

$$f(n) \begin{cases} f(0) \text{ base} \\ f(1) \\ f(k+1) \end{cases}$$

Recursion
 ↳ function calling itself.

Parts of a Recursive solution

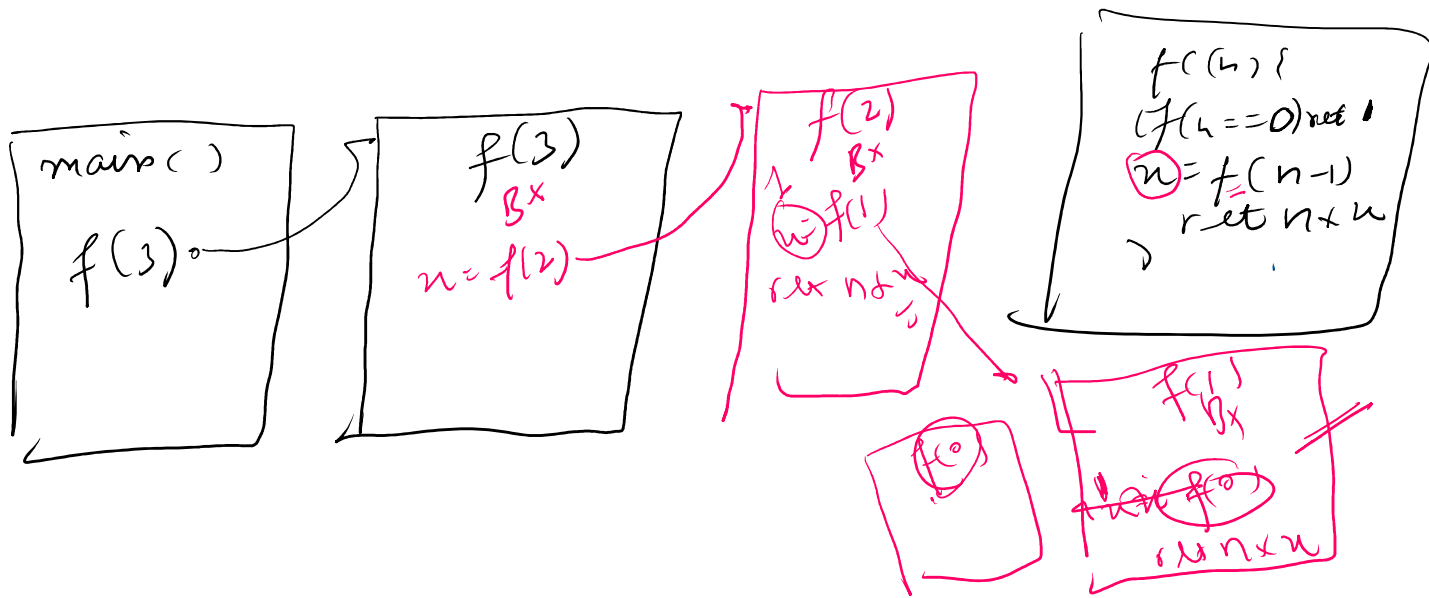
- Base case
- Recursive call (man to find answer anyway)
- self work

```

fact (n) {
    if (n == 1) return 1;
    n = fact(n-1);
    return n * n;
}
    
```

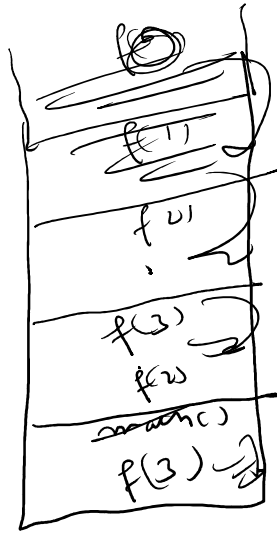
→ Base case → The smallest case for which the answer is obvious

→ Base case → the ... which the answer is obvious / already known.



⊛ Base case is used to terminate the recursion.

If not written / written incorrectly, you will end up in an infinite recursion loop → Stack overflow error



Time $O(n)$
 S - $O(n)$

⊛ Base case is always written on the changing variable

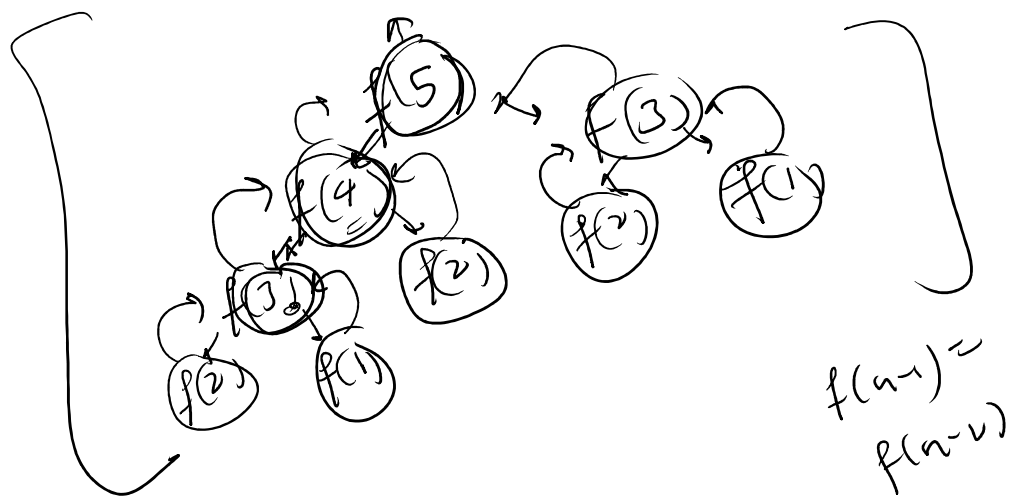
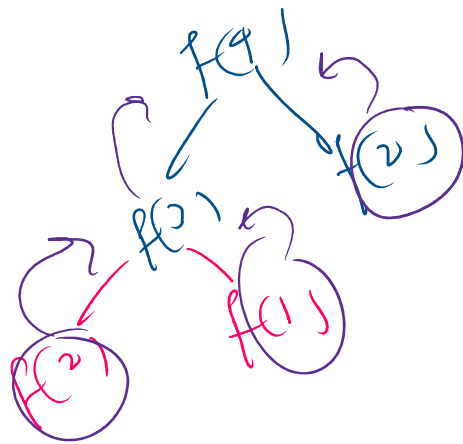
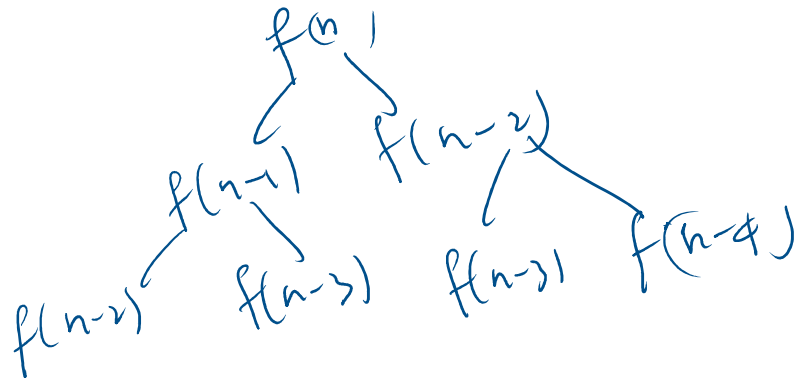
fib

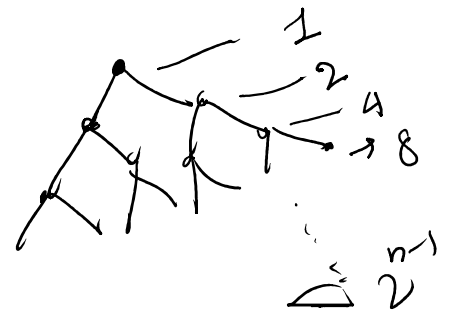
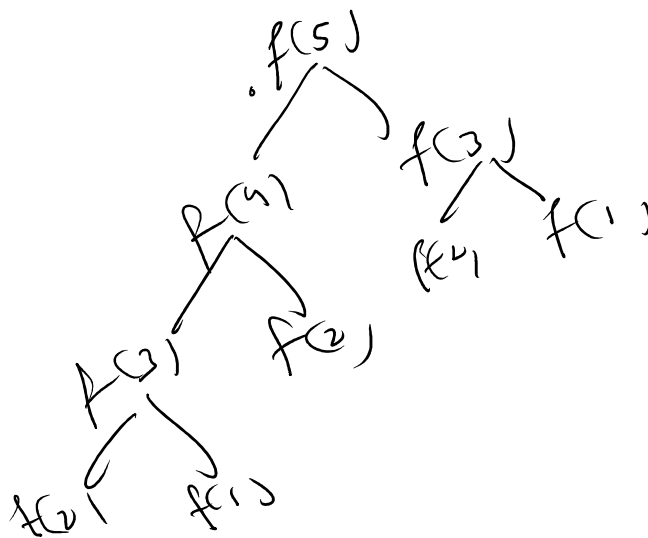
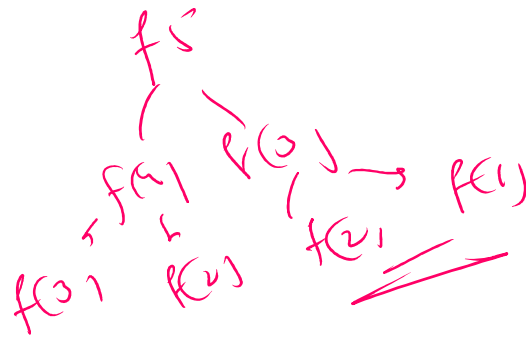
fib(n)
 ↓

0 1 1 2 3 5 8

fib(n) {
 if (n == 1) ret 0;
 if (n == 2) ret 1;
 f1 = fib(n-1)
 f2 = fib(n-2)
 ret f1 + f2
}

$$2 \quad f_2 = f_1 + f_2$$





④ Whenever there is branching in your recursion, use the formula to find T.C.

$$(N \& \text{ of Branches})^{\text{depth of recursion}}$$

(No. of Branches)