Sector Rotation with Tactical Tilting Towards Robust Stocks Indexation and Trading Strategies in Hong Kong Stock Market

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Overview

Table of Contents

- 1 Overview
- 2 Economic Rationale
- 3 Stage Detection
- 4 Strategy Decision
- 5 Preprocessing
- 6 Optimization
- 7 Fine-Tuning
- 8 Comparison
- 9 Comments



2/20

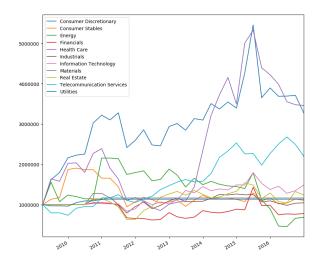
Overview

Key Points

- We design and implement a sector rotation investment strategy with tactical tilting towards robust stocks.
- Our strategy, which trades quarterly, yields a total return of 237% from Q1 2009 to Q4 2016, compared to 113% of the total return in HSI in the same period.
- annualized volatility 27%, compared to 16% in HSI
- maximum drawdown −30%
- investment horizon Q1 2009 to Q4 2016
- out-of-sample period Q1 2013 to Q4 2016



Decomposition of Returns







Algorithmic Quantitative Finance Knowledge Applied

The course knowledge we have applied in the project includes

- Principal Component Analysis in selecting stocks;
- Hidden Markov Models in detecting economic stages in the business cycle;
- Monte Carlo simulation combined with ideas of Gibbs sampling in optimizing the multiplier matrix;
- Skewness, Kurtosis, and Variance Ratio Test for tactical tilting;
- Arbitrage Pricing Theory to implement another strategy for comparison.



Overview

Economic Rationale

Over the intermediate term, asset performance is often driven largely by cyclical factors tied to the stages of the economy.

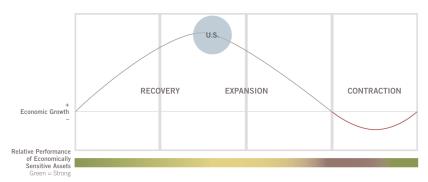


FIGURE - Business Cycle



Economic Rationale

The business cycle can be a critical determinant of equity market returns and the performance of equity sectors.

Sector Energy Materials Industrials Consumer Discretionary **Consumer Staples** Health Care **Financials** Information Technology Telecommunication Services Utilities Real Estate

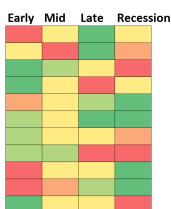


FIGURE - Decisions



Two Key Questions

We need to answer two key questions to bridge the gap between the economic theory and the strategy implementation:

- How do we determine the stage in the business cycle?
- Given a stage in the business cycle, and the corresponding decision, for example a strong buy, how to quantify the decision (how strong is a strong buy)?

Our answers are :

- use Hidden Markov Models to determine the economic state;
- use Monte Carlo methods to optimize the parameters.



GDP Growth Rates & Changes in Inventories

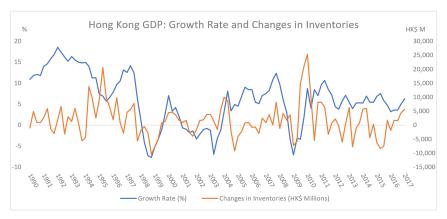
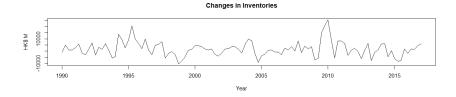


FIGURE - GDP & Changes in Inventories



Hidden Markov Models



Regime Boom Regime Boom 1990 1995 2000 2005 2010 2015

Regime Posterior Probabilities Based on Changes in Inventories

FIGURE - Regime Posterior Probabilities



Hidden Markov Models



Regime Posterior Probabilities Based on Moving Changes in Inventories Regime Boom Regime Boom Regime Bust Year

FIGURE - Regime Posterior Probabilities : Moving Windows



Stage Detection



FIGURE - Cycle



GICS

By and large, the industry sectors can be divided into 2 categories

- the economically sensitive, which performs well in the early stages of expansion;
- the more defensive, which enjoys higher returns during a recession.

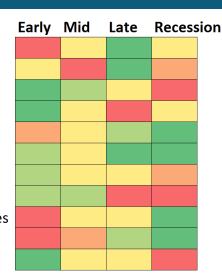
The GICS divides all major public companies into 11 sectors.

- Energy: Kunlun Energy (0135) ...
- Materials: Grand Ocean Advanced Resources (0065) ...
- Industrials: CK Hutchison (0001) ...
- Consumer Discretionary : Galaxy Entertainment (0027) ...
- Consumer Staples : Hong Kong Food Investment (0060) ...
- **Health Care**: Mingyuan Medicare (0233) ...
- **Financials**: Hang Seng Bank (0011) ...
- Information Technology : China Aerospace (0031) ...
- **Telecommunication Services** : *PCCW* (0008) ...
- Utilities: Hong Kong and China Gas (0003) ...
- Real Estate: Henderson Land (0012) ...



Strategy Decision

Sector Energy Materials Industrials Consumer Discretionary **Consumer Staples** Health Care **Financials** Information Technology **Telecommunication Services** Utilities Real Estate







Stock Selection with PCA

Overview

We apply PCA in stock selection

- apply PCA to the correlation matrix of stock prices;
- of or each principal component $PC^{(k)} = \sum_j c_j s_j^{(k)}$ whose eigenvalue $\lambda_k < \lambda_D$, find the stock $s_m^{(k)}$ with the largest coefficient in absolute value $|c_m|$, and then delete it;
- repeat steps 1 and 2 until
 - the number of stocks is below a minimum, or
 - 2 the lowest eigenvalues are above λ_S .

In one word, we remove the stocks that are most representative of the less representative.



Overview

Monte Carlo methods with ideas from Gibbs sampler

Definition Let θ_{SS} , θ_{S} , θ_{B} , and θ_{SB} stand for the multipliers respectively for strong sell, sell, buy, and strong buy.

Object find θ_{SS} , θ_{S} , θ_{B} , and θ_{SB} such that portfolio value $V(\theta_{SS}, \theta_{S}, \theta_{B}, \theta_{SB})$ is maximized.

Constraints $0 < \theta_{SS} < \theta_{S} < 1 < \theta_{B} < \theta_{SB} < \infty$ Method

Stage Detection

- \blacksquare initialize $\theta_{SS}^{(0)} = 0.25, \theta_{S}^{(0)} = 0.5, \theta_{R}^{(0)} = 2, \theta_{SR}^{(0)} = 4.$
- \blacksquare iteratively draw one θ while fixing 3 other θ s
 - draw a random sample $\theta_{SS}^{(1)}$ from $f_{SS}(\theta_{SS}|\theta_S^{(0)},\theta_B^{(0)},\theta_{SB}^{(0)};\mathbf{X})$, s.t. $\theta_{SS}^{(1)}<\theta_S^{(0)}$;
 - **2** draw a random sample $\theta_S^{(1)}$ from $f_S(\theta_S|\theta_{SS}^{(1)},\theta_B^{(0)},\theta_{SB}^{(0)},\theta_{SB}^{(0)}; \textbf{\textit{X}})$, s.t. $\theta_{SS}^{(1)} < \theta_S^{(1)} < 1$;
 - **3** draw a random sample $\theta_B^{(1)}$ from $f_B(\theta_B|\theta_{SS}^{(1)},\theta_{SB}^{(1)};\boldsymbol{X})$, s.t. $1 < \theta_B^{(1)} < \theta_{SB}^{(0)}$;
 - **4** draw a random sample $\theta_{SR}^{(1)}$ from $f_{SB}(\theta_{SB}|\theta_{SS}^{(1)},\theta_{S}^{(1)},\theta_{S}^{(1)},\theta_{B}^{(1)}; \textbf{\textit{X}})$, s.t. $\theta_{B}^{(1)}<\theta_{SS}^{(1)}$?
- repeat *m* times to obtain a sequence of random draws :

$$\left(\theta_{SS}^{(1)},\theta_{S}^{(1)},\theta_{B}^{(1)},\theta_{SB}^{(1)}\right),...,\left(\theta_{SS}^{(m)},\theta_{S}^{(m)},\theta_{B}^{(m)},\theta_{SB}^{(m)}\right)$$



Snapshot of Market Cap

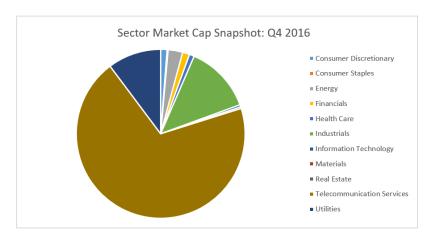


FIGURE - Snapshot



Tactical Titling Towards Robust Stocks

| | Negative Mean | Positive Mean |
|----------------------|-----------------|-------------------------|
| Positive Skewness | No Man's Land | Holy Grail of Investing |
| Negative Skewness | Dead on Arrival | Most Cases |

FIGURE - Skewness

We also consider applying kurtosis analysis and variance ratio tests.



Comparison with an APT Model Strategy

This strategy extends the idea of fundamental indexation by the Arnott et al paper. It forecasts the future returns and volatilities using fundamental figures, and then fits the prediction into a Markowitz framework, using Arbitrage Pricing Theory. The annualized return is around 10%.

1. Cross-sectional. multiple regression

Overview

2. Expected return

- $r_{j,t} = \sum_{i} \hat{P}_{i,t} \cdot P_{j,i,t-1} + u_{j,t}$ 2. Return
 2. Volume trend
 3. Asset /sales
 4. Income/sales
- $E(r_{j,t}) = \sum_{i} E(\hat{P}_{i,t}) \cdot F_{j,i,t-1}$

- 3. Covariance matrix
- $V = Cov(R_t) = F_{t-1} \cdot Cov(\hat{P}_t) \cdot F_{t-1}^T + diag(Var(U_t))$



s. t. $0 < \alpha < 0.15$

Weights

- 4. Optimal problem
 - 5. Weights



Comments ... and (Self-) Criticism

Reliance on Long-Term Cycles

Overview

- largely relies on the alternation of economic stages, which may take years
- requires longer-term historical data

Sector Rotation Causes Volatility

- shifting from one sector to another may cause volatility, transaction fees
- may under-perform others in terms of return/risk measure such as Sharpe ratio

We Invested in Hanergy Thin Film!

- stock has been suspended since 20 May, 2015
- price on 20 May, 2015 = HK\$3.91
- price on 19 May, 2015 = HK\$7.37
- price on 4 Jan, 2009 = HK\$0.072

