Assignment 4, Specification

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The purpose of this software design is to store the state of a game of Freecell. This document shows the specification for the design.¹

¹"This specification file used SFWRENG 2AA4 A3 2018 specifications as a template"

Card Types Module

Module

CardTypes

Uses

N/A

Syntax

Exported Constants

None

Exported Types

```
\label{eq:suitT} SuitT = \{club, diamond, heart, spade\} \\ RankT = \{ace, two, three, four, five, six, seven, eight, nine, ten, jack, queen, king\} \\ ColourT = \{black, red\} \\
```

Exported Access Programs

None

Semantics

State Variables

None

State Invariant

None

CardADT Module

Template Module

CardT

Uses

CardTypes

Syntax

Exported Types

CardT = ?

Exported Access Programs

Routine name	In	Out	Exceptions
CardT	RankT, SuitT	CardT	
getRank		RankT	
getSuit		SuitT	
getColour		ColourT	

Semantics

State Variables

rank: RankT
suit: SuitT
colour: ColourT

State Invariant

None

Assumptions

The constructor CardT is called for each object instance before any other access routine is called for that object. The constructor cannot be called on an existing object.

Access Routine Semantics

CardT(r, s):

- transition: rank, suit, colour := r, s, $suit = spade \Rightarrow black | suit = club \Rightarrow black | True \Rightarrow red$
- output: out := self
- exception: None

getRank():

- output: out := rank
- exception: None

getSuit():

- output: out := suit
- exception: None

getColour():

- output: out := colour
- exception: noindent

Deck ADT Module

Template Module

DeckT

Uses

 $\begin{array}{c} {\rm CardTypes} \\ {\rm CardT} \end{array}$

Syntax

Exported Types

CardT = ?

Exported Access Programs

Routine name	In	Out	Exceptions
DeckT		DeckT	
getDeck		seq of CardT	
getRandDeck		seq of CardT	
size		N	

Semantics

State Variables

deck: seq of CardT

State Invariant

None

Assumptions

The constructor DeckT is called for each object instance before any other access routine is called for that object. The constructor cannot be called on an existing object.

Access Routine Semantics

```
DeckT():
```

```
• transition: \forall (r: RankT | r \in RankT : \forall (s: SuitT | s \in SuitT : deck | | < CardT(r, s) > ))
```

- output: out := self
- exception: None

getDeck():

- output: out := deck
- exception: None

getRandDeck():

- transition: $\forall (i : \mathbb{N} | i \in [0..99] : swap(randInt(), randInt())$
- \bullet output: out := deck
- exception: None

size():

- output: out := |deck|
- exception: noindent

Local Functions

```
swap: \mathbb{N} \times \mathbb{N} \to NULL

swap(a,b)

\equiv \operatorname{deck}[a],\operatorname{deck}[b] := \operatorname{deck}[b],\operatorname{deck}[a]

randInt: NULL \to \mathbb{N}

randInt()

\equiv \operatorname{return} a \operatorname{random} \operatorname{integer} \text{ within the range } [0..51]
```

Game State Module

Template Module

 ${\bf Game State}$

Uses

 $\begin{array}{c} {\rm CardTypes} \\ {\rm CardTypes} \\ {\rm DeckT} \end{array}$

Syntax

Exported Types

GameState = ?

Exported Access Programs 2

Routine name	In	Out	Exceptions
GameState	DeckT	GameState	wrong_size_Deck
cardInTab	\mathbb{Z} , CardT	\mathbb{B}	invalid_argument
numEmptySpots		N	
TabtoFree	\mathbb{Z},\mathbb{Z}		$invalid_argument$
			$invalid_move$
			$full_cells$
FreetoTab	\mathbb{Z},\mathbb{Z}		$invalid_argument$
			invalid_move
TabtoFound	\mathbb{Z},\mathbb{Z}		$invalid_argument$
			invalid_move
FreetoFound	\mathbb{Z},\mathbb{Z}		$invalid_argument$
			$invalid_move$
TabtoTab	\mathbb{Z},\mathbb{Z}		$invalid_argument$
Tablotab			invalid_move
getFreeCell	tFreeCell Z CardT	CardT	invalid_argument
genreecen		Cardi	empty_cell
viewTab	\mathbb{Z}	seq of CardT	$invalid_argument$
view rap			empty_cell
getTopFound	\mathbb{Z}	CardT	$invalid_argument$
			empty_cell
getTopTab	\mathbb{Z}	CardT	$invalid_argument$
		Carui	empty_cell
validMovesRem		\mathbb{B}	
winCondition		\mathbb{B}	

Semantics

State Variables

cards: seq of CardT

tableaus: seq of (seq of CardT) freecells: seq of (seq of CardT) foundations: seq of (seq of CardT)

 $^{^{2}}$ although the methods are not as general as they could be, this was intentionally done so that the interface would be much more easier to use and increase useability, the same can be said about minimalism

State Invariant

```
|freecells| = 4

\forall (i : \mathbb{N} | i \in [0..3] : |freecells[i]| \leq 1)

|tableaus| = 8

|foundations| = 4
```

Assumptions

The constructor GameState is called for each object instance before any other access routine is called for that object. The constructor cannot be called on an existing object.

Access Routine Semantics

GameState(deck):

- transition: cards := deck
- output: out := self
- exception: None

cardInTab(t,c):

- output: $out := \exists (card : CardT | card \in tableaus[t] : c.getRank() = card.getRank() \land c.getSuit() = card.getSuit())$
- exception: $\neg (0 \le t \le 7) \Rightarrow invalid_argument$

numEmptySpots():

- output: $out := (+(i : \mathbb{N}|i \in [0..|freecells|-1] : |freecells[i]| = 0 \Rightarrow 1)) + (+(i : \mathbb{N}|i \in [0..|tableaus|-1] : |tableaus[i]| = 0 \Rightarrow 1))$
- exception: None

TabtoFree(t,f):

- transition: freecells[f], tableaus[t] := freecells[f] || tableaus[t][|tableaus[t]| 1], tableaus[t][0..|tableaus[t]| 2]
- exception: $|freecells[f]|! = 0 \Rightarrow invalid_move \mid |tableaus[t]| = 0 \Rightarrow invalid_move \mid \neg (0 \leq t \leq 7) \Rightarrow invalid_argument \mid \neg (0 \leq f \leq 3) \Rightarrow invalid_argument \mid \neg ((\exists (i : \mathbb{N} | i \in [0..3] : |freecells| = 0))) \Rightarrow full_cells$

FreetoTab(f,t):

- transition: $tableaus[t], freecells[f] := tableaus[t] \mid \mid freecells[f][0]$, freecells[f][0:0]
- exception: $\neg(validMovefT(f,t) \Rightarrow invalid_move \mid \neg(0 \le t \le 7) \Rightarrow invalid_argument \mid \neg(0 \le f \le 3) \Rightarrow invalid_argument$

TabtoFound(t,F):

- transition: foundations[F], tableaus[t] := foundations[F] || tableaus[t][|tableaus[t]| 1], tableaus[t][|tableaus[t]| 2]
- exception: $\neg(validMovetF(t,F) \Rightarrow invalid_move \mid \neg(0 \le F \le 3) \Rightarrow invalid_argument \mid \neg(0 \le t \le 7) \Rightarrow invalid_argument$

FreetoFound(f,F):

- transition: $foundations[F], freecells[f] := foundations[F] \mid\mid freecells[f][0], freecells[f][0:0]$
- exception: $\neg(validMovefF(f,F) \Rightarrow invalid_move \mid \neg(0 \leq F \leq 3) \Rightarrow invalid_argument \mid \neg(0 \leq f \leq 3) \Rightarrow invalid_argument$

TabtoTab(t,T):

- \bullet transition: $tableaus[T], tableaus[t] := tableaus[T] \mid\mid tableaus[t][|tableaus[t]|-1]$, tableaus[t][|tableaus[t]|-1]
- exception: $\neg(validMovetT(t,T) \Rightarrow invalid_move \mid \neg(0 \le t \le 7) \Rightarrow invalid_argument \mid \neg(0 \le T \le 7) \Rightarrow invalid_argument$

getFreecell(i):

- output: out := freecells[i][0]
- exception: $\neg (0 \le i \le 3) \Rightarrow invalid_argument \mid |freecells[i]| = 0 \Rightarrow empty_cell$ viewTab(i):
 - output: out := tableaus[i]
- exception: $\neg (0 \le i \le 7) \Rightarrow invalid_argument \mid |tableaus[i]| = 0 \Rightarrow empty_cell$ getTopFound(i):

- output: out := foundations[i][|foundations[i]| 1]
- exception: $\neg (0 \le i \le 3) \Rightarrow invalid_argument \mid |foundations[i]| = 0 \Rightarrow empty_cell$ getTopTab(i):
 - output: out := tableaus[i][|tableaus[i]| 1]
 - exception: None

validMovesRem():

