



# eLearneconomics: Income elasticity of demand (1)

Student response \_\_\_\_\_

(a) Define 'income elasticity' and give the formula to calculate income elasticity of demand.

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(b) Calculate the income elasticity of demand for each question using the midpoint method. Show your working.

(i) When an individual's disposable income falls from \$1 000 to \$900 per week, their purchases of a product increase from 12 to 16.

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(ii)

Previous income	\$80 000
New income	\$100 000
Previous purchases	100
New purchases	110

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(iii)

	Quantity demanded	Income (\$)
New situation	5	3 000
Old situation	9	4 000

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(iv) The quantity demanded of a product fell from 16 to 10 when a consumer's income fell from \$600 to \$500.

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# eLearneconomics: Income elasticity of demand (1a)



## Solution

- (a) Define 'income elasticity' and give the formula to calculate income elasticity of demand.

Measures the responsiveness of quantity demanded to changes in a consumer's/individual's income.

$$E_y = \frac{\left( \frac{\Delta QD}{\text{midpt } QD} \right)}{\left( \frac{\Delta Y}{\text{midpt } Y} \right)}$$

- (b) Calculate the income elasticity of demand for each question using the midpoint method. Show your working.

- (i) When an individual's disposable income falls from \$1 000 to \$900 per week, their purchases of a product increase from 12 to 16.

$$E_y = \frac{\left( \frac{+4}{14} \right)}{\left( \frac{-100}{950} \right)} = -2.71 \quad \text{inferior good}$$

(ii)

Previous income	\$80 000
New income	\$100 000
Previous purchases	100
New purchases	110

$$E_y = \frac{\left( \frac{10}{105} \right)}{\left( \frac{20\,000}{90\,000} \right)} = 0.428 = 0.43 \quad \text{normal necessity}$$

(iii)

	Quantity demanded	Income (\$)
New situation	5	3 000
Old situation	9	4 000

$$E_y = \frac{\left( \frac{-4}{7} \right)}{\left( \frac{-1\,000}{3\,500} \right)} = 2.00 \quad \text{normal luxury}$$

- (iv) The quantity demanded of a product fell from 16 to 10 when a consumer's income fell from \$600 to \$500.

$$E_y = \frac{\left( \frac{-6}{13} \right)}{\left( \frac{-100}{550} \right)} = +2.54 \quad \text{normal luxury}$$