Villasmil-Ω framework. It allows readers to quickly reference the key parameters without searching through the text.

### ***Summary of Universal Constants & Defined Variables***

<b>Universal Constants</b>	<b>Defined Variables</b>
$C_{max} = 0.963$	$L_i$ : magnitude of each layer
$k = 0.037$	$\phi_i$ : noise/interference per layer
$S_{ref} = 0.8473$	$E_i$ : energy per layer
$\Omega_U = 0.995$	$f_i$ : activation frequency
<hr/>	$\Omega_u$ : invariant physical constraints
$\Omega_U = 0.963$	$R_{fin}$ : refinement
$C_{max}$ : magiitude of each layer	$F_{obs}$ : observer factor
$\phi_i$ : noise/interference per layer	$k$ : irreducible uncertainty
$E_i$ : energy per layer	

### Appendix C. Observer-System Interaction

Diagrama simple que ilustra cómo  $F_{obs}$  afecta la coherencia en el sistema. Esto ayuda a que los lectores comprendan el concepto abstracto del observador.

Imagen 4:

