

## Day-10

### Python DSA

<https://github.com/im-amit-kumar/Python-DSA/tree/main/Day-10>

#### Pascal Triangle's

<https://leetcode.com/problems/pascals-triangle/>

```
class Solution:
    def generate(self, numRows: int) -> List[List[int]]:
        pascal_triangle= [[1]]

        for i in range(1, numRows):
            new_row=[1]
            for j in range(1,i):
                prev_left = pascal_triangle[i-1][j-1]
                prev_right= pascal_triangle[i-1][j]
                sum_of_elements = prev_left + prev_right
                new_row.append(sum_of_elements)

            new_row.append(1)

            pascal_triangle.append(new_row)
        return pascal_triangle
```

#### Dry run Code for Jupyter notebook/Visual Studio

from typing import List

```
class Solution:
    def generate(self, numRows: int) -> List[List[int]]:
        # Initialize the first row of Pascal's Triangle
        pascal_triangle = [[1]]
        print(f"Row 0: {pascal_triangle[0]}")
```

```
        # Generate each row of Pascal's Triangle
        for i in range(1, numRows):
            print(f"\nGenerating row {i}...")
            # The first element of each row is always 1
            new_row = [1]
            print(f"    Start new_row with [1]")
```

```

    # Calculate the intermediate elements of the row
    for j in range(1, i):
        print("Current Pascal Triangle",pascal_triangle)
        prev_left = pascal_triangle[i - 1][j - 1]
        prev_right = pascal_triangle[i - 1][j]
        sum_of_elements = prev_left + prev_right
        new_row.append(sum_of_elements)
        print(f"    new_row[{j}] = {prev_left} + {prev_right} =
{sum_of_elements}")

    # The last element of each row is also always 1
    new_row.append(1)
    print(f"    End new_row with 1: {new_row}")

    # Append the newly generated row to Pascal's Triangle
    pascal_triangle.append(new_row)
    print(f"Row {i}: {new_row}")

# Return the completed Pascal's Triangle
print(f"\nFinal Pascal's Triangle with {numRows} rows:")
for row in pascal_triangle:
    print(row)
return pascal_triangle

```

```
sol = Solution() sol.generate(5)
```

Row 0: [1]

Generating row 1...

Start new\_row with [1]

End new\_row with 1: [1, 1]

Row 1: [1, 1]

Generating row 2...

Start new\_row with [1]

$\text{new\_row}[1] = 1 + 1 = 2$

End new\_row with 1: [1, 2, 1]

Row 2: [1, 2, 1]

Generating row 3...

Start new\_row with [1]

$\text{new\_row}[1] = 1 + 2 = 3$

$\text{new\_row}[2] = 2 + 1 = 3$

End new\_row with 1: [1, 3, 3, 1]

Row 3: [1, 3, 3, 1]

Generating row 4...

Start new\_row with [1]

$\text{new\_row}[1] = 1 + 3 = 4$

$\text{new\_row}[2] = 3 + 3 = 6$

$\text{new\_row}[3] = 3 + 1 = 4$

End new\_row with 1: [1, 4, 6, 4, 1]

Row 4: [1, 4, 6, 4, 1]

Final Pascal's Triangle with 5 rows:

[1]

[1, 1]

[1, 2, 1]

[1, 3, 3, 1]

[1, 4, 6, 4, 1]

**Time Complexity-  $O(N^2)$**

**Space Complexity –  $O(N^2)$**