

- ① Scalars, positive, integers  
 ②  $0 < \text{day} < 32$ ,  $0 < \text{month} < 13$  → return  
 ③ leap years, feb,  $\rightarrow \leq 29 \rightarrow \text{valid}$   
 $> 29 \rightarrow \text{not valid}$  → return

④ Non leap years  $\rightarrow a = [31 \ 30 \ 31 \ 30 \ 31 \ 30 \ 31 \ 31 \ 30 \ 31 \ 30 \ 31]$

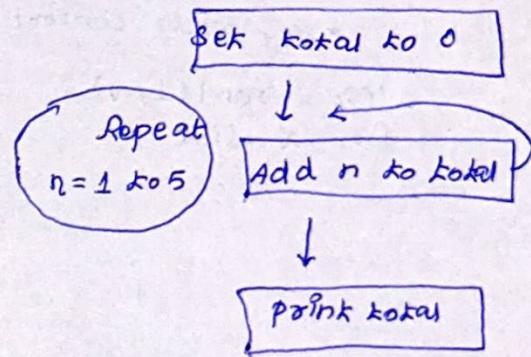
$a[\text{month}] \leq \text{day} \rightarrow \text{valid} \rightarrow \text{return}$   
 $\rightarrow \text{else} \rightarrow \text{not valid}.$

### Loops

$n = 1:5$ ; → matlab uses internally loop

`sum()` → loop is being used by matlab

	1	2	3	4	5
total = 0					
$n = 1$	$total = 1$				
2	$total = 3$				
3	$total = 6$				
4	$total = 10$				
5	$total = 15$				
loop ends					



### MATLAB for loop

`total = 0;`

`for n = 1:5`

`total = total + n;`

`end`

`fprintf ('total is %d\n', total);`

Debugging: click the number

1	→ Ready to debug
2	
3	'placed a breakpoint'
4	

### Points

loop {  
`for n = 1:5` → control statement  
`total = total + n;` → body  
`end`

### using break

`lpsk = rand(1,5);`

`for x = lpsk`

`if x > 0.5`

`fprintf ('large\n');`

```

else
    fprintf ('Small \n');
end
end

```

\* values assigned to the loop index don't have to be integers, regularly spaced or assigned in increasing order.

\* They don't have to be scalars either (columns of array)

\* Any other control statements can be used inside the body of the forloop

lpsk = rand(1, N)

$lpsk = [0.8147, 0.9058, 0.1270, 0.9134, 0.6324]$

for x = lpsk

$x = 0.8147$

:

$x = 0.9058$

:

$x = 0.1270$

:

$x = 0.9134$

:

$x = 0.6324$

x takes each element in each loop

>> rand(0) → we get same numbers from rand(1,5)

```

>> u = [5 4 8 8 2]
>> v = [5 5 7 8 8]
>> u - v → matlab uses loop.
>> for x = 1: length(u)
    w(x) = u(x) - v(x);
end
>> w
w = [0 -1 -1 0 -6]

```

```

>> length(u) = 5
>> u(1) = 5
>> u(2) = 4
>> u(3) = 8
>> u(4) = 8
>> u(5) = 2

```

### fibonacci

```

function f = fibo(n)
if (~isscalar(n)) || n < 1 || n ~= fix(n)
    fprintf ('n must be a true scalar integer \n');
end
f(1) = 0; f(2) = 1;
for x = 3:n
    f(x) = f(x-2) + f(x-1);
end
end.

```

\* Red bat training &  $P = A_0 \star A \rightarrow \text{same as } A_0 \star A$

$$[\text{row col}] = \text{size}(A)$$

for  $\sigma = 1 : \text{row}$

for  $c = 1 : \text{Col}$

$$P(\sigma, c) = A(\sigma, c) \star A(\sigma, c)$$

end

end

$$\begin{bmatrix} 1 & 2 \\ 3 & 4 \end{bmatrix} \star \begin{bmatrix} 1 & 2 \\ 3 & 4 \end{bmatrix}$$

$$A_{11} \star A_{11} \quad | \quad A_{21} \star A_{21}$$

$$A_{12} \star A_{12} \quad | \quad A_{22} \star A_{22}$$

Row 1  $\rightarrow c_1$   
            $\rightarrow c_2$   
 Row 2  $\rightarrow c_1$   
            $\rightarrow c_2$

) 2 for loop one inside others.

$$A = \begin{bmatrix} 9 & 10 & 3 & 10 \\ 10 & 7 & 6 & 2 \\ 2 & 1 & 10 & 10 \end{bmatrix}$$

\*

\*\*

\*\*\*

for  $x = 1 : 3$

for  $y = 1 : x$

fprintf(' \*');

end

fprintf('\n');

end.

★ ★ ★  
       ★ ★  
          ★

3  
   &  
   1

★ ★ ★  
       ★ ✗  
          ★

function Inv\_Kronee(n)

for  $x = 1 : n$

for  $y = 0 : x - 1$

fprintf(' \*');

end

for  $z = n : -1 : x$

fprintf(' \*');

end

fprintf('\n');

end

end.

function halfsum → input matrix - A  
→ o/p (summa)

$$A = \begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \end{bmatrix}$$

$$1+2+3+5+6+9$$

$1 \rightarrow 1$   
 $2 \rightarrow 2$  (Col starts with)  
 $3 \rightarrow 3$

### while loops

when we don't know no. of iterations,

e.g. +ve integers add upto sum = 50.

'while loop'

while condition

:

end

1, 2, 3, 4  
2, 3, 4  
3, 4  
4

function summa = halfsum(A)

[row col] = size(A);

summa = 0;

for x = 1 : row

for y = x : col

summa = summa + A(x, y);

end

end

end

Postsum.m

function y = approx\_sqrt(x)

y = x;

while abs(y^2 - x) > 0.001 \* x

$$y = (x/y + y)/2;$$

end

end

Busy: still working (may be  $\infty$  loop)

$$\text{root} = 0.5 * (x + (N/x))$$

'Newton's method'

{try to avoid using 'i' as variable}

↓ used as complex part

Next prime numbers?

function prime = next\_prime(n)

n = n + 1;

while ~isprime(n)

n = n + 1;

end

prime = n;

end

\* %% → section

\* Script has no arguments → uses workspace.

### Examples

%% Example 1

% skipping is accomplished in the while condition.

ii = 1;

while ii < length(readings) &&  
readings(ii) <= 100

readings(ii) = 0;

ii = ii + 1;

end

Replace all elements of an array - until you see a 100+ value.

Name ← 'array-0-up-to-100'

(Script 'array-0-up-to-100-for'  
with  
sections) 'array-0-up-to-100-index'

%% Example 2

for ii = 1 : length(readings)

if readings(ii) > 100

break

else

readings(ii) = 0;

end

end

%% Example 3

for ii = 1 : length(readings)

if readings(ii) > 100

break;

end

end

fprintf('first reading above 100 is  
at index %.d.\n', ii);

'publish' - web version will be 'use' - html file to publish.

$$A = \begin{bmatrix} 81 & 10 & 50 & 15 \\ 90 & 28 & 97 & 12 \\ 91 & 2 & 4 & 10 \end{bmatrix}$$

>> size(a, 1)

ans = 1

>> size(a, 2)

ans = 20

Run script

>> A

$$\begin{bmatrix} 0 & 0 & 0 & 0 \\ 0 & 0 & 97 & 12 \\ 91 & 2 & 4 & 10 \end{bmatrix} \rightarrow$$

when it sees  
90+  
stops &  
next step  
(09)  
turn to 0.

a = 1x20 matrix

for ii = 1 : size(A, 1)

→ zero'd

for ii = 1 : size(A, 2)

if A(ii, jj) <= 90

A(ii, jj) = 0;

else

break;

end

end

Logical indexing

\* Given a vector  $v$ , of scalars, create a second vector  $w$  that has only non-negative elements of  $v$ .

\*

'Elegant Solution?'

 $\gg w = [] ; jj = 1 ;$  $\gg u = [1, 2, 3]$  $\gg w = [w, u(jj)]$  $w = [1]$ 

Elegant

```
w = [] ; jj = 0 ;
for jj = 1 : length(v)
    if v(jj) >= 0
        jj = jj + 1 ;
        w(jj) = v(jj);
    end
end
```

```
w = [] ;
for jj = 1 : length(v)
    if v(jj) >= 0
        w = [w v(jj)] ;
    end
end
```

```
 $\gg w = []$ 
 $\gg b = [1 \ 2 \ 3]$ 
 $\gg w = [w \ b]$ 
 $\star w = [1 \ 2 \ 3] \rightarrow$  appending.
```

→ Much elegant - Ultimate solution.

'Logical indexing'

 $w = v(v >= 0); \quad [\text{Logical indexing}]$ 

↳ Index based on logic.

```
function numfreeze = freezing(a)
numfreeze = length(a(a<32));
end.
```

 $\gg c = [a>1, a<1, (3>2 \& 4>5)]$  $c = \begin{bmatrix} 1 & 0 & 1 \end{bmatrix}$  $\gg holmes = logical([1 -2 0 0.9 0])$  $holmes = \begin{bmatrix} 1 & 1 & 0 & 0 & 0 \end{bmatrix}$  $\gg [4 \ -1 \ 7 \ 5 \ 3] > [5 \ -9 \ 6 \ 5 \ -3]$ 

ans =

 $\begin{bmatrix} 0 & 1 & 1 & 0 & 1 \end{bmatrix}$  $r = rand(10, 1, 6);$  $holmes = [1 \ 1 \ 0 \ 0 \ 1 \ 1];$  $\partial(holmes) \rightarrow$  banned

'Index must be true integers / logic values'

$\gg a = [1 \ 2 \ 3 \ 4];$

$\gg a = a >= 0$

1 1 1 1

$\gg a = [1 \ 0 \ 1 \ 0]$

$\gg b = [2 \ 3 \ 4 \ 5]$

$\gg b(a) \rightarrow \text{can't be used}$

$\therefore a(0) \rightarrow \text{Invalid.}$

$\gg a(b) \rightarrow \text{Exceeds index}$

'can't be used'

valid

$\gg a = [1 \ 0 \ 1 \ 0]$

$\gg b = [2 \ 2 \ 2 \ 2]$

$\gg a(b)$

0 0 0 0

$\gg a = [1 \ 0 \ 1 \ 0];$

$\gg b = [2 \ 2 \ 2 \ 2];$

$\gg a(b > 2)$

$\hookrightarrow [ ]$

$\gg 1 \times 0 \text{ empty } \underline{\text{double}} \text{ row vector.}$

$\gg b = [2 \ 3 \ 4 \ 5];$

$\gg a(b > 2)$

$\downarrow$

[0 1 1] 1

$\gg 0 \ 1 \ 0 \text{ (last 3 columns)}$

### Note

We can use logical array as I/P

$\gg a = [1 \ 0 \ 1 \ 0]$

$a = [1 \ 0 \ 1 \ 0]$

→ Not logical

Even though it has 1's & 0's

$\gg a = \text{logical}(a)$

$a =$

1x4 logical array

1 0 1 0

$\gg b = [1 \ 2 \ 3 \ 4];$

$\gg b(a)$

1 3 → 1st column & 3rd column

Index 1 → Taken into account

Index 0 → Eliminate

$v(v > v_0) \rightarrow$  we get rid of elements that are not greater than the simultaneous element in  $v_0$ .

$v = [1 \ 2 \ 3 \ 4 \ 5]$

$v_0 = [2 \ 1 \ 0 \ 1 \ 5]$

$v(v > v_0)$

$\hookrightarrow [0 \ 1 \ 1 \ 1 \ 0]$

$v([0 \ 1 \ 1 \ 1 \ 0]) \rightarrow [2 \ 3 \ 4] \rightarrow \text{o/p}$

<sup>e</sup>logical arrays can be given as 'index' - size (length) - most succ.

$$V = [1 \ 2 \ -1 \ -2 \ 3 \ 4 \ 5]$$

$$\gg V(V < 0) = 0$$

$$V = [1 \ 2 \ 0 \ 0 \ 3 \ 4 \ 5]$$

$$\gg A = [1 \ 2 \ 3; 4 \ 5 \ 6]$$

A =

$$\begin{bmatrix} 1 & 2 & 3 \end{bmatrix}$$

$$\begin{bmatrix} 4 & 5 & 6 \end{bmatrix}$$

$$\gg B = A(A > 2)$$

B =

$$\begin{bmatrix} 4 \\ 5 \\ 3 \end{bmatrix}$$

→ why not  $2 \times 3$   
a column vector

$$\begin{bmatrix} 6 \end{bmatrix}$$

$$\begin{bmatrix} 4 & 5 & 6 \end{bmatrix} \rightarrow \text{Not a matrix}$$

'stability' - returns as column array.

'Matlab gives up keeping a  $2 \times 3$  array  
it saves as a column array'

$$A = \begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \end{bmatrix}$$

$$A = A(:) \rightarrow \begin{bmatrix} 1 \\ 2 \\ 3 \\ 4 \\ 5 \\ 6 \end{bmatrix}$$

$$A(A > 2) \rightarrow$$

$$\begin{bmatrix} 4 \\ 5 \\ 6 \end{bmatrix}$$

'Column vectors: In column major  
order'.

1st Column - 1st

$$\gg stem(x, y)$$

$$t = 0 : 0.001 : 1;$$

$$y = 2 * \cos(2 * \pi * 1000 * t);$$

$$\text{plot}(t, y);$$

$$f = 1000$$

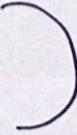
$$t = 0 : (0.001 / 1000) : (1 / 1000)$$

$$t = 0 : (0.001 / 100) : (1 / 100);$$

$$A = \begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \end{bmatrix}$$

$$A(A > 0) \rightarrow$$

$$\begin{bmatrix} 1 \\ 4 \\ 2 \\ 5 \\ 3 \\ 6 \end{bmatrix}$$



Column major  
order.

Set 5x5 array to 0

$$\gg \text{zero}(5); A = \text{randn}(5)$$

$$A(A < 0) = 0$$

A =

$$\begin{bmatrix} 0.05377 & 0 & \dots & \dots & \dots \\ \dots & \dots & \dots & \dots & \dots \end{bmatrix}$$

5x5 → continues.

`>> a = randn(5);`

`>> b = a(a < 0)`

`b =`

Column vectors

`>> a(a < 0) = 0`

5x5 matrix

'when a matrix: logic indexed right side: assigned to some other -  
major column wise transition happens'

'Left side:  $a(a < 0) = 0$  = Assignment (Inner): No transition happens'

$\therefore$  Since size always remains as matrix  
(which the previous case is not)

Right of  $=$  sign  $\rightarrow$  Column transition

Left of  $=$  sign  $\rightarrow$  No column transition.

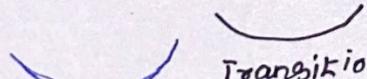
'Both sides' - Same matrix - No transition.

`>> A(A > 0.1) = sqrt(A(A > 0.1))`

5x5 matrix

$$A = \begin{bmatrix} 89 & 82 & 11 & 53 \\ 33 & 5 & 59 & 42 \end{bmatrix}$$

`>> A(A > B) = A(A > B) - B(A > B)`

  
No  
transition

$$B = \begin{bmatrix} 34 & 44 & 52 & 64 \\ 62 & 73 & 58 & 99 \end{bmatrix}$$

$$\begin{bmatrix} 55 & 38 & 11 & 53 \\ 33 & 5 & 1 & 42 \end{bmatrix}$$

$$A > B = \begin{bmatrix} 1 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \end{bmatrix}$$

$$B > A = \begin{bmatrix} 0 & 0 & 1 & 1 \\ 1 & 1 & 0 & 1 \end{bmatrix}$$

$$A(A > B) = \begin{bmatrix} 89 \\ 82 \\ 59 \end{bmatrix}$$

$$55 = 89 - 34$$

$$38 = 82 - 44$$

$$1 = 59 - 58$$

$$89$$

$$82$$

$$59$$

$$B(A > B) = \begin{bmatrix} 34 \\ 44 \\ 58 \end{bmatrix}$$

$$34$$

$$44$$

$$58$$

`A(A > B)`

$\hookrightarrow$  logical array as index (same size).

## Pre allocation

'Time a function'

Function: tick, toc [Stop watch]

```
>> tic;
>> sum(1:1000);
>> toc;
```

}      >> tic; sum(1,1000); toc

$$\begin{bmatrix} 1 & 2 & 3 & 4 & \dots \\ 2 & 4 & 6 & 8 & \dots \\ \vdots & \vdots & \vdots & \vdots & \dots \end{bmatrix}$$

```
>> function norealloc
N = 5000;
for jj = 1:N
    for ii = 1:N
        A(ii,jj) = ii * jj;
    end
end
```

>> tic; norealloc; toc

Elapsed time is 46.86124 seconds.

## Small alteration

function ~~norealloc~~

N = 5000;

A = zeros(N,N);

for jj = 1:N

for ii = 1:N

A(ii,jj) = ii \* jj;

end

end.

>> tic; prealloc; toc

Elapsed time is 0.596797 seconds

'78 times faster'

why: In norealloc: matlab has no idea how big the matrix is!

need to update every time in memory allocation

case: 2 - Already allocated

Just assign(update the value)

- \* Memory allocation - over & over - Take time. 21
- \* Most of the time - unnecessary (just initialize).

'Allocating before using (need) - Pre allocation.

Preallocate every time - Using large array - whose dimensions you know

matlab gives the same advice<sup>1</sup> - Note the script carefully.

$\text{A} \rightarrow$  size change on every loop  
(consider pre allocating)

loops - everywhere - without it - takes only billion years to solve problems.

$\max\_sum \rightarrow v$  (now vector),  $n$  (+ve integer)

$\rightarrow n$  consecutive elements of  $v$  (whose sum is the possible largest sum)

$$v = [1 \ 2 \ 3 \ 4 \ 5 \ 4 \ 3 \ 2 \ 1], n = 3$$

$$\therefore 4, 5, 4 = 13 \ (\text{largest sum})$$

2		
↓		
1, 2, 3, 4, 5, 6, 7, 8	$\rightarrow \text{length}(v) - 1$	
9, ( $n=2$ )	$9 (n=3)$ , up to	
8	7	
$n=2$	$n=3$	
$x(1) + x(2)$	$x(1) + x(2) + x(3)$	
$x(2) + x(3)$	$x(2) + x(3) + x(4)$	

$$\begin{array}{c|c}
\text{length}(v) - n + 1 \\ \hline
9 - 2 + 1 & 9 - 3 + 1 \\
8 & 7
\end{array}$$

$$\therefore \text{sum}(9 : 9 + n - 1) \quad \begin{array}{c|c}
& 1 : 4 + 3 + 1 \\
1 : 8 & 1 : 3
\end{array}$$

Key: \* Initial  $\rightarrow 1:n = \text{summa}$

\* In loop  $\rightarrow 1 : \text{length}(v) - n + 1$   
then

\*  $v(9 : 9 + n - 1)$

1:n

```

function [summa, index] = max_sum(v, n)
if n > length(v)
    index = -1; summa = 0; return;
end
index = 1; summa = sum(v(1:n));
for i = 1 : (length(v) + 1 - n)
    if sum(v(i:i+n-1)) > summa
        summa = sum(v(i:i+n-1));
        index = i;
    end
end.

```

>> [summa, index] = max\_sum([1 2 3 4 5 4 3 2 1], 9)

summa = 25  
index = 1      "Consecutive Sum" - maximum sum.

### week-8 - Data types

#### Limitation of Computers:

##### Real numbers in mathematics:

- \* can be infinitely large
- \* Have infinitely fine resolution - difference b/w two ~~diff~~ num can be only small
- \* "Computers - finite memory" - limit.
- \* memory can't store irrational numbers.
- \*  $\pi \rightarrow$  appr of  $\pi$ .
- \*  $\sqrt{2} \rightarrow$  appr of  $\sqrt{2}$

no. of values represented by ~~available~~ in matlab  $\rightarrow$  limited  
true of any language'

### Data types

\* set of values/operations that can be performed to those values.

- \* No. of dimensions
- \* size in each dimension
- \* Elementary type

→ matlab allows a gn function to be called with different data types - "strict rule": All elements of a gn array must be same type'

29  
»  $a = [1 \quad 2.2 \quad 3 \quad 4]$

$a = [1.0000 \quad 2.2000 \quad 3.0000 \quad 4.0000]$

»  $a = 2$

### datatype

double - default datatype for all numerical values  
(matlab)

» class(a)

double

» class(sqrt(-1))

double.

» whos  
points all the variables  
in the current  
workspace

» class(a)  
ans = double

↓  
Name      size      bytes      class  
ans      1x6      12      char

\* All scalars  $\rightarrow 1 \times 1$  matrix

\* String: now vectors of 'char' datatype

» class('sup?')

ans =  
char

» class(4 < 3)

ans =  
logical.

double  $\rightarrow$  64 bits (8 bytes)  
(Default)

$12.34 = 1234 \times 10^{-2}$

|

→ 'store 2 integers'  $\rightarrow 1234, -2$  to represent non-integers 12.34

1234  $\rightarrow$  mantissa

-2  $\rightarrow$  exponent

\* Matlab uses floating point representation for all doubles'  
'uses 8 bytes = 64 bits'

### single:

'other floating point type supported by MATLAB'

32-bit floating point

length  $\rightarrow$  only 32 bits, double  $\rightarrow$  64 bits  
(that's name)

Double: Extra space allows for more digits; double precision.

## Integers:

\* Signed & unsigned.

\* Sensors values: stored in computer: typically int, colors or pixels.

8, 16, 32 & 64 bit long (supports)  
various

more bits - wider range.

double → Inf, NaN [out of range values - also double type]

Inf →  $\frac{1}{0}$  (00) any value greater than the largest value that can fit in to double.

NAN → Not a number. [invalid value  $\frac{0}{0}$ ]

## useful functions

>> class(1)      >> isa(x, "double")  
double                  ↓  
↓  
Particular type.      true/false.

## Range check

intmax, intmin — maximum & minimum of integer types

realmax, realmin

max & min for the floating point type.

```
>> intmax  
&147483647  
  
>> intmin  
-&147483648  
  
>> realmin  
2.2251e-308  
  
>> realmax  
1.7977e+308
```

## Conversion

Name of function = name of desired data type

\* int8(x)   \* uint8(x)   \* double(x) etc..

## operators

\* Arithmetic

→ same data - no problem  
→ mixed mode → many rules & restrictions

>> a = uint32(2);

>> a - 1.54

ans = 0

uint32

>> a - 1.34

ans = uint32

1

Relational data type:  $\rightarrow$  Any data type

Result: Always logical

$$x = \text{single}(98.76) \quad n = \text{int8}(-16) \quad m = \text{uint16}(1234) \quad k = \text{uint8}(500)$$

$$x = 98.7600$$

$$n = -16$$

$$m = 1234$$

$$k = 500$$

$$k = 255$$

max value = 255

$$k = \text{uint8}(256)$$

$$k = 255$$

↓

max value

$$\gg k = \text{uint8}(-1)$$

$$k = 0$$

↓

unsigned

class(k)

uint8

'matlab converts within  
its fixed bound'

↓

fix8.

Nearby uint8 value - fitted

$$\gg k = \text{uint8}(2)$$

$$\gg \text{class}(k)$$

$$\text{uint8}$$

$$k = 2$$

$$\text{class}(k)$$

$$\text{double}$$

→ The very moment we assign  
k, data type changed.

$\gg k = \text{"It makes sense"}$

$\gg k =$

It makes sense

$\gg \text{class}(k)$

'chaos'

$$\text{intmax("uint8")} \rightarrow 255$$

$$\text{intmin("uint8")} \rightarrow 0$$

$$\text{int32} \rightarrow 0$$

$$\rightarrow -2147483648$$

$$\text{double} \rightarrow 1.7977 \times 10^{308}$$

$$\text{single} \rightarrow 1.17 \times 10^{-38}$$

(min)

$\gg a = \text{"hello";}$

$\gg \text{uint32}(a)$

→ ASCII

104 101 108 108 111

$\gg \text{uint32}(\text{"Hello"})$

72 101 108 108 111

### Strings

→ fprintf: String-Vector of char-s

→ char: numerical data type → Encoding, decoding scheme

→ ASCII scheme.

\* ASCII - 1960 (7 bits long - 128 characters)

\* few more schemes were developed.

pprint-ascii.m - prints all ascii values

function char-codes

for i = 33:126

fprintf('%.s', char(i));

end

fprintf('\n');

same result

fprintf('%.s', i);

↳ converted implicitly  
'%.s'

'matlab-gn a character, & produces a pixel pattern - that  
symbolizes - something to us'

>> a = 'MATLAB for Smarties'

>> a(1)

M

>> a(1:6)

MATLAB

>> a(end-8:end)

ans = Smarties.

compare arrays

>> a = 'Kernel'

>> b = 'Colonel'

>> a == b

matrix dimensions must agree' - Not same size.

>> c = 'matlab'

>> b = c(end:-1:1)

'Balkam'

>> c == b

[0 1 0 0 1 0] → logical.

'There must be an other way'

>> a = 'hello';

>> b = double(a);

vector

>> b = char(b+3)

encrypt

Khoogn

↓ Decrypt

char(b-3)

↓  
Implicit Conversion  
then again to char

>> line1 = '1 2345'

>> line2 = 'hello'

>> hxb = [line1; line2] →

>> hxt'

.1h

.2e

.3l

.4l

50

1 2 3 4 5  
h e l l o



>> P999 + 1 (ASCII then + 1)

52 47 50 53 50 55

→ Implicit Conversion

$$3 \rightarrow 52 + 1 = 53$$

>> Str2num(P999)

3.1416

>> ans + 1

52 47 50 53 50 55

>> fprintf ('The area of a circle with  
radius %.2f is %.2f !\n',  
r, pi \* r^2);

The area of a circle with radius 12.00  
is 452.39!

>> sprintf ('... , r, pi \* r^2);

→ Nothing in Command window

>> Skr = sprintf ('... , r, pi \* r^2);

>> Skr

Skr =

The area of a circle with radius 12.00 is 452.39!

sprintf → can be taken as op argument (saved to a variable)

>> class (Skr)

ans =

char

caesar's cypher → Encryption algorithm

caesar → (vector, shift amount)  
→ coded

space to ~ → 32 through 126

It's shift from space to Space(1)

-1 (Space to ~)

encr = 32:126 → 95

From 32 to 126 → 95 columns.

'ABCD' → 65, 66, 67, 68

when  $x+n > 95 \rightarrow \text{mod}(x, 95)$

Skr = Skr + 0; → [65 66 67 68]

① n → must be smaller than 95

$$1 - 2 \rightarrow 94$$

Skr(1) = 32  
Skr(x) - 31 + n > 95

$$95 + x + n$$

Skr

(09)

Skr = Skr - 31;

① Bound  $n$  to 1 to 95 → mod( $n, 95$ )

② Bound  $skr(x) + n$  to 1 to 95 → 0 to 95  $skr(x) = skr(x) + n$

→ greater than 95  
 $skr(x) = \text{Mod}((skr(x) + n), 95)$   
 ↓ less than 0

$$skr(x) = skr(x) + n + 95.$$

③  $skr = skr + 31$

$skr = \text{chaos}(skr)$

function coded = caesar( $skr, n$ )

$skr = skr - 31;$

for  $x = 1 : \text{length}(skr)$

while  $\text{abs}(n) > 95$

$n = \text{mod}(n, 95);$

→ caesar.m

end

caesar\_Sol.m

if  $skr(x) + n > 95$

$skr(x) = \text{mod}((skr(x) + n), 95);$

elseif  $((skr(x) + n) \geq 1 \ \& \ (skr(x) + n) \leq 95)$

$skr(x) = skr(x) + n;$

else

$skr(x) = skr(x) + n + 95;$

end

end

coded = chaos( $skr + 31$ );

end.

back = caesar(wrap, -96) → wrap = '2345' → '1234'

[50 51 52 53]

[49 50 51 52]

$$50 - 96 = [-46 \ -45 \ -44 \ -43]$$

$$(-46 - 32), (126 - 32 + 1)$$

$$\text{mod}(wrap - first, last - first + 1) + first$$

$$-46 - 32, 126 - 32 + 1 \rightarrow 49$$

$[50 \ 51 \ 52 \ 53]$ , -96

first = double (' ') ;

$$\star k \times k = (50 - 96) = -46$$

last = first ('~') ;

$$\star k \times k - 32 = -78 \rightarrow \text{bound}$$

lock = double (lock) + key;

$$\star \text{mod} (-78, 95) \rightarrow -78$$

lock = char (mod (lock - first, last - first + 1)

+ first);

$$\star \text{Again } + 32$$

circshift - shifts the positions of elements circularly.

\*  $\left[ \dots : ' ~' \right] \rightarrow$  shift 96 times backwards circularly.

\* we can have our element.

### Take index of gn vectors.

function caesaron = Circshift(v, n)

$v_1 = v(1 : ' ~' )$  ;

$[~, v] = \text{ismember}(v, v_1)$ ; → returns position matrix of v in v,

$v_1 = \text{Circshift}(v_1, -n)$  ;

↳ forward



caesaron =  $v_1(v)$

end.

$\Rightarrow \text{mod}(8, 2)$

mod

0

$\gg \text{mod}(2, 8)$

2

$\therefore$  Bound ~~to~~ to 95 ( $\because$  gn is 32 to 126)

$\rightarrow \therefore \text{gn} - 32$

$\rightarrow \text{mod}(\text{within } 95, 125)$

↳ ans

$\rightarrow \text{mod}(\text{above } 95, 95)$

Some answer b/w 1 to 95.

$\therefore$

$\rightarrow \text{ans} + 32 \rightarrow \text{conv to char.}$

no need  
to  
short n  
when  
95.  
 $\text{mod}^9 \rightarrow \text{ans}$

```
function Codeas = Caesar(v,n)
```

```
Codeas = v - 31 + n;
```

```
Codeas = char(mod(Codeas,95) + 31);
```

```
end.
```

'Caesar - do - my problem.m'

### Struct

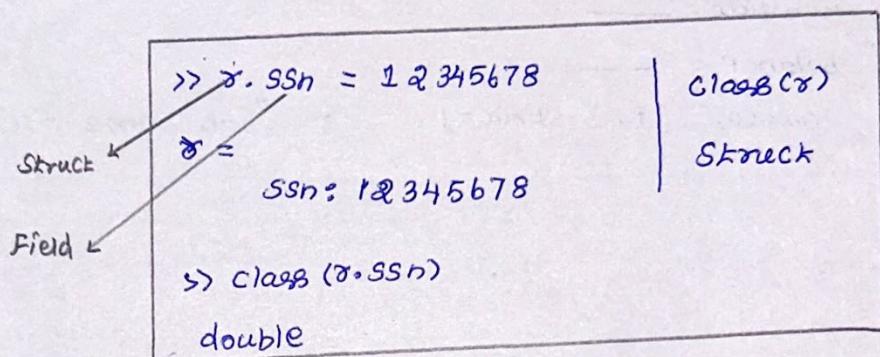
\* homogeneous - array

\* heterogeneous - Struct → fields (not element)

Access by field names, not indices

fields in the same struct can have diff types.

field eg a struct can contain another struct



>> x.name = 'Homer Simpson'

>> x =

SSN: 12345678

name: 'Homer Simpson'

x.address.Street = '742 Evergreen Terrace'

>> x =

SSN: 12345678

name: 'Homer Simpson'

Address : [1x1 struct]

'struct inside struct'

arrays can hold structs

structs can hold arrays

\* field eg a struct can be arrays (homogeneity)

field → It has certain field

setfield → assigns a field (dynamic - while running)

rmfield → remove a field

struct → create a struct with certain fields.

### Bank account

```
>> account.number = 1234;
```

```
>> account.balance = 5000 ;
```

```
>> account.owner.name = 'Hari'
```

>> account.owner.email = 'N@I'

>> class(account)

ans = struct.

>> account.owner

ans

name = 'Hann'

email = 'N91'

### Array of Struct

>> account(2).numbers = 123456

account =

1x2 Struct array with fields  
numbers  
balance → owners.

**Struct array: Same fields.**

>> account(2).owners

ans = []

→ Not assigned yet.

>> account(2)

numbers = \_\_\_\_\_

balance = \_\_\_\_\_

owners = [1x1 struct]

>> account(1).owners.name

↓  
can have  
different  
values

'But same fields'

>> length(account(1).owners.name)

ans = 9

>> account(1).owners.age = 23

>> account =

1x2 struct with fields

numbers

balance

owners

→ only fields (enough)

are equal

↓  
value can be different

∴ That's why owners(acc(1))  
has age

acc(2) → has no age.

'field Prefide field need not to be homogeneous'

>> account(1:2).owners

ans =

name: 'Joe Smith'

email: 'joe@mat'

age : 23

owners - Is the field  
need to be  
common.

'Not values'

ans =

name: 'Jane Farmer'

homogeneity.

Struct array: fields must be homogeneous  
values can be different

>> qfield(account(1).owners,  
'age')  
ans = 1

>> qfield(account(2).owners, 'age')  
ans = 0

>> rmfield(account(1).owners, 'age');  
↳ can't change just changes  
'Need to assign'

>> account(1).owners  
ans =  
name: 'Joe' → (just returns  
email: 'Joe'  
age = 23 version alone)

>> account(1).owners = rmfield(account(1).owners, 'age')  
↳ Now age will be gone.

>> course = struct('Area', 'CS', 'number', 103, 'title', 'Intro to matlab');

course =

Area: 'CS'  
number: 103  
title: Intro to matlab

I/P arguments come in  
pairs

\* Setting values of fields by processing a list values: (field:

↓  
come from function (LISP) ↓  
value pairs  
List processing  
(AI - still used).

Cells -

\* Store a page of text

\* 'Each line - separate string' :

\* Array → Each row should be of same length  
(Not a good way)

\* Storing in a single string = not appealing

\* Each line in separate string = link each strings

'Special objects' - pointers

- \* Idea: Vectors of special objects linking to each lines.

### Pointers

- \* each variable (anything) - stored in memory - Address (index)
- \* consecutive address - neighbours cells

\* MATLAB calls a pointer a "cell"

\* Pointer (variable) - stores address

### cells

\* MATLAB doesn't allow - treat a cell as if it were a numbers

\* strict rule - harder to make mistakes.

\* cell arrays - like structs - group heterogeneous data together  
(Index with numbers) - so used more frequently than structs.

### Access Index

{ }

>> page{1} = 'you could find'

>> whos

workspace

>> class(page)

ans = cell.

>> class(page{1})

char

>> size(page{1})

ans =

1 47

### page

page{1} = 'HP';

page{2} = 'Hello';

page{3} = 'Fine';

fprintf(' \n');

for i = 1:length(page)

fprintf('%s \n', page{i});

end

fprintf(' \n');

→ display page

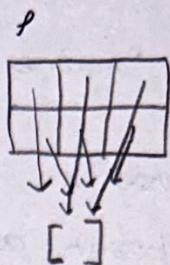
(cell)

Cells are not just strings

$\gg P = \text{Cell}(2, 3)$

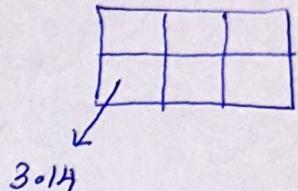
$P =$   
[ ] [ ] [ ]  
[ ] [ ] [ ]

'Blank' - Each element has an address  
of the empty array.



$\gg P[2, 1] = \pi$

$P =$   
[ ] [ ] [ ]  
[3.14] [ ] [ ]



\* address is assigned - not - the value  $3.14$ .

\*  $3.14$  stored to some more - address stored in  $P[2, 1]$ .

'Still P is homogeneous'



All elements are cell type

(even though Pt prefers [ ] & scalars)

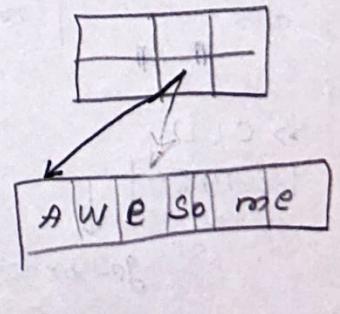
∴ It stores address alone : cell type

matlab cell array model allows individual elements to point at different types - but elements themselves are same data type  
(cell type)

'Address alone copied - not object itself'

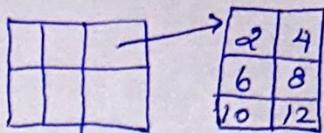
$\gg P[2, 2] = \text{"Awesome"}$

\* Pointed at first character of Awesome  
because the address used from  
vector / mat / anything - is that its  
first element.



`>> P{2,3} = [2 4 ; 6 8 ; 10 12]`

'Again points of first element'



In fact: makes no difference what element  $P_k$  points at, because MATLAB doesn't allow to look at

- \* numerical address
- \* can change  $P_k$ .

→ 'strict control'

`>> P{1,3} = sum(P{2,3});`

↓  
storage  
pointer.

Right side: object need to be retrieved  
instead of address.

`sum(P{2,3});` →  
↓  
[18 24]      Location is saved in  $P{1,3}$

1/0 → Inf

`>> class(P{1,2})`

ans =  
double

cell  
object

`>> class(P(1,2))`

ans =  
cell

cell  
itself

→ matlab doesn't allow to  
see/change cell values.

`>> P{2,3}(3,2)`

ans =

12

{2,3} → retrieves 2,3 object

`C{1} = 3.14`, `C{2} = "Hello"`

`>> C{1}`  
ans =  
3.14

`>> C{2}`  
ans =  
Hello

`>> C(1)`

[3.1456] ↴

got brackets - looking at a pointer

$$\begin{pmatrix} 2 & 4 \\ 6 & 8 \\ 10 & 12 \end{pmatrix}$$

then looks (3,2)

↓

12.

`>> C(2)`

"Hello" → with quotes

→ look at pointers.

NO quotes - string

QUOTE - NOT a string  
(cell)

? Matlab doesn't allow two cells to point an object? (Same)

>> C1 = {[1 2], [10, 20]}

>> C1 = [1x2 double] [1x2 double]

>> C2 = C1

C2 =  
[1x2 double] [1x2 double]

>> C1{1,1}

ans =

1 2

>> C2{1,1}

1 2

>> C1{1,2}

ans =  
10 20

>> C2{1,2}

ans =  
10 20

If same object: change at one position  
change others.

>> C1{1,1} = 'Straw'

C1 =  
'Straw' [1x2 double]

>> C2{1,1}

ans =  
1 2 → no change.

? It takes a copy in other cell - then assigns that  
copied values address in cell - Not change the original.

? Cell pointers model: make copy - don't allow two cells point a  
single address?

C2 → points copy      ) not same - don't change  
C1 → points original      address simultaneously.

↓  
Not enforced by most languages C, C++, Java.

↓  
more flexible.

? Matlab has two pointers → 1 (don't share two address)  
→ 2 (like other languages)

Rarely used: rarely needed often numeric problem solving.

cell → create cell

Sparsematrix → mostly zeros (matrix with most value zero)  
↳ store where not zero alone (Save space)

### Sparse matrix

- \* cell vector - first element - size
- \* second element - default value.

cell vec = {[2,3], 0, [1,2,3], [2 2 -3]};

funktion matrix = sparse2matrix(v)

row = v{1}, 1 } (1, 1);

col = v{1, 1} (1, 2);

def = v{1, 2};

matrix = def \* ones (row, col);

for x = 3: length (v)

x = v{1, x} (1, 1);

c = v{1, x} (1, 2);

matrix (x, c) = v{1, x} (1, 3);

end

end

b = v{1};

def = v{2};

matrix = def \* ones (b);

for x = 3: length (v)

x = v{x};

matrix (x(1), x(2)) =

x(3);

end

end.

Refers,

0	3	0
0	-3	0

>> a = {[2,3], 0, [1,2,3], [2 2 -3]};

>> b = a{1};

b =

2 3

>> matrix = ones (b);

matrix =

1 1 1

1 1 1

>> c = a{3};

c =

1 2 3

>> c(1)

1

>> c(2)

2

>> c(3)

3

>> c = a(3) → cell

{[1 2 3]} → (not array)

we need array not cell

use curly braces

## The String Type - 2017 - intro

Problems: using char to hold strings - matlab introduced some features.

```
>> fruit = 'Strawberries'
```

```
>> class(fruit)
```

ans = "char"

```
>> size(fruit)
```

ans = 1 12

String - Inform way of denoting  
vector of characters  
'Row vector'

→ up to 2014 version no single quotes

MATLAB - uses quotes now  
(2017)

```
>> a = 'Straw'
```

a =

'Straw'

### Other String type

```
>> a = "Hello"
```

a = "Hello"

```
>> class(a)
```

"String"

```
>> size(a)
```

ans =

X

See?

1 1 (not  $1 \times 5$ )

Any function: handles char & String as same.

```
>> fprintf('Hello');
```

Hello

```
>> fprintf("%Hello");
```

Hello

'works similarly'

→ No difference

```
>> a = "The grain in Spain's
```

```
>> strfind(a, "in")
```

ans =

7 10 16 27 32 42

```
>> b = "Bushy-headed trainee"
```

```
>> strfind(b, "in")
```

ans =

17 22 38

Every substring starts with a lowercase or followed by more lowercase letters

regexp → regular expression

```
>> regexp(b, "[a-z]+z")
```

$a[a-\sigma] + \sigma$

skipping with a → lowercase → ending with σ

Concept: function working fine with both char & string.  
‘polymorphic functions’

function out = my\_str\_function(in)  
out = in(end:-1:1);

→  $\gg \text{my\_str\_function}(\text{"Straw"})$   
out = ‘works’

$\therefore \gg \text{size}(\text{"Straw"})$   
ans =  $1 \times 1$

$\gg \text{my\_str\_function}(\text{"Straw"})$   
out = ‘Straw’ → No change

$\gg \text{my\_str\_function}(\text{char}(\text{"Straw"}))$   
ans = ‘works’

switch back & forth

$\gg \text{String}(\text{ans})$   
ee works

ee → ee (prints)

‘String doesn’t fall into the limitations of char type’

$\gg a = [\text{"ace"} ; \text{"King"}]$

a =  
 $2 \times 1$  String array

[ ‘ace’ ; ‘King’ ] Not same size  
Please eq char

$\gg a = [\text{ace} ; \text{King}]$

dimensions must be consistent

$\therefore \text{size}(\text{ace}) \rightarrow 1 \times 3$  Columns  
 $\text{size}(\text{King}) \rightarrow 1 \times 4$  different

$\text{size}(\text{"ace"}) \rightarrow 1 \times 1$

$\text{size}(\text{"King"}) \rightarrow 1 \times 1$

$\gg a = [1 2 3 ; 1 2 3 4]$

‘dimension error’

$\gg a = [\text{"ace"}, \text{"King"}]$

$\gg b = \text{char}(a)$

$2 \times 4$  Char array

‘ace’ → empty space  
‘King’

matlab using  
char adjusts to  
max no. of columns  
(padding space)