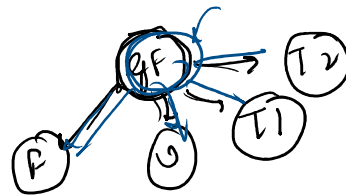
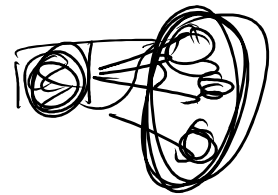
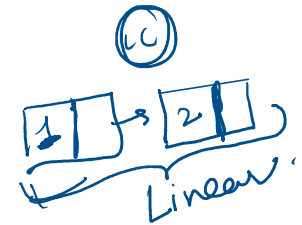
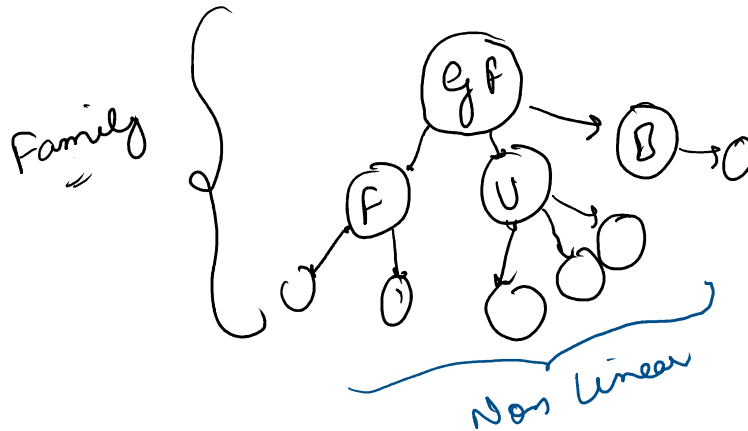
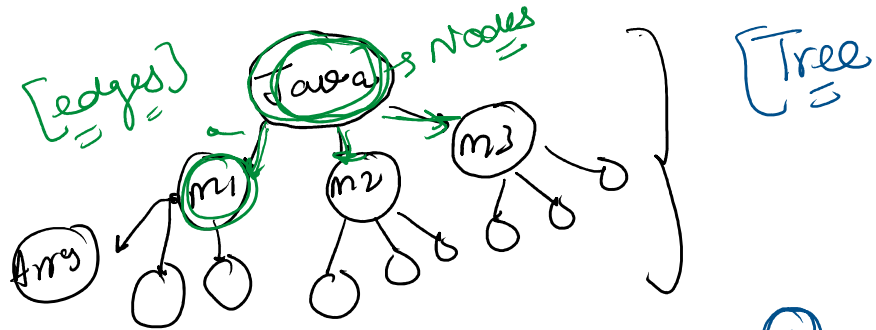


3.16 - Binary Trees - 1

Thursday, August 14, 2025 9:02 PM

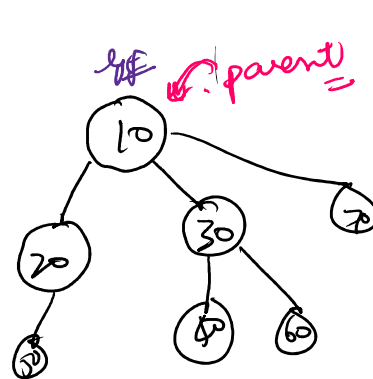
Trees



Class Node {
int data;
ArrayList<Node> links;

Terminology

grand
children



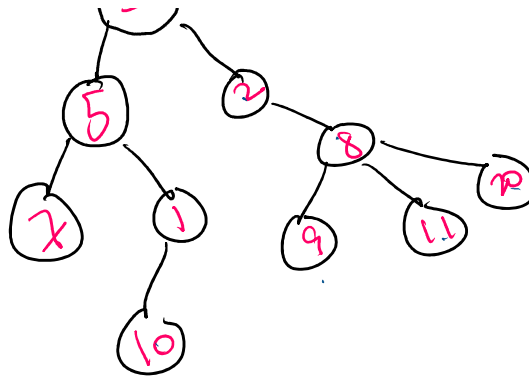
(20), (30), (70)
child nodes

⇒ Generic / N-ary tree: A tree where a node
can have any no / N number of children

⇒



10 nodes
9 edges



9 edges

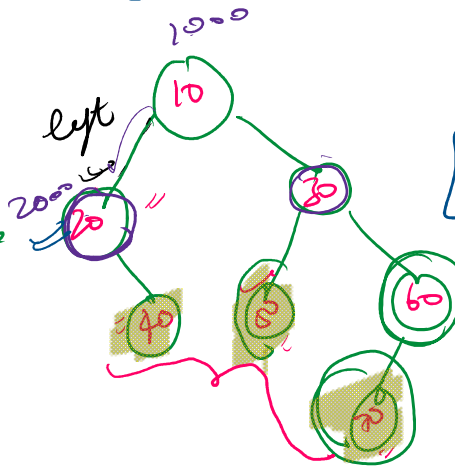
→ A tree with (N) nodes has $(N-1)$ edges.