- output: $out := (\exists (i, j : \mathbb{N} | i \in [0..7], j \in [0..3] : validMovetF(i, j))) \lor (\exists (i, j : \mathbb{N} | i \in [0..3], j \in [0..3] : validMovefF(i, j))) \lor (\exists (i, j : \mathbb{N} | i \in [0..3], j \in [0..7] : validMovefT(i, j))) \lor (\exists (i, j : \mathbb{N} | i \in [0..7], j \in [0..7] : validMovetT(i, j)))$
- exception: None

winCondition():

- output: $\forall (i : \mathbb{N} | i \in [0..3] : (inOrder(foundation[i]))$
- exception: $\neg (0 \le i \le 7) \Rightarrow invalid_argument \mid |tableaus[i]| = 0 \Rightarrow empty_cell$

Local Functions

```
 \begin{aligned} & \text{validMovefF: } \mathbb{Z} \times \mathbb{Z} \to \mathbb{B} \\ & \text{validMovefF}(f,F) \\ & \equiv |freecells[f]| = 0 \Rightarrow False \mid \\ & (|foundations[F]| = 0 \land freecells[f][0].getRank()! = ace \Rightarrow False) \mid \\ & \neg ((freecells[f][0].getSuit() = foundations[F][|foundations[F]| - 1].getSuit()) \land \\ & (getVal(freecells[f][0]) + 1 = getVal(foundations[F][|foundations[F]| - 1]) \Rightarrow False \mid \\ & \text{True} \end{aligned}   \begin{aligned} & \text{validMovefT: } \mathbb{Z} \times \mathbb{Z} \to \mathbb{B} \\ & \text{validMovefT}(f,t) \end{aligned}   \begin{aligned} & \equiv |freecells[f]| = 0 \Rightarrow False \mid \\ & (|tableaus[t]| = 0 \Rightarrow True) \\ & \neg (\neg (freecells[f][0].getColour() = tableaus[F][|tableaus[F]| - 1].getColour()) \land \\ & (getVal(freecells[f][0]) - 1 = getVal(tableaus[F][|tableaus[F]| - 1]))) \Rightarrow False \mid \text{True} \end{aligned}
```

```
validMovetF: \mathbb{Z} \times \mathbb{Z} \to \mathbb{B}
validMovetF(t,F)
\equiv |tableaus[f]| = 0 \Rightarrow False
(|foundations[F]| = 0 \land tableaus[f]||tableaus[f]| - 1|.getRank()! = ace \Rightarrow False)|
\neg ((tableaus[f][|tableaus[f]|-1].getSuit() = foundations[F][|foundations[F]|-1].getSuit()) \land \\
(getVal(tableaus[f][|tableaus[f]|-1]) + 1 = getVal(foundations[F][|foundations[F]|-1]) + 1 = getVal(foundations[f][|foundations[f]|-1
1]))) \Rightarrow False \mid
True
validMovetT: \mathbb{Z} \times \mathbb{Z} \to \mathbb{B}
validMovetT(t,T)
\equiv |tableaus[t]| = 0 \Rightarrow False \mid (|tableaus[T]| = 0 \Rightarrow True) \mid
\neg (\neg(tableaus[t]||tableaus[t]|-1|.getColour() = tableaus[t]||tableaus[t]|-1|.getColour()) \land (\neg(tableaus[t]||tableaus[t]|-1|.getColour()) \land (\neg(tableaus[t]||tableaus[t]|-1|.getColour())) \land (\neg(tableaus[t]||tableaus[t]|-1|.g
(getVal(tableaus[t][|tableaus[t]|-1])-1 = getVal(tableaus[T][|tableaus[T]|-1]))) \Rightarrow
False \mid True
inOrder: seq of CardT \rightarrow \mathbb{B}
inOrder(cards)
\equiv \neg(|cards| = 13) \Rightarrow False \mid \forall (i : \mathbb{N}|i \in [0..11] : (cards[i].getSuit() = cards[i + 1])
1].getSuit()) \land (getVal(cards[i]) + 1 = getVal(cards[i+1])))
getVal: CardT \rightarrow \mathbb{N}
getVal(c) \equiv
```

c.getRank() = ace	1
c.getRank() = two	2
c.getRank() = three	3
c.getRank() = four	4
c.getRank() = five	5
c.getRank() = six	6
c.getRank() = seven	7
c.getRank() = eight	8
c.getRank() = nine	9
c.getRank() = ten	10
c.getRank() = jack	11
c.getRank() = queen	12
c.getRank() = king	13