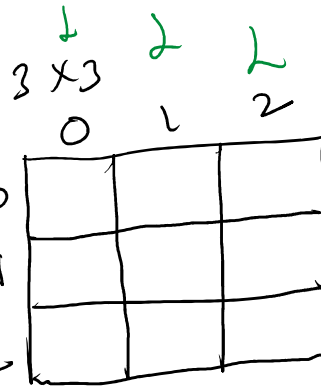


Class 7 - 2D Arrays

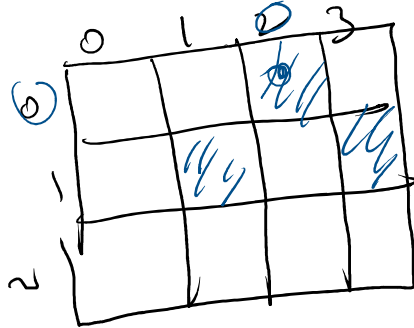
Saturday, April 26, 2025 12:37 PM

#

matrix



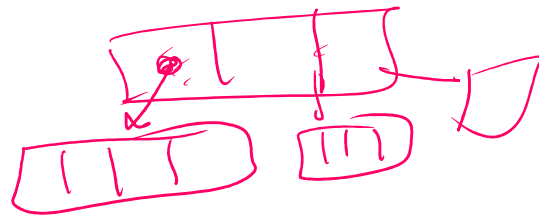
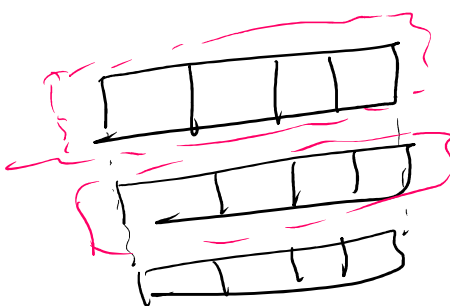
3x4



(1,1)
(0,2)
(2,3)

→ `int arr[3][4] = new int[3][4];` rows cols
matrix of 3x4

Memory Representation



arr[1][2]

arr[2]

arr[2]

arr[2]

arr[2]

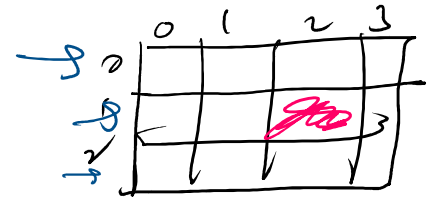
arr[2]



(1,2)



arr[2][0]



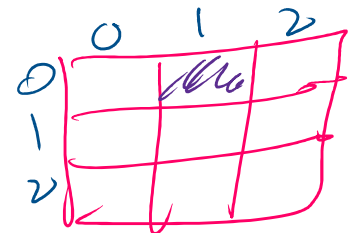
How to use 2D arrays

→ Visualize as 2D matrix

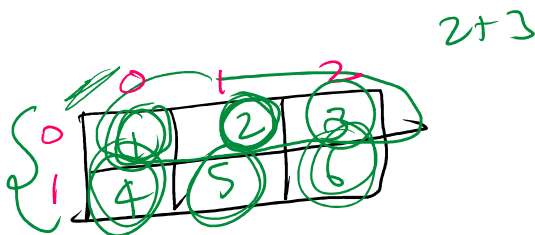
→ Row is represented by i

→ Col ————— by j

(i, j) (0,1)



(3,3)



rows = 2

col = 3

for (row = 0)

for (col = 0)

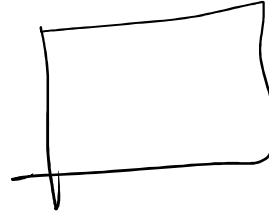
sort(arr[i][j])

r	c	arr[r][c]
0	0	1
0	1	2
0	2	4
1	0	3
1	1	5
1	2	6

Jagged array



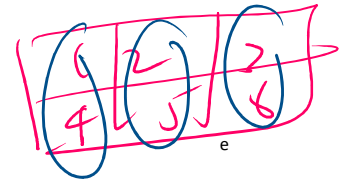
1	2	3
4	5	6



1	2
---	---

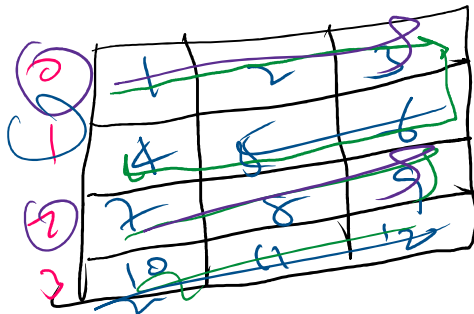


row wise print
 $r = 0$



1 4
 2 5
 3 6

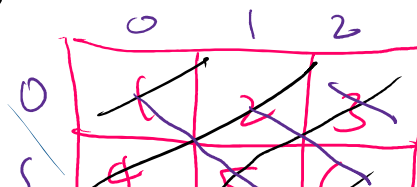
Alternate Order



1 2 3 6 5 4
 7 8 9 1 2 11 10

Concept of diagonals

$n=3$



(1, 5, 9) } major
 (3, 5, 7) } diagonals

$$\begin{pmatrix} 0 & 1 & 1 \\ 1 & 1 & 2 \end{pmatrix}$$

0	1	2	3
1	4	5	6
2	7	8	9

$$(0,0) \quad (1,1) \quad (2,2)$$

$$(i, j) \rightarrow \begin{bmatrix} (0,2) & (1,1) & (2,0) \end{bmatrix}$$

ⓑ To write any diagonal in a 2D matrix, there will always be a unique relation b/w (i, j) for every diagonal.

$$(2,4) \Rightarrow \begin{matrix} (0,1) & (1,0) \end{matrix} \quad [i+j =]$$

3 x 4

	0	1	2	3
0	1	2	3	4
1	5	6	7	8
2	9	10	11	12

$$(0,0); (1,1) \\ (2,2)$$

Transpose of a matrix =

rows \rightarrow columns
cols \rightarrow rows

2 x 3

1	2	3
4	5	6

1 4
2 5
3 6