Binary Tree

↳ at most 2 children → 0, 1, 2

```

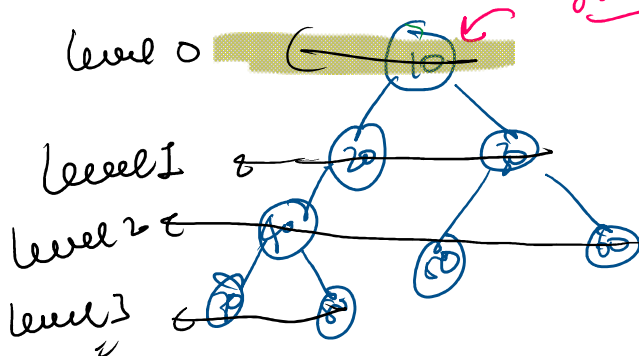
class Node {
    int data;
    Node left;
    Node right;
}
  
```



Binary Tree

Leaf Nodes
↓
Nodes with 0 children

Levels in a Tree



Root Node
origin of the tree

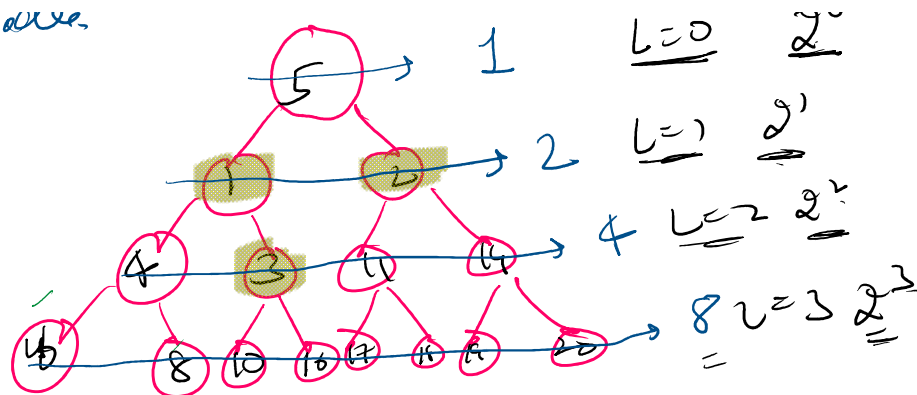
level == generation

Perfect Binary Tree

→ where every node has exactly 2 child nodes.

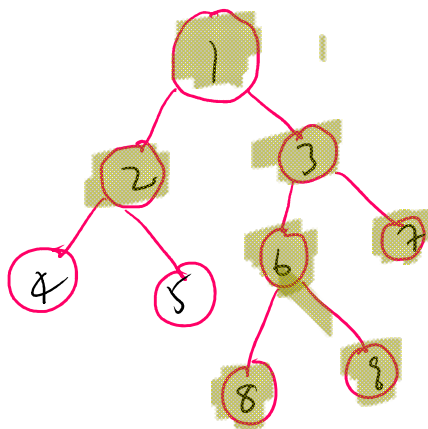
5 → 1 $L=0$ 2^0

NAME



Full Binary Tree

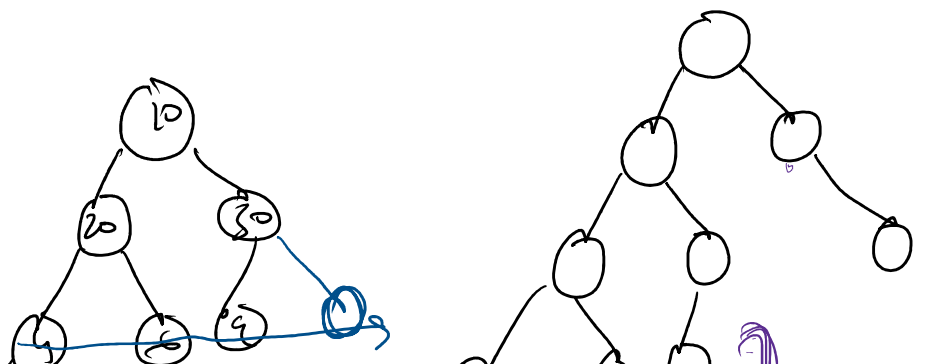
Full Binary Tree
→ where every node will have either 0 or 2 child.

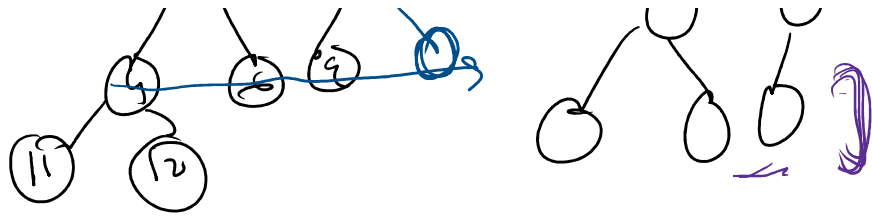


Complete Binary Tree

Comp level = Binary tree =

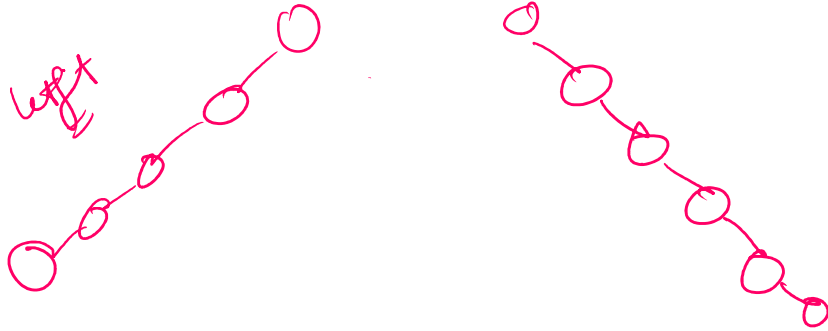
→ where every level will have the max no of nodes except the last level. All the nodes on last level will be as left as possible





Skewed Trees

→ where every node is in same direction



Height of a Tree

→ Distance b/w the root node and the deepest

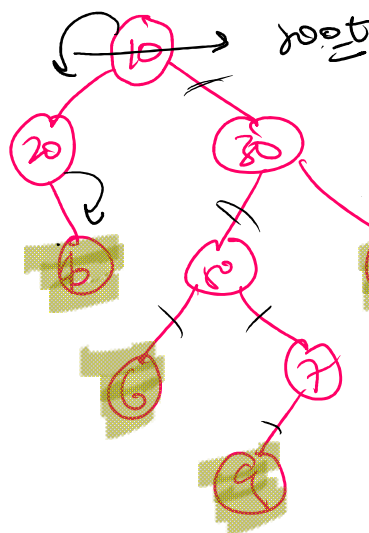
leaf node in terms of edges

root → 40 } 2

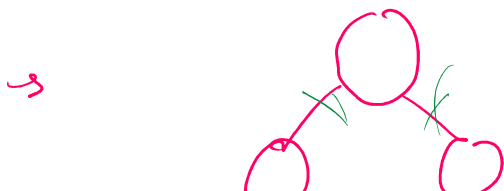
60 } 3

9 } 4

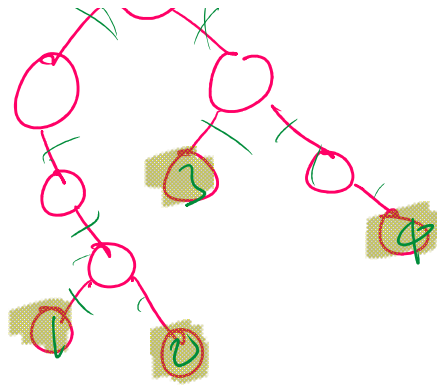
8 } 2



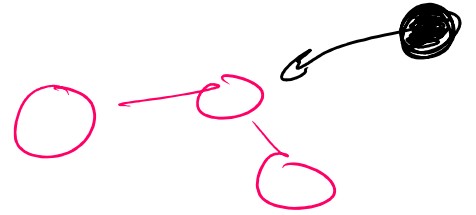
→ 4



In terms of edges



Inter connected network

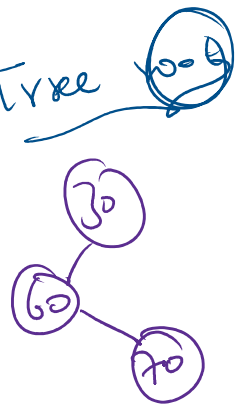
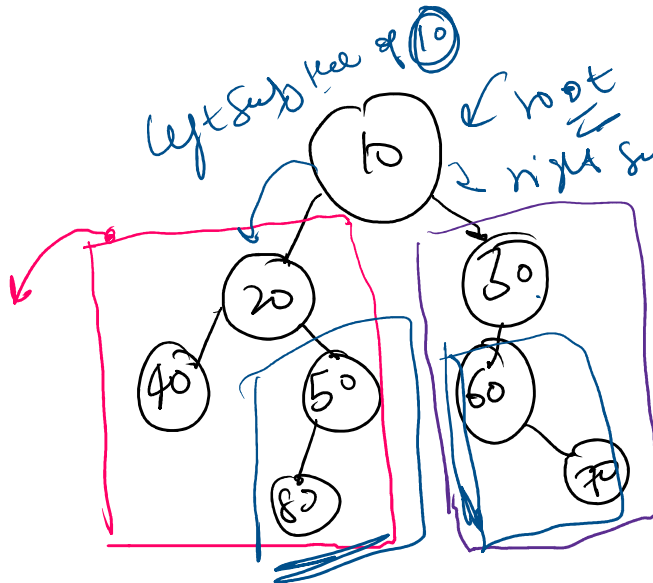
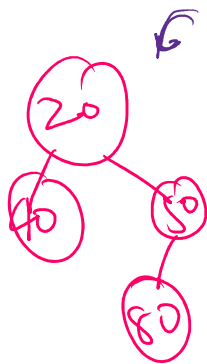


Balanced Tree

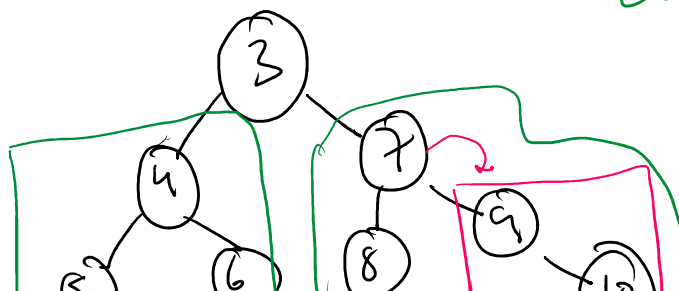
→ where every node is balanced

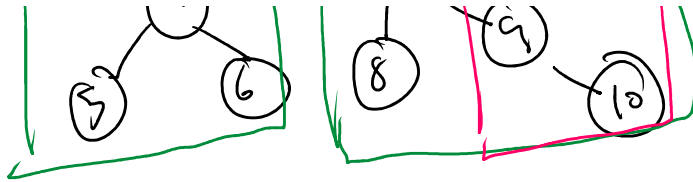
Height of L.S.T - Height of R.S.T.

⇒ SubTree

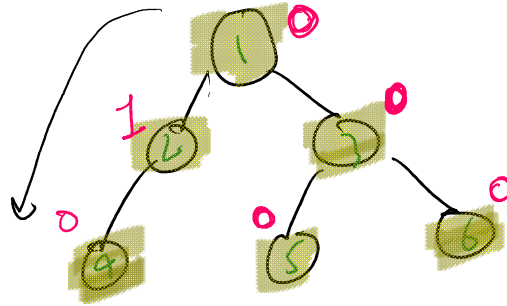


L.S.T(3) → 4



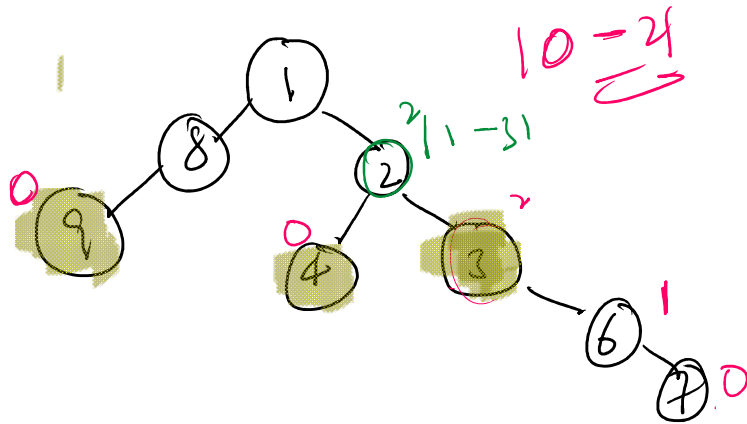


1-1
11-01 LL



10-01 LL
Balanced

unbalanced



10-21 LL
10-11 LL

- Subarray sum divisible By K [] class
- Integer to Roman
- Distinct element in a window of size